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# ACCOUNTING FOR GLOBAL COVID-19 DIFFUSION PATTERNS, JANUARY-APRIL 2020

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## ABSTRACT

Key factors in modeling a pandemic and guiding policy-making include mortality rates associated with infections; the ability of government policies, medical systems, and society to adapt to the changing dynamics of a pandemic; and structural factors. In the absence of vaccines, policies which limit social contact are a key strategy adopted by most countries. However, the strictness and timing of such policy interventions vary substantially across countries. Additionally, institutional and demographic characteristics may influence mortality dynamics both directly through the size of vulnerable populations, and indirectly through citizens' perceptions and behavioral responses to stringency policies. This paper traces the cross-country associations between COVID-19 mortality, policy interventions aimed at limiting social contact, and their interaction with institutional and demographic characteristics. We document that, with a lag, more stringent pandemic policies were associated with lower mortality growth rates. The association between stricter pandemic policies and lower future mortality growth is more pronounced in countries with a greater proportion of the elderly population, greater democratic freedom, larger international travel flows, and further distance from the equator. Countries with greater policy stringency in place prior to the first death realized lower peak mortality rates and exhibited lower durations to the first mortality peak. In contrast, countries with higher degrees of initial mobility saw higher peak mortality rates in the first phase of the pandemic, and countries with the greater elderly population, a greater share of employees in vulnerable occupations and a higher level of democracy saw their mortalities take longer to peak. Our results suggest that policy interventions are effective at slowing the geometric pattern of mortality growth, reducing the peak mortality and shortening the duration to the first peak. Also, we shed light on the importance of institutional and demographic characteristics on guiding policy-making in preparation for future waves of the pandemic.

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#### I. Introduction and Overview

This paper takes stock of the data gathered during the first three months of the COVID-19 pandemic, tracing the associations between COVID-19 mortality and pandemic policy interventions, accounting for global pandemic diffusion patterns. Pandemic policy interventions in our consideration refer to containment and closure policies that aim to limit social contact. Anecdotal evidence and policy dynamics suggest that accelerated COVID-19 mortality induces a tighter pandemic policy response aimed at slowing the otherwise geometric patterns of the pandemic. With a lag of several weeks, these policies opt to reduce the mortality rate, at a strength that may vary systematically across countries. Specifically, as COVID-19 mortality affects disproportionally the older population and people with pre-existing conditions, a given increase in policy intensity may have a greater proportionate impact on future mortality in older societies, and in countries with higher average exposure to pre-existing medical conditions. In the same vein, higher urbanization rates, higher population density, and mobility, other things being equal, opt to magnify the decline in future mortality rates associated with a more aggressive pandemic policy stance.

Key factors in modeling a pandemic and in guiding policy-making include the infection rates; the mortality rates associated with infections; the ability and effectiveness of the policies, medical system, and society to adapt to the changing dynamics of a pandemic; and other structural factors [Verity, Okell, Dorigatti *et al.* (2020)]. In the absence of vaccines, policies which limit social contact are a key strategy adopted by most countries amid the COVID-19 pandemic to flatten the curve. However, the strictness and timing of such policy interventions vary substantially across countries. Additionally, institutional and demographic characteristics such as the proportion of elderly and urban populations, the nation's level of democracy, etc., may influence mortality dynamics both directly through the size of vulnerable populations, and indirectly through citizens' perceptions and behavioral responses to stringent policies (Van Bavel et al., 2020). Our empirical specification controls for these considerations, subject to the limited data available on key factors. Specifically, the scarcity of COVID-19 testing, and the limited information on the precision of available tests, implies a vast underestimation of the *infection rates per capita*, possibly by a factor of two digits.<sup>1</sup> The undercount of COVID-19 population mortality rates is also

<sup>&</sup>lt;sup>1</sup> <u>AAAS Science</u> of April 21, 2020 reports a vast undercount of COVID-19 infection rates. A Stanford study by Bhattacharya and Bendavid estimated that for each positive COVID-19 test result in Santa Clara County, California, there are more than 50 times more infected people. Similar results were found in Los Angeles county, and in several studies in Europe. While the debate about the methodologies and the veracity of these studies is ongoing, these results probably reflect the strong testing selectivity -- testing

prevalent but by an order of magnitude below the errors associated with infection rates.<sup>2</sup> Therefore, we focus mostly on accounting for the COVID-19 population *mortality rates per capita* during the first phase of the pandemic, controlling for policy and structural factors subject to data availability and quality. We plan to revisit these issues with better quality and longer-term data in the coming quarters.

A fair share of the countries reached a local peak of the COVID-19 population daily new mortality rate curve during the sample period [see Figures 1 and 2]. Applying various techniques, we study the factors accounting for the empirical shape of the mortality curve from the onset of the pandemic to the local peak, with a focus on the impact of policy intensity interacting with structural variables. Like most similar studies, one should use healthy skepticism in reading the results. First, data quality and availability are a major limitation, as each country has its challenges with data collection, aggregation, and reporting. Second, 'better performance' in the first mitigation phase of a pandemic does not guarantee superior future performance, as the dynamics of a new viral pandemic are yet unknown. By design, flattening the pandemic curve shifts some mortality incidence forward. The susceptibility to secondary waves of infection remains a looming threat. Policies adopted in the second quarter of 2020, and the realized pandemic infections, containment, and treatment will explain the future performance of each country. Furthermore, only time and much more medical research will tell the degree to which infected persons that recovered gained immunity for a long enough period to allow smooth convergence to 'herd immunity.'

Our study relies on daily COVID-19 policy and case data reported by Oxford and John Hopkins University, as well as Apple mobility data and various controls. Our baseline estimation study examines OECD and Emerging Market (EM) sub-samples based on data from 1/23/2020 - 4/28/2020; or the first 97 days of the pandemic. Below, we summarize the main results.

First, we investigate the evolution of weekly mortality *growth rates* over time and across countries. Applying dynamic panel analysis, local projections (Jorda, 2005) suggest that administering more stringent pandemic policies were associated with significantly lower mortality growth rates, with a lag of 2 to 4 weeks, during the first pandemic phase (i.e., during the time from the first death to the first local peak of mortality/day curve). Countries with a Stringency Index (SI) 10 units higher than average had,

targeted mostly sick patients, at more advanced stages of possible infection than is medically optimal, thereby missing large population shares of patients with mild or asymptomatic COVID-19 symptoms.

<sup>&</sup>lt;sup>2</sup> A <u>Financial Times</u> study, April 26, 2020, reported that mortality statistics show 122,000 deaths in excess of normal levels across 14 countries, concluding that the global coronavirus death toll could be 60% higher than reported. This undercount reflects on the scarcity of COVID-19 tests, underreported deaths at senior homes and assisted living centers, misdiagnoses, limited administrative capacities and the like.

two weeks later, mortality growth rates that were on average -14% lower (Oxford's SI is normalized between 0 to 100; where 100 = strictest response). The reductions in mortality growth rate are smaller after three and four weeks, roughly -11% and -8% respectively, and are no longer significant after five weeks. While the reduction in growth rates seems quite large, it is important to put these numbers in perspective. Given the geometric nature of disease spread, oftentimes, week-over-week mortality growth rates can be anywhere from +50% to +100% or greater.

Taking slow-moving country fundamentals from the period pre-COVID-19 as exogeneous, we find that countries in the 75<sup>th</sup> percentile in terms of proportion elderly (65 or older) saw a much stronger reduction in mortality growth rates from the same 10 unit rise in SI, compared to countries with relatively low proportions of elderly (25<sup>th</sup> percentile). Countries in the 75<sup>th</sup> (25<sup>th</sup>) percentile saw mortality growth rates of about -20% (-10%) after two weeks. Countries with a greater proportion of the elderly are unconditionally more susceptible to the pandemic, but for this same reason, they are likely to benefit more under stringent policies. In countries further away from the equator, SI measures had a stronger impact on mortality growth than in countries closer to the equator. This heterogeneity may be consistent with what some describe as a temperature risk factor associated with many flu viruses. Countries with cooler temperatures over the Jan-April period, and countries with higher proportions of the elderly, may be at higher risk with regards to COVID-19, and therefore the effectiveness of stringency measures for these countries is stronger. Greater policy stringency is also more strongly associated with lower mortality growth during the first phase of the pandemic in countries with greater inbound/outbound travel, greater GNI per capita, higher health expenditures and a greater level of democracy (measured with the EIU Democracy Index).<sup>3</sup> While international travel flows are quite intuitive risk factors for a pandemic like COVID-19, the role of democratic freedom is an ongoing topic of debate (Ang, 2020). Our results are consistent with the view that greater individual rights may be detrimental in this situation, making it more difficult for the government to place strict quarantines in place and have citizens abide by them.

Next, we turn to cross-country regression results, where the dependent variables include the logged peak new mortality rate (calculated as the new deaths out of the population at the peak of daily new mortality, by country), and the ratio of 'peak new mortality rate'-to-'pandemic duration to first peak' measured in days (a proxy for flatness/steepness of the mortality rate curve). Definitions of these peak-related dependent variables are illustrated in Figure 3 using the daily new mortality curve of Czechia. Countries with more aggressive policy interventions in place *prior to* the first death tend to exhibit a lower

<sup>&</sup>lt;sup>3</sup> The EIU Democracy Index is based on five categories: electoral process and pluralism; civil liberties; the functioning of government; political participation; and political culture.

new mortality rate at the peak. We find that a one unit increase in Early SI (average SI level prior to the first COVID mortality) is associated with peak new mortality rates on average -12% lower. Quantitatively, early SI was also associated with flatter mortality curves, but the estimate is statistically insignificant. Unsurprisingly, higher early mortality growth rates (growth rate of new mortality rate in the first week following the first death) are significantly associated with higher peak mortalities and steeper mortality curves, while higher *levels* of the mortality rate early on (cumulative mortality rate within the first week following the first death) were associated with flatter overall mortality curves.<sup>4</sup> Greater early mobility was also significantly associated with higher mortality peaks. Higher population density is, somewhat surprisingly, associated with flatter mortality curves (column [2]). However, this association may be driven by the fact that many of the high-density countries are in Asia. Overall, the evidence suggests (but does not necessarily assert) that policy stringency directly reduced the peak mortality rates, and that other forces were also at play (e.g., early mobility, initial pandemic conditions).

Not only do mortality rates during the first pandemic phase differ across countries, but there is also considerable variation in how long new deaths continued to climb in terms of days. We term this as the 'pandemic duration to the first peak' (PD). One should be careful when interpreting the effects of covariates on the PD in terms of altering the shapes of mortality curves, as a longer PD could be accompanied by a higher peak mortality rate and thus a steeper curve, or a lower peak mortality rate and thus a flatter curve. Fitting a Kaplan-Meyer curve for the PD over all countries in the sample, in number of days, suggests that countries with stronger Early SI measures (above the average) had significantly lower PDs on the way to the first local peak of the mortality/day curve, compared to countries which did not. The probability of peaking after 40 days is close to 0% for above-average Early SI countries (virtually all of these countries experienced their first local peak by day 40). For below-average Early SI countries, it took approximately 80 days, twice the amount of time, until the first peak was reached. To better understand the cross-country variation in PD, we estimate a Cox proportional hazards model. Higher mortality rates early on are associated with shorter pandemic durations to the peak, while countries realizing higher mortality peaks tend to have, unsurprisingly, longer pandemic durations to the peak. Although the negative association between the strictness of early policy interventions and the pandemic duration to the peak is not significant under the Cox model, more aggressive policy interventions early on

<sup>&</sup>lt;sup>4</sup> Including early mortality growth in the cross-country regression also knocks out the significant effect on elderly population. It's possible that countries with higher early mortality growth rates are also countries with higher proportion elderly. These countries would realize more deaths early on given the at-risk population is larger.

could still be associated with a shorter pandemic duration to the peak through reducing mortality peaks as evidenced by the cross-country analysis. Countries that have greater mobility *prior to* the first death had longer pandemic duration to the peak. Additionally, countries with greater elderly populations, greater shares of vulnerable employment tend to exhibit *shorter* pandemic durations to the peak.<sup>5</sup> Moreover, under certain specifications, the level of democratic freedom appears to be a highly significant determinant in pandemic duration to the peak. That is, countries that have a higher level of democracy saw *longer* pandemic durations to the peak. Countries further away from the equator also tended to experience longer PD. While at this stage we are reporting suggestive statistical associations, more data and research are needed to get fuller identifications of all these factors.

## II. Empirical Specification

We focus on two aspects of COVID-19 mortality over the first three months of the pandemic spanning from January 23<sup>rd</sup>, 2020 to April 28<sup>th</sup>, 2020, which we refer to as *the first pandemic phase*: first, the dynamic of COVID-19 mortality rates out of the total population, examining the weekly growth rate of the new mortality rate per capita; and second, the empirical shape of the mortality rate curve from the onset to the local peak of the first pandemic phase, examining three dependent variables discussed below. To filter out noise in the daily mortality data, we construct a 7-day rolling average of the daily mortality rate per capita and use these series of averages in our estimations and peak identifications. For simplicity, the mortality rate mentioned hereafter is referred to as the 7-day rolling average of the mortality rate.

Although examining the growth rate of the new mortality rate per capita provides evidence on how mortality rates evolve over time, it is not trivial to conclude which variables can characterize the crosscountry difference in the empirical shape of the mortality curve from the onset to the local peak of the first pandemic phase. We argue that three outcome variables related to the local peak matter: first, the new mortality rate at the peak; second, the pandemic duration to the peak; third, the ratio of the new mortality rate at the peak to the pandemic duration to the peak. We illustrate this idea by comparing country cases. Figure 4 shows the daily new mortality rate curves for several countries: the left one comparing that of Hungary and Norway, the middle one comparing to that of Denmark and Norway, and the last one comparing that of Austria, Estonia, and Greece. The left figure shows that although the peak mortality

<sup>&</sup>lt;sup>5</sup> This result, which seems counterintuitive, is consistent with our findings in the dynamic panel analysis, where countries exhibiting these same risk factors also had more effective stringency policies in terms of reducing mortality growth rates.

rates of Hungary and Norway are around the same, their durations to the peak are different: Norway reached the peak faster, and thus had a steeper mortality curve. The middle figure shows that although the durations to the peak of Denmark and Norway are around the same (i.e., both around 25 days), their peak mortality rates are different: Denmark's mortality rate climbed to a higher level before going down, and thus had a steeper mortality curve. Hence, a lower peak mortality rate or a longer duration to the peak implies a flatter mortality curve; however, only on the condition that all other things are held equal. Once both the peak mortality rate and the duration to the peak change in the same direction, it may be ambiguous whether the mortality curve is flattened or not, as demonstrated in the right figure of Figure 4. Both Estonia and Greece realized a lower peak mortality rate and a shorter duration to the peak than Austria; however, it is obvious that Estonia has a much steeper mortality curve while Greece has a much flatter mortality curve compared with Austria. This implies that the ratio of the peak mortality rate to the duration to the peak also plays a key role in understanding the empirical mortality curve. Hence, it follows that all three outcome variables related to the peak (including the daily new mortality rate at the peak, the duration to the peak, and the ratio of the peak rate to the duration) together characterize the empirical shape of the mortality curve from the onset to the local peak of the first pandemic phase. By knowing how these three outcome variables are impacted by government pandemic policies or country-specific structural variables can we uncover to what extent these factors account for the pattern of mortality's climb to the local peak of the first pandemic phase.

#### II.i. Policy stringency and mortality dynamics

We start with a panel study of mortality growth rate dynamics, using the week-over-week growth rate of the new mortality rate per capita, accounting for containment and closure policy interventions (see Oxford's COVID-19 Government Response Tracker). <sup>6</sup> Specifically, our dependent variable  $y_{i,t}$  in country *i* on date *t* is defined as

(1)

$$y_{i,t} = \log(MortalityRate_{i,t}) - \log(MortalityRate_{i,t-7}),$$

where  $MortalityRate_{i,t}$  is the new mortality rate in country *i* on date *t*. A lower growth rate of the new mortality rate implies a flattening of the mortality curve.

<sup>&</sup>lt;sup>6</sup> Oxford's Government Response Tracker

Our first benchmark estimation uses the method of local projections (Jorda, 2005), examining future (or current) mortality growth rate as a function of current (or past) mortality growth rate and degree of policy stringency. We aim to understand to what degree policy interventions are associated with future mortality growth, and therefore, the evolution of the pandemic. Local projections do not only simplify our problem but also produce robust estimates under misspecification. Specifically, our model is

(2)

$$y_{i,t} = \alpha_i + \delta t + \beta y_{i,t-\tau} + \gamma S I_{i,t-\tau-7} + \epsilon_{i,t},$$

where  $y_{i,t}$  is the week-on-week growth rate of the new mortality rate in country *i* on date *t*,  $y_{i,t-\tau}$  is the lagged mortality growth rate, and  $SI_{i,t-\tau-7}$  is the lagged Stringency Index constructed in the Oxford COVID-19 Government Response Tracker, an aggregate measure of the overall stringency of containment and closure policies. Fixed effects are denoted as  $a_i$  and  $\delta t$ , representing the country and time fixed effects, respectively. The subscript  $\tau$  denotes the preceding first, second, third, or fourth week, which allows us to explore whether and to what degree the association between policy interventions and mortality growth is persistent. Additionally, we study the heterogeneity in the association between policy interventions and mortality growth by estimating the model with interaction terms between lagged Stringency Index and country-specific social and economic variables

(3)

$$y_{i,t} = \alpha_i + \delta t + \beta y_{i,t-\tau} + \gamma S I_{i,t-\tau-7} + \theta S I_{i,t-\tau-7} * x_i + \epsilon_{i,t},$$

where  $x_i$  is the country-specific variable of interest. We consider: the proportion of the elderly population (people aged 65 and over), the proportion of the urban population, proportion of employment in vulnerable sectors, population density, the logarithm of GNI per capita, health expenditure (% of GDP), population-weighted exposure to ambient PM2.5 pollution, the logarithm of tourist arrivals and departures, level of democracy, and country location measured with latitude and longitude.

#### II.ii Cross-country differences in peak mortality

We follow with a cross-country analysis examining the mortality rate at the peak, a key moment in the first quasi-bell curve, which puts hospitals' capacity to their most severe test. The quasi-bell shapes are normalized by the day of the first significant death. As discussed before, we consider three outcome variables related to the peak: first, the logged peak mortality rate, second, the pandemic duration to the first peak (PD), and third, the ratio of the logged peak mortality rate to the PD. We opt to use linear regression analysis to examine the cross-country difference in the logged peak mortality rate and the ratio of the logged peak mortality rate to the PD and use survival analysis to examine the cross-country difference in the PD. Our cross-country peak mortality data is calculated from the sample from January 23<sup>rd</sup>, 2020 to April 28<sup>th</sup>, 2020, during which many OECD countries and emerging market economies finished their ride up to the first peak of the first quasi-bell in terms of contagion per capita and fatality per capita.

Our cross-sectional linear regression model is

(4)

$$y_i = \beta_0 + Z_i \gamma + X_i \beta + \epsilon_i,$$

where  $y_i$  is the logged peak mortality rate or the ratio of the logged peak mortality rate to the PD in country *i*. A higher peak mortality rate implies a larger inflow of patients, stretching hospitals' capacity. Accounting for the pandemic duration to the first peak, a higher ratio of the logged peak mortality rate to the PD implies a steeper mortality curve, characterized by either a larger or a faster patient inflow that could potentially overwhelm the healthcare system. We include a set of potential endogenous variables  $Z_i$ . First, one may be interested in whether the cross-country difference in the intensity of the COVID-19 outbreak explains the cross-country difference in the empirical shape of the mortality curve. We include  $log(Early Mortality_i)$ , the logged cumulative mortality rate in the first week after the first death, and Early Mortality Growth<sub>i</sub>, the growth rate of daily mortality rate in the first week after the first death, to control for the cross-country difference in the initial level and growth of the mortality rate. Second, one may be interested in whether proactive stringency (i.e., before the first death) policy interventions influence the cross-country difference in the empirical shape of the mortality curve. We also include Early  $SI_i$ , the average of the Stringency Index (SI) from its first non-zero value to the first death, accounting for how strict government interventions were before the first confirmed death, and Days from First SI to First Death<sub>i</sub>, the number of days from the first non-zero SI to the first death, accounting for how early government interventions are implemented. Additionally, to account for crosscountry differences in how aggressively countries respond to the pandemic and increase their policy intensities, we include a variable which we refer to as the SI  $Delta_i$  (or Stringency Delta), calculated as the difference between a country's maximum level of SI and its initial level of SI  $(SI_{i,0})$ , normalized by the number of days  $(T_i)$  between them:

$$SI \ Delta_i = \frac{\left[\max(SI_i) - SI_{i,0}\right]}{T_i}.$$

A higher maximum SI and/or a shorter time to the maximum SI will yield a higher SI Delta. Third, we include *Early Mobility<sub>i</sub>*, the weekly average mobility index in terms of walking (reported by Apple) in the week before the first death. We emphasize that while these variables are important to investigate, all of them are endogenous, as they are calculated over part of the first wave period of COVID-19. We also include a set of country-specific control variables  $X_i$  that we take as exogenous, including the proportion of the elderly population (people aged 65 and over), the proportion of the urban population, proportion of employment in vulnerable sectors, population density, GNI per capita, health expenditure (% of GDP), level of democracy, and country location measured with latitude and longitude.

#### II.iii. Cross-country differences in time-to-peak

We then proceed with a survival analysis studying the association between the pandemic duration to the first peak (PD) and a set of explanatory variables. We focus on the survival function of the mortality peaking

(6)

$$S(t) = \Pr(T > t),$$

which is defined as the probability that the PD is later than date t, which is the probability that the mortality peaks after date t. A higher probability that the PD is later than a certain date implies a longer PD, which could have ambiguous implications. On the one hand, it suggests a slower surge in hospitalization that could ease the burden on the healthcare system. On the other hand, a longer time-to-peak may imply a longer-lived, poorly managed pandemic.<sup>7</sup> Our benchmark specification is the Cox proportional hazards model (Cox, 1972), which examines the relationship between the hazard function and a set of explanatory variables.<sup>8</sup> The hazard function is defined as the probability that the peak is on date t conditional on that the peak is reached until date t or later,

(7)

<sup>&</sup>lt;sup>7</sup> Without accounting for the peak mortality rate or the cumulative mortality rate, a longer pandemic duration to the first peak could be accompanied by a higher daily new mortality rate at the peak.

<sup>&</sup>lt;sup>8</sup> The assumption of the Cox Model is that the variable of interest has a time-invariant multiplicative effect on the hazard of COVID-19 deaths (see George et al. (2014) for a review of survival methods), which will be verified in section IV.

$$\lambda(t) = \lim_{dt \to 0} \frac{\Pr(t \le T < t + dt)}{dt \cdot S(t)} = -\frac{S'(t)}{S(t)}$$

Our benchmark Cox proportional hazards model is

(8)

$$\lambda(t|Z_i, X_i) = \lambda_0(t) \exp(\beta_0 + Z_i \gamma + X_i \beta)$$

where  $\lambda(t|X_i)$  is the hazard function for country *i* on date *t*, conditioning on a set of endogenous variables  $Z_i$  and exogenous variables  $X_i$ , and  $\lambda_0(t)$  is the baseline hazard function. In addition to the same set of endogenous and exogenous variables as in the cross-country regression analysis, we also include the endogenous logged peak new mortality rate,  $\log(Peak Mortality_i)$ , to control for the cross-country difference in the peak level of mortality rates. The specification of the Cox Model implies that the effect on the hazard function of a one-unit increase in one covariate  $w \in \{Z, X\}$  with coefficient  $\delta$  is to multiply the hazard function by  $e^{\delta}$ , and that the effect on the survival function is to raise it to a power given by the effect on the hazard function

(9)

$$S_1(t) = S_0(t)^{e^{\delta}},$$

where  $S_1(t)$  is the survival function on date t for a group with a one-unit higher value of the covariate w, all other variables held constant.

#### II.iiii. Limitations

We wish to briefly call out the limitations of our research design. First, our estimates cannot (and should not) be interpreted as causal. What we are reporting, across all models, are associations. Some of our variables are endogenous, which may bias our estimates. Moreover, given our choice to investigate country factors one-by-one, our regression estimates may also be biased from omitted variables. To overcome these challenges, we are in the process of collecting additional data at varying levels of detail to help deal with these issues, with the aim of achieving cleaner identification going forward. Nonetheless, under such data constraints, we believe our approach strikes a balance between parsimony, robustness, and informativeness.

## III. Data

Our data relate prudential and reactionary government interventions to COVID-19 mortality rates per capita, controlling for country-specific characteristics. We construct the mortality rates using the John Hopkins Center for Systems Science and Engineering (CSSE) COVID-19 data repository, which details confirmed cases and deaths across our sample period. This data, which is provided as a global panel at the provincial level, was aggregated to the country-level for the purposes of our estimation. Our full sample considers 59 Advanced Economy (AE) and Emerging Market (EM) countries<sup>9</sup>. The seven-day rolling average of the new mortality rate per capita is calculated as the ratio of the cumulative total of country deaths by population, while the seven-day rolling average of the cumulative mortality rate is the ratio of new daily deaths by population.<sup>10</sup>

The central covariates of interest were pulled from Oxford's COVID-19 Government Response Tracker. As of April 29<sup>th</sup>, 2020, Oxford provides country-level indicators on containment and closure, economic responses; the quality of health systems; and unorthodox responses to the COVID-19 pandemic.<sup>11</sup> Of the 59 countries in our sample, government response data is reported for 55. We focus our estimation on the Stringency Index (SI), which mainly captures variation in government policies related to containment and closure. Each nation is scaled with a composite score from 0-100, with higher scores indicating more stringent policy interventions. In our dynamic panel estimation, we lag these interventions by between 2-5 weeks to account for delayed implementation or latent effects.

In addition to the Oxford data, we control for various country-specific features using a wide range of publicly available data. We pull country coordinates from Google and integrate data on recent mobility trends from Apple.<sup>12</sup> From the World Bank, we gather World Development Indicators for the proportion of the population above age 65; the proportion of the population which is urban; total population density

<sup>&</sup>lt;sup>9</sup> The analysis relies on Advanced and Emerging Market countries due to relatively more reliable and readily available of these countries compared to lesser developed countries. AE classifications are taken from <u>The International Monetary Fund</u> (IMF) while EM classifications are taken from the IMF and <u>MSCI</u>.

<sup>&</sup>lt;sup>10</sup> Population data was pulled from the <u>United Nations</u>. Note this calculation differs from the *fatality* rate per capita; which is calculated by epidemiologists as the ratio of deaths to cases per capita.

<sup>&</sup>lt;sup>11</sup> A detailed review of Oxford's dataset may be found <u>here</u>.

<sup>&</sup>lt;sup>12</sup> The data from Google can be found <u>here</u>; while the data from Apple was pulled from <u>here</u>. The Apple data is calculated at a base of 100, where reduced daily mobility results in a lower score (<100), while higher mobility results in a higher score (>100). Mobility is measured across walking, driving, and public transit.

(people per 100 sq. km. of land area); tourist arrivals and departures; the proportion of vulnerable employment; gross national income per capita (calculated in current USD using the Atlas method); the number of cellular subscriptions; current health expenditures; and micrograms of PM2.5 air pollution per capita.<sup>13</sup> We also include cross-country indicators of the strength of democracy, from the Economist and Freedom House.<sup>14</sup> From the Correlates of War Project, we aggregate data on military expenditures and personnel, iron and steel production, and energy consumption.<sup>15</sup> Lastly, we collect data on prior infections and deaths by the disease through the World Health Organization's International Classifications of Diseases.<sup>16</sup> This data is collapsed by country, across the years 2015-2018. The analysis is restricted to deaths by respiratory, endocrine, or high blood pressure conditions. We choose not to incorporate testing covariates, given discrepancies, and measurement error in currently available data.<sup>17</sup> Depending on the quality of future data, we may choose to integrate these covariates in our future analyses.

## **IV.** Estimation and Results

We take a multi-faceted approach to understand the cross-country dynamics of pandemic diffusion. As mentioned, the dynamic panel enables us to study to what degree stringency policies are associated with weekly mortality growth rates, and whether such policies start taking effect with a lag. Instead of including several lags as in a traditional dynamic regression analysis, we estimate panel local projections (Jorda, 2005) with fixed effects for two reasons: first, the local projection method is robust to misspecification and second, our approach preserves degrees of freedom required for sensible inference. We include mortality growth lagged by  $\tau$  days and Stringency lagged by  $\tau$  +7 days. We estimate the four specifications via LSDV<sup>18</sup> with mortality growth (the dependent variable) lagged from 1 week to 4 weeks,

<sup>&</sup>lt;sup>13</sup> All of these data sources can be found through the <u>World Development Indicators</u>.

<sup>&</sup>lt;sup>14</sup> Data from the Economist was pulled from the <u>Economist Intelligence Unit</u>; and from Freedom House's <u>Freedom in the World</u> scores.

<sup>&</sup>lt;sup>15</sup> Data was pulled from the <u>National Material Capabilities</u> index.

<sup>&</sup>lt;sup>16</sup> Data from the International Classification of Diseases (V10) can be found <u>here</u>.

<sup>&</sup>lt;sup>17</sup> Testing data was originally pulled from the <u>Our World in Data</u> project, but is excluded in our first round of analysis.

<sup>&</sup>lt;sup>18</sup> Estimates from the first specification, LSDV estimation of a model where mortality growth is lagged by 1 week with time/country fixed effects are potentially biased (Nickell, 1981) under small *T*. However, given the large time dimension of our panel, the LSDV estimator performs comparatively well to biascorrected approaches (Judson and Owen, 1999).

and SI lagged from 2 weeks to 5 weeks, respectively. Given that residuals within countries are likely correlated, we employ robust standard errors clustered by country.

The cross-country analysis focuses on explaining the cross-country heterogeneity in mortality outcomes at the peak of the first quasi-bell curve. For this, we rely on OLS estimation, adjusting the standard errors for heteroscedasticity. Finally, we conduct a survival analysis to better understand what drives variation in pandemic *duration to the first peak* (PD) across countries. Initially, we employ a cross-country Kaplan-Meyer analysis on the number of days to the first new mortality peak, subsequently extending it under a Cox proportional hazard model to introduce additional controls, estimated via maximum (partial) likelihood. For robustness, we also test and report whether the proportional hazards assumption is satisfied.

#### IV.i. Stringency Policy and Mortality Dynamics

Table 1 reports the baseline results from the local projection regressions (dynamic panel analysis). Notice that across local projection regressions with SI lagged 2, 3, and 4 weeks, Stringency is statistically significant and negative and turns insignificant by week 5. These cursory results suggest that countries administering more stringent pandemic policies realized, on average, significantly lower mortality growth rates, with a lag of 2 to 4 weeks (Figure 5). The estimated sizes are economically significant: Countries with a Stringency Index (SI) 10 units higher than average in week *W* realized mortality growth rates that were on average -14%, -11%, and -8% lower in weeks *W*+2, *W*+3 and *W*+4, respectively. While the reductions in growth rates seem quite large (and certainly should not be ignored), it is important to put these numbers in perspective. Given the exponential nature of disease spread, weekly mortality growth rates are highly volatile, potentially reaching anywhere from +50% to +100% (or greater).

In the baseline analysis (Table 1) we do not explore cross-country heterogeneity in mortality dynamics. However, it is of great interest to understand whether and to what degree stringency policies were more effective in some countries than others in slowing down mortality growth. In the Online Appendix, we report local projection regression results which allow for the impact of SI to depend on each of our country fundamentals following Equation 3. We take these country fundamentals as exogenous, as they are from the period pre-COVID-19 and are highly persistent (e.g., population, democracy). Due to the number of country fundamentals we are interested in exploring, we estimate regressions one-by-one. While this yields parsimonious interpretations and preserves degrees of freedom, a key drawback of this approach is that it may suffer from omitted variables.

Figure 6 characterizes the results into impulse response plots, highlighting the impact of a 10 unit rise in SI for countries in the 25<sup>th</sup> percentile of a given characteristic against those in the 75<sup>th</sup> percentile of the same characteristic. For example, notice that countries in the 75<sup>th</sup> percentile in terms of proportion elderly (65 or older) saw a much stronger reduction in mortality growth rates from the same 10 unit rise in SI, compared to countries with relatively low proportions of elderly (25<sup>th</sup> percentile): Countries in the 75<sup>th</sup> (25<sup>th</sup>) percentile saw mortality growth rates fall about -20% (-10%) two weeks later. These results are consistent with the proportion of the elderly being a risk factor for the pandemic. Countries may be more susceptible to the pandemic conditional on a greater proportion of the elderly, and for this same reason, stringency policies may be more beneficial in these countries.

Another interesting characteristic is latitude, which describes the vertical positioning of the country. In countries on greater latitudes (further away from the equator), SI measures had a stronger impact on mortality growth than in countries closer to the equator. This heterogeneity may be consistent with what some describe as a temperature/seasonal risk factor associated with many flu viruses. Countries with cooler temperatures over the January-April period may be at higher risk with regards to COVID-19 severity, and therefore the effectiveness of stringency measures may have been stronger. SI policies are also more strongly associated with lower mortality growth in countries with greater arrivals/departures, greater GNI per capita, higher health expenditures, and greater EIU Democracy. While greater international flow is quite an intuitive risk factor for a pandemic like COVID-19, the role of democratic freedom is an ongoing topic of debate. Our results may support the view that greater ex ante individual liberties may be detrimental in the present situation in the sense that they increase the risk of pandemic severity (thereby leading to a stronger effect of mandated SI policies).<sup>19</sup> While our results suggest that stringency policies were more impactful among countries that are considered more democratically free, the effectiveness of governments at responding to Covid-19 also depends on other complementary factors, notably leadership and administrative capacity (Ang, 2020). The specific channel the association captures is not clear at this point, but it's possible that countries with higher EIU Democracy scores also exhibit greater ex-ante mobility. Alternatively, it's possible that there is greater variance in publicly available information among high EIU countries, inducing differential beliefs related to the seriousness of the pandemic. Both scenarios can potentially lead to greater pandemic risk, and therefore greater stringency policy effectiveness.

<sup>&</sup>lt;sup>19</sup> Civil liberties is one of the five categories based on which the EIU Democracy Index is calculated.

#### IV.ii. Kaplan-Meyer Curves of Pandemic Duration-to-Peak across Countries

Figure 7 reports Kaplan-Meyer (KP) curves on PD (pandemic duration to the first peak). The Yaxis can be interpreted as the 'probability of peaking later than day (t)' or equivalently, as the 'probability the first peak is yet to come by day (t).' The LHS plots the unconditional duration probability and shows how the probability the peak is yet to come is decreasing with the number of days since the first death increases (X-axis). About 30 days into the pandemic, the probability of peaking reaches 50%; 40 days into the pandemic, the probability rises to 75%. The center chart plots the KP curves of countries stratified by early SI policy (above versus below average). According to the KP curve, pandemic durations were significantly shorter in countries which proactively issued more stringent policies. For high Early SI countries, the probability of peaking reached 25% by about 35 days while it took close to 50 days for countries with low Early SI policies. The probability of peaking after 40 days is close to 0% for high Early SI countries (virtually all of these countries experienced their first local peak by day 40). For low Early SI countries, it took approximately 80 days, twice the amount of time, until the first peak was reached.

## IV. iii. Cross-country differences in COVID-19 mortality

Not only is there wide variation in mortality dynamics, but we also observe significant heterogeneity in mortality peaks and curvatures across countries. Cross-section regression results, where the dependent variable is the logged peak new mortality rate (calculated as the deaths/population at the first peak of daily new deaths) are reported in Table 2, column [1]. In addition, we include results for the outcome *logged peak new mortality rate to PD* (column [2]), and results from the survival analysis via Cox regression on PD itself (column [3]). Several broad patterns emerge.

First, early stringency measures are significantly negatively associated with mortality peaks: Greater early stringency is associated with lower peak mortality rates (column [1], an estimate of -0.12), implying that countries with Early SI 1 unit higher than average realized first mortality peaks that were about -12% lower. Quantitatively, greater policy stringency early on was also associated with flatter mortality curves (column [2]), and longer PD, but these estimates are statistically insignificant. However, there is a significant negative association between logged peak mortality rates and the PD, which implies that more aggressive policy interventions early on may still be associated with a shorter PD through its negative impacts on mortality peaks. Additionally, we find no evidence suggesting that the timing of initial policy interventions is correlated with the peak or slope of mortality curves (columns [1] and [2]). Unsurprisingly, higher early mortality *growth* rates are significantly associated with higher peak mortalities and steeper mortality curves (columns [1] and [2]), while higher *levels* of the mortality rate early on were associated with flatter overall mortality curves, but longer pandemic durations to the first peak (columns [2] and [3]). Greater early mobility was significantly associated with higher mortality peaks but shorter pandemic durations (columns [1] and [3]). Countries with greater elderly populations and/or greater shares employed in vulnerable sectors saw, on average, significantly longer PDs (column [3]). At the same time, countries scoring higher in EIU Democracy and those further from the equator realized shorter PDs. Higher population density is, somewhat surprisingly, associated with flatter mortality curves (column [2]). However, this association may be driven by the fact that many of the high-density countries are in Asia. These countries contained the spread of COVID-19 relatively effectively, given their preparedness in light of battling SARS in 2003. We find no cross-sectional evidence of increasing SI policies *during* the pandemic (Stringency Delta) affecting peak mortalities or PD.

The cross-sectional regression and survival analysis results, taken together with the evidence from local projections in our dynamic panel analysis, indicate (but do not assert) that 1) aggressive policy responses may have helped slow down the growth rate of new mortalities with a lag, 2) having stringent policies in place early may have helped to lower peak mortality rates and PD (through reducing peak mortality rates). In contrast, evidence on the effectiveness of increasing the SI after the fact (via Stringency Delta) on peak mortality is much weaker.

#### IV.iv. Discussion

To summarize, we investigate the impact of stringency policies on mortality growth dynamics, along with cross-country patterns in the empirical shape of the mortality curve. First, we find that higher SI levels were significantly associated with lower mortality growth rates with a lag of 2, 3, and 4 weeks. The effect of a 10-unit rise in the SI levels on future mortality growth was stronger in countries that appear to be more vulnerable *ex-ante* to COVID-19 type breakouts: countries with greater elderly populations, cooler temperatures, more international flow, and higher levels of the EIU Democracy index. In terms of peak mortality rates across countries, we find that proactive stringency policies early on were significantly associated with higher mortality peaks, while higher mobility levels were significantly associated with higher mortality peaks. As for pandemic duration-to-first peak, higher mobility levels were associated with shorter average pandemic durations (despite higher mortality peaks), while greater elderly population and greater shares of employment in vulnerable sectors were associated with longer average pandemic durations. Estimates from a Kaplan-Meyer analysis indicate that proactive stringency policies early on were associated with significantly shorter PD.

While we are only in the first phase of the COVID-19 pandemic, our study may provide a platform for accounting the global evolution of the mortality rates in the coming months. In the Online Appendix, we also report a robustness check using the cumulative mortalities (as opposed to growth in new mortalities) and a first pass at a residual analysis based on our benchmark estimation, identifying countries which appear to be statistical outliers.<sup>20</sup> There are countries oft-cited in the public discussion as exceptionally better or worse than predicted in terms of their infection and mortality rates, several of which are consistent with the residuals in our estimation. The contributing factors are likely to be many, including that several of these countries previously experienced recent outbreaks, including SARS-CoV-1 (2002-2004) and Ebola (2014-2016). These include: (i) mortality rates worse than expected: Brazil, Ecuador, Iran, Italy, Peru, United States; (ii) mortality rates better than expected: Cambodia, Greece, India, Indonesia, Iraq, Japan, Lebanon, Myanmar, South Korea, Sub-Saharan Africa (including Ebola-affected areas), Thailand, Venezuela, Vietnam. Japan, for example, offers an interesting case study with its proximity to the initial hotspots (China and South Korea), but is currently cited as successfully managing the infection and mortality rates without lockdown or mass testing (Bloomberg, 2020). Additionally, the degree of enforcement of policy intervention rules may be of great importance in explaining the crosscountry difference in the empirical shape of the mortality curve, which, however, lacks data to measure. As the pandemic and the new data unfolds, we are in the process of analyzing these exceptional cases for country-specific factors underlying their mortality rates from COVID-19.

## V. Related Studies

Avery et al. (2020) provide an overview of the modeling of the spread of COVID-19. By and large, the ongoing challenges surround data on the infection rates. As noted by Manski and Molinari (2020), because of missing data on tests for infection and imperfect accuracy of tests, reported rates of population infection by the SARS CoV-2 virus are lower than actual rates of infection, resulting in infection fatality rates that are lower than reported. In addition, as argued by Atkeson (2020), in the presence of effective mitigation measures, the model with a high initial number of active cases and a low fatality rate gives the same predictions for the evolution of the number of deaths in the early stages of the pandemic as the same

<sup>&</sup>lt;sup>20</sup> Results of the panel analysis on cumulative mortality growth rates are broadly consistent with that on new mortality growth: Greater policy stringency is associated with lower cumulative growth, with a lag, and the association is more persistent (significant up to five weeks later). Also, we observe heterogeneity in the associations: Such associations are more pronounced in countries with a greater proportion of elderly population, a greater proportion of urban population, further away from equator, a higher level of GNI per capita, a greater share of health expenditure, and a higher level of democracy.

model with a low initial number of active cases and a high fatality rate. Modeling the COVID-19 infection also face with uncertainty about the evolution of infection rates, due to parameter uncertainty and the realization of future shocks (Liu et al., 2020). To ameliorate these empirical challenges, our study uses the mortality rate per capita as the main variable of interest. In this section, we synthesize our estimates with findings from related studies in the field. Notwithstanding different empirical specifications across studies, we find our main results are consistent and communicable with the literature and offer valuable new evidence.

#### V. i. Mortality rates

Closely related to our study are The Economist (2020), Stojkoski et al. (2020) and Castex et al. (2020). The Economist's review uses a sample of U.S. states focusing on the case-fatality rate. It finds the following associations between the case-fatality rate and the listed variables, ordered by their significance (one standard deviation increase): median age (pos.), ICU beds per 100,000 people (neg.), population density (pos.), and median income (neg.), the prevalence of heart disease, diabetes and smoking (pos.), the share of the population that is African-American (pos.), and amount of social distancing three weeks prior (neg.). Stojkoski et al.'s study finds that greater government intervention, measured by a slight variant of the stringency index used in our research, is associated lower mortality per capita. Our results are consistent with this. Given our most comprehensive specification in the cross-country estimates, we find a significant association between the stringency index and the mortality rate peak levels (Table 2, column [1]). An increase of 1 unit of the stringency index is statistically associated with -12 percent decrease in the first peak mortality rate (Table 2, column [1]). Our cross-country results revealing heterogeneity effects of government interventions on COVID-19 mortality growth rates also relate to those findings of Castex et al. (2020) on the COVID-19 transmission rates; that the effectiveness of nonpharmaceutical interventions (such as school and workplace closures) is increasing with lower air pollution and higher health expenditure. They also find that the effectiveness of such interventions is declining with higher proportion of elderly population, which seems to contradict with our results. One potential reason could be the dependent variables are different, with us focusing on mortality rates and them focusing on transmission rates.<sup>21</sup>

<sup>&</sup>lt;sup>21</sup> On one hand, countries with a higher proportion of elderly population may see a lower level of social contact, and therefore, exhibit a smaller effect of limiting social contact on reducing transmission rates. On the other hand, countries with a higher proportion of elderly population may have a higher mortality rate, and therefore, benefit more from such interventions.

#### V. ii. Demographics and culture

Our study finds supportive evidence for the role of the aging population, urbanization, pre-existing conditions, mortality from high-blood pressure, obesity, diabetes, and trust. The findings are consistent with case studies on the association between social networks and COVID-19 infection. Kuchler, Russel, and Stroebel (2020) find in Facebook data that areas with stronger social ties to two early COVID-19 "hotspots" (Westchester County, NY, in the U.S. and Lodi province in Italy) generally have more confirmed COVID-19 cases, after controlling for geographic distance to the hotspots as well as for the income and population density of the regions. Allcott et al. (2020) find in location data from a large sample of smartphones to show that areas with more Republicans engage in less social distancing (controlling for other factors including state policies, population density, and local COVID cases and deaths, pointing to significant gaps between Republicans and Democrats in beliefs about personal risk and the future path of the pandemic. Fetzer et al. (2020) find that the perception of a weak government and public response is associated with higher levels of worries and depression. Our findings on the association between trust, the stringency index, and mortality from COVID-19 yield consistent messages along this line.

#### V.iii. Geography

We find that the mortality growth rates are associated with the impact of stringency policies interacted with distance from the equator: countries in higher latitude appear to benefit more from stringency policies, as they are associated with lower mortality growth from an equivalent rise in stringency relative to countries which lie closer to the equator. This evidence suggests that geographic location may be a potential COVID-related risk factor such that stringency measures are more effective in higher risk, high latitude countries. The finding is consistent with evidence linking temperatures to the spread of influenza. Slusky and Zeckhauser (2019) find that sunlight strongly protects against influenza, a relationship driven by sunlight in late summer, and early fall (when there are sufficient quantities of both sunlight and influenza activity).

#### V. iv. Government policies

Across countries, our estimates suggest that government policy, institutions, and the intensity of government response to COVID-19 are negatively associated with the mortality per capita. This evidence reflects in the coefficient estimates of stringency index, government effectiveness, democracy, health expenditures, vulnerable employees, capita GNI, and level pollution. These cross-country findings are

consistent with several case studies of COVID-19. Dave et al. (2020) find in the data of U.S. states that approximately three weeks following the adoption of a Shelter-in-Place Orders (SIPO), cumulative COVID-19 cases fell by 44 percent and, in an event-study analysis, that SIPO-induced case reductions grew larger over time, with the early adopters and high population density states appear to reap larger benefits from their SIPOs, though the estimated mortality reduction effects were imprecisely estimated. This finding is consistent with our estimates of the stringency index under the local projection approach.

Our finding in the cross-country data on the importance of the extent of vulnerable employees is largely consistent with the evidence from influenza. Markowitz, Nesson, and Robinson (2019) find in the U.S. data that a one percentage point increase in the employment rate increases the number of influenza-related doctor visits by about 16 percent; these effects are highly pronounced in the retail sector and healthcare sector, the sectors with the highest levels of interpersonal contact. Clay, Lewis, and Sevenini (2018) find evidence on the link between air pollution and influenza infection and suggest that poor air quality was an important cause of mortality during the pandemic.

The empirical issues remain on the endogeneity of mobility and in-bound/out-bound travels to government response in the estimation. For instance, Gupta et al. (2020) find that mobility fell substantially in all the U.S. states, even ones that have not adopted major distancing mandates. They find that there is little evidence, for example, that stay-at-home mandates induced distancing; in contrast, early and information-focused actions have had bigger effects. Their event studies show that first case announcements, emergency declarations, and school closures reduced mobility by 1-5% after 5 days and 7-45% after 20 days. We are in the process of addressing endogenous regressors in our estimation (policy stringency, lagged mortality, and mobility) with more updated data.

#### VI. Future research and closing remarks

We conclude by cautioning that our results are subject to data limitations, including undercounts of COVID-19 infections and mortality. 'Better or worse performance' of a country in the first phase of the pandemic does not guarantee similar future outcomes. Flattening the mortality and infection curves may shift mortality and painful adjustment forwards. Premature opening of the economy without proper testing, contact-tracing, and selective quarantines of vulnerable or impacted segments of the population may induce future acceleration of the pandemic (Acemoglu et al., 2020). More medical research and advances towards better treatment and possible vaccinations, the quality of local and global public policies, and adjustment capabilities of countries will determine future dynamics of the pandemic (Lipsitch et al., 2020).

## References

- Acemoglu Daron, Victor Chernozhukov, Iván Werning, and Michael D. Whinston, 2020, A Multi-Risk SIR Model with Optimally Targeted Lockdownm, NBER Working Paper No. 27102
- Allcott, Hunt, Levi Boxell, Jacob C. Conway, Matthew Gentzkow, Michael Thaler, David Y. Yang, 2020, Polarization and Public Health: Partisan Differences in Social Distancing during the Coronavirus Pandemic, <u>NBER Working Paper No. 26946</u>.
- Ang, Yuen Yuen. "When COVID-19 meets centralized, personalized power." *Nature Human Behaviour* (2020): 4, 1-3. DOI https://doi.org/10.1038/s41562-020-0872-3
- Atkeson, Andrew, 2020, How Deadly Is COVID-19? Understanding The Difficulties With Estimation Of Its Fatality Rate, <u>NBER Working Paper No. 26965</u>.
- Avery, Christopher, William Bossert, Adam Clark, Glenn Ellison, and Sara Fisher Ellison, 2020, Policy Implications of Models of the Spread of Coronavirus: Perspectives and Opportunities for Economists, <u>NBER Working Paper No. 27007</u>.
- Bloomberg, 2020, Did Japan Just Beat the Virus Without Lockdowns or Mass Testing? 2020-05-23.
- Castex, Gonzalo, Evgenia Dechter, and Miguel Lorca, 2020 "COVID-19: Cross-country heterogeneity in effectiveness of non-pharmaceutical interventions." *Covid Economics*, 175.
- Clay, Karen, Lewis, Joshua, and Severnini, Edson, 2018, Pollution, Infectious Disease, and Mortality: Evidence from the 1918 Spanish Influenza Pandemic, Journal of Economic History, 1179-1209.
- Cox, David R., 1972, Regression models and life-tables. Journal of the Royal Statistical Society: Series B (Methodological) 34, no. 2, 187-202.
- Dave, Dhaval M., Andrew I. Friedson, Kyutaro Matsuzawa, Joseph J. Sabia, 2020, When Do Shelter-in-Place Orders Fight COVID-19 Best? Policy Heterogeneity Across States and Adoption Time, <u>NBER Working Paper No. 27091</u>.
- Economist Intelligence Unit, 2019 "Data Publishing Language Country Coordinates," developers.google.com, Google, 2020, <u>https://developers.google.com/public-</u> data/docs/canonical/countries\_csv.
- EIU, "Democracy Index." EIU Democracy Index 2019 World Democracy Report, <u>www.eiu.com/topic/democracy-</u> <u>index?&zid=democracyindex2019&utm\_source=blog&utm\_medium=blog&utm\_name=democr</u> <u>acyindex2019&utm\_term=democracyindex2019&utm\_content=top\_link</u>.
- Freedom House, 2020, "Freedom in the World.", freedomhouse.org/countries/freedom-world/scores.
- Grambsch, Patricia M. and Therneau, Terry M., 1994, Proportional hazards tests and diagnostics based on weighted residuals, *Biometrika*, Volume 81, Issue 3, Pages 515– 526, https://doi.org/10.1093/biomet/81.3.515
- George, Brandon, Seals, Samantha, and Aban, Inmaculada, 2014, Survival analysis and regression models, Journal of Nuclear Cardiology, 21, 4, 686-694.
- Gupta, Sumedha, Thuy D. Nguyen, Felipe Lozano Rojas, Shyam Raman, Byungkyu Lee, Ana Bento, Kosali I. Simon, Coady Wing, 2020, Tracking Public and Private Responses to the COVID-19 Epidemic: Evidence from State and Local Government Actions, <u>NBER Working Paper No. 27027</u>.

- Ferguson, Neil, and Bhatt, Samir, 2020, Estimating the number of infections and the impact of nonpharmaceutical interventions on COVID-19 in 11 European countries, Imperial College London.
- Fetzer, Thiemo R., Marc Witte, Lukas Hensel, Jon Jachimowicz, Johannes Haushofer, Andriy Ivchenko, Stefano Caria, Elena Reutskaja, Christopher P. Roth, Stefano Fiorin, Margarita Gómez, Gordon Kraft-Todd, Friedrich M. Götz, and Erez Yoeli, 2020, Global Behaviors and Perceptions at the Onset of the COVID-19 Pandemic, <u>NBER Working Paper No. 27082</u>.
- Kuchler, Theresa, Dominic Russel, Johannes Stroebel, 2020, The Geographic Spread of COVID-19 Correlates with Structure of Social Networks as Measured by Facebook, <u>NBER Working Paper</u> <u>No. 26990</u>.
- Lipsitch, Marc, David L. Swerdlow, and Lyn Finelli. 2020, Defining the epidemiology of COVID-19 studies needed." *New England Journal of Medicine* 382.13: 1194-1196.
- Jordà, Òscar, 2005, "Estimation and inference of impulse responses by local projections." American economic review 95.1, 161-182.
- Judson, Ruth A., and Ann L. Owen. "Estimating dynamic panel data models: a guide for macroeconomists." Economics letters 65.1 (1999): 9-15.
- Hale, Thomas, Sam Webster, Anna Petherick, Toby Phillips, and Beatriz Kira (2020). Oxford COVID-19 Government Response Tracker, Blavatnik School of Government.

International Monetary Fund, 2020, "Policy Responses to COVID19." <u>www.imf.org/en/Topics/imf-and-COVID19/Policy-Responses-to-COVID-19</u>.

- Liu, Laura, Hyungsik Roger Moon, Frank Schorfheide, 2020, Panel Forecasts of Country-Level Covid-19 Infections, <u>NBER Working Paper No. 27248</u>.
- Manski, Charles F., Francesca Molinari, 2020, Estimating the COVID-19 Infection Rate: Anatomy of an Inference Problem, <u>NBER Working Paper No. 27023</u>.
- Markowitz, Sara, Nesson, Erik, and Robinson, Joshua J.,2019, The effects of employment on influenza rates, <u>Economics & Human Biology</u>, 34, 286-295.
- Mobility, apple.com, Apple, 2020, https://www.apple.com/COVID19/mobility.
- National Material Capabilities (v5.0). Correlatesofwar.org, Correlates of War, 10 Feb. 2017, correlatesofwar.org/data-sets/national-material-capabilities.
- Nickell, Stephen. "Biases in Dynamic Models with Fixed Effects." Econometrica, vol. 49, no. 6, 1981, pp. 1417–1426. JSTOR, <u>www.jstor.org/stable/1911408.</u> Accessed 7 May, 2020.
- Novel Coronavirus COVID-19 (2019-nCoV), github.com, JHU CSSE, 2020, https://github.com/CSSEGISandData/COVID19/blob/master/csse\_COVID\_19\_data/csse\_COVI D\_19\_time\_series/time\_series\_COVID19\_confirmed\_global.csv.
- Our World in Data, 2020, https://ourworldindata.org/coronavirus-testing.
- Sam, Cedric, et al. "Mapping the Coronavirus Outbreak Across the World." Bloomberg.com, Bloomberg. <u>2020, www</u>.bloomberg.com/graphics/2020-coronavirus-cases-world-map/.
- Slusky, David, and Zeckhauser, Richard J., 2019, Sunlight and Protection Against Influenza, <u>NBER</u> <u>Working Paper No. 24340</u>.
- Stojkoski, Viktor, Zoran Utkovski, Petar Jolakoski, Dragan Tevdovski, Ljupco Kocarev, 2020, The socioeconomic determinants of the coronavirus disease (COVID-19) pandemic, <u>arXiv:2004.07947</u> (physics).

- The Economist "The South Is Likely to Have America's Highest Death Rate from COVID-19." 2020, www.economist.com/graphic-detail/2020/04/25/the-south-is-likely-to-have-americas-highestdeath-rate-from-COVID-19.
- The Economist, 2020, "COVID-19 May Be Far More Prevalent than Previously Thought." <u>www.economist.com/graphic-detail/2020/04/01/COVID-19-may-be-far-more-prevalent-than-</u> <u>previously-thought</u>.
- Van Bavel, J.J., Baicker, K., Boggio, P.S., Capraro, V., Cichocka, A., Cikara, M., Crockett, M.J., Crum, A.J., Douglas, K.M., Druckman, J.N. and Drury, J., 2020. Using social and behavioural science to support COVID-19 pandemic response. *Nature Human Behaviour*, 4, 1-12. https://doi.org/10.1038/s41562-020-0884-z
- Verity R., LC Okell, I Dorigatti et al. (2020) Estimates of the severity of coronavirus disease 2019: a model-based analysis. Lancet Infectious Diseases, 30-03-2020; published online. <u>https://doi.org/10.1016/S1473-3099(20)30243-7</u>
- World Health Organization, 2019, International Classification of Diseases (v10.0), icd.who.int/browse10/2019/en.
- World Bank, 2020, World Development Indicators, data.worldbank.org/indicator.





LHS (1.1): Cumulative logged mortality rate. RHS (1.2): New Mortality Rate. 7-day rolling averages. Series starts from the 5th COVID-assigned death.

#### Figure 1.3 Sample Countries and New Mortality Curves, 1/23/20-4/28/20



*Note*: 7-Day rolling average new mortality rate by country. Y-axis normalized to have all countries fit the same scale. Period: January 23 – April 28, 2020. Special case countries we omit from the above plots: China (a discrete large spike in mortality in mid-April to account for past reporting delays and omissions), Singapore (highly fluctuating case curves associated to immigrant workers), and Vietnam (a flat line).



Figure 2. Daily New COVID-19 Global Mortalities

Sum of daily deaths across all countries in the sample.



Figure 3. Peak-related dependent variables in country case of Czechia.

Figure 4. Daily new mortality curves of selected countries.



Figure 5. The mortality rate is negatively associated with the intensity of government response.



Note: Pooled estimates from local projections are represented as gray circles. Error bars reflect 95% confidence intervals based on HAC-robust standard errors clustered by country.



Figure 6. Mortality impacts: government response, demographics, geography, and development level.

Note: Red squares (blue circles) represent the local projection impact from a 10-unit higher stringency index on mortality growth for countries in the 75<sup>th</sup> percentile (25<sup>th</sup> percentile) of the country characteristic.



Figure 7. Time-to-peak duration analysis of mortality rates.

Note: Y-axis indicates the probability the peak mortality/case is 'yet to come'. The higher y-axis implies a lower probability of peaking. X-axis reflects the number of days since the first mortality/case was realized. Shaded areas represent 95% confidence intervals.

	Dependent variable:					
_	W	eekly Avg. New Mo	ortality Growth (t)			
	(1)	(2)	(3)	(4)		
Mortality Growth (t-7)	-0.231912**					
	(0.118266)					
Stringency (t-14)	-0.014503**					
	(0.005969)					
Mortality Growth (t-14)		0.059320				
		(0.052171)				
Stringency (t-21)		-0.011083***				
		(0.003114)				
Mortality Growth (t-21)			-0.023316			
			(0.036828)			
Stringency (t-28)			-0.008394***			
			(0.003006)			
Mortality Growth (t-28)				-0.005955		
				(0.041082)		
Stringency (t-35)				0.003806		
				(0.003734)		
Fixed effects?	Y	Y	Y	Y		
Observations	1,704	1,336	980	633		
$\mathbb{R}^2$	0.117241	0.053016	0.025039	0.003374		
F Statistic	103.924900***	33.786410***	11.030410***	0.885376		

Table 1. Mortality Projection - Average Impact

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

		Dependent variable:	
-	Log(Peak New Mortality Rate)	Log(Peak New Mortality Rate)-to-PD Ratio	Probability of Mortality Peaking Later than Time (t)
	OLS	OLS	Cox prop. hazards
	(1)	(2)	(3)
Intercept	-17.751***	-3.487***	
	(5.398)	(1.316)	
Log(Peak Mortality)			-0.397**
			(0.182)
Log(Early Mortality)	0.231	-0.133**	1.285***
	(0.208)	(0.067)	(0.260)
Early Mortality Growth	0.428***	0.123*	-0.214
2 2	(0.143)	(0.070)	(0.228)
Early SI	-0.120*	-0.009	0.064
2	(0.073)	(0.012)	(0.073)
Days between First SI and First Death	0.016	0.001	-0.014
,	(0.015)	(0.003)	(0.016)
Stringency Delta	0.150	0.070	-0.033
Sumgeney 2 ona	(0.160)	(0.054)	(0.223)
Early Mobility	0.017**	0.001	-0.013*
	(0.007)	(0.001)	(0.008)
Prop 65+	0.036	0.002	0.093**
100.001	(0.045)	(0.002)	(0.045)
Prop. Urban	0.003	0.002	0.006
Tiop. Croan	(0.014)	(0.002)	(0.015)
Pop Donsity	0.0001	0.0000/*	0.0003
rop. Density	(0.0001)	(0.00004)	(0.0002)
Viela angle 1 a France	0.014	0.002	0.075***
vunerable Emp.	-0.014	-0.005	(0.075)
	(0.017)	0.000	0.77
Log(GNI)	(0.200)	0.089	0.677
	(0.299)	(0.064)	(0.485)
EIU Democracy	-0.011	-0.013	-0.320
	(0.123)	(0.026)	(0.186)
Latitude:Longitude	-0.0001	0.00001	-0.0004***
	(0.0001)	(0.00001)	(0.0001)
Observations	49	49	49
R <sup>2</sup>	0.763	0.496	0.760
Adjusted R <sup>2</sup>	0.674	0.309	
Log Likelihood			-109.591
Residual Std. Error	1.018	0.254	
F Statistic	8.647***	2.653**	40.020***
wald lest			48.030 60.040***
PH Test n-value			0.055
P value			0.000

## Table 2. Explaining Cross-Country Differences in the Empirical Shape of Mortality Rate Curve from the Onset to the Local Peak of the First Pandemic Phase.

Note:

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

PH Test refers to testing the proportional hazards assumption (Grambsch and Therneau (1994)).

Null hypothesis is the assumption is not violated.

Standard errors in linear models are Heteroscedastic-Robust standard errors.

#### Table 3. Correlations of mortality rates, government responses, and country characteristics.

#### a. Correlation Matrix of Key Variables



#### b. Correlation Matrix of COVID-19 Pandemic Policy Intervention Data



Note: We consider pandemic policy interventions, which refer to containment and closure policies, as well as public information campaign in the Oxford\nCOVID-19 Government Response Tracker (OxCGRT). The Stringency Index is a weighted average of the scores of these pandemic policy interventions.

	Ν	Minimum	Maximum	Mean	Median	S.D.	25 <sup>th</sup> Percentile	75 <sup>th</sup> Percentile
PD to Peak Mortality	58	3	85	33.983	33.500	15.550	26	40
Early Mortality $(10^{-7})$	58	0.022	67.944	8.055	2.865	13.840	0.863	8.204
Early Mortality Growth	58	0	3.611	1.369	1.386	0.990	0.693	1.946
Peak New Mortality $(10^{-7})$	58	0.368	287.696	32.445	8.339	55.498	2.032	29.007
Logged Peak Mortality-to-PD	58	-5.492	-0.187	-0.655	-0.417	0.907	-0.514	-0.322
Early SI	55	0	27.450	7.773	6.309	5.891	3.633	10.192
Days from First SI to First Death	ı 55	-8	79	32.855	32	22.047	15.500	51
Stringency Delta	55	0.479	5.930	1.713	1.301	1.181	0.969	1.796
Early Mobility	51	26.130	149.684	92.657	96.114	31.365	65.111	111.594
Prop. 65	58	1.085	27.576	14.004	15.212	6.442	8.479	19.410
Prop. Urban	58	34.030	100	76.513	80.238	15.141	67.027	87.216
Pop. Density	58	3.249	7,952.998	295.055	107.557	1,047.129	32.179	213.004
Vulnerable Employment	58	0.144	74.270	16.513	10.662	15.229	7.396	21.522
Health Expenditure	58	69.293	10,246.140	2,615.687	1,589.132	2,453.654	666.110	4,336.231
Log(GNI)	58	7.611	11.343	9.965	10.147	0.969	9.256	10.753
Pollution	58	5.861	91.187	22.256	16.030	21.446	10.392	21.295
Latitude	58	-40.901	64.963	31.292	38.027	27.425	23.477	51
Longitude	58	-106.347	174.886	24.668	19.324	61.076	2.778	46.881
Democracy	58	1.930	9.870	7.088	7.510	1.991	6.605	8.262

c. Country Characteristics: Summary

## Online Appendix: Accounting for global COVID-19 diffusion patterns, January-April 2020

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#### Table A1.0. Variable Definitions and Sources

Variable	Definition	Source
New Mortality Rate	7-day rolling average of daily new mortality rate out ot the total population	Authors' calculation based on JHU COVID-19 Data
Early Mortality	Cumulative mortality rate in the week following the first death	Authors' calculation based on JHU COVID-19 Data
Early Mortality Growth	Growth rate of new mortality rate in the week following the first death	Authors' calculation based on JHU COVID-19 Data
Peak New Mortality	New mortality rate at the peak of new mortality rate in the first quasi-bell curve	Authors' calculation based on JHU COVID-19 Data
PD to Peak Mortality	Day-to-peak of new mortality rate in the first quasi-bell curve	Authors' calculation based on JHU COVID-19 Data
Logged Peak Mortality-to- PD	The ratio of the logged peak new mortality rate to the PD to peak mortality	Authors' calculation based on JHU COVID-19 Data
Early SI	Average of SI from its first non-zero value to the first death	Authors' calculation based on OxCGRT Data
Days from First SI to First Death	Number of days from first non-zero SI to the first death	Authors' calculation based on OxCGRT Data
Stringency Delta	Growth rate of SI from its first non-zero value to its maximum level	Authors' calculation based on OxCGRT Data
Early Mobility	Weekly average level of mobility in terms of walking in the week prior to the first death, reported by Apple	Authors' calculation based on Apple COVID-19 Mobility Trends Reports
Prop. 65+	Elderly population (people aged 65 and over) as a percentage of the total population	World Development Indicators
Prop. Urban	Urban population as a percentage of the total population	World Development Indicators
Pop. Density	Midyear population divided by land area in square kilometers	World Development Indicators
Vulnerable Employment	Employment in vulnerable sectors (i.e., family workers and own-account workers) as a percentage of the total employment	World Development Indicators
Health Expenditure	Level of current health expenditure (including healthcare goods and services) as a percentage of GDP	World Development Indicators
Log(GNI)	The logged gross national income per capita	World Development Indicators
Pollution	Population-weighted exposure to ambient PM2.5 pollution	World Development Indicators
Tourist Arrivals	International inbound tourists to the country	World Development Indicators
Tourist Departures	International outbound tourists from the country	World Development Indicators
Latitude	Latitude coordinate of the country	Country-level coordinates from Google
Longitude	Longitude coordinate of the country	Country-level coordinates from Google
Democracy	The Democracy index calculated by The Economist Intelligence Unit	The EIU Democracy Index 2019 Database

## Supplemental Results of Baseline Panel Analysis on New Mortality Growth Rate

		Dependen	t variable:	
		Weekly New Mort	tality Growth Rate	
	(1)	(2)	(3)	(4)
New Mortality Growth (t-7)	-0.261511**			
	(0.121918)			
Stringency (t-14)	-0.000745			
	(0.004765)			
Stringency (t-14) X Proportion 65+	-0.001028***			
	(0.000303)			
New Mortality Growth (t-14)		0.040736		
•		(0.048724)		
Stringency (t-21)		-0.003301		
		(0.003939)		
Stringency (t-21) X Proportion 65+		-0.000570***		
		(0.000220)		
New Mortality Growth (t-21)			-0.029495	
			(0.042448)	
Stringency (t-28)			-0.005481*	
Sumgeney (t 20)			(0.003018)	
Stringency (t-28) X Proportion 65+			-0.000203	
Sumpency (t 20) At reportion 05 t			(0.000272)	
Now Mortality Growth († 28)			(0.0002/2)	0.015473
New Moltanty Glowin (t-28)				(0.043583)
Stringonov († 25)				0.000380
Sumgency (t-55)				(0.009380)
Stringenery († 25) V Duenentier (5)				0.000220
Stringency (t-55) X Proportion 65+				-0.000338
				(0.000432)
Fixed effects?	Y	Y	Y	Y
Observations	1,704	1,336	980	633
$\mathbb{R}^2$	0.150457	0.064602	0.026340	0.005453
F Statistic	92.330240***	27.763570***	7.737080***	0.953975

Table A1.1. Mortality Projection - Proportion of Age above 65 Population

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

	Dependent variable:					
-		Weekly New Mortal	ity Growth Rate			
	(1)	(2)	(3)	(4)		
New Mortality Growth (t-7)	-0.236219**					
	(0.119189)					
Stringency (t-14)	-0.006118					
	(0.007232)					
Stringency (t-14) X Proportion Urban	-0.000118					
	(0.000088)					
New Mortality Growth (t-14)		0.054976				
		(0.051941)				
Stringency (t-21)		-0.003739				
		(0.006496)				
Stringency (t-21) X Proportion Urban		-0.000104				
		(0.000082)				
New Mortality Growth (t-21)			-0.023535			
			(0.037377)			
Stringency (t-28)			-0.007939*			
			(0.004088)			
Stringency (t-28) X Proportion Urban			-0.000006			
			(0.000057)			
New Mortality Growth (t-28)				-0.006323		
				(0.041461)		
Stringency (t-35)				0.004777		
				(0.008539)		
Stringency (t-35) X Proportion Urban				-0.000013		
				(0.000089)		
Fixed effects?	Y	Y	Y	Y		
Observations	1,704	1,336	980	633		
R <sup>2</sup>	0.120837	0.056109	0.025050	0.003403		
F Statistic	71.655010***	23.896850***	7.348300***	0.594178		

Table A1.2. Mortality Projection – Proportion of Urban Population.

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

	Dependent variable:				
-		Weekly New Morta	lity Growth Rate		
	(1)	(2)	(3)	(4)	
New Mortality Growth (t-7)	-0.246198**				
	(0.118344)				
Stringency (t-14)	-0.009319*				
	(0.005551)				
Stringency (t-14) X Latitude	-0.000148*** (0.000043)				
New Mortality Growth (t-14)		0.053647			
		(0.052712)			
Stringency (t-21)		-0.009554**			
		(0.003773)			
Stringency (t-21) X Latitude		-0.000042			
		(0.000046)			
New Mortality Growth (t-21)			-0.036790		
			(0.041330)		
Stringency (t-28)			-0.004511*		
			(0.002604)		
Stringency (t-28) X Latitude			-0.000105***		
			(0.000038)		
New Mortality Growth (t-28)				-0.018244	
				(0.043100)	
Stringency (t-35)				0.007855	
				(0.004937)	
Stringency (t-35) X Latitude				-0.000101	
				(0.000079)	
Fixed effects?	Y	Y	Y	Y	
Observations	1,704	1,336	980	633	
$\mathbb{R}^2$	0.129371	0.054092	0.030796	0.006625	
F Statistic	77.467780***	$22.988500^{***}$	9.087527***	1.160423	

## Table A1.3. Mortality Projection – Latitude.

Note:

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

	Dependent variable:					
-		Weekly New Morta	lity Growth Rate			
	(1)	(2)	(3)	(4)		
New Mortality Growth (t-7)	-0.231688* (0.118265)					
Stringency (t-14)	-0.014507** (0.006002)					
Stringency (t-14) X Longitude	0.000009 (0.000032)					
New Mortality Growth (t-14)		0.059887 (0.054177)				
Stringency (t-21)		-0.010953*** (0.003307)				
Stringency (t-21) X Longitude		0.000040 (0.000031)				
New Mortality Growth (t-21)			-0.022741 (0.036893)			
Stringency (t-28)			-0.008332*** (0.003102)			
Stringency (t-28) X Longitude			0.000014 (0.000033)			
New Mortality Growth (t-28)				-0.000573 (0.043903)		
Stringency (t-35)				0.003713 (0.003585)		
Stringency (t-35) X Longitude				0.000055* (0.000030)		
Fixed effects?	Y	Y	Y	Y		
Observations	1,704	1,336	980	633		
$\mathbb{R}^2$	0.117473	0.058134	0.025541	0.007858		
F Statistic	69.394320***	24.812490***	7.496293***	1.378190		

Table A1.4. Mortality Projection – Longitude.

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

		Dependent v	variable:	
-		Weekly New Mortal	ity Growth Rate	
	(1)	(2)	(3)	(4)
New Mortality Growth (t-7)	-0.231754*			
	(0.118832)			
Stringency (t-14)	-0.014459**			
	(0.006120)			
Stringency (t-14) X Population Density	-0.0000002			
	(0.000001)			
New Mortality Growth (t-14)		0.059289		
		(0.052100)		
Stringency (t-21)		-0.011071***		
		(0.003273)		
Stringency (t-21) X Population Density		-0.0000001		
		(0.000004)		
New Mortality Growth (t-21)			-0.024046	
			(0.039558)	
Stringency (t-28)			-0.008202**	
			(0.003314)	
Stringency (t-28) X Population Density			-0.000001	
			(0.000012)	
New Mortality Growth (t-28)				-0.008760
				(0.039992)
Stringency (t-35)				0.004394
				(0.004921)
Stringency (t-35) X Population Density				-0.000003
				(0.000010)
Fixed effects?	Y	Y	Y	Y
Observations	1,704	1,336	980	633
R <sup>2</sup>	0.117253	0.053016	0.025076	0.003531
F Statistic	69.247660***	22.505740***	7.356068***	0.616531

Table A1.5. Mortality Projection – Population Density.

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

	Dependent variable:				
-		Weekly New Mortal	ity Growth Rate		
	(1)	(2)	(3)	(4)	
New Mortality Growth (t-7)	-0.263589**				
	(0.124604)				
Stringency (t-14)	$0.079898^{**}$				
	(0.031679)				
Stringency (t-14) X Log(Arrivals)	$-0.005681^{***}$				
Now Mortality Growth (t 14)	(0.002100)	0.041271			
New Moltanty Olowin (1-14)		(0.041271)			
Stringency (t 21)		0.038956**			
Sumgency (t-21)		(0.038930)			
Stringency (t-21) X Log(Arrivals)		-0.003006***			
Sumgency (1-21) A Log(Anivais)		(0.001097)			
New Mortality Growth (t-21)		(,	-0.036370		
			(0.042291)		
Stringency (t-28)			0.035451		
			(0.031132)		
Stringency (t-28) X Log(Arrivals)			-0.002627		
			(0.001925)		
New Mortality Growth (t-28)				-0.028886	
				(0.046779)	
Stringency (t-35)				0.080781	
				(0.051125)	
Stringency (t-35) X Log(Arrivals)				-0.004594	
				(0.002868)	
Fixed effects?	Y	Y	Y	Y	
Observations	1,704	1,336	980	633	
<b>R</b> <sup>2</sup>	0.147066	0.062341	0.031470	0.017067	
F Statistic	89.890560***	26.727330***	$9.292778^{***}$	3.021141**	

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

	Dependent variable:					
-		Weekly New Morta	lity Growth Rate			
	(1)	(2)	(3)	(4)		
New Mortality Growth (t-7)	-0.231778					
	(0.144257)					
Stringency (t-14)	0.054784					
	(0.035236)					
Stringency (t-14) X Log(Departures)	-0.004288*					
	(0.002356)					
New Mortality Growth (t-14)		0.060583				
		(0.051637)				
Stringency (t-21)		0.026756				
		(0.023222)				
Stringency (t-21) X Log(Departures)		-0.002408*				
		(0.001411)				
New Mortality Growth (t-21)			-0.035649			
			(0.042712)			
Stringency (t-28)			$0.047318^{*}$			
			(0.027988)			
Stringency (t-28) X Log(Departures)			$-0.003410^{*}$			
			(0.001761)			
New Mortality Growth (t-28)				-0.026784		
				(0.040929)		
Stringency (t-35)				0.113854**		
				(0.055900)		
Stringency (t-35) X Log(Departures)				-0.006691**		
				(0.003203)		
Fixed effects?	Y	Y	Y	Y		
Observations	1,514	1,202	893	583		
R <sup>2</sup>	0.134003	0.072635	0.034779	0.024029		
F Statistic	71.282650***	$28.170470^{***}$	9.332314***	3.906484***		

Tabla	A 1 7	Mortality	Drojection	Troval D	oporturas
I able	A1./.	wonanty	riojection -		epartures.

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

Note:

		Dependent v	variable:	
-		Weekly New Mor	rtality Growth	
	(1)	(2)	(3)	(4)
New Mortality Growth (t-7)	-0.234258**			
	(0.117743)			
Stringency (t-14)	-0.015837**			
	(0.006286)			
Stringency (t-14) X Vulnerable Employees	0.000070			
	(0.000099)			
New Mortality Growth (t-14)		0.054748		
		(0.051335)		
Stringency (t-21)		-0.012609***		
		(0.003519)		
Stringency (t-21) X Vulnerable Employees		0.000080		
		(0.000074)		
New Mortality Growth (t-21)			-0.027050	
			(0.039010)	
Stringency (t-28)			-0.009775**	
			(0.003842)	
Stringency (t-28) X Vulnerable Employees			0.000073	
			(0.000078)	
New Mortality Growth (t-28)				-0.011169
				(0.041045)
Stringency (t-35)				0.001574
				(0.003695)
Stringency (t-35) X Vulnerable Employees				0.000139
				(0.000099)
Fixed effects?	Y	Y	Y	Y
Observations	1,704	1,336	980	633
R <sup>2</sup>	0.118373	0.054715	0.026329	0.005970
F Statistic	69.997600***	23.268420***	7.733820***	1.044999

## Table A1.8. Mortality Projection – Vulnerable Employees.

Note:

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

		Dependent v	variable:	
-		Weekly New Mor	rtality Growth	
	(1)	(2)	(3)	(4)
New Mortality Growth (t-7)	-0.242076**			
	(0.119478)			
Stringency (t-14)	0.017041			
	(0.011580)			
Stringency (t-14) X Log(GNI per capita)	-0.003216**			
	(0.001298)			
New Mortality Growth (t-14)		0.050261		
		(0.050354)		
Stringency (t-21)		0.012260		
		(0.012375)		
Stringency (t-21) X Log(GNI per capita)		-0.002377*		
		(0.001250)		
New Mortality Growth (t-21)			-0.026257	
			(0.039385)	
Stringency (t-28)			0.001174	
			(0.008215)	
Stringency (t-28) X Log(GNI per capita)			-0.000970	
			(0.000998)	
New Mortality Growth (t-28)				-0.009403
				(0.041592)
Stringency (t-35)				0.016801
				(0.018615)
Stringency (t-35) X Log(GNI per capita)				-0.001279
				(0.001635)
Fixed effects?	Y	Y	Y	Y
Observations	1,704	1,336	980	633
R <sup>2</sup>	0.129493	0.060706	0.026220	0.004594
F Statistic	77.551230***	25.981200***	7.700693***	0.802989

Table A1.9. Mortality Projection – Income Level.

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

	Dependent variable:				
-		Weekly New M	ortality Growth		
	(1)	(2)	(3)	(4)	
New Mortality Growth (t-7)	-0.237573**				
	(0.120195)				
Stringency (t-14)	-0.010912**				
	(0.005384)				
Stringency (t-14) X Health Expenditures	-0.000001***				
	(0.000001)				
New Mortality Growth (t-14)		0.056802			
		(0.052433)			
Stringency (t-21)		-0.007974***			
		(0.002921)			
Stringency (t-21) X Health Expenditures		-0.000001**			
		(0.000001)			
New Mortality Growth (t-21)			-0.023449		
			(0.038346)		
Stringency (t-28)			-0.006223***		
			(0.002380)		
Stringency (t-28) X Health Expenditures			-0.000001		
			(0.0000005)		
New Mortality Growth (t-28)				-0.005785	
				(0.039591)	
Stringency (t-35)				0.005761	
				(0.004756)	
Stringency (t-35) X Health Expenditures				-0.000001	
				(0.000005)	
Fixed effects?	Y	Y	Y	Y	
Observations	1,704	1,336	980	633	
R <sup>2</sup>	0.131083	0.063997	0.029219	0.004849	
F Statistic	78.647570***	27.485730***	8.608131***	0.847922	

## Table A1.10. Mortality Projection – Health Expenditures.

Note:

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

	Dependent variable:				
-		Weekly New Mo	rtality Growth		
	(1)	(2)	(3)	(4)	
New Mortality Growth (t-7)	-0.237309**				
	(0.117813)				
Stringency (t-14)	-0.018075***				
	(0.006254)				
Stringency (t-14) X Pollution	0.000134***				
	(0.000029)				
New Mortality Growth (t-14)		0.054267			
		(0.050796)			
Stringency (t-21)		-0.013989***			
		(0.003481)			
Stringency (t-21) X Pollution		$0.000110^{**}$			
		(0.000049)			
New Mortality Growth (t-21)			-0.024210		
			(0.037703)		
Stringency (t-28)			-0.009278***		
			(0.003563)		
Stringency (t-28) X Pollution			0.000034		
			(0.000032)		
New Mortality Growth (t-28)				-0.006080	
				(0.041129)	
Stringency (t-35)				0.003341	
				(0.003683)	
Stringency (t-35) X Pollution				0.000022	
				(0.000042)	
Fixed effects?	Y	Y	Y	Y	
Observations	1,704	1,336	980	633	
$\mathbb{R}^2$	0.127752	0.061051	0.025746	0.003526	
F Statistic	76.355910***	26.138350***	7.557832***	0.615741	

Table A1.11. Mortality Projection – Pollution.

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

		Dependent v	variable:	
-		Weekly New Mor	rtality Growth	
	(1)	(2)	(3)	(4)
New Mortality Growth (t-7)	-0.235646**			
	(0.116939)			
Stringency (t-14)	-0.002949			
	(0.007507)			
Stringency (t-14) X EIU Democracy	-0.001693**			
	(0.000706)			
New Mortality Growth (t-14)		0.056518		
		(0.051092)		
Stringency (t-21)		0.000692		
		(0.004095)		
Stringency (t-21) X EIU Democracy		-0.001699**		
		(0.000672)		
New Mortality Growth (t-21)			-0.024135	
			(0.038203)	
Stringency (t-28)			-0.004520	
			(0.002899)	
Stringency (t-28) X EIU Democracy			-0.000545	
			(0.000575)	
New Mortality Growth (t-28)				-0.005643
				(0.041240)
Stringency (t-35)				0.002610
				(0.006496)
Stringency (t-35) X EIU Democracy				0.000158
				(0.000712)
Fixed effects?	Y	Y	Y	Y
Observations	1,704	1,336	980	633
R <sup>2</sup>	0.126636	0.063481	0.025955	0.003415
F Statistic	75.592020***	27.249300***	$7.620978^{***}$	0.596332

Table A1.12. Mortality Projection – Level of Democracy.

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

## Robustness Results of Panel Analysis on Cumulative Mortality Growth Rate



Figure A1.1. The cumulative mortality growth rate is negatively associated with the intensity of government response.

Note: Results of panel analysis on cumulative mortality growth rates. Pooled estimates from local projections are represented as gray circles. Error bars reflect 95% confidence intervals based on HAC-robust standard errors clustered by country.



Figure A1.2. Cumulative mortality growth impacts: government response, demographics, geography, and development level.

Note: Results of panel analysis on cumulative mortality growth rates. Red squares (blue circles) represent the local projection impact from a 10-unit higher stringency index on mortality growth for countries in the 75<sup>th</sup> percentile (25<sup>th</sup> percentile) of the country characteristic.

		Dependent	t variable:	
-		Cumulative Mor	tality Growth (t)	
	(1)	(2)	(3)	(4)
Cum. Mortality Growth (t-7)	0.126633** (0.058530)			
Stringency (t-14)	-0.006644*** (0.001836)			
Cum. Mortality Growth (t-14)		0.030123 (0.036850)		
Stringency (t-21)		-0.006585*** (0.001882)		
Cum. Mortality Growth (t-21)			-0.041826 (0.026808)	
Stringency (t-28)			-0.005879*** (0.001692)	
Cum. Mortality Growth (t-28)				-0.082550*** (0.029807)
Stringency (t-35)				-0.004452*** (0.001364)
Fixed effects?	Y	Y	Y	Y
Observations	1,838	1,468	1,092	737
$\mathbb{R}^2$	0.104179	0.132770	0.151420	0.123750
F Statistic	98.791960***	102.268700***	86.453730***	44.203970***
Note:	*,**,*** correspo	ond to 10%, 5% and	1% significance, r	espectively.

## Table A2.0. Mortality Projection – Average Impact.

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively. HAC robust standard errors, clustered by country. Time and Country FEs.

		Dependent	variable:	
-		Cum. Mortality	Growth Rate	
	(1)	(2)	(3)	(4)
Cum. Mortality Growth (t-7)	0.075232			
	(0.052933)			
Stringency (t-14)	0.002952			
	(0.002433)			
Stringency (t-14) X Proportion 65+	-0.000741***			
	(0.000147)			
Cum. Mortality Growth (t-14)		-0.002603		
		(0.034343)		
Stringency (t-21)		-0.000323		
		(0.001853)		
Stringency (t-21) X Proportion 65+		-0.000476***		
		(0.000106)		
Cum. Mortality Growth (t-21)			-0.059215**	
			(0.026212)	
Stringency (t-28)			-0.002296	
			(0.001457)	
Stringency (t-28) X Proportion 65+			-0.000262**	
			(0.000120)	
Cum. Mortality Growth (t-28)				-0.084322**
				(0.035553)
Stringency (t-35)				-0.003998*
				(0.002198)
Stringency (t-35) X Proportion 65+				-0.000029
				(0.000148)
Fixed effects?	Y	Y	Y	Y
Observations	1,838	1,468	1,092	737
R <sup>2</sup>	0.183163	0.197537	0.178810	0.124033
F Statistic	126.916600***	109.542500***	70.258980***	$29.498940^{***}$

## Table A2.1. Mortality Projection - Proportion of Age above 65 Population

Note:

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

	Dependent variable:			
-		Cum. Mortalit	y Growth Rate	
	(1)	(2)	(3)	(4)
Cum. Mortality Growth (t-7)	0.103173* (0.056754)			
Stringency (t-14)	0.003729 (0.004706)			
Stringency (t-14) X Proportion Urban	-0.000150** (0.000059)			
Cum. Mortality Growth (t-14)		0.014070 (0.037639)		
Stringency (t-21)		0.000371 (0.003759)		
Stringency (t-21) X Proportion Urban		-0.000100** (0.000048)		
Cum. Mortality Growth (t-21)			-0.047184* (0.026737)	
Stringency (t-28)			-0.003409 (0.002788)	
Stringency (t-28) X Proportion Urban			-0.000035 (0.000041)	
Cum. Mortality Growth (t-28)				-0.083614** (0.033956)
Stringency (t-35)				-0.003924 (0.003092)
Stringency (t-35) X Proportion Urban				-0.000007 (0.000047)
Fixed effects?	Y	Y	Y	Y
Observations	1,838	1,468	1,092	737
R <sup>2</sup>	0.130300	0.155460	0.155396	0.123904
F Statistic	84.798780***	81.914130***	59.366550***	29.464150***

Table A2.2. Mortality Projection – Proportion of Urban Population.

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

	Dependent variable:			
-		Cum. Mortality	Growth Rate	
	(1)	(2)	(3)	(4)
Cum. Mortality Growth (t-7)	0.091215 (0.057141)			
Stringency (t-14)	-0.001517 (0.002388)			
Stringency (t-14) X Latitude	-0.000150*** (0.000040)			
Cum. Mortality Growth (t-14)		0.015918 (0.036961)		
Stringency (t-21)		-0.004441** (0.002217)		
Stringency (t-21) X Latitude		-0.000062* (0.000032)		
Cum. Mortality Growth (t-21)			-0.050375* (0.027041)	
Stringency (t-28)			-0.004255*** (0.001608)	
Stringency (t-28) X Latitude			-0.000045** (0.000020)	
Cum. Mortality Growth (t-28)				-0.085421*** (0.033133)
Stringency (t-35)				-0.003774*** (0.001434)
Stringency (t-35) X Latitude				-0.000018 (0.000030)
Fixed effects?	Y	Y	Y	Y
Observations	1,838	1,468	1,092	737
$\mathbb{R}^2$	0.154164	0.149144	0.163187	0.125262
F Statistic	103.160300***	78.002870***	62.923420***	29.833310***

Table A2.3. Mortality Projection – Latitude.

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

	Dependent variable:			
-		Cum. Mortalit	y Growth Rate	
	(1)	(2)	(3)	(4)
Cum. Mortality Growth (t-7)	0.107097* (0.056050)			
Stringency (t-14)	-0.006999 <sup>***</sup> (0.002008)			
Stringency (t-14) X Longitude	0.000044 <sup>**</sup> (0.000019)			
Cum. Mortality Growth (t-14)		0.015748 (0.038032)		
Stringency (t-21)		-0.006766*** (0.002038)		
Stringency (t-21) X Longitude		0.000037** (0.000018)		
Cum. Mortality Growth (t-21)			-0.045166* (0.026575)	
Stringency (t-28)			-0.005919*** (0.001736)	
Stringency (t-28) X Longitude			0.000011 (0.000015)	
Cum. Mortality Growth (t-28)				-0.086320*** (0.032725)
Stringency (t-35)				-0.004601*** (0.001479)
Stringency (t-35) X Longitude				0.000015 (0.000020)
Fixed effects?	Y	Y	Y	Y
Observations	1,838	1,468	1,092	737
$\mathbb{R}^2$	0.131542	0.170127	0.155553	0.130370
F Statistic	85.729790***	91.226900***	59.437240***	31.232150***

Table A2.4. Mortality Projection – Longitude.

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

		Dependen	t variable:	
-		Cum. Mortalit	y Growth Rate	
	(1)	(2)	(3)	(4)
Cum. Mortality Growth (t-7)	0.126328**			
	(0.058592)			
Stringency (t-14)	-0.006724***			
	(0.001857)			
Stringency (t-14) X Population Density	0.0000004			
	(0.000001)			
Cum. Mortality Growth (t-14)		0.030691		
		(0.036516)		
Stringency (t-21)		-0.007053***		
		(0.002024)		
Stringency (t-21) X Population Density		0.000003		
		(0.000004)		
Cum. Mortality Growth (t-21)			-0.041399	
			(0.026243)	
Stringency (t-28)			-0.006096***	
			(0.001894)	
Stringency (t-28) X Population Density			0.000001	
			(0.000003)	
Cum. Mortality Growth (t-28)				-0.080699***
				(0.028253)
Stringency (t-35)				-0.005161***
				(0.001833)
Stringency (t-35) X Population Density				0.000004
				(0.000005)
Fixed effects?	Y	Y	Y	Y
Observations	1,838	1,468	1,092	737
R <sup>2</sup>	0.104353	0.135275	0.151898	0.126755
F Statistic	65.945510***	69.614570***	57.790700***	30.240540***

Table A2.5. Mortality Projection – Population Density.

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

	Dependent variable:			
-		Cum. Mortality	Growth Rate	
	(1)	(2)	(3)	(4)
Cum. Mortality Growth (t-7)	$0.104480^{*}$			
	(0.055939)			
Stringency (t-14)	0.044519***			
	(0.014335)			
Stringency (t-14) X Log(Arrivals)	-0.003076***			
	(0.000855)			
Cum. Mortality Growth (t-14)		0.011777		
		(0.032059)		
Stringency (t-21)		$0.044774^{***}$		
		(0.011129)		
Stringency (t-21) X Log(Arrivals)		-0.003087***		
		(0.000691)		
Cum. Mortality Growth (t-21)			-0.052692**	
			(0.022080)	
Stringency (t-28)			0.032350***	
			(0.011842)	
Stringency (t-28) X Log(Arrivals)			-0.002296***	
			(0.000759)	
Cum. Mortality Growth (t-28)				-0.092806***
				(0.030015)
Stringency (t-35)				0.029739**
				(0.012662)
Stringency (t-35) X Log(Arrivals)				-0.002048**
				(0.000803)
Fixed effects?	Y	Y	Y	Y
Observations	1,838	1,468	1,092	737
R <sup>2</sup>	0.143237	0.210514	0.210993	0.168633
F Statistic	94.626010***	118.657500***	86.286100***	42.257950***

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

		Dependent	variable:	
-		Cum. Mortality	Growth Rate	
	(1)	(2)	(3)	(4)
Cum. Mortality Growth (t-7)	0.119221**			
	(0.056501)			
Stringency (t-14)	0.034250**			
	(0.016669)			
Stringency (t-14) X Log(Departures)	-0.002578*** (0.000990)			
Cum. Mortality Growth (t-14)		0.012672		
•		(0.030975)		
Stringency (t-21)		0.026553*		
		(0.014353)		
Stringency (t-21) X Log(Departures)		-0.002158**		
		(0.000895)		
Cum. Mortality Growth (t-21)			-0.081513***	
			(0.030486)	
Stringency (t-28)			0.028357***	
			(0.010418)	
Stringency (t-28) X Log(Departures)			-0.002189***	
			(0.000678)	
Cum. Mortality Growth (t-28)				-0.092880**
				(0.044006)
Stringency (t-35)				0.036899***
				(0.010839)
Stringency (t-35) X Log(Departures)				-0.002535***
				(0.000719)
Fixed effects?	Y	Y	Y	Y
Observations	1,604	1,291	968	650
<b>R</b> <sup>2</sup>	0.194975	0.315715	0.369098	0.245081
F Statistic	118.838300***	179.322800***	165.759000***	58.652730***

Table A2.7. Mortality Projection – Travel Departures.

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

		Dependen	t variable:	
-		Cum. Mortalit	y Growth Rate	
	(1)	(2)	(3)	(4)
Cum. Mortality Growth (t-7)	0.105264* (0.056265)			
Stringency (t-14)	-0.009835*** (0.001965)			
Stringency (t-14) X Vulnerable Employees	0.000158 <sup>**</sup> (0.000071)			
Cum. Mortality Growth (t-14)		0.022316 (0.037793)		
Stringency (t-21)		-0.007647*** (0.002168)		
Stringency (t-21) X Vulnerable Employees		0.000053 (0.000052)		
Cum. Mortality Growth (t-21)			-0.044589* (0.026810)	
Stringency (t-28)			-0.006279*** (0.002116)	
Stringency (t-28) X Vulnerable Employees			0.000020 (0.000046)	
Cum. Mortality Growth (t-28)				-0.085713** (0.033703)
Stringency (t-35)				-0.004941** (0.001942)
Stringency (t-35) X Vulnerable Employees				0.000028 (0.000053)
Fixed effects?	Y	Y	Y	Y
Observations	1,838	1,468	1,092	737
R <sup>2</sup>	0.129922	0.138502	0.152607	0.125520
F Statistic	84.516550***	71.542310***	58.108830***	$29.903570^{***}$

## Table A2.8. Mortality Projection – Vulnerable Employees.

Note:

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

_		Dependent	variable:	
=		Cum. Mortality	Growth Rate	
	(1)	(2)	(3)	(4)
Cum. Mortality Growth (t-7)	0.097395*			
	(0.054196)			
Stringency (t-14)	0.022969**			
	(0.008963)			
Stringency (t-14) X Log(GNI per capita)	-0.003051***			
	(0.000895)			
Cum. Mortality Growth (t-14)		0.011759		
		(0.036610)		
Stringency (t-21)		$0.011792^{*}$		
		(0.007114)		
Stringency (t-21) X Log(GNI per capita)		-0.001890**		
		(0.000737)		
Cum. Mortality Growth (t-21)			-0.049609*	
			(0.026893)	
Stringency (t-28)			0.002661	
			(0.005209)	
Stringency (t-28) X Log(GNI per capita)			-0.000874	
			(0.000591)	
Cum. Mortality Growth (t-28)				-0.084918**
				(0.033721)
Stringency (t-35)				-0.001720
				(0.006171)
Stringency (t-35) X Log(GNI per capita)				-0.000273
				(0.000668)
Fixed effects?	Y	Y	Y	Y
Observations	1,838	1,468	1,092	737
<b>R</b> <sup>2</sup>	0.153794	0.170634	0.162819	0.124692
F Statistic	102.867700***	91.554300***	62.753710***	29.677990***

Table A2.9. Mortality Projection – Income Level.

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

		Dependen	t variable:	
-		Cum. Mortalit	y Growth Rate	
	(1)	(2)	(3)	(4)
Cum. Mortality Growth (t-7)	0.108591*			
	(0.058168)			
Stringency (t-14)	-0.003926**			
	(0.001869)			
Stringency (t-14) X Health Expenditures	-0.000001***			
	(0.000003)			
Cum. Mortality Growth (t-14)		0.017615		
		(0.039096)		
Stringency (t-21)		-0.004372**		
		(0.001754)		
Stringency (t-21) X Health Expenditures		-0.000001***		
		(0.000003)		
Cum. Mortality Growth (t-21)			$-0.047640^{*}$	
			(0.027409)	
Stringency (t-28)			-0.004588***	
			(0.001495)	
Stringency (t-28) X Health Expenditures			-0.0000005	
			(0.000003)	
Cum. Mortality Growth (t-28)				-0.084502***
				(0.031001)
Stringency (t-35)				-0.003898***
				(0.001282)
Stringency (t-35) X Health Expenditures				-0.0000002
				(0.000002)
Fixed effects?	Y	Y	Y	Y
Observations	1,838	1,468	1,092	737
R <sup>2</sup>	0.143209	0.180522	0.171206	0.126027
F Statistic	94.604600***	98.028330***	66.653960***	30.041820***

## Table A2.10. Mortality Projection – Health Expenditures.

Note:

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

		Dependen	t variable:	
-		Cum. Mortalit	ty Growth Rate	
	(1)	(2)	(3)	(4)
Cum. Mortality Growth (t-7)	0.121538** (0.058210)			
Stringency (t-14)	-0.008450*** (0.001891)			
Stringency (t-14) X Pollution	0.000069 <sup>***</sup> (0.000019)			
Cum. Mortality Growth (t-14)		0.025266 (0.037170)		
Stringency (t-21)		-0.008395*** (0.002009)		
Stringency (t-21) X Pollution		0.000070** (0.000030)		
Cum. Mortality Growth (t-21)			-0.043744 (0.027262)	
Stringency (t-28)			-0.006751*** (0.001949)	
Stringency (t-28) X Pollution			0.000034 (0.000023)	
Cum. Mortality Growth (t-28)				-0.083370*** (0.030041)
Stringency (t-35)				$-0.005010^{***}$ (0.001621)
Stringency (t-35) X Pollution				0.000026 (0.000017)
Fixed effects?	Y	Y	Y	Y
Observations	1,838	1,468	1,092	737
$\mathbb{R}^2$	0.114877	0.154403	0.158611	0.126791
F Statistic	73.458810***	81.255530***	60.826100***	30.250230***

Table A2.11. Mortality Projection – Pollution.

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

		Dependen	t variable:	
-		Cum. Mortalit	y Growth Rate	
	(1)	(2)	(3)	(4)
Cum. Mortality Growth (t-7)	0.118904 <sup>**</sup> (0.057705)			
Stringency (t-14)	0.000664 (0.003637)			
Stringency (t-14) X EIU Democracy	-0.001073** (0.000443)			
Cum. Mortality Growth (t-14)		0.022984 (0.037570)		
Stringency (t-21)		0.001000 (0.002591)		
Stringency (t-21) X EIU Democracy		-0.001099*** (0.000345)		
Cum. Mortality Growth (t-21)			-0.045614* (0.027451)	
Stringency (t-28)			-0.002008 (0.001914)	
Stringency (t-28) X EIU Democracy			-0.000551* (0.000300)	
Cum. Mortality Growth (t-28)				-0.083701*** (0.031253)
Stringency (t-35)				-0.003151 (0.002307)
Stringency (t-35) X EIU Democracy				-0.000174 (0.000354)
Fixed effects?	Y	Y	Y	Y
Observations	1,838	1,468	1,092	737
<b>R</b> <sup>2</sup>	0.119085	0.163146	0.161532	0.124466
F Statistic	76.513970***	86.753590***	62.162280***	29.616560***

## Table A2.12. Mortality Projection – Level of Democracy.

Note:

\*,\*\*,\*\*\* correspond to 10%, 5% and 1% significance, respectively.

## **Results of Residual Analysis**



Figure A2.1. Global Distribution of Residuals of Cross-Country Analysis - Peak Mortality Rate.

*Note*: Residuals are calculated from cross-country regression specified in Column [1] of Table 2, with the omission of the "Early Mobility" for a greater country coverage.

Table A3.1. List of Countries that are the Most Over-Predicted and Under-Predicted.

(a) Top Five Over-Predicted Countries

(b) Top Five Under-Predicted Countries

ountry	Residual	Cou
ustralia	-2.343	France
an	-1.670	Peru
iland	-1.580	Belgium
Corea, South	-1.542	Kuwait
China	-1.479	Ireland

*Note*: Residuals are calculated from cross-country regression specified in Column [1] of Table 2, with the omission of the "Early Mobility" for a greater country coverage.



Figure A2.2. Global Distribution of Residuals of Cross-Country Analysis - Peak Mortality Rate-to-PD Ratio.

*Note*: Residuals are calculated from cross-country regression specified in Column [1] of Table 2, with the omission of the "Early Mobility" for a greater country coverage.

(a) Top Five Over-Predicted Countries

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(b) Top Five Under-Predicted Countries

Country	Residual	Country	Residual
Jordan	-3.256	Egypt	0.682
Iceland	-1.176	Hungary	0.667
India	-0.937	Kuwait	0.633
China	-0.474	Peru	0.601
Austria	-0.473	Belgium	0.546

*Note*: Residuals are calculated from cross-country regression specified in Column [1] of Table 2, with the omission of the "Early Mobility" for a greater country coverage.