

NBER WORKING PAPER SERIES

GROWTH EXPECTATIONS, DIVIDEND YIELDS, AND FUTURE STOCK RETURNS

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Working Paper 20651  
<http://www.nber.org/papers/w20651>

NATIONAL BUREAU OF ECONOMIC RESEARCH  
1050 Massachusetts Avenue  
Cambridge, MA 02138  
October 2014

We thank Binying Liu for excellent research assistance and valuable comments. We also thank Ben Golez, Shane Johnson, Hwagyun Kim, Qinghao Mao, Yu Yuan, and seminar participants at Erasmus University, Indian School of Business, Shanghai Advanced Institute of Finance (SAIF), Texas A&M University, and University of Notre Dame. We are grateful to Ken French, Amit Goyal, Robert Shiller, Bhaskaran Swaminathan, and Hao Zhou for sharing their data with us. The views expressed herein are those of the authors and do not necessarily reflect the views of the National Bureau of Economic Research.

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NBER Working Paper No. 20651  
October 2014  
JEL No. G0,G1,G10,G11,G12,G17

### **ABSTRACT**

According to the dynamic version of the Gordon growth model, the long-run expected return on stocks, stock yield, is the sum of the dividend yield on stocks plus some weighted average of expected future growth rates in dividends. We construct a measure of stock yield based on sell-side analysts' near-term earnings forecasts that predicts US stock index returns well, with an out-of-sample R-squared that is consistently above 2% at monthly frequency over our sample period. Stock yield also predicts future stock index returns in the US and other G7 countries and returns of US stock portfolios formed by sorting stocks based on firm characteristics, at various horizons. The findings are consistent with a single dominant factor driving expected returns on stocks over different holding periods. That single factor extracted from the cross section of stock yields using the Kelly and Pruitt (2013) partial regressions method predicts stock index returns better. The performance of the Binsbergen and Koijen (2010) latent factor model for forecasting stock returns improves significantly when stock yield is included as an imperfect observation of expected return on stocks. Consistent with folk wisdom, stock returns are more predictable coming out of a recession. Our measure performs as well in predicting stock returns as the implied cost of capital, another common stock yield measure that uses additional information.

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# 1 Introduction

The predictability of stock market returns is of wide interest to both investors and academics. The common practice is to predict stock returns with various valuation ratios such as dividend to price and earnings to price ratios. When all else remains the same, a higher valuation ratio indicates a higher discount rate, that is, a higher expected return.<sup>1</sup>

In general, all else does not remain the same. Economy-wide events that affect expected future returns on stocks may also affect their expected future cash flows. To see this confounding effect, consider the constant growth model in Gordon (1962):  $P = D/(R - G)$ , where  $P$  is the current price;  $D$  is the expected one-period-ahead dividend expected to grow at a constant rate of  $G$ ; and  $R$  is the *stock yield*, defined as the discount rate investors use to compute the present value of expected future dividends, i.e., the long run expected return to buying and holding stocks. Rearranging the equation gives  $R = D/P + G$ . When  $G$  changes across different economic regimes,  $D/P + G$  will be a better predictor of  $R$  than just the dividend yield  $D/P$ . This intuition in a stationary economy is made precise by Campbell and Shiller (1988) who derive a dynamic version of the Gordon growth model. In the dynamic case, stock yield is an affine function of the dividend yield and a weighted average of expected future growth rates in dividends.<sup>2</sup> If the dynamics of the term structure of expected stock returns can be explained to a large extent by a single dominant factor, stock yield will help forecast future stock returns at all horizons.<sup>3</sup>

While it is well recognized that combining dividend yield with a proxy of expected cash flow growth will help in predicting stock returns, what that proxy should be has been the subject of debate. Campbell and Shiller (1988), Bansal and Lundblad (2002), Bakshi and Chen (2005), Lettau and Ludvigson (2005), Binsbergen and Koijen (2010), and Lacerda and Santa-Clara (2010) all use time series models and historical dividend and earnings data to estimate expected future dividend growth rates. More recently, Golez (2014) uses direct dividend growth rate proxies implied in the derivative markets.

In this paper we combine a time series model for earnings growth that uses analysts' near-

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<sup>1</sup>See Basu (1983), Fama and Schwert (1977), Campbell and Shiller (1988), Fama and French (1988) among many others. See also Ball (1978) for a general discussion of yield proxies as predictors of future stock returns.

<sup>2</sup>See Jagannathan, McGrattan, and Scherbina (2000) for an alternative derivation of the continuously compounded analogue of this dynamic version of the Gordon growth Model.

<sup>3</sup>See Bakshi and Chen (2005). As an illustration, we derive the equity term structure in Appendix A for the one-factor case.

term forecasts with the dynamic Gordon growth model in Campbell and Shiller (1988) to develop a measure of stock yield. We focus on expected earnings growth rather than expected dividend growth because earnings better reflect the cash flow prospects of a firm than short-term dividends, which are subject to smoothing and other forms of corporate payout policies. In their seminal work, Miller and Modigliani (1961) argue forcefully that dividend policy is irrelevant: stock prices should be driven by “real” behavior – the earnings power of corporate assets and investment policy – and, crucially, not by how the earnings power is distributed. Similarly, Campbell and Shiller (1988) support the use of earnings “since earnings are constructed by accountants with the objective of helping people to evaluate the fundamental worth of a company.” In addition, using direct analyst earnings forecasts avoids several econometric issues associated with modeling dividend growth rates that have become highly persistent since the World War II.

Specifically, we compute the expected earnings growth rate as the ratio between analysts’ forecasted earnings in the coming calendar year and the realized earnings in the most recent fiscal year. We focus on analysts’ short-term earnings forecasts since a large finance and accounting literature has found equity analysts’ value to mostly come from their short-term earnings forecasts rather than their long-term growth forecasts (see Chan, Karceski, and Lakonishok (2003) and Ivkovic and Jegadeesh (2004) among many others). The stock yield, defined as an affine function of the current log dividend-to-price ratio and our log expected earnings growth rate, does a very good job in predicting future stock returns during our sample period 1977 – 2012 in the U.S., both in-sample and out-of-sample, at both the market level and the portfolio level, and even internationally among the other G7 countries.

Our work is closely related to the literature on *implied cost of equity capital (ICC)*, another common measure of stock yield (see Claus and Thomas (2001), Pastor, Sinha, and Swaminathan (2008), and Li, Ng, and Swaminathan (2013), among others). The *ICC* is computed as the discount rate that equates the present value of future cash flows from holding a stock to the stock’s price. The stream of future cash flows is forecasted using a combination of short-term analyst earnings forecasts, long-term growth rate forecasts, and historical payout ratios, and other auxiliary assumptions. In contrast, we use only analysts’ forecasts of near-term earnings in conjunction with a time series model for earnings. The *ICC* and our stock yield measure are imperfectly correlated with a correlation coefficient of 0.70 at the monthly frequency.

Empirically, our stock yield measure performs as well as the *ICC* in predicting future stock market returns. This finding suggests that additional assumptions about long-run cash flows embedded in the *ICC* appear not critical if the only objective is to forecast future stock returns at the aggregate level. The relevant return-predicting signal in the *ICC* comes largely from the current dividend-to-price ratio and the expected short-term earnings growth rate, information succinctly summarized in our stock yield measure. Conceptually, when there is more than one factor driving the equity term structure <sup>4</sup>, both stock yield and the *ICC* can be viewed as a first-order approximation of the much richer expected return dynamics.

In our sample period 1977–2012, our stock yield predicts future stock market returns with an adjusted R-squared of 13% at the one-year horizon and up to 54% at the four-year horizon. These  $R^2$ s compare favorably with other common stock return predictors proposed in the literature.

Welch and Goyal (2008) show that many popular return predictors in the literature do not consistently outperform a simple historical average in predicting next-month market return out-of-sample. They and Campbell and Thompson (2008) propose an out-of-sample  $R^2$  statistic to gauge such relative out-of-sample performance. We consider a wide range of in-sample / out-of-sample cutoff points, and find that stock yield produces an out-of-sample  $R^2$  consistently above 2.0% for monthly forecasts. According to the calculation in Campbell and Thompson (2008), an out-of-sample  $R^2$  of 2% translates to return enhancement of 8% per year for a market timer with a risk aversion of 3 who allocates her investment optimally between the stock market and a risk-free asset. In contrast, the dividend-to-price ratio, by itself, has an out-of-sample  $R^2$  averaged below 1% and it often drops below zero. Stock yield also predicts one-year-ahead returns well, with an out-of-sample  $R^2$  of almost 10%.

Interestingly, we find that the forecasting ability of the stock yield is concentrated during bad times when investors' fears are high as measured by the Chicago Fed National Activity Index. This is true both in-sample and out-of-sample, which explains the stock yield's high  $R^2$  during our out-of-sample period with two major recessions. This should not be surprising. When the economy is not doing well, the risk premium tends to be high going forward. At the same time, current dividends are depressed and imply higher future growth expectation. This higher growth

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<sup>4</sup>See Ai, Croce, Diercks, and Li (2013), Kim (2013), Bansal, Kiku, Shaliastovich, and Yaron (2014), Belo, Collin-Dufresne, and Goldstein (2014)

expectation shows up in our stock yield and enables it to capture the increased expected return. We also find the stock yield to predict a downward-sloping equity term structure during bad times, as documented by Binsbergen, Brandt, and Koijen (2012) and Binsbergen, Hueskes, Koijen, and Vrugt (2013).

Suppose that the temporal evolution of the term structure of expected returns on stocks is determined to a large extent by a single unobserved dynamic factor. Then that unobserved single factor can be extracted from the cross section of stock yields on a collection of stock portfolios using sophisticated econometric techniques. We consider two such econometric techniques. The first technique is the three-stage partial least squares regression approach developed by Kelly and Pruitt (2013) in which the single market return predicting factor is extracted from the cross section of portfolio-level valuation ratios. Extracting the forecasting factor from the cross section of stock yields delivers even better performance. The out-of-sample  $R^2$ s are 2.71% and 19.49%, respectively, for predicting monthly and annual returns by the forecasting factor extracted from the cross section of stock yields on 25 size- and stock yield-sorted portfolios. These  $R^2$ s are better than those from using just the market-level stock yield, confirming that the Kelly and Pruitt (2013) technique is indeed valuable in extracting useful information from the cross-section. In contrast, when we extract the return forecasting factor from the cross section of book-to-market ratios on 25 size- and BM-sorted portfolios, we find it to predict stock market returns with a slightly lower out-of-sample  $R^2$  of 1.47% when predicting next-month returns and 14.11% when predicting next-year returns.

The second technique is the Binsbergen and Koijen (2010) Kalman filter approach in which the expected return on stocks and the expected growth rates on dividends are modeled as latent variables. When stock yield is used as an additional noisy observation of the conditional expected return on stocks, the model's ability to forecast future stock returns in real time improves significantly. The out-of-sample  $R^2$  for predicting next-month return increases from 2.1% to 4.2%. Similarly, the out-of-sample  $R^2$  for predicting next-year return increases from 19.50% to 25.66%.

The rest of the paper is organized as follows. In section 2 we derive the expression for stock yield using a dynamic version of the Gordon growth model. In section 3 we describe the data. We compare the forecasting performance of the stock yield with other popular return predictors in section 4, both in-sample and out-of-sample. Section 5 then applies the Kelly and Pruitt (2013) three-stage regression approach to the cross section of stock yields, and section 6 adds the stock

yield to the present-value predictive regression model of Binsbergen and Koijen (2010). We conclude in section 7.

## 2 Stock Yield

When both expected return and dividend growth rate are time-varying, the static Gordon growth model no longer applies. According to the Campbell and Shiller (1988) return decomposition, a dynamic version can be written as:

$$d_t - p_t = -\frac{\kappa}{1 - \rho} - \sum_{j=0}^{\infty} \rho^j E_t(\Delta d_{t+1+j}) + \sum_{j=0}^{\infty} \rho^j E_t(r_{t+1+j}), \quad (1)$$

where  $\rho$  and  $\kappa$  are loglinear constants ( $\rho$  is often chosen to be 0.95 at annual horizon and  $\kappa = -\log(\rho) - (1 - \rho)\log(1/\rho - 1) = 0.2$ ).

Rearrange the equation, take expectations, and define the expected stock yield ( $sy$ ) as:

$$sy_t = (1 - \rho) \left( \sum_{j=0}^{\infty} \rho^j E_t(r_{t+1+j}) \right) = \kappa + (1 - \rho) (d_t - p_t + \sum_{j=0}^{\infty} \rho^j E_t(\Delta d_{t+1+j})). \quad (2)$$

Equation (2) suggests that the current log dividend-to-price ratio, combined with expected dividend growth forecasts, drives expected stock yield, which algebraically measures expected future expected returns. Jagannathan, McGrattan, and Scherbina (2000) derive a similar equation without loglinearization, and they also show that current dividend-to-price ratio plus weighted-average future expected dividend growth rates measures future expected returns.

In what follows, we focus on earnings growth rates:

$$sy_t = \kappa + (1 - \rho) (d_t - p_t + \sum_{j=0}^{\infty} \rho^j E_t(\Delta e_{t+1+j})) + \sum_{j=0}^{\infty} \rho^j E_t(\Delta de_{t+1+j}), \quad (3)$$

where  $de$  denotes log cash dividend payout ratio. Miller and Modigliani (1961, p.426) summarize the benefit of using earnings as the meaningful measure of cash flows: “We can follow the standard practice of the security analyst and think in terms of price per share, dividends per share, and the rate of growth of dividends per share; or we can think in terms of the total value of the enterprise, total earnings, and the rate of growth of total earnings. Our own preference happens to be for the

second approach primarily because certain additional variables of interest – such as dividend policy, leverage, and size of firm – can be incorporated more easily and meaningfully into test equations in which the growth term is the growth of total earnings.”

Over the long run, dividend growth should carry similar information as earnings growth for valuation since dividends have to be paid out from earnings eventually. In the short term, however, dividends can be delinked from earnings due to smoothing and other forms of corporate payout policies. In that case, focusing on earnings growth could better capture long-term cash flow growth prospects of a firm which are what matter for valuation. Algebraically, the difference between the two growth rates reflects the discounted sum of future payout adjustments, or:

$$\sum_{j=0}^{\infty} \rho^j E_t(\Delta de_{t+1+j}). \quad (4)$$

Using data on the S&P500 index and assuming an AR(1) process on the payout rate ( $de$ ), unreported simulation evidence suggests that the discounted sum of future payout adjustments tends to be stable and contributes little to the time-variation in  $sy$ .<sup>5</sup> Not surprisingly, our subsequent empirical results suggest that despite omitting this payout adjustment term,  $sy$  still does a good job in predicting future stock returns.

## 2.1 Time-varying earnings growth

Equation (3) involves the discounted sum of expected future earnings growth rate. The expression for the discounted sum can be simplified under a reasonable assumption that the conditional expected earnings growth,  $g_t \equiv E_t(\Delta e_{t+1})$ , follows a stationary AR(1) process with the AR(1) coefficient  $\beta$ :

$$g_{t+1} = \alpha + \beta g_t + u_{t+1}, \quad 0 < \beta < 1, \quad u_{t+1} \sim N(0, \sigma_u^2). \quad (5)$$

Similar assumptions are made by Pastor, Sinha, and Swaminathan (2008), Binsbergen and Koijen (2010), Lacerda and Santa-Clara (2010), and Golez (2014), among others. Taking the expected values of future earnings growth rates based on equation (5), and ignoring long-run payout adjust-

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<sup>5</sup>The discounted sum of future payout adjustments has a standard deviation of less than 0.05, much lower than that of  $dp$  which is 0.34.



ments, the stock yield ( $sy$ ) in equation (3) could be simplified as:

$$sy_t = \kappa + \frac{\alpha\rho}{1 - \rho\beta} + (1 - \rho)(dp_t + \frac{g_t}{1 - \rho\beta}). \quad (6)$$

Equation (6) shows that conditional expected earnings growth ( $g_t$ ) is a sufficient statistic for measuring all future expected earnings growth rates.<sup>6</sup> In addition, the dynamics in stock yield are completely driven by the dividend-to-price ratio augmented by a scaled expected earnings growth rate ( $dp_t + \frac{g_t}{1 - \rho\beta}$ ).

We compute  $g_t$  as  $\log[E_t(Earn_{t+1})/Earn_t]$ , where  $E_t(Earn_{t+1})$  is analysts' forecasted earnings for the next 12 months, and  $Earn_t$  is the realized earnings in the most recent fiscal year.<sup>7</sup> The annual autocorrelation in  $g_t$ ,  $\beta$ , is about 0.3 over our sample period. With a  $\rho$  of 0.95, the augmented dividend-to-price ratio ( $dp_t + \frac{g_t}{1 - \rho\beta}$ ) becomes  $dp_t + 1.4g_t$ . Our predictive regression results are driven by this augmented dividend-to-price ratio. While we estimate  $\beta$  using the full sample period, given the short length of the period (1977 to 2012), the exact value of  $\beta$  is not crucial for our results. When we repeat the analysis for a wide range of  $\beta$  from 0.1 to 0.7, we find very similar predictive results. We confirm that  $g$  does a good job of predicting future earnings growth rates at both short horizons (next one year) and long horizons (next five years). While it does not predict the next-year dividend growth rate well, possibly due to dividend smoothing, it does predict long-run dividend growth rates well.

Figure 1 plots the log dividend-to-price ratio ( $dp$ ) against this augmented dividend-to-price ratio in our sample period 1977 – 2012. The difference between two series is due to the expected growth rate ( $1.4g_t$ ), which is considerable and varies a lot over time.

We focus henceforth on the stock yield ( $sy_t$ ), defined as an affine transformation of the augmented dividend-to-price ratio:  $sy = 0.29 + 0.05(dp_t + 1.4g_t)$ . The stock yield has the benefit that it can be interpreted directly as a weighted average long-term expected return as in equation (6). The loglinear constant  $\kappa$  is 0.2. In the calculation of  $\alpha$ , we use the average realized earnings growth rate to alleviate the optimism bias associated with analyst forecasts. Note that these constant

<sup>6</sup>In the static case with constant payout ratio,  $dp_t = d - p$ ,  $g_t = g$ ,  $r_t = r$ , and  $\beta = 1$ . Equation (6), with the constant added back, reduces to  $dp + \kappa/(1 - \rho) + g/(1 - \rho) = r/(1 - \rho)$ . After algebra manipulation and noting the fact  $\rho = 1/(1 + D/P)$ , it is easy to show that  $\log(1 + D/P) + g = r$ , consistent with the Gordon Growth Model.

<sup>7</sup>Implicitly, we are ignoring a convexity adjustment term since  $g_t = E_t[\log(Earn_{t+1}/Earn_t)] = \log[E_t(Earn_{t+1})/Earn_t] - 0.5Var_t[Earn_{t+1}/Earn_t]$ . Incorporating the convexity adjustment term by measuring the variance in a rolling window hardly changes our results.

parameter choices do not affect our predictive regression results at all.

Figure 2 plots the stock yield ( $sy$ ) against the implied cost of capital ( $ICC$ ) of Li, Ng, and Swaminathan (2013). The  $ICC$  is computed as the discount rate that, when plugged into a present-value model, equates the present value of a stock to its current price. The present value model considers the firm's expected future cash flows from next year up to infinity, and these expected cash flows are in turn estimated using a combination of analysts' short-term earnings forecasts, long-term growth rate forecasts, and historical payout ratios, under various assumptions. While the details will be provided later, the  $ICC$  can be viewed as a more sophisticated version of the stock yield that incorporates more inputs in the present value model. The figure shows that  $sy$  and the  $ICC$  are indeed highly correlated (with a correlation coefficient of 0.70).  $sy$ , however, seems more volatile, especially following the two recent recessions. The high correlation with the  $ICC$  is comforting as Chen, Da, and Zhao (2013) show that the  $ICC$  measures long-run discount rates and drives almost 65% of return variation at an annual horizon.

## 2.2 Equity term structure

Our stock yield ( $sy$ ) and the implied cost of capital ( $ICC$ ) are similar to the yield on a bond with an infinite maturity. They are conceptually different from the expected next-period return. In our empirical analysis, however, we will use  $sy$  to predict stock return in the next one year, two years, and so on. In Appendix A, we work out the algebra for the equity term structure assuming that the next-period expected return follows a stationary AR(1) process (see Pastor, Sinha, and Swaminathan (2008)). In this simple case, the equity term structure is driven by a single factor (the next-period expected return), and the stock yield is sufficient for predicting all finite-period expected returns.

More generally, the equity term structure can be driven by multiple factors as discussed in Binsbergen, Hueskes, Koijen, and Vrugt (2013) and Kim (2013). Stock yield should still be informative about future finite-period expected returns as it can be viewed as a weighted average of these finite-period expected returns.

### 3 Data and Variable Descriptions

We obtain stock market data such as share price, share outstanding, and return data from the Center for Research in Security Prices (CRSP), accounting data such as common dividends, net income, and book value for common equity from COMPUSTAT, and analysts' earnings forecasts from Institutional Brokers' Estimate System (I/B/E/S).

We measure aggregate market returns by CRSP NYSE/AMEX/NASDAQ value-weighted returns including dividends ( $VWRET D$ ). Our inferences regarding forecasting performance remain unchanged if we use returns on the S&P 500 index as an alternative market return measure. To compare the forecasting performance of our proposed stock yield measure ( $sy$ ), we also consider various market return predictors proposed in the literature. We first consider the two component variables in the construction of  $sy$ , dividend-to-price ratio ( $dp$ ) and expected earnings growth ( $g$ ). We then include other traditional valuation ratios, including book-to-market ratio ( $BM$ ), earnings-to-price ratio ( $EP$ ), and Shiller's cyclically adjusted price-to-earnings ratio ( $CAPE$ ), and commonly used business cycle variables, including term spread ( $Term$ ), default spread ( $Default$ ), Treasury bill rate ( $T - bill$ ), and Treasury bond yield ( $T - bond$ ). Finally, we also compare the predictive performance of  $sy$  with another closely related predictor, implied cost of capital ( $ICC$ ) in Li, Ng, and Swaminathan (2013).

#### 3.1 Stock yield, valuation ratios, and business cycle variables

Dividend-to-price ratio ( $DP$ ) is the value-weighted average of firm-level  $DP$ s of all firms in the CRSP-COMPUSTAT combined sample. We calculate a firm's  $DP$  at the end of month  $t$  by dividing the total common dividends ( $DVC$ , data item 21) in the most recent fiscal year (ending at least three months prior) by market capitalization at month-end. We take the natural log of  $DP$  to get  $dp$ .<sup>8</sup>

Earnings-to-price ratio ( $EP$ ) is the value-weighted average of firm-level  $EP$ s of all firms in the CRSP-COMPUSTAT combined sample. We calculate a firm's  $EP$  at the end of month  $t$  as dividing

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<sup>8</sup>An alternative way of computing annual dividends is to use the difference between cum-dividend return ( $ret$ ) and ex-dividend return ( $retx$ ) from CRSP. We have confirmed that the dividend series computed from the two methods are highly correlated with a correlation of 0.985. We follow Li, Ng, and Swaminathan (2013) and use dividends from CRSP-COMPUSTAT combined sample as they align with the fiscal year and therefore earnings. In subsequent section where monthly dividends are needed, we use the difference between  $ret$  and  $retx$ .

the income before extraordinary items (adjusted for common stock equivalents, *IBADJ*, data item 20) in the most recent fiscal year (ending at least three months prior) by market capitalization at month-end. Following da Silva and Jagannathan (2001) and Abarbanell and Lehavy (2007), we do not use the actual earnings from I/B/E/S. According to da Silva and Jagannathan (2001), “the definition of these actual earnings is not uniform across firms or even across time and the coverage of actual earnings is not so wide.” We take the natural log of *EP*.

Forecasted earnings growth (*g*) is estimated using the forecasted earnings-to-price ratio (*FEP*) and the most recent realized earnings-to-price ratio (*EP*) of the aggregate market portfolio. To measure a firm’s *FEP* at the end of month *t*, we divide the IBES consensus earnings-per-share (*EPS*) forecast for the next 12-month period by the share price at month-end.<sup>9</sup> We then measure the *FEP* of the aggregate market portfolio as the value-weighted average of firm-level *FEP*s.<sup>10</sup> *g* is calculated as the natural log of the ratio of *FEP* to *EP*. Stock yield (*sy*), as defined previously, is calculated as *dp* plus 1.4 times *g*.

Book-to-market ratio (*BM*) is the value-weighted average of firm-level *BM*s of all firms in the CRSP-COMPUSTAT combined sample. We calculate a firm’s *BM* at the end of month *t* by dividing the book equity value, calculated following Daniel and Titman (2006), at the end of the most recent fiscal year (ending at least three months prior) by market capitalization at month-end. We take the natural log of *BM*.

Shiller’s cyclically adjusted price-to-earnings ratio (*CAPE*) is defined as price divided by the average of ten years of earnings, adjusted for inflation, and is obtained from Robert Shiller’s website.<sup>11</sup>

Term spread (*Term*) is the AAA-rated corporate bond yield minus the one-month T-bill yield, and default spread (*Default*) is the difference between BAA- and AAA-rated corporate bond yields. The one-month T-bill yield is the average yield on the one-month Treasury bill obtained from WRDS, and the yields of both AAA-rated and BAA-rated corporate bonds are obtained from Amit Goyal’s website.<sup>12</sup>

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<sup>9</sup>We follow Li, Ng, and Swaminathan (2013) to forecast *EPS* for the next 12-month period, from month *t*+1 to *t*+12, as the weighted average of IBES consensus *EPS* forecasts for the next two fiscal years ending after month *t*, where the weight of each fiscal year is its fraction in this 12-month period.

<sup>10</sup>We do not use the stock recommendation data from IBES which are subject to forward-looking bias as documented in Ljungqvist, Malloy, and Marston (2009).

<sup>11</sup><http://aida.wss.yale.edu/shiller/data.htm>.

<sup>12</sup><http://www.hec.unil.ch/agoyal/>.

T-bill rate ( $T - bill$ ) is the one-month T-bill rate obtained from Kenneth French’s website.<sup>13</sup> And the treasury bond yield ( $T - bond$ ) is the yield on 30-year Treasury bond obtained from WRDS.

### 3.2 Stock yield for U.S. portfolios and other G7 countries

Besides the aggregate portfolio of U.S. stocks, we also check the predictive power of our stock yield measure for returns of other portfolios.

In our first set of additional portfolio analyses, we consider portfolios of U.S. stocks formed on firm characteristics such as book-to-market ratio ( $BM$ ), firm size, and industry affiliation. Similar to Li, Ng, and Swaminathan (2013), each month we classify stocks into three  $BM$  groups according to NYSE percentile values of individual stocks’  $BM$ . The growth portfolio contains stocks with  $BM$  below the 30 percentile value, the value portfolio contains stocks with  $BM$  above the 70 percentile value, and the remaining stocks are grouped into the middle portfolio. Three size portfolios (small, medium, and large) are formed similarly each month according to individual stocks’ market capitalization at the end of month and corresponding NYSE percentile values.

We further consider industry portfolios formed according to four-digit SIC codes and the five-industry classification scheme in Fama and French (1997).<sup>14</sup> After classifying stocks into various groups, value-weighted portfolios are formed and rebalanced every month. For a portfolio  $i$  at the end month  $t$ , we calculate stock yield from its dividend-to-price-ratio and forecasted earnings growth rate, following the exact approach for the market portfolio. We then run a predictive regression linking the portfolio’s stock yield to its average continuously compounded monthly returns in the future which are calculated from the time series of portfolio returns, as in the case of the market portfolio.<sup>15</sup>

In our second set of additional portfolio analyses, we extend the in-sample analysis at the aggregate level to the other G7 countries, Canada, France, Germany, Italy, Japan, and the United Kingdom. Following the exact approach in our U.S. aggregate market level analysis, we construct

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<sup>13</sup>[http://mba.tuck.dartmouth.edu/pages/faculty/ken.french/data\\_library.html](http://mba.tuck.dartmouth.edu/pages/faculty/ken.french/data_library.html).

<sup>14</sup> Following their approach, we use Compustat SIC codes (for the most recent fiscal year ending at least three months ago) whenever available, and CRSP SIC codes as of month-end otherwise. We thank Kenneth French for providing industry classification codes online.

<sup>15</sup>We also consider an alternative approach to calculate a portfolio’s future returns by value-weighting the buy-and-hold returns of individual stocks in the portfolio. If a stock was delisted in the return measurement period, we assume the reinvestment of delisting proceeds in the surviving stocks of the portfolio to calculate its return over the full return measurement period. The results are qualitatively similar and available upon request.

monthly stock yield for the value-weighted portfolio of all stocks in each country, and check its predictive power for future returns of the portfolio. For a stock to be included in the sample of a country, it must satisfy the following conditions: 1) being a common stock; b) listed on the major exchange(s) of the country; 3) indicated as the primary listing of the company; and 4) quoted in the official currency of the listed country.<sup>16</sup> For all sample stocks, we obtain accounting data, such as annual earnings, dividends and book equity values, from the annual fundamental file in Compustat North America (for Canadian stocks) and Compustat Global (for stocks listed in other countries) respectively. We obtain data on monthly stock returns, share prices, and shares outstanding from the monthly security file in the Compustat North America database for Canadian stocks, and construct the corresponding data from the daily security file in the Compustat Global database for other countries.<sup>17</sup> Finally, we obtain analyst earnings forecasts from IBES. All values are converted into USD.

To calculate valuation ratios such as dividend-to-price ratio, we require accounting information to precede the price data by at least six months to ensure the availability of accounting information. To reduce errors in prices for international stocks, we follow the screening procedure for monthly returns as suggested by Ince and Porter (2003) and Hou, Karolyi, and Kho (2011). First, any return above 300% and reversed within one month is set to missing. Specifically, if  $R_t$  or  $R_{t-1}$  is greater than 300%, and  $(1 + R_t)(1 + R_{t-1}) \leq 50\%$ , then both  $R_t$  and  $R_{t-1}$  are set to missing. Second, in order to exclude remaining return outliers that are likely due to data error, we further set monthly returns to missing if they fall in the most extreme 0.1 percentile in either tail in each country.

Similar to our analysis of U.S. aggregate stock portfolio, we calculate the monthly stock yield of the aggregate stock portfolio for each country from the dividend-to-price ratio and the expected earnings growth rate of the value-weighted portfolio of all sample stocks in the country. Every month we also calculate future returns over horizons ranging from one year to four years based on the time series of monthly returns of the aggregate portfolio of each country. To ensure meaningful measurements of stock yield and returns of the aggregate stock portfolios, we require a minimum

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<sup>16</sup>The major exchanges are: Toronto Stock Exchange and TSX Ventures Exchange for Canada, Euronext Paris for France, Deutsche Borse (Frankfurt Stock Exchange) for Germany, Borsa Italiana (Italian Stock Exchange) for Italy, Osaka Stock Exchange, Tokyo Stock Exchange, and JASDAQ for Japan, and London Stock Exchange for the United Kingdom.

<sup>17</sup>Monthly issue-level shares outstanding data are available for Canadian stocks only since April 1998. For periods before then, we obtain shares outstanding data from the annual fundamental file in the Compustat North America database, using the number from the most recent fiscal year ending in past 12-month period.

of 50 stocks to be included in the calculation of any input variable. Hence the sample periods start differently across countries, but all end in December 2012.

### 3.3 Implied cost of capital in Li, Ng, and Swaminathan (2013)

Li, Ng, and Swaminathan (2013) (LNS hereafter) first estimate firm-level ICCs by solving the following finite-horizon dividend discount model:

$$P_t = \sum_{k=1}^T \left( \frac{FE_{t+k} \times (1 - b_{t+k})}{(1 + ICC)^k} + \frac{FE_{t+T+1}}{ICC \times (1 + ICC)^T} \right). \quad (7)$$

where  $P_t$  is the stock price at the end of month  $t$ ,  $FE_{t+k}$  and  $b_{t+k}$  are the forecasts of earnings per share and plowback rate for the year  $t+k$ , and  $FE_{t+k} \times (1 - b_{t+k})$  is the free cash flow in year  $t+k$ . Equation (7) equates the stock price to the present value of future free cash flows up to a terminal period  $t+T$  as captured by the first item on the right-hand side of the equation plus the present value of free cash flows beyond the terminal period as measured by the second item. LNS assume a 15-year terminal horizon ( $T = 15$ ) to estimate equation (7).

To forecast future earnings, LNS first forecast earnings in year  $t+1$  ( $FE_1$ ) and earnings growth rate in year  $t+2$  ( $g_2$ ) based on consensus analyst earnings forecasts for the next two fiscal years in I/B/E/S. They then extrapolate earnings growth rates from year  $t+3$  to  $t+T+1$  by assuming that earnings growth rate mean-reverts exponentially from  $g_2$  in year  $t+2$  to a steady growth rate in year  $t+T+2$  which is assumed as the average value of annual nominal GDP growth rate in the rolling window since 1930. Finally, they forecast earnings from year  $t+2$  to  $t+T+1$  on the basis of the earnings in year  $t+1$  and forecasted earnings growth rates. To forecast future plowback rates, LNS first explicitly forecast the plowback rate for year  $t+1$  as one minus the dividend payout ratio in the most recent fiscal year, and then extrapolate plowback rates from year  $t+2$  to  $t+T+1$  by assuming that plowback rate reverts linearly from year  $t+1$  to a steady value in year  $t+T+1$ . The plowback rate in the steady stage since year  $t+T+1$  is computed as the ratio of the steady earnings growth rate to the  $ICC$ , which is implied by the sustainable growth rate formula.

Firm-level  $ICC$ s could be estimated from stock prices and forecasts of future earnings and plowback rates by solving equation (7). The  $ICC$  for the aggregate market portfolio in a month is

calculated as the value-weighted average of firm-level *ICCs* in that month.<sup>18</sup>

### 3.4 Summary statistics

Table 1 provides the summary statistics of for our main predictive variables. Panel A reports the means, standard deviations, and autocorrelations from one-year to four-year horizons. Panel B reports correlations among the variables.

The expected next-year earnings growth based on analysts' earnings forecasts ( $g$ ) has a mean of 24%, which is clearly higher than the actual average earnings growth rate, confirming the well-known optimism bias in analyst forecasts. In other words, the analyst-based growth forecast is likely a biased estimator of the true expected cash flow growth rate. However, such a bias is unlikely to predict future market returns.  $g$  varies a lot from one month to another, with a standard deviation of 24%, which could indicate useful information for predicting future stock returns. The autocorrelation in  $g$  is about 0.3 at an annual frequency, resulting in a scaling factor of 1.4 in the definition of the augmented dividend-to-price ratio. The autocorrelations become negative beyond one year, consistent with mean-reversion.

The stock yield variable,  $sy$ , has a mean of 12.85% and a standard deviation of 2.35%. As  $g$  is not persistent, neither is  $sy$ . Indeed, the autocorrelation in  $sy$  is 0.55 at the one-year horizon, and drops to below 0.20 beyond one year.

The correlation between  $g$  and the log dividend-to-price ratio ( $dp$ ) is low (-0.045). As a result, the stock yield, is not perfectly correlated with  $dp$  (correlation = 0.693). Among other predictive variables,  $sy$  is also highly correlated with the *ICC* (correlation = 0.704) and *BM* (correlation = 0.678).

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<sup>18</sup>See Li, Ng, and Swaminathan (2013) for more details on forecasting future earnings and plowback rates and estimating *ICCs* at firm-level. LNS measure monthly *ICCs* of the aggregate market portfolio based on S&P 500 firms, and indicate that the aggregate *ICCs* based on all firms in the CRSP-COMPUSTAT-IBES combined sample are very similar. Though we use the aggregate *ICCs* provided by LNS, we also estimate monthly aggregate *ICCs* by an alternative approach, first forecasting future earnings and plowback rates for the aggregate portfolio of all firms, and then solving equation (7) by equating the aggregate market capitalization to the present value of the aggregate future free cash flows. Over our sample period, the correlation coefficient between the LNS measure and this alternative *ICC* measure is 0.97 if constructed from S&P 500 firms and 0.95 if constructed from the all-firm sample.



### 3.5 Cash-flow predictive power of $g$

The validity of our stock yield measures relies on the analyst-forecast-implied growth rate  $g$  being a good proxy for future cash-flow growth expectations. We examine the cash-flow predictive power of  $g$  directly in Table 2. When we use  $g$  to predict future earnings growth rates, we find strong predictive power at all horizons. While  $g$  does not predict next-year dividend growth rate well, possibly due to dividend smoothing, it does predict long-run dividend growth rates well.

## 4 Return Predictive Power of Stock Yield

We first examine the return predictive power of the stock yield in itself, both in-sample and out-of-sample. We also conduct extensive robustness checks to make sure that the predictive power of  $sy$  is robust and extends to both U.S. stock portfolios formed on firm characteristics and aggregate stock portfolios in other G7 countries.

### 4.1 In-sample tests

Following Fama and French (1988) and Li, Ng, and Swaminathan (2013), we run multiperiod predictive regressions of the following form:

$$\sum_{k=1}^K \frac{r_{t+k}}{K} = a + b \times X_t + u_{t+K,t}, \quad (8)$$

where  $r_{t+k}$  is the continuously compounded monthly return.  $K$  is the forecasting horizon which we choose at 12, 24, 36, and 48 months. In other words, we run monthly predictive regressions for average monthly stock returns for the next 1 year, 2 years, and up to 4 years.  $X_t$  is a vector of predictive variables, and  $u$  is the error term.

Given the overlapping nature of the above regression, we first report Newey-West (1987) corrected  $t$ -values where the number of lags is equal to  $K - 1$ . Most predictive variables in  $X$  are persistent, which, combined with a small sample, can potentially lead to overestimated  $t$ -values. To address all three statistical issues (persistent regressors, small sample, and overlapping regressions) simultaneously, we follow Li, Ng, and Swaminathan (2013) closely and also report  $p$ -values from

simulation exercises. Appendix B describes the simulation exercises. The adjusted  $R^2$ s are from the OLS regressions.

We first consider univariate regressions with one predictor at a time, and report the results in Table 3. Consistent with findings in earlier literature, the dividend-to-price ratio does a reasonable job of forecasting future returns in our sample period. The adjusted R-squared ranges from 11.1% at the one-year horizon to 39% at the four-year horizon. The regression coefficients are also highly significant according to the Newey-West corrected  $t$ -values. Once its persistence in a small sample is accounted for, however,  $dp$  ceases to be significant, according to our  $p$ -values that all 0.16 and higher.

The analyst-based expected earnings growth  $g$ , in itself, is not a strong return predictor, judging from the adjusted  $R^2$ s. Even at the four-year horizon, it is only 14.3%. Its return predictive power, while moderate, does seem to be statistically significant at the 10% confidence level beyond two years, according to the simulated  $p$ -values.

While neither  $dp$  nor  $g$  is a strong and significant return predictor,  $sy$ , a simple linear combination of the two, does a striking job in forecasting stock market returns. The adjusted  $R^2$  is as high as 13.0% at the one-year horizon, and increases to 53.5% at the four-year horizon. The regression coefficients are highly significant at all horizons according to either Newey-West corrected  $t$ -values or simulated  $p$ -values. Interestingly, the  $p$ -value declines with the forecasting horizon, suggesting that  $sy$  is a stronger predictor of long-horizon returns as in equation (2)

We consider three other valuation ratios:  $BM$ ,  $EP$ , and  $CAPE$ .  $EP$  is the weakest return predictor of the three, with low adjusted  $R^2$ s below 10% and insignificant regression coefficients at all horizons.  $CAPE$  is associated with high adjusted  $R^2$ s from 9.3% at the one-year horizon to 46.2% at the four-year horizon. As it is highly persistent, its regression coefficients are not significant, judging from the simulated  $p$ -values. Finally,  $BM$  is probably the best of the three, with reasonable adjusted  $R^2$ s from 10.5% at the one-year horizon to 37.2% at the four-year horizon. Its regression coefficients are marginally significant, according to the simulated  $p$ -values. Overall, stock yield outperforms all the valuation ratios by a clear margin.

We also consider four macroeconomic variables: term spread, default spread, the T-bill rate, and the T-bond rate. In general, they perform poorly in predicting future stock market returns, consistent with the findings in the literature. Their  $R^2$ s are low. Their regression coefficients are

not significant, with the exception of the T-bond rate whose coefficients are marginally significant for horizons beyond one year.

Finally, we consider a closely related return predictor, the implied cost of capital (*ICC*) of Li, Ng, and Swaminathan (2013). As we have shown in sections 3.1, *ICC* can be viewed as a more sophisticated version of stock yield that incorporates more inputs in the present value model.

Empirically, however, *ICC* does a slightly weaker job in predicting future stock market returns than our stock yield measure. While *ICC* has reasonably high adjusted  $R^2$ s from 6.9% at one-year horizon to 40.8% at four-year horizon, its regression coefficients are insignificant or only marginally significant. We should note that Li, Ng, and Swaminathan (2013) consider a slightly different predictive regression specification that forecasts future market excess returns (over the risk-free rate) using excess *ICC* (over yields of T-bills or T-bonds). We reproduce their results that excess *ICC* significantly predicts future excess market returns. We do not consider excess expected stock yield for the benchmark case because *sy* needs to be scaled properly before the T-bill or T-bond yield can be subtracted, but untabulated results confirm that *sy* does a comparable job predicting returns in-sample relative to *ICC* even if excess returns are used everywhere.<sup>19</sup>

Figure 3 provides a visual representation of the results, plotting both *ICC* and *sy* against average annual realized stock market returns in the next four years. It seems that stock yield does a better job than *ICC* in predicting the high stock returns following the two recent recessions.

The finding that *sy* can outperform a more complicated *ICC* is consistent with a large finance and accounting literature documenting that the value of equity analysts' forecasts comes mostly from their short-term earnings forecasts rather than their long-term growth forecasts. Furthermore, the steady-state cash flow growth rate tends to be very slow-moving. Indeed, Li, Ng, and Swaminathan (2013) proxy it with the average historical GDP growth rate. The information signal in the time-varying *ICC* from month to month largely comes from the current dividend-to-price ratio and the expected short-term earnings growth rate, information succinctly summarized in our stock yield.

Given the strong correlation between *sy* and other return predictors, it is informative to examine the incremental predictive power of *sy*. We do this by conducting bivariate regressions with both *sy*

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<sup>19</sup>The in-sample adjusted  $R^2$ s of excess *sy* are 7.7%, 15.6%, 21.5%, and 20.1% for one- to four-year horizons respectively, while the corresponding numbers are 6.1%, 17.5%, 28.6%, and 29.0% for excess *ICC*. And both excess *sy* and excess *ICC* outperform other predictors.

and another predictor simultaneously in equation (8). Overall, we find  $sy$  continues to be significant even with the presence of any other return predictor. The  $p$ -value of the average slope coefficient on  $sy$  is almost always below 10%. It is only slightly above 10% when  $EP$  or  $CAPE$  is included. Other predictors are never significant alongside  $sy$ . These results are not tabulated to save space, but available upon requests.

#### 4.1.1 Robustness checks

In Table 4, we demonstrate the robustness of our stock yield,  $sy$ . From now on, we report only the simulated  $p$ -values associated with the slope coefficients to save space. Panel A reports results from in-sample predictive regressions under various alternative definitions of  $sy$ .

So far we have defined  $sy$  as  $0.29 + 0.05(dp + 1.4g)$ , with the scaling factor 1.4 determined by the empirical autocorrelation in  $g$  in the full sample, so we are subject to a criticism of potential forward-looking bias. To ensure that our results are not driven by this particular choice of the scaling factor, we also consider defining  $sy$  as  $0.29 + 0.05(dp + 1.1g)$  or  $0.29 + 0.05(dp + 3.0g)$ , corresponding to an autocorrelation in  $g$  of 0.1 or 0.7, respectively. We find these two alternative  $sy$ s to produce very similar results. The adjusted  $R^2$ s are high and the regression coefficients are always highly significant, according to the simulated  $p$ -values. In fact, there seems to be a trade-off – while the lower scaling factor of 1.1 results in higher adjusted  $R^2$ s, the higher scaling factor of 3.0 actually produces more significant regression coefficients.

In the benchmark definition of  $sy$ , we use earnings forecasts on all stocks covered by analysts in IBES, so the resulting expected earnings growth forecast better proxies the cash flow growth prospects of the overall stock market whose returns we are predicting. One potential concern is that analysts' forecasts on small stocks could be highly biased, and thus contaminate the overall  $g$  measure. As one alternative definition, we also consider calculating  $sy$  using  $dp$  and  $g$  of the S&P500 stocks only. This alternative stock yield measure,  $sy_{sp}$ , indeed produces slightly better forecasting results. For instance, the adjusted  $R^2$  is 58.4% at the four-year horizon.

Another potential concern about our calculation of  $g$  is that we are matching actual GAAP realized earnings (before extraordinary items) with IBES forecasted earnings, while the accounting definitions of these two earnings are slightly different. IBES compiles forecasted and reported earnings using its proprietary procedures and definitions, with the aim to exclude from the GAAP-

based reported earnings certain nonrecurring items (such as one-time charges or gains associated with acquisitions), other special items, and nonoperating items.<sup>20</sup>

To address this concern of a mismatch between expected future earnings and realized past earnings, we consider an alternative definition of  $sy$  that uses  $g$  computed based on realized and forecasted earnings, both obtained from IBES. This alternative  $sy$ , labeled as  $sy_{ibes}$ , produces qualitatively similar results as our benchmark one, although both the adjusted  $R^2$ s and the significance levels associated with the regression coefficients are lower.

One important concern with using analyst forecasts is that they are likely to be biased on average. While it is generally believed that the biases associated with short-term earnings forecasts are small, they may still affect our analysis. It is important to note, however, that since we are running predictive regressions, the level of the bias is less relevant. These biases, as long as they persist from one month to another, should not have a strong impact on our monthly predictive regressions. To confirm this, we define two alternative  $sys$  in which we compute  $g$  not using the consensus earnings forecasts but rather the lowest or the highest forecasts across different analysts. We label them as  $sy_{low}$  and  $sy_{high}$ , respectively. If analyst bias has any significant impact on our analysis, we would expect  $sy_{low}$  and  $sy_{high}$  to produce very different results. We actually find the opposite – the results of regression using  $sy_{low}$  and  $sy_{high}$  are very similar, and are in fact also similar to those using our benchmark  $sy$ .

We also consider two alternative ways to define  $g$  using analyst forecasts. First, we compute the expected earnings growth rate as the one implied by analysts' forecasts of earnings for the two fiscal years ending in the next two years. We call the resulting growth rate  $g_2$ . Second, we simply use analysts' median long-term growth ( $LTG$ ) forecasts (available from 1982). Of the two alternative definitions,  $g_2$  still produces significant forecasting results, but  $LTG$  does not. We find that  $sy$  defined using these two alternative definitions of  $g$  performs more poorly than our benchmark  $sy$  defined using  $g$ , consistent with the notion that equity analysts are best at forecasting near-term earnings.

Finally, recall that  $g_t$  is computed as  $\log[E_t(Earn_{t+1})/Earn_t]$ , where  $E_t(Earn_{t+1})$  is analyst-

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<sup>20</sup>There are many studies in the accounting literature examining the difference between GAAP-based earnings and “street” earnings produced by commercial forecast data providers and the consequent implications for earnings-related analyses. See Bradshaw and Sloan (2002) and Abarbanell and Lehavy (2007), among others, for related discussions.

forecasted earnings for the next 12 months, and  $Earn_t$  is realized earnings for the most recent fiscal year. One might be concerned that it is the backward-looking realized earnings ( $Earn_t$ ) that drive the return predictive power in  $g_t$ . We argue that this is unlikely for two reasons. First,  $g_2$  computed using only forward-looking forecasts still produces significant forecasting results. Second, we decompose  $g = \log[E_t(Earn_{t+1})/Earn_t]$  into two parts:  $g = \log[E_t(Earn_{t+1})/Earn_t^{10}] + \log[E_t(Earn_t^{10})/Earn_t]$ , where  $Earn_t^{10}$  measures average earnings in the past 10 years. Untabulated results confirm that the predictive power in  $g$  is due mostly to the variation in forecasted earnings in the first term, rather than that in realized earnings in the second term.

One may question whether the expected cash flow growth rate  $g$  is correlated with the aggregate uncertainty in the economy. If that is the case, the incremental predictive power in  $sy$  may reflect the variance risk premium ( $vrp$ ) as documented in Bollerslev, Tauchen, and Zhou (2009) and Drechsler and Yaron (2011). More recently, Andersen, Fusari, and Todorov (2013) find a tail factor extracted from equity index option prices to have strong predictive power for market excess returns up to a year.

In Panel B of Table 4, we compare  $sy$  to  $vrp$ , where  $vrp$  is computed as the difference between the VIX and realized volatility (Details about  $vrp$  construction can be found in Bollerslev, Tauchen, and Zhou (2009)). Since  $vrp$  starts in 1990, the analysis in this panel covers a shorter sample period, from 1990 to 2012. We first find that  $sy$  performs as well in this shorter sample period as in our full sample.  $vrp$  is also highly significant in predicting future returns for the next one year and two years, but it does not predict future returns over horizons beyond two years. When put together in bivariate regressions,  $vrp$  clearly does not take away the explanatory power of  $sy$ . Furthermore, when comparing the adjusted  $R^2$ s from bivariate regressions to those from univariate regressions with only  $sy$ , we do not see major improvements.

#### 4.1.2 Portfolio results

Panel A of Table 5 reports results from in-sample predictive regressions using stock yield,  $sy$ , for various portfolios. We consider three book-to-market-sorted portfolios, three size-sorted portfolios, and five industry portfolios formed according to Fama and French (1997) industry classification scheme: consumer products, manufacturing, high-tech, health care, and others.

Stock yield,  $sy$ , is computed for each portfolio. To deal with negative earnings and earnings

forecasts at the portfolio level, we first calculate the raw expected earnings growth rate  $G_t$  as  $[E_t(Earn_{t+1}) - Earn_t]/abs(Earn_t)$  and winsorize it at  $-50\%$  and  $200\%$  to alleviate the impact of outliers. We then define  $g_t$  as  $\log(1 + G_t)$ . Finally, as before, we compute  $sy$  as  $0.29 + 0.05(d_t - p_t + 1.4g_t)$ . In untabulated analysis, we also let the scaling factor on  $g_t$  vary according to the actual AR(1) coefficient on  $g_t$ s of individual portfolios. The resulting scaling factors range from 1 and 2 across the 11 portfolios and produce very similar results as those reported.

The results in Panel A of Table 5 show that  $sy$  perform very well at the portfolio level. The  $p$ -values are uniformly significant across all 11 portfolios and at all horizons.  $sy$  does particularly well for growth and large stocks and in the consumer products and health care industries. It performs worst for small stocks, possibly due to the frequent occurrence of negative earnings. In addition, when we compute the average forecast dispersion at the portfolio level, we find the forecast dispersion to be lower in growth stocks than in value stocks (0.063 vs. 0.190), in large stocks than in small stocks (0.079 vs. 0.261), and lower in consumer products and health care industries.<sup>21</sup> In other words, the portfolio-level results confirm the notion that  $sy$  has stronger predictive power, precisely among stocks with less uncertain earnings expectations.

### 4.1.3 International results

We also extend the in-sample regression analysis to other G7 countries: Canada, France, Germany, Italy, Japan, and the United Kingdom. Panel B of Table 5 reports these results. As before, we compute  $sy$  as  $0.29 + 0.05(d_t - p_t + 1.4g_t)$ .

Because of the narrower IBES coverage of international stocks, the sample is much shorter for the other G7 countries. It starts in 1985 for Canada, in 1988 for France, Germany, and Japan, and in 1990 for Italy and UK. As a result,  $sy$  tends to have weaker predictive power than in the U.S. Nevertheless,  $sy$  does a reasonably good job in predicting future stock market returns even outside the U.S. Across all six countries, the predictive regression coefficient on  $sy$  is always significant (at the 10% confidence level) at the four-year horizon according to our simulations. The average coefficient (from one-year to four-year horizons) is significant at the 5% level for the UK

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<sup>21</sup>Forecast dispersion for each stock is computed as the ratio between the standard deviation in the earning forecasts across analysts and the absolute value of their consensus forecast, following Diether, Malloy, and Scherbina (2002). The dispersion measures are then value-weighted across stocks at the portfolio level. Equal-weighting gives very similar results.

and Germany, at the 10% level for Canada, and just marginally insignificant for France, Italy, and Japan with simulated  $p$ -values of 11%, 12%, and 11% respectively.

## 4.2 Out-of-sample tests

Often the predictability of stock returns is taken out-of-sample. Welch and Goyal (2008) show in an out-of-sample experiment that many well-known predicting variables do not consistently outperform the historical mean. We generate our out-of-sample forecast with a sequence of expanding samples. Specifically, we use information up to month  $m$  and estimate the following equation:

$$r_t = \alpha + \beta x_{t-1} + u_t, \forall t \leq m \quad (9)$$

where  $r_t$  is continuously compounded return in month  $t$ ,  $x_{t-1}$  is a predictive variable at month  $t-1$ ,  $u_t$  is the residual, and  $\alpha$  and  $\beta$  are coefficients. The coefficients, combined with  $x_m$ , are then used to estimate the expected return in month- $m+1$ .

We follow this process, adding to the sample by one month each time, thereby generating a series of out-of-sample next-month expected return forecasts,  $\hat{r}_{m+1}, \hat{r}_{m+2}, \dots, \hat{r}_T$ . The out-of-sample  $R^2$  then compares the mean-squared errors for a specific predicting variable to those when using historical means:

$$OOS - R^2 = 1 - \frac{\sum_{i=m}^{T-1} (r_{i+1} - \hat{r}_{i+1})^2}{\sum_{i=m}^{T-1} (r_{i+1} - \bar{r}_{i+1})^2}, \quad (10)$$

where  $\bar{r}_{i+1}$  is the historical mean of returns up to time  $i$ . Month  $m+1$  is the starting month of the out-of-sample period, and  $OOS-R^2$  therefore measures the performance of a particular predictor relative to the historical mean during that out-of-sample period.

A positive  $OOS-R^2$  means that this predictor outperforms historical mean. In that case, a market timer optimally allocating her assets between the stock market and a risk-free asset can enhance returns by using this predictor (rather than the historical average) to forecast next-month expected stock return. Campbell and Thompson (2008) show that this return enhancement is approximately  $OOS-R^2/\gamma$  where  $\gamma$  measures relative risk aversion. In other words, if an investor's relative risk aversion coefficient is 3, then the return to her market timing portfolio can be improved



by  $OOS-R^2$  per quarter. Of course, such a return improvement can come from taking more risk, so we also compute the implied utility gain for a mean-variance investor with a relative risk aversion coefficient of 3.

Equation (2) suggests that stock yield,  $sy$ , is a predictor of long-horizon future returns, and in-sample prediction results also indicate a higher predictive power of  $sy$  for longer-horizon returns. Hence it is helpful to include predictors from the past, or  $sy$  at different lags, to predict the next month's return. Appendix C details the out-of-sample  $R^2$ s of  $sy$  at different lags. We follow Li, Ng, and Swaminathan (2013) to use a two-year backward moving average of  $sy$  and  $ICC$ , which indeed helps improve predictive power. Consistent with their results, applying such an average to other predictors does not help improve predictive power much.<sup>22</sup>

For the benchmark case, we choose January 1999 as the start of the out-of-sample period. This allows a minimum of 20 years in the in-sample period.<sup>23</sup> Welch and Goyal (2008) show that well-known return predictors perform poorly starting in the late 1990s, so an out-of-sample period starting in 1999 is of particular relevance to examine.

The results are presented in Panel A of Table 6. Consistent with the prior literature, many predictors such as  $EP$  and macroeconomic variables have negative out-of-sample  $R^2$ s, thus underperforming the simple average historical return.  $dp$ ,  $sy$ ,  $CAPE$ , and  $ICC$  are the only four predictors with significant positive out-of-sample  $R^2$ s. Among these four predictors,  $sy$  has the highest  $R^2$  of 2.1%.  $sy$  is also associated with the highest utility gain among all the predictors, 8.38%, indicating that a risk-averse investor is willing to pay more than 8% in fees per year for access to the information embedded in  $sy$ .

We also consider a wide range of alternative starting dates for the out-of-sample period from 1999 to 2007. Figure 4 plots the out-of-sample  $R^2$  for  $sy$  and  $dp$ . It is clear from the plot that the high out-of-sample  $R^2$  for  $sy$  is not particular to the 1999 starting point in the benchmark case. In fact, the  $R^2$  for  $sy$  is almost always higher than 2% and can be as high as 3.3%. As a comparison, the  $R^2$  for  $dp$  is consistently lower and becomes negative for out-of-sample periods starting after 2002. It is interesting that while neither  $dp$  nor  $g$  does a great job in forecasting next-month stock market returns, when properly combined into  $sy$ , they become very informative about expected

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<sup>22</sup>For this reason, the backward moving average calculation is only applied to  $sy$  and  $ICC$ , and only for predicting next-month returns out-of-sample.

<sup>23</sup>Because of the moving average, the in-sample period for  $sy$  and  $ICC$  is 1979 – 1998.

future stock market returns.

To gauge whether  $sy$  has incremental predictive power that is not present in other predictors, we conduct Harvey, Leybourne, and Newbold (1998) forecast encompassing test. A forecast encompassing test of predictor  $i$  against predictor  $j$  tests the null hypothesis that the forecast based on predictor  $i$  encompasses the forecast based on predictor  $j$ , against the one-sided alternative that the forecast based on predictor  $i$  does not encompass the forecast based on predictor  $j$ . Untabulated results show that, in the tests of  $sy$  against other predictors, the  $p$ -values are always higher than 0.3, so we cannot reject the null that  $sy$  encompasses other predictors. On the other hand, in the tests of other predictors against  $sy$ , the  $p$ -values are always lower than 0.1, so we can reject the null that  $sy$  is encompassed by other predictors. Overall the results suggest that  $sy$  is more informative than other predictors in predicting future stock returns.

We also run similar out-of-sample tests to predict next one-year return. Panel B of Table 6 reports the out-of-sample  $R^2$  and associated  $p$ -values computed using Newey-West (1985) correction with the number of lags of 11 (the number of overlapping observations in this exercise). We find that stock yield continues to do a good job. Its out-of-sample  $R^2$  is 9.83% with a  $p$ -value of 0.02, compared to 5.17% for the  $ICC$  with a  $p$ -value of 0.06.

Finally, we also check the out-of-sample predictive power of  $sy$  and other predictors for market excess returns (in excess of risk-free rates). For consistency, we subtract the yield on T-bills from  $sy$  and  $ICC$  for this exercise. Confirming the results in Li, Ng, and Swaminathan (2013),  $ICC$  does the best job when predicting next one-month excess market returns with a OOS- $R^2$  of 1.43%.  $sy$  comes in second with a OOS- $R^2$  of 1.17%. All other predictors have either negative OOS- $R^2$ s or small positive OOS- $R^2$ s that are insignificant. When predicting next one-year excess returns,  $sy$  has the highest OOS- $R^2$  of 8.96%, followed by  $ICC$  with an OOS- $R^2$  of 6.87%.

To conclude, when the forecasting power is tested out-of-sample, only  $sy$  and  $ICC$  have consistently positive and significant OOS- $R^2$ s in various specifications.

### 4.3 Understanding the return predictability of stock yield

What is the source of the return predictability in stock yield? A quick look at Figure 3 seems to suggest that stock yield does a particularly good job in predicting the high stock returns following recessions.

We confirm this observation more formally by conducting our main analysis separately for “good times” and “bad times” categorized according to the Chicago Fed National Activity Index (CFNAI), which measures overall economic activity. We assign all calendar months in our sample period into one of two groups based on the CFNAI in that month: “good times” are those with above-median CFNAIs, and “bad times” are those with below-median CFNAIs.<sup>24</sup>

Figure 5 shows the results from in-sample tests that use stock yield to predict next-year stock returns in good times and bad times separately. We plot realized stock returns against the predicted stock returns for the two groups. It is clear that the predictive power of stock yield is concentrated during bad times when investors’ fears are high as measured by a low CFNAI index. During bad times, stock yield has an in-sample  $R^2$  of 26%, much higher than during good times.

This is true for out-of-sample predictions as well. During bad times, the out-of-sample  $R^2$  associated with stock yield is 3.52%, much higher than during good times. This is not surprising, as our out-of-sample period 1999 – 2012 includes two major recessions. Intuitively, when the economy is not doing well, the risk premium tends to be high looking ahead. At the same time, current dividends are depressed and imply higher future growth expectations. Such higher growth expectations show up in our stock yield and enables it to capture the increased expected returns. In addition, while analysts’ earnings forecasts tend to be optimistic on average, the optimism bias is alleviated during bad times, making the forecasted growth more accurate.<sup>25</sup>

Our finding is also consistent with the intuition in Boyd, Hu, and Jagannathan (2005), who argue that information about future corporate dividends dominates during contraction, and such information needs to be accounted for when predicting future stock returns. The fact that stock yield has stronger predictive power in bad times is also consistent with the recent finding in Kacperczyk, Van Nieuwerburgh, and Veldkamp (2014) that skillful mutual fund managers are able to time the market during recessions.

Predicting stock market returns at different future horizons using stock yield in “good” and “bad” times separately also reveals interesting features about the term structure of expected equity returns. When we use stock yield to predict the average monthly returns in the next one year,

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<sup>24</sup>We obtain similar results when we use the real-time recession probability as developed by Guan and Parker (2014) to classify “good” and “bad” times.

<sup>25</sup>The correlation between the absolute forecast error in  $g$  and CFNAI is 0.28, suggesting forecasted growth is more accurate in bad times.

two years, and up to four years in “good” times, we find increasing coefficients from 1.24 to 2.97. In sharp contrast, in “bad” times these coefficients decline with the forecasting horizons — from 4.40 at the one-year horizon to 1.69 at the four-year horizon, consistent with a downward-sloping term structure of equity returns as documented by Binsbergen, Brandt, and Koijen (2012) and Binsbergen, Hueskes, Koijen, and Vrugt (2013).

To conclude this section, we find that the stock yield measure does a good job predicting stock returns by itself. Its out-of-sample  $R^2$ s are consistently above 2% when predicting monthly returns over various out-of-sample periods. It also predicts next one-year market returns, both raw and excess ones, very well out of sample. In-sample, stock yield predicts future stock market returns with an adjusted  $R^2$  of 13% at the one-year horizon, up to 54% at the four-year horizon in the U.S. It also performs well in predicting the returns on aggregate stock markets in other G7 countries and portfolios of U.S. stocks formed on firm characteristics such as book-to-market ratio, size, and industry. Overall, the performance of stock yield is comparable, if not slightly better than some of the best return predictive variables documented so far in the literature.

In the next two sections, we further show that the stock yield can be easily combined with sophisticated econometric techniques recently developed by Kelly and Pruitt (2013) and Binsbergen and Koijen (2010) to achieve even better return predictive power. For these analyses, we focus on the out-of-sample prediction.

## 5 Extracting Factor from the Cross-Section of Stock Yields

Kelly and Pruitt (2013) propose a three-stage regression approach to extract a single market return predictor from the cross-section of portfolio-level predictive variables, such as the book-to-market ratios of 25 Fama-French portfolios. Denoting  $r_{t,h}$  the  $h$ -period market return after period  $t$  and  $x_{j,t}$  the predictive variable at period  $t$  for the portfolio  $j$ , the first step runs a time-series regression of the predictive variable,  $x_{j,t}$  on the future market return to forecast,  $r_{t,h}$ , for each portfolio  $j$  separately:

$$x_{j,t} = \hat{\phi}_{j,0} + \hat{\phi}_j r_{t,h} + e_{j,t}. \quad (11)$$

The second step runs a cross-sectional regression of all portfolios’ predictive variables on their

loadings on the market return estimated in the first-stage regression, for each period  $t$ :

$$x_{j,t} = \hat{c}_t + \hat{F}_t \hat{\phi}_j + u_{j,t}. \quad (12)$$

The regression coefficient,  $\hat{F}_t$ , is the predictive factor for the future market return at period  $t$ . To generate predicted future market returns, the third step regresses future market returns on the lagged predictive factor estimated in the second-stage regression:

$$r_{t,h} = \hat{\beta}_0 + \hat{\beta} \hat{F}_t + \varepsilon_t. \quad (13)$$

to generate predicted future market returns. Specifically, to generate the out-of-sample prediction for  $r_{t,h}$ , the  $h$ -period market return over the period  $t+1$  to  $t+h$ , we first run the regression in equation (13) with data up to period  $t$ , i.e., the last  $h$ -period market return entering the regression ends in period  $t$ , and the corresponding predictor is in period  $t-h$ ,  $\hat{F}_{t-h}$ . Then the out-of-sample predicted market return is the product of the regression coefficient,  $\hat{\beta}$ , and the predictor in period  $t$ ,  $\hat{F}_t$ .

We adopt this three-stage regression approach to extract a single market return predictor from the cross-section of portfolio-level stock yields,  $sy$ . To ensure sufficient variation in  $sy$ , we form size- $sy$  portfolios based on a two-way conditional sort of stocks, first by market capitalization and then by  $sy$ . More specifically, to form 6 (25) size- $sy$  portfolios, in each month  $t$  we first sort stocks into 2 (5) equally sized groups based on market capitalization at the end of month  $t$ , and within each market capitalization group, we further sort stocks into 3 (5) equally sized groups based on  $sy$ . We use only stocks with non missing market capitalization and  $sy$ . We then calculate the portfolio-level  $sy$  and run the three-stage regressions above to generate market return predictor ( $KP$ - $sy$ ).<sup>26</sup>

For comparison, we apply a similar procedure to form size- $DP$  portfolios based on the two-way conditional sort on market capitalization and log dividend-to-price ratio,  $DP$ , and extract a single market return predictor ( $KP$ - $DP$ ) from the  $DP$ s of these portfolios. We also replicate the original Kelly and Pruitt (2013) prediction, which uses log book-to-market ratios of Fama-French portfolios

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<sup>26</sup>For one-month market return predictions, as in the univariate prediction, we use a two-year backward moving average of  $sy$  to form portfolios and calculate portfolio-level  $sy$  as the value-weighted average of stock-level  $sy$ .

since 1930 to extract a single return predictor ( $KP-BM$ ).<sup>27</sup>

The out-of-sample forecasting performance of these cross-sectionally extracted factors is presented in Table 7. We find that the factor extracted from the cross-section of  $sy$  ( $KP-sy$ ) performs better than the market-level  $sy$ . For example, when predicting the next-one-month stock return, the out-of-sample  $R^2$  is 2.70% for  $KP-sy$  extracted from 6 portfolios and 2.71% for  $KP-sy$  extracted from 25 portfolios. Both  $R^2$ s are higher than the 2.10% from using market-level  $sy$  (reproduced from Panel A of Table 6). Similarly, when predicting the next-one-year stock return,  $KP-sy$  extracted from 6 portfolios has an out-of-sample  $R^2$  of 11.66%, higher than the 9.83% from using market-level  $sy$ . Performance improves even further with 25 portfolios in the cross-section.  $KP-sy$  now has an out-of-sample  $R^2$  of 19.49%. Likewise, we find  $KP-DP$  and  $KP-BM$  extracted from the cross-section to outperform the market-level  $DP$  and  $BM$ , respectively. These results confirm the intuition in Kelly and Pruitt (2013) that information from the cross-section can enhance return predictability.

We also find  $KP-sy$  does better than  $KP-DP$ . When predicting the next-one-month stock return,  $KP-DP$  has an out-of-sample  $R^2$  of 1.41% using 6 portfolios and 1.47% using 25 portfolios. The corresponding numbers increase to 5.06% and 9.57% when predicting the next-one-year stock return. These  $R^2$ s are all lower than their counterparts from using  $KP-sy$ .

Finally, we show that  $KP-sy$  compares favorably against  $KP-BM$ . For example, extracted from 25 portfolios,  $KP-BM$  has an out-of-sample  $R^2$  of 1.47% when predicting next-one-month return and an out-of-sample  $R^2$  of 14.11% when predicting next-one-year return.

Overall, these results suggest that the three-stage regression approach developed by Kelly and Pruitt (2013) can be applied to the cross-section of stock yields to produce an even stronger stock return predictor.

## 6 Extending the Present Value Approach with Stock Yield

Binsbergen and Koijen (2010) consider a time-series model that satisfies the present value relation in which conditional expected returns and expected dividend growth rates are modeled as latent

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<sup>27</sup>We also try to use log book-to-market ratios of Fama-French portfolios from 1977, the starting point of our sample period, to extract a single return predictor. The predictive performance is actually worse. To maintain consistency with the original KP prediction, we use the data from 1930 for this prediction.

variables. They show that this approach significantly improves the predictability of both future return and dividend growth. Specifically, they assume AR(1) processes for the two latent state variables: the expected return ( $\mu$ ) and the expected dividend growth ( $g$ ):

$$\begin{aligned}\mu_{t+1} &= \delta_0 + \delta_1 (\mu_t - \delta_0) + \epsilon_{t+1}^\mu \\ g_{t+1} &= \gamma_0 + \gamma_1 (g_t - \gamma_0) + \epsilon_{t+1}^g.\end{aligned}\tag{14}$$

The de-measured state variables are:

$$\begin{aligned}\hat{\mu}_t &= \mu_t - \delta_0 \\ \hat{g}_t &= g_t - \gamma_0.\end{aligned}$$

Using the parameters in the above AR(1) processes, equation (1) can be written as:

$$\begin{aligned}dp_t &= -\frac{\kappa}{1-\rho} - \frac{\gamma_0 - \delta_0}{1-\rho} + \frac{\mu_t - \delta_0}{1-\rho\delta_1} - \frac{g_t - \gamma_0}{1-\rho\gamma_1} \\ &= A + B_1 \cdot \hat{\mu}_t - B_2 \cdot \hat{g}_t\end{aligned}\tag{15}$$

The baseline state-space representation, used by Binsbergen and Koijen (2010), is defined by two measurement equations:

$$\begin{aligned}dp_t &= A + B_1 \cdot \hat{\mu}_t - B_2 \cdot \hat{g}_t, \\ \Delta d_{t+1} &= \gamma_0 + \hat{g}_t + \epsilon_{t+1}^d.\end{aligned}$$

The two transition equations are:

$$\begin{aligned}\hat{\mu}_{t+1} &= \delta_1 \cdot \hat{\mu}_t + \epsilon_{t+1}^\mu, \\ \hat{g}_{t+1} &= \gamma_1 \cdot \hat{g}_t + \epsilon_{t+1}^g.\end{aligned}$$

We have shown the stock yield ( $sy$ ) to be a good measure of expected stock return, which allows us to add another measurement equation:

$$sy_t = a + b \cdot \hat{\mu}_t.$$

We then evaluate the out-of-sample performance of the original Binsbergen and Koijen (2010) model (original BK) and its extension that includes  $sy$  (extended BK) using monthly data.

We use non-overlapping monthly return, dividend growth and dividend-to-price ratio. Monthly dividends are computed from CRSP returns using the difference between the total monthly return and the monthly return without dividends. The dividend-to-price ratio for month  $t$  is computed as the ratio between the dividend in that month and the price at the end of the month. We do not apply seasonal adjustment to the monthly dividend data so the present value relation holds every month.  $sy$  is computed as the two-year backward moving average as before. To be consistent with our earlier out-of-sample analysis, we start our out-of-sample period in January 1999. Specifically, we use data before 1999 to estimate both models, and compute expected returns for January 1999. Next, we re-estimate both models using data up to January 1999 and compute expected returns for February 1999. We then repeat this process going forward. This procedure allows us to generate a time series of monthly expected returns under both models from January 1999 through December 2012. We compare them to the realized returns and compute the out-of-sample  $R^2$  as before. Parallel to Figure 4, we also consider a wide range of starting dates for the out-of-sample period from 1999 through 2007, and plot the out-of-sample  $R^2$ s for both models in Figure 6.

The original BK model generates an out-of-sample  $R^2$  of 2.71% when we start the out-of-sample period in 1999, even better than the performance of  $sy$  as reported in Panel A of Table 6 (2.10%). More interestingly, incorporating stock yield ( $sy$ ) in the extended BK model improves the out-of-sample  $R^2$  further to 4.22%! Indeed, the extend BK model outperforms the original BK model for a wide range of out-of-sample cutoff points.

Similarly, when predicting next-one year returns, the original BK model generates an out-of-sample  $R^2$  of 19.50% for the out-of-sample period starting in 1999. Incorporating stock yield ( $sy$ ) in the extended BK model improves the out-of-sample  $R^2$  further to 25.66%!<sup>28</sup>

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<sup>28</sup>To predict next-one year returns, we continue to use non-overlapping monthly return, dividend growth and dividend-to-price ratio so the present value relation holds. We use the raw monthly  $sy$  here rather than its two-year backward moving average. The resulting next-one-month return forecasts, after simple annualization, become our next-one-year return forecasts.



## 7 Conclusion

According to the Gordon growth model, the long horizon expected return on stock (stock yield) is the sum of the dividend yield and some weighted average of expected future growth rates in dividends. We show how to construct a measure of the weighted average of expected future growth rate in dividends based on sell side analysts' near term earnings forecasts. During 1977-2012, the stock yield measure constructed in this manner predicts future stock returns as well as other variables that have been proposed in the literature for predicting stock returns. The forecasts perform better during times when investors' recession fears are high.

Our work links the insights from earlier literature (Campbell and Shiller (1988), among others) with more recent studies that examine the implied cost of equity capital, *ICC* (e.g., Li, Ng, and Swaminathan (2013)). Confirming the insight in Campbell and Shiller (1988), we find augmenting the valuation ratio with a measure of growth expectation significantly improves stock return predictability. Consistent with the literature on the *ICC*, we find that forward-looking growth expectations embedded in analysts' forecasts, especially their near-term earnings forecasts, are useful in predicting stock returns. The additional assumptions in the *ICC* models, such as those regarding payout ratios, the time for the growth rate to reach a steady-state one, and the way the growth rate fades, appear not critical if the objective is to forecast future stock returns.

Finally, when combined with recently developed econometric techniques, stock yield improves their performance in predicting future stock returns. We give two examples in the paper: (1) the three-stage regression approach of Kelly and Pruitt (2013), and (2) the present-value model of Binsbergen and Koijen (2010).

## References

- Abarbanell, J., and R. Lehavy. 2007. Letting the “Tail Wag the Dog”: The Debate over GAAP versus Street Earnings Revisited. *Contemporary Accounting Research* 24:675–723.
- Ai, H., M. Croce, A. Diercks, and K. Li. 2013. Production-Based Term Structure of Equity Returns. *Working Paper*, UNC Chapel Hill.
- Andersen, T., N. Fusari, and V. Todorov. 2013. The Risk Premia Embedded in Index Options. *Working Paper*, Northwestern University.
- Bakshi, G., and Z. Chen. 2005. Stock Valuation in Dynamic Economies. *Journal of Financial Markets* 8:111–151.
- Ball, R. 1978. Anomalies in Relationships between Securities’ Yields and Yield-surrogates. *Journal of Financial Economics* 6:103–126.
- Bansal, R., D. Kiku, I. Shaliastovich, and A. Yaron. 2014. Volatility, the Macroeconomy, and Asset Prices. *Journal of Finance* Forthcoming.
- Bansal, R., and C. Lundblad. 2002. Market Efficiency, Asset Returns, and the Size of the Risk Premium in Global Equity Markets. *Journal of Econometrics* 109:195–237.
- Basu, S. 1983. The Relationship between Earnings’ Yield, Market Value and Return for NYSE Common Stocks: Further Evidence. *Journal of Financial Economics* 12:129–156.
- Belo, F., P. Collin-Dufresne, and R. Goldstein. 2014. Dividend Dynamics and the Term Structure of Dividend Strips. *Journal of Finance* Forthcoming.
- Binsbergen, J.V., M. W. Brandt, and R. Koijen. 2012. On the Timing and Pricing of Dividends. *American Economic Review* 102:1596–1618.
- Binsbergen, J.V., W. Hueskes, R. Koijen, and E. Vrugt. 2013. Equity Yields. *Journal of Financial Economics* 110:503–519.
- Binsbergen, J.V., and R. Koijen. 2010. Predictive Regressions: A Present-Value Approach. *Journal of Finance* 65:1439–71.

- Bollerslev, T., G. Tauchen, and H. Zhou. 2009. Expected Stock Returns and Variance Risk Premia. *Review of Financial Studies* 22:4463–4492.
- Boyd, J., J. Hu, and R. Jagannathan. 2005. The Stock Market’s Reaction to Unemployment News: Why Bad News Is Usually Good for Stocks. *Journal of Finance* 60:649–672.
- Bradshaw, M., and R. Sloan. 2002. GAAP versus the Street: An Empirical Assessment of Two Alternative Definitions of Earnings. *Journal of Accounting Research* 40:41–66.
- Campbell, J., and R. Shiller. 1988. The Dividend-Price Ratio and Expectations of Future Dividends and Discount Factors. *Review of Financial Studies* 1:195–228.
- Campbell, J., and S. Thompson. 2008. Predicting Excess Stock Returns Out of Sample: Can Anything Beat the Historical Average? *Review of Financial Studies* 21:1509–1531.
- Chan, L., J. Karceski, and J. Lakonishok. 2003. The Level and Persistence of Growth Rates. *Journal of Finance* 58:643–684.
- Chen, L., Z. Da, and X. Zhao. 2013. What Drives Stock Price Movement? *Review of Financial Studies* 26:841–876.
- Clark, T., and K. West. 2007. Approximately Normal Tests for Equal Predictive Accuracy in Nested Models. *Journal of Econometrics* 138:291–311.
- Claus, J., and J. Thomas. 2001. Equity Premia as Low as Three Percent? Evidence from Analysts’ Earnings Forecasts for Domestic and International Stock Markets. *Journal of Finance* 56:1629–1666.
- da Silva, A., and R. Jagannathan. 2001. Forecasting Earnings and Dividends on Benchmark Stock Portfolios. *Working paper*, Northwestern University.
- Daniel, K., and S. Titman. 2006. Market Reactions to Tangible and Intangible Information. *Journal of Finance* 61:1605–1643.
- Diether, K., C. Malloy, and A. Scherbina. 2002. Differences of Opinion and the Cross Section of Stock Returns. *Journal of Finance* 57:2113–2141.

- Drechsler, I., and A. Yaron. 2011. What's Vol Got to Do with It. *Review of Financial Studies* 24:1–45.
- Fama, E., and K. French. 1988. Dividend Yields and Expected Stock Returns. *Journal of Financial Economics* 22:3–25.
- Fama, E., and K. French. 1997. Industry Costs of Equity. *Journal of Financial Economics* 43:153–193.
- Fama, E., and G. Schwert. 1977. Asset Returns and Inflation. *Journal of Financial Economics* 5:115–146.
- Golez, B. 2014. Expected Returns and Dividend Growth Rates Implied by Derivative Markets. *Review of Financial Studies* 27:790–822.
- Gordon, M. 1962. *The Investment, Financing, and Valuation of the Corporation* (Homewood, IL: R. D. Irwin).
- Guan, J., and J. Parker. 2014. Predicting the Equity Premium using Macroeconomic Data. *Working Paper*, Georgia State University.
- Harvey, D.I., S.J. Leybourne, and P. Newbold. 1998. Tests for Forecast Encompassing. *Journal of Business & Economic Statistics* 16:254–259.
- Hou, K., G. Karolyi, and B. Kho. 2011. What Factors Drive Global Stock Returns? *Review of Financial Studies* 24:2527–2574.
- Ince, O., and R. Porter. 2006. Individual Equity Return Data From Thomson Datastream: Handle with Care! *Journal of Financial Research* 29:463–479.
- Ivkovic, Z., and N. Jegadeesh. 2004. The Timing and Value of Forecast and Recommendation Revisions *Journal of Financial Economics* 73:433–463.
- Jagannathan, R., E. McGrattan, and A. Scherbina. 2000. The Declining U.S. Equity Premium. *Quarterly Review, Federal Reserve Bank of Minneapolis* 24:3–19.
- Kacperczyk M., S. Van Nieuwerburgh, and L. Veldkamp. 2014. Time-Varying Fund Manager Skill. *Journal of Finance* 69:1455–1484.

- Kelly, B., and S. Pruitt. 2013. Market Expectations in the Cross-Section of Present Values. *Journal of Finance* 68:1721–1756.
- Kim, S. 2013. Asset Prices in Turbulent Markets with Rare Disasters. *Working Paper*, Georgia Institute of Technology.
- Lacerda, F., and P. Santa-Clara. 2010. Forecasting Dividend Growth to Better Predict Returns. *Working Paper*, University of Chicago and Universidade Nova de Lisboa.
- Lettau, M., and S. Ludvigson. 2005. Expected Returns and Expected Dividend Growth? *Journal of Financial Economics* 76:583–626.
- Li, Y., D. Ng, and B. Swaminathan. 2013. Predicting Market Returns Using Aggregate Implied Cost of Capital, *Journal of Financial Economics* 110:419–436.
- Ljungqvist, A., C. Malloy, and F. Marston. 2009. Rewriting History. *Journal of Finance* 64:1935–1960.
- Miller, M., and F. Modigliani. 1961. Dividend Policy, Growth, and the Valuation of Shares. *Journal of Business* 34:411–433.
- Newey, W., and K. West. 1987. A Simple, Positive Semi-definite, Heteroskedasticity and Autocorrelation Consistent Covariance Matrix. *Econometrica* 55:703–708.
- Pastor, L., M. Sinha, and B. Swaminathan. 2008. Estimating the Intertemporal Risk-Return Tradeoff Using the Implied Cost of Capital. *Journal of Finance* 63:2859–2897.
- Welch, I., and A. Goyal. 2008. A Comprehensive Look at the Empirical Performance of Equity Premium Prediction. *Review of Financial Studies* 21:1455–1508.

## Appendix A: Term structure of equity returns

Following Pastor, Sinha, and Swaminathan (2008), we assume that the conditional expected return,  $\mu_t \equiv E_t(r_{t+1})$ , follows a stationary AR(1) process:

$$\mu_{t+1} = a + b\mu_t + u_{t+1}, \quad 0 < b < 1, \quad u_{t+1} \sim N(0, \sigma_u^2).$$

From equation (2), it is easy to show that:

$$sy_t = \frac{a}{(1-b)(1-\rho)} + \left( \mu_t - \frac{a}{1-b} \right) \frac{1}{1-\rho b}.$$

In other words,  $sy$  is an affine transformation of the next-period expected return,  $\mu_t$ .  $\mu$  turns out to be the one factor that drives the entire equity term structure in this simple case. For example, the next-two-period expected return per period is:

$$\begin{aligned} er_2 &= \frac{E_t(r_{t+1} + r_{t+2})}{2} \\ &= \frac{\mu_t + E_t(\mu_{t+1})}{2} \\ &= \frac{a + (1+b)\mu_t}{2}. \end{aligned}$$

In general, the  $n$ -period expected return per period is:

$$er_n = \frac{a}{1-b} + \frac{1}{n} \frac{1-b^n}{1-b} \left( \mu_t - \frac{a}{1-b} \right).$$

When  $n \rightarrow \infty$ ,  $er_n \rightarrow \frac{a}{1-b}$ , or the unconditional expected return. Importantly, these future expected returns are all functions of  $\mu$  and can therefore be predicted by  $sy$ .

## Appendix B: Simulated $p$ -values

We illustrate our simulation procedure using a bivariate regression where the predictive variables are  $sy$  and  $BM$ .

Define a  $3 \times 1$  column vector  $Z_t = [r_t, sy_t, BM_t]'$ . We first estimate a first-order VAR:  $Z_{t+1} = A_0 + A_1 Z_t + u_{t+1}$ . We impose the null hypothesis of no return predictability by setting the slope

coefficients of the  $r_t$  equation to zero and the intercept of the equation to the empirical mean of  $r_t$ . The fitted VAR is then used to generate T observations of the simulated variables  $[r_t, sy_t, BM_t]'$ . The initial observations are drawn from a multivariate normal distribution of the three variables with mean and covariance matrix set to their empirical counterparts. Once the initial observations are chosen, the subsequent T-1 simulated observations are generated from the fitted VAR with the shocks bootstrapped from the actual VAR residuals (sampling without replacement). These simulated data are then used to run a bivariate return predictive regression to produce regression coefficients.

We repeat the process 50,000 times to obtain the empirical distribution of the regression coefficients (under the null of no predictability), which in turn produce the  $p$ -values associated with our actual estimated coefficients.

### Appendix C: Return predictability of stock yield ( $sy$ ) at different lags

We investigate the out-of-sample return predictability of  $sy$  at different lags. Specifically, we report below the  $OOS-R^2$  associated with predicting the next-one-month stock market return using  $sy$  lagged by 1 month, 2 months, ..., and up to 24 months. The out-of-sample period ranges from 1999 through 2012. \*, \*\*, and \*\*\* indicate significance at 10%, 5%, and 1%, respectively.

Lag	$OOS-R^2$	Lag	$OOS-R^2$	Lag	$OOS-R^2$	Lag	$OOS-R^2$
1	-0.10	7	2.24**	13	4.01***	19	-0.59
2	0.44	8	2.92***	14	2.78**	20	-0.70
3	-0.13	9	2.76***	15	2.48**	21	-0.40
4	0.48	10	3.22***	16	2.36**	22	-1.52
5	0.91*	11	3.90***	17	1.35*	23	-1.59
6	1.13*	12	4.45***	18	0.57	24	-2.02

We see a hump-shaped relation between the out-of-sample  $R^2$  and the number of lags in  $sy$ . Initially, the  $OOS-R^2$ s is low and negative until lag 5 when it becomes positive and significant (0.91%). It is positive and significant for all lags between 5 and 17. Interestingly, it peaks at a lag equal to exactly one year with a value as high as 4.45%! After lag 18,  $OOS-R^2$  becomes negative again. Overall,  $sy$  does the best job when predicting future monthly stock returns centering around one year.

It is not too surprising that  $sy$  does not the beat historical average in predicting stock returns far into the future (beyond 18 months). It is somewhat puzzling that  $sy$  also underperforms in predicting returns in the near future. Such an underperformance could arise from the strong short-term momentum in the market return. After a recent rise in the stock market, valuation ratios including  $sy$  would go down. Short-term momentum, however, would predict a higher return in the near future, offsetting the usual positive relation between the current valuation ratio and future stock returns, and reducing the return predictive power.

Rather than arbitrarily choosing a particular lag in  $sy$  for the out-of-sample test, we follow Li, Ng, and Swaminathan (2013) and use a two-year backward moving average of  $sy$ . The results in this appendix suggest that as long as the length of the rolling window covers at least one year, the resulting moving average  $sy$  should do a good job in the out-of-sample tests.



Figure 1: **Dividend-to-Price Ratio ( $dp$ ) vs. Augmented Dividend-to-Price Ratio ( $dp + 1.4g$ )**

The figure plots the log dividend-to-price ratio ( $dp$ ) against the augmented ratio ( $dp + 1.4g$ ) at the market level, where  $g$  is the log value of forecasted earnings growth rate. The sample period is January 1977 through December 2012.

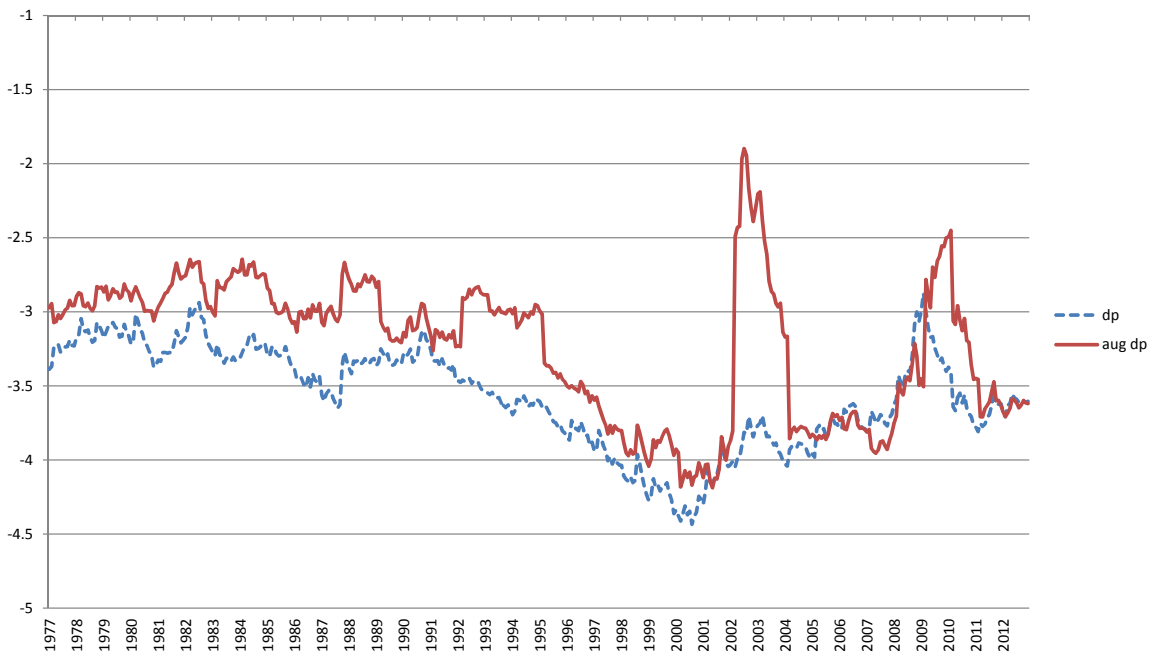


Figure 2: **Implied Cost of Capital (*ICC*) vs. Stock Yield (*sy*)**

The figure plots the implied cost of capital (*ICC*) against the stock yield (*sy*) at the market level. *sy* is the stock yield measure, calculated as  $0.29+0.05(dp+1.4g)$ , where *dp* is the log value of the dividend-to-price ratio, and *g* is the log value of forecasted earnings growth rate. *ICC* is the continuously compounded implied cost of capital. The sample period is January 1977 through December 2012.

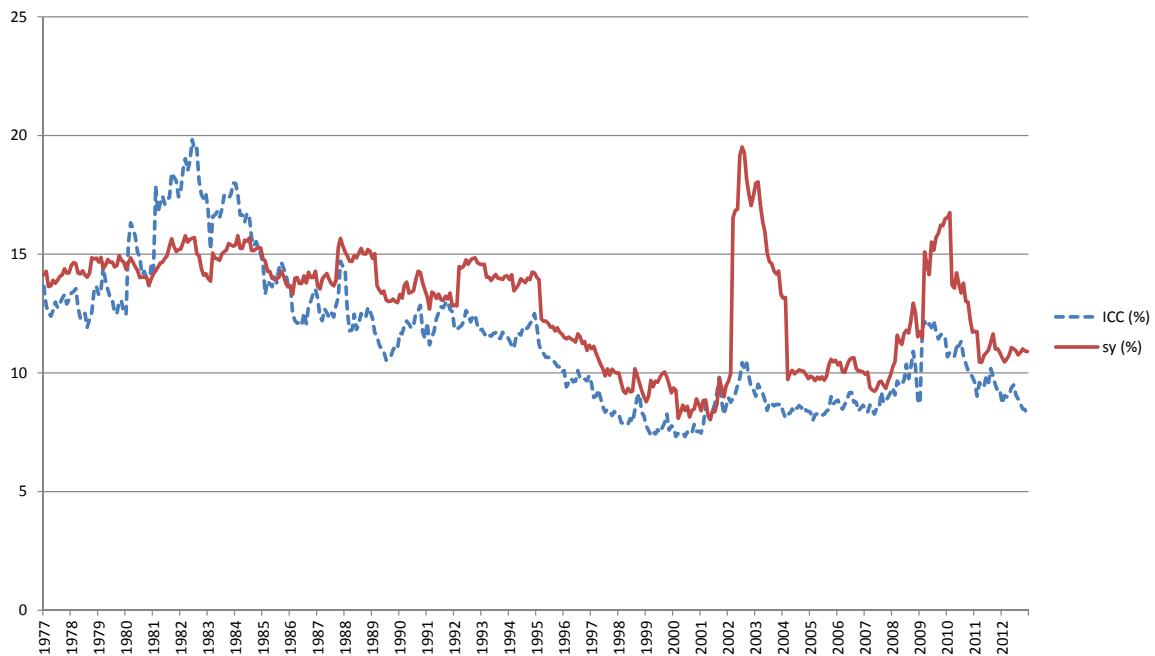


Figure 3: **Implied Cost of Capital (*ICC*), Stock Yield (*sy*), and Average Return in the Next Four Years**

The figure plots the implied cost of capital (*ICC*), the stock yield (*sy*), and the average monthly continuously compounded return in the next four years at the market level. *sy* is the stock yield measure, calculated as  $0.29+0.05(dp+1.4g)$ , where *dp* is the log value of the dividend-to-price ratio, and *g* is the log value of forecasted earnings growth rate. *ICC* is the continuously compounded implied cost of capital. The sample period is January 1977 through December 2012.

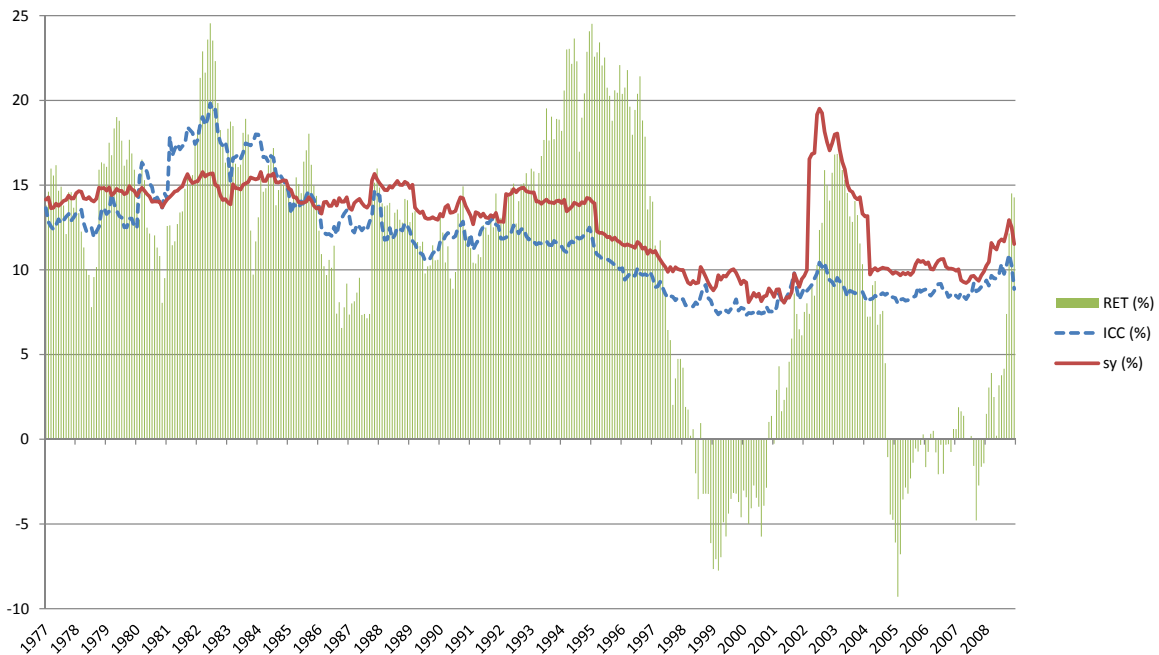


Figure 4: **Out-of-sample  $R^2$ s: Dividend-to-Price Ratio ( $dp$ ) vs. Stock Yield ( $sy$ )**

The figure plots the out-of-sample  $R^2$ s of predicting next one-month returns by the log dividend-to-price ratio ( $dp$ ) and the stock yield ( $sy$ ) at the market level for different starting points of the out-of-sample period.  $sy$  is calculated as  $0.29+0.05(dp+1.4g)$ , where  $g$  is the log value of forecasted earnings growth rate. For a specific out-of-sample starting point month  $t$ , the in-sample period is January 1977 through month  $t-1$ , and the out-of-sample period is month  $t$  through December 2012.

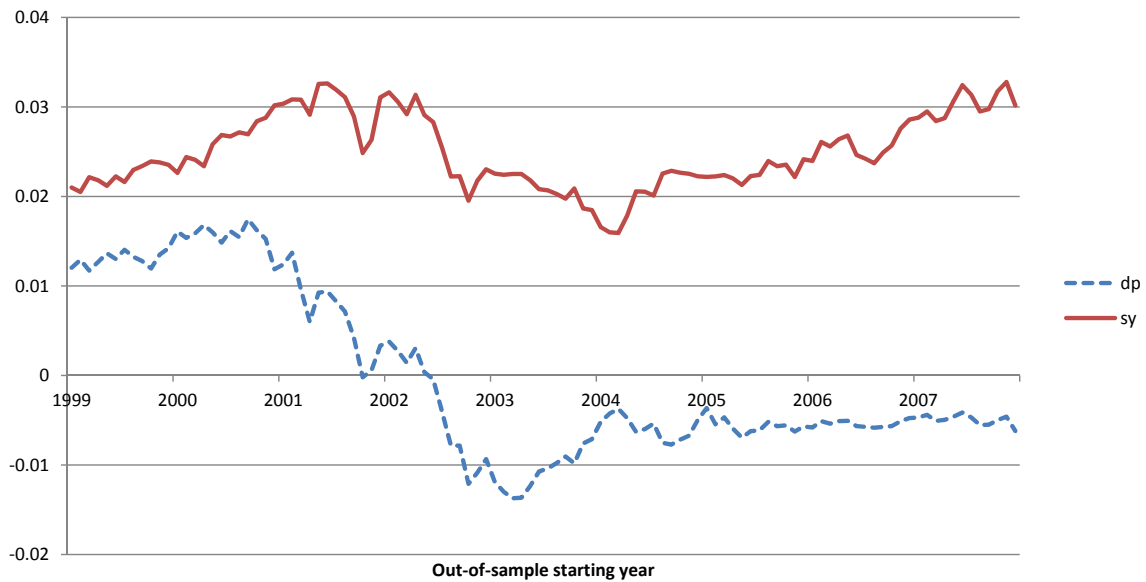


Figure 5: In-Sample Predictions: Good Times *vs.* Bad Times

The figure plots realized one-year returns against predicted one-year returns by stock yield for “good times” and “bad times” separately. “Good times” and “bad times” are categorized according to the Chicago Fed National Activity Index (CFNAI), which measures overall economic activity. Each calendar month in the sample period is placed in one of two groups based on the CFNAI in that month: “good times” are those with above-median CFNAIs, and “bad times” are those with below-median CFNAIs.

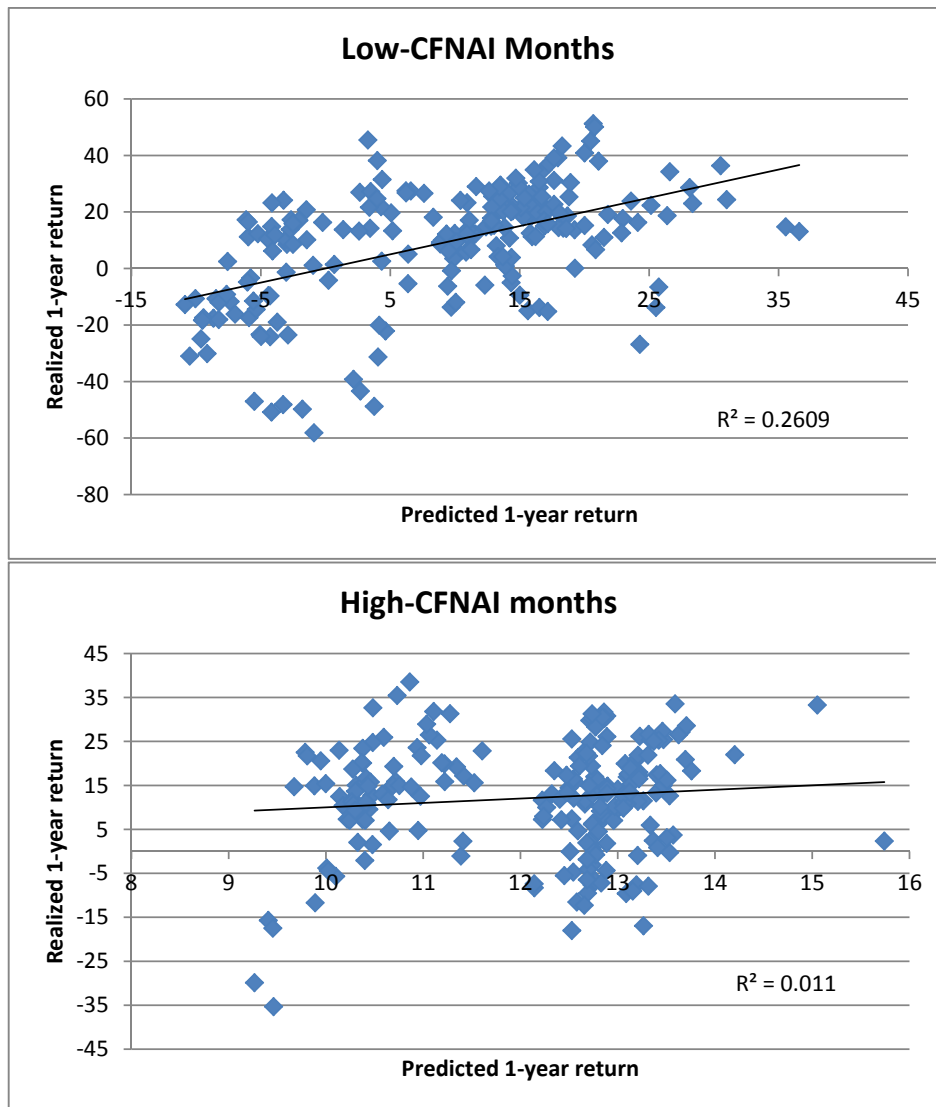


Figure 6: **Out-of-Sample  $R^2$ s: Original BK and Extended BK**

The figure plots the out-of-sample  $R^2$ s of predicting monthly market returns according to the original Binsbergen and Koijen (2010) model (Original BK) and its extension with stock yield (Extended BK). We vary the starting points (month  $t$ ) of the out-of-sample period from January 1999 to December 2007, using the period January 1977 to month  $t-1$  as the in-sample period and the period month  $t$  to December 2012 as the out-of-sample period.

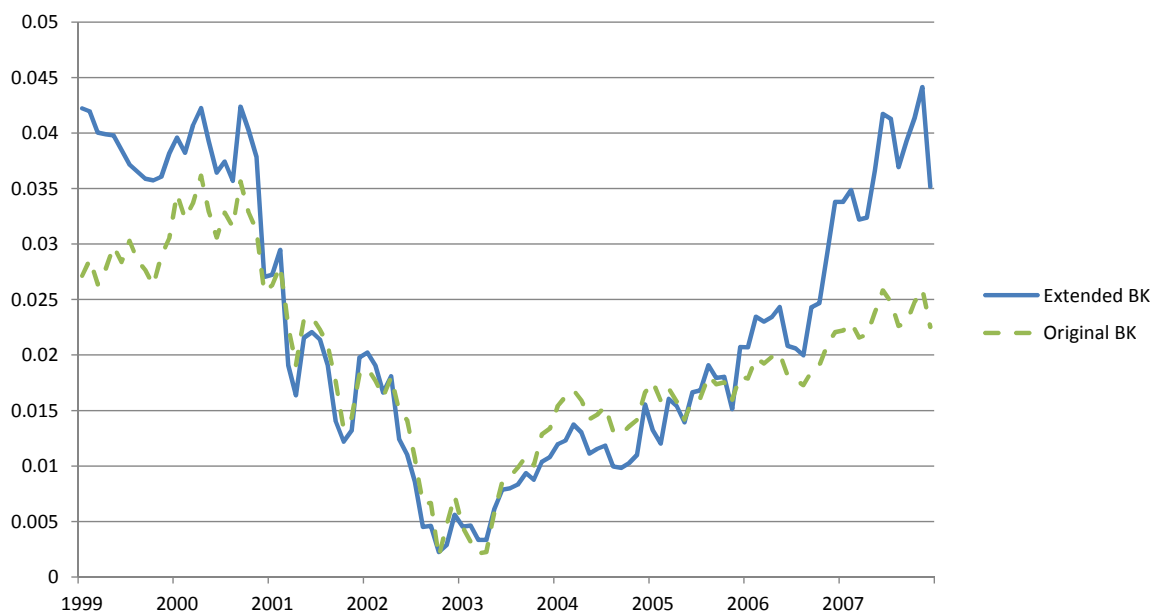


Table 1: **Summary Statistics for Market Return Predictors**

This table reports summary statistics of the main predictive variables used in this paper.  $dp$  is the log value of the dividend-to-price ratio;  $g$  is the log value of forecasted earnings growth rate;  $sy$  is the stock yield measure, calculated as  $0.29+0.05(dp+1.4g)$ ;  $BM$  is the log value of the book-to-market ratio;  $EP$  is the log value of the earnings-to-price ratio;  $CAPE$  is Shiller’s cyclically adjusted price-to-earnings ratio;  $Term$  is the term spread, calculated as the difference between the AAA-rated corporate bond yield and the one-month T-bill yield;  $Default$  is the default spread, calculated as the difference between yields of BAA-rated and AAA-rated corporate bonds;  $T-Bill$  is the continuously compounded one-month Treasury bill rate;  $T-Bond$  is the continuously compounded yield on 30-year Treasury bonds;  $ICC$  is the continuously compounded implied cost of capital of the value-weighted market portfolio. All return, spread, and yield variables are expressed in annualized percentages. The sample period is January 1977 – December 2012. We report mean, standard deviation, and autocorrelations of predictive variables in Panel A, and correlations between predictive variables in Panel B.

Panel A: Mean, standard deviation, and autocorrelation

	Mean	Std	AR(1), 1y	AR(1), 2y	AR(1), 3y	AR(1), 4y
dp	-3.57	0.34	0.848	0.725	0.656	0.560
g	0.24	0.24	0.294	-0.180	-0.158	-0.186
sy(%)	12.85	2.35	0.546	0.175	0.161	0.154
BM	-0.45	0.27	0.799	0.670	0.558	0.455
EP	-2.80	0.43	0.718	0.528	0.489	0.393
CAPE	20.20	9.11	0.921	0.806	0.694	0.599
Term (%)	3.08	1.61	0.453	0.105	-0.282	-0.425
Default (%)	1.11	0.48	0.471	0.291	0.210	0.095
T-Bill (%)	5.07	3.38	0.820	0.639	0.500	0.424
T-Bond (%)	6.85	2.46	0.903	0.830	0.781	0.705
ICC (%)	11.38	2.87	0.905	0.790	0.672	0.586

Panel B: Correlations

	dp	g	sy	BM	EP	CAPE	Term	Default	T-Bill	T-Bond
g	-0.045									
sy	0.693	0.689								
BM	0.927	0.007	0.678							
EP	0.760	-0.593	0.123	0.717						
CAPE	-0.944	-0.086	-0.747	-0.926	-0.712					
Term	-0.010	0.346	0.242	0.091	-0.340	-0.009				
Default	0.558	-0.027	0.386	0.611	0.416	-0.531	0.199			
T-Bill	0.450	-0.067	0.278	0.304	0.530	-0.484	-0.582	0.237		
T-Bond	0.587	0.143	0.529	0.460	0.491	-0.660	-0.234	0.334	0.882	
ICC	0.799	0.172	0.704	0.729	0.584	-0.859	0.007	0.550	0.678	0.870

Table 2: **Cash Flow Predictive Power of Analyst-Forecast-Implied Growth Rate ( $g$ )**

This table examines the predictive power of the analyst-forecast-implied growth rate,  $g$ , for log annual earnings growth rates and log dividend growth rates over the next one-, three-, and five-year horizons. The sample period is January 1977 – December 2012. All regressions use overlapping monthly observations. For each regression, we report the slope coefficient,  $p$ -value, and adjusted  $R^2$ . The  $p$ -values of individual regression coefficients and the average coefficient are obtained by comparing the test statistics with their empirical distribution generated under the null of no predictability from five 5,000 trials of a Monte Carlo simulation as described in the Appendix.

	Earnings Growth			Dividend Growth		
	Coeff	$p$ -value	Adj $R^2$	Coeff	$p$ -value	Adj $R^2$
1-Year	1.17	0.00	80.2%	0.07	0.16	5.0%
3-Year	0.45	0.00	73.5%	0.10	0.05	22.2%
5-Year	0.26	0.00	75.0%	0.07	0.03	19.6%



Table 3: In-Sample Regression of Market Returns on Stock Yield and Other Predictors

This table reports results of in-sample univariate regressions of market returns on stock yield and other predictive variables. The dependent variable is the average continuously compounded market return in the future, ranging from one-year to four-year horizons.  $dp$  is the log value of the dividend-to-price ratio;  $g$  is the log value of forecasted earnings growth rate;  $sy$  is the stock yield measure, calculated as  $0.29+0.05(dp+1.4g)$ ;  $BM$  is the log value of the book-to-market ratio;  $EP$  is the log value of the earnings-to-price ratio;  $CAPE$  is Shiller's cyclically adjusted price-to-earnings ratio;  $Term$  is the term spread, calculated as the difference between the AAA-rated corporate bond yield and the one-month T-bill yield;  $Default$  is the default spread, calculated as the difference between yields of BAA-rated and AAA-rated corporate bonds;  $T-Bill$  is the continuously compounded one-month Treasury bill rate;  $T-Bond$  is the continuously compounded yield on 30-year Treasury bonds;  $ICC$  is the continuously compounded implied cost of capital of the value-weighted market portfolio. All return, spread, and yield variables are expressed in annualized percentages. The sample period is January 1977 – December 2012. All regressions use overlapping monthly observations. For each regression, we report the slope coefficient, Newey-West HAC  $t$ -value,  $p$ -value, and adjusted  $R^2$ . We also report the average value of regression coefficients across four horizons and its  $p$ -value. The  $p$ -values of individual regression coefficients and the average coefficient are obtained by comparing the test statistics with their empirical distribution generated under the null of no predictability from five thousand trials of a Monte Carlo simulation as described in the Appendix.

	dp			g			sy					
	Coeff	NW-t	p-value	Adj $R^2$	Coeff	NW-t	p-value	Adj $R^2$	Coeff	NW-t	p-value	Adj $R^2$
1-Year	16.4	2.79	0.17	11.1%	11.3	1.29	0.12	2.4%	2.6	2.87	0.04	13.0%
2-Year	15.1	2.70	0.18	21.1%	11.1	1.61	0.11	5.4%	2.5	2.78	0.03	25.9%
3-Year	14.0	3.44	0.18	29.1%	11.2	1.95	0.08	8.7%	2.4	3.90	0.02	37.8%
4-Year	13.8	5.85	0.16	39.0%	12.3	2.32	0.05	14.3%	2.4	6.07	0.01	53.5%
Avg	14.8	0.16			11.5	0.08			2.5	0.02		
		BM				EP				CAPE		
1-Year	20.3	2.57	0.13	10.5%	7.0	1.41	0.27	3.0%	-0.6	-2.30	0.53	9.3%
2-Year	19.1	2.50	0.12	20.8%	6.4	1.45	0.29	5.7%	-0.6	-2.83	0.56	23.8%
3-Year	18.3	3.14	0.10	30.6%	5.8	1.44	0.30	7.6%	-0.6	-4.20	0.57	37.2%
4-Year	17.2	4.65	0.09	37.2%	5.2	1.49	0.32	8.5%	-0.6	-7.11	0.55	46.2%
Avg	18.7	0.11			6.1	0.29			-0.6	0.55		
		Term				Default				T-bill		
1-Year	0.8	0.74	0.32	0.4%	5.3	1.35	0.22	2.1%	0.6	0.92	0.21	1.3%
2-Year	1.2	1.16	0.19	2.8%	4.0	1.27	0.28	2.6%	0.5	1.74	0.25	1.9%
3-Year	1.4	1.62	0.12	6.2%	3.9	1.29	0.27	4.1%	0.5	1.88	0.23	2.9%
4-Year	1.1	1.34	0.16	4.9%	4.4	1.36	0.21	6.5%	0.8	2.45	0.13	8.6%
Avg	1.1	0.18			4.4	0.23			0.6	0.19		
		T-Bond				ICC						
1-Year	1.5	1.51	0.12	4.4%	1.6	1.92	0.18	6.9%	1.6	1.92	0.18	6.9%
2-Year	1.7	2.43	0.10	11.5%	1.7	2.46	0.14	17.7%	1.7	2.46	0.14	17.7%
3-Year	1.7	3.00	0.10	18.0%	1.7	3.06	0.12	28.4%	1.7	3.06	0.12	28.4%
4-Year	1.8	3.94	0.08	29.2%	1.7	4.17	0.10	40.8%	1.7	4.17	0.10	40.8%
Avg	1.7	0.09			1.6	0.13			1.6	0.13		

Table 4: **In-Sample Regression of Market Returns on Stock Yield: Robustness Checks**

This table reports results of robustness checks of in-sample regressions of market returns on stock yield and other predictive variables. The dependent variable is the average continuously compounded market return in the future, ranging from one-year to four-year horizons. The stock yield measure,  $sy$ , is calculated as  $0.29+0.05(dp + beta \times g)$ , where  $dp$  is the log value of the dividend-to-price ratio,  $g$  is the log value of forecasted earnings growth rate and  $beta$  is a constant. In the baseline measurement of  $sy$ , we take the  $beta$  value of 1.4, measure  $dp$  and  $g$  from the value-weighted all-firm portfolio, and calculate  $g$  based on IBES median forecasts for the next one-year period and most recent realized EPS from Compustat. In Panel A, we define  $sy$  in various alternative ways by: 1) changing the value of  $beta$ ; 2) measuring  $dp$  and  $g$  from the S&P500 portfolio; 3) using the most recent realized EPS from IBES to calculate  $g$ ; 4) using IBES highest or lowest EPS forecasts to calculate  $g$ ; 5) using earnings forecasts for the current fiscal year and next fiscal year to compute  $g$ , labeled as  $g_2$ ; 6) using analysts' median long-term growth (LTG) forecasts (available since 1982) for  $g$ . In Panel B, we compare the performances of  $sy$  and variance risk premium measure in Bollerslev, Tauchen, and Zhou (2009) in predicting market returns in-sample, in both univariate and bivariate regressions. The sample period is January 1977 – December 2012. All regressions use overlapping monthly observations. For each regression, we report the slope coefficients,  $p$ -values and the adjusted  $R^2$ . We also report the average regression coefficients across four horizons and their  $p$ -values. The  $p$ -values of individual regression coefficients and the average coefficients are obtained by comparing the test statistics with their empirical distribution generated under the null of no predictability from five thousand trials of a Monte Carlo simulation as described in the Appendix.

Panel A: Various definitions of  $sy$

	dp+1.1g			dp+3g			sy_sp		
	Coeff	$p$ -value	Adj $R^2$	Coeff	$p$ -value	Adj $R^2$	Coeff	$p$ -value	Adj $R^2$
1-Year	3.0	0.05	13.9%	1.3	0.04	8.6%	2.8	0.05	11.7%
2-Year	2.8	0.05	27.4%	1.2	0.03	17.7%	2.9	0.03	28.0%
3-Year	2.7	0.04	39.6%	1.2	0.02	26.6%	2.8	0.03	40.7%
4-Year	2.7	0.03	55.5%	1.2	0.01	39.2%	2.8	0.02	58.4%
Avg	2.8	0.03		1.2	0.02		2.8	0.02	
	sy_ibes			sy_low			sy_high		
	Coeff	$p$ -value	Adj $R^2$	Coeff	$p$ -value	Adj $R^2$	Coeff	$p$ -value	Adj $R^2$
1-Year	3.4	0.11	11.2%	2.7	0.03	13.3%	2.5	0.05	12.5%
2-Year	3.1	0.11	21.1%	2.5	0.03	26.4%	2.4	0.04	25.3%
3-Year	3	0.09	31.6%	2.4	0.02	38.0%	2.3	0.03	37.0%
4-Year	2.9	0.08	43.4%	2.4	0.01	53.5%	2.3	0.02	52.8%
Avg	3.1	0.09		2.5	0.02		2.4	0.03	
	dp+1.4g2			dp+1.4LTG (1982–2012)					
	Coeff	$p$ -value	Adj $R^2$	Coeff	$p$ -value	Adj $R^2$			
1-Year	3.1	0.07	9.6%	3.9	0.20	12.6%			
2-Year	3.0	0.05	20.3%	3.4	0.23	20.2%			
3-Year	2.8	0.04	28.3%	3.1	0.22	27.7%			
4-Year	2.9	0.02	39.9%	3.2	0.18	37.9%			
Avg	3.0	0.04		3.4	0.20				

Panel B: Variance risk premium

	sy			vrp		
	Coeff	<i>p</i> -value	Adj $R^2$	Coeff	<i>p</i> -value	Adj $R^2$
1-Year	2.6	0.06	12.7%	0.2	0.00	3.0%
2-Year	2.4	0.05	22.1%	0.1	0.01	2.0%
3-Year	2.4	0.04	32.0%	0.0	0.15	0.1%
4-Year	2.5	0.02	47.7%	0.0	0.87	0.0%
Avg	2.5	0.03		0.1	0.03	

	sy	<i>p</i> -value	vrp	<i>p</i> -value	Adj $R^2$
1-Year	2.5	0.08	0.1	0.01	15.2%
2-Year	2.4	0.06	0.1	0.02	23.6%
3-Year	2.4	0.05	0.0	0.21	32.0%
4-Year	2.5	0.03	0.0	0.83	47.8%
Avg	2.4	0.04	0.1	0.04	

**Table 5: In-Sample Regression of Market Returns on Stock Yield: U.S. Portfolio-Level and International Results**

Panel A reports results of in-sample univariate regressions of portfolio return on stock yield for various portfolios of U.S. stocks formed on book-to-market ratio, size, and industry basis. We form three book-to-market ratio (size) portfolios based on NYSE 30 and 70 percentile values of book-to-market ratio (market capitalization). We form five industry portfolios following the industry classification scheme in Fama and French (1997). The dependent variable is the average continuously compounded portfolio return in the future, ranging from one-year to four-year horizons. The stock yield measure,  $sy$ , is calculated as  $0.29+0.05(dp+1.4g)$ , where  $dp$  and  $g$  are the log values of the dividend-to-price ratio and forecasted earnings growth rate, respectively, for the corresponding portfolio. The sample period is January 1977 – December 2012. All regressions use overlapping monthly observations. For each regression, we report the slope coefficient,  $p$ -value, and the adjusted  $R^2$ . We also report the average regression coefficient across four horizons and its  $p$ -values.

Panel B reports results of in-sample univariate regressions of aggregate stock portfolio return on stock yield for the six other G7 countries. The dependent variable is the average continuously compounded monthly return in the future, ranging from one-year to four-year horizons, for the aggregate stock market of a country. The stock yield measure,  $sy$ , is calculated as  $0.29+0.05(dp+1.4g)$ , where  $dp$  and  $g$  are the log values of the dividend-to-price ratio and forecasted earnings growth rate respectively for the corresponding country aggregate stock portfolio. To ensure meaningful measurements, we require a minimum of 50 stocks included in the calculation of every variable for aggregate stock portfolio. The sample period starts in January 1985 for Canada, January 1988 for France and Germany, July 1990 for Italy, September 1988 for Japan, and June 1990 for the United Kingdom, and ends in December 2012 for all countries. All regressions use overlapping monthly observations. For each regression, we report the slope coefficient,  $p$ -value, and the adjusted  $R^2$ . We also report the average regression coefficient across four horizons and its  $p$ -values. The  $p$ -values of individual regression coefficients and the average coefficient are obtained by comparing the test statistics with their empirical distribution generated under the null of no predictability from 5,000 trials of a Monte Carlo simulation as described in the Appendix.

Panel A: Portfolio-level results

	Coeff	$p$ -value	Adj $R^2$	Coeff	$p$ -value	Adj $R^2$	Coeff	$p$ -value	Adj $R^2$
	Growth			Middle			Value		
1-year	5.1	0.02	20.1%	2.6	0.02	10.2%	2.1	0.02	10.3%
2-year	4.4	0.03	34.5%	2.4	0.02	18.0%	1.8	0.02	19.1%
3-Year	3.8	0.03	39.2%	2.5	0.01	30.8%	1.6	0.02	29.3%
4-Year	3.6	0.02	52.1%	2.9	0.00	48.3%	1.7	0.01	45.8%
Avg	4.2	0.02		2.6	0.01		1.8	0.01	
	Small			Medium			Large		
1-Year	1.1	0.08	4.2%	2.2	0.01	16.2%	2.8	0.05	13.1%
2-Year	1.2	0.05	12.4%	1.6	0.04	23.6%	2.8	0.04	27.7%
3-Year	1.1	0.04	17.5%	1.4	0.05	28.6%	2.7	0.03	40.3%
4-Year	1.0	0.03	21.4%	1.6	0.02	44.8%	2.7	0.02	56.2%
Avg	1.1	0.04		1.7	0.02		2.8	0.03	
	Consumer			Manuf			HiTec		
1-Year	2.1	0.11	9.5%	1.7	0.11	6.2%	2.9	0.04	11.4%
2-Year	2.4	0.06	29.3%	1.5	0.13	12.1%	2.8	0.02	21.5%
3-Year	2.4	0.04	45.3%	1.4	0.13	19.5%	2.5	0.02	27.9%
4-Year	2.6	0.02	65.3%	1.5	0.09	33.0%	2.6	0.01	43.7%
Avg	2.4	0.04		1.5	0.10		2.7	0.02	
	Hlth			Other					
1-Year	4.3	0.08	12.6%	2.6	0.02	11.0%			
2-Year	4.4	0.05	25.8%	1.8	0.06	12.4%			
3-Year	4.5	0.03	39.3%	1.9	0.04	20.9%			
4-Year	4.6	0.01	52.9%	2.7	0.00	39.0%			
Avg	4.5	0.03		2.2	0.01				

Panel B: International results

	Coeff	<i>p</i> -value	Adj $R^2$	Coeff	<i>p</i> -value	Adj $R^2$	Coeff	<i>p</i> -value	Adj $R^2$
	Canada			France			Germany		
1-Year	1.2	0.11	4.8%	1.1	0.31	1.1%	2.6	0.07	7.0%
2-Year	0.9	0.17	7.8%	1.8	0.14	8.0%	2.3	0.06	13.3%
3-Year	1.0	0.11	19.6%	2.3	0.05	23.4%	2.3	0.03	23.6%
4-Year	1.0	0.10	25.9%	1.7	0.09	18.8%	1.5	0.09	15.0%
Avg	1.0	0.10		1.7	0.11		2.2	0.04	
	Italy			Japan			UK		
1-Year	0.8	0.23	1.3%	0.8	0.14	3.6%	0.9	0.04	8.8%
2-Year	0.8	0.17	3.1%	0.4	0.30	1.3%	0.8	0.04	13.6%
3-Year	0.8	0.12	5.8%	0.7	0.12	7.6%	0.7	0.03	22.6%
4-Year	0.8	0.09	7.5%	0.8	0.05	22.0%	0.6	0.04	26.6%
Avg	0.8	0.12		0.7	0.11		0.7	0.02	

Table 6: Out-of-Sample Prediction of Market Returns based on Stock Yield and Other Predictors

This table reports results of out-of-sample prediction of market returns based on stock yield and other predictive variables. In Panel A, the market return to predict is next one-month continuously compounded return. The predictive variables include: stock yield (*sy*), the log value of the dividend-to-price ratio (*dp*), the log value of forecasted earnings growth rate (*g*), the log value of the book-to-market ratio (*BM*), the log value of the earnings-to-price ratio (*EP*), Shiller's cyclically adjusted price-to-earnings ratio (*CAPE*), the term spread (*Term*), the default spread (*Default*), the continuously compounded one-month T-bill rate (*T-Bill*), the continuously compounded yield on 30-year Treasury bonds (*T-Bond*), the continuously compounded aggregate implied cost of capital (*ICC*). *sy* and *ICC* are calculated as their 24-month moving average. All return, spread and yield variables are expressed in annualized percentages. For each predictor, we report out-of-sample  $R^2$  and related statistics. We calculate the  $p$ -value of OOS  $R^2$  from the adjusted-MSPE statistic of Clark and West (2007). Following Campbell and Thompson (2008), the utility gain (*Ugain*) is the additional utility to an investor with mean-variance preferences and a risk aversion coefficient of three by forecasting returns using a particular predictive variable rather than the historical average benchmark. The weight on stocks in the investor's portfolio is constrained to lie between zero and 1.5 (inclusive). In Panel B, the market return to predict is next one-year continuously compounded return. All predictive variables are defined in the same way as in Panel A, except for *sy* and *ICC* which take the original value rather than the 24-month moving average. The  $p$ -value is corrected for the serial correlation using the Newey-West formula with a lag of 11 (the number of overlapping observations). In each panel, we also report the results of predicting market excess return, which is continuously compounded market return minus the continuously compounded one-month T-bill rate. For consistency, we also subtract the yield of one-month T-bill from *sy* and *ICC*. The out-of-sample period is January 1999 – December 2012, and the training period is January 1977 – December 1998.

Panel A: Next one-month market return

Statistics	DP	G	SY	BM	EP	CAPE	Term	Default	T-Bill	T-Bond	ICC
Market return											
$R^2$ (%)	1.20	-3.46	2.10	0.76	0.02	0.91	-0.99	-1.11	-0.43	-0.61	1.01
$p$ -value	0.09		0.03	0.16	0.22	0.03					0.07
<i>Ugain</i>	4.86	0.19	8.38	3.16	2.97	2.40	0.38	0.47	0.48	0.67	3.72
Market excess return											
$R^2$ (%)	0.42	-3.16	1.17	0.46	-0.37	-0.07	-1.05	-0.78	-1.13	-1.63	1.43
$p$ -value	0.21		0.04	0.19							0.05
<i>Ugain</i>	0.96	-3.12	4.50	0.72	-0.84	0.90	-2.07	-1.10	-2.33	-1.87	5.42



Panel B: Next one-year market return

Statistics	DP	G	SY	BM	EP	CAPE	Term	Default	T-Bill	T-Bond	ICC
Market return											
$R^2$ (%)	9.73	-2.42	9.83	11.13	-2.75	6.07	-1.12	2.47	-1.15	1.20	5.17
$p$ -value	0.01		0.02	0.01		0.05		0.11		0.21	0.06
Market excess return											
$R^2$ (%)	0.21	-0.58	8.96	5.57	-6.89	-6.06	1.75	-0.22	-4.81	-7.64	6.87
$p$ -value	0.34		0.02	0.03			0.21				0.03

Table 7: **Out-of-Sample Regressions: Factors Extracted from the Cross-Section**

This table reports results of out-of-sample prediction of market returns based on a single forecasting factor extracted from the cross-section of stock yield and other predictive variables. For example, to extract a market return predictor from  $sy$ , we first form size- $sy$  portfolios based on a two-way conditional sort on market capitalization and  $sy$ , then calculate the portfolio-level  $sy$ , and finally run the three-stage regressions in Kelly and Pruitt (2013) to generate the out-of-sample predictor of market return ( $KP-sy$ ). Similarly, we generate the out-of-sample predictor of market return ( $KP-DP$ ) from the log dividend-to-price ratios ( $DP$ ) of portfolios formed based on a two-way conditional sort on market capitalization and  $DP$ . We use the data since January 1977 to generate both  $KP-sy$  and  $KP-DP$ . For comparison, we also follow Kelly and Pruitt (2013) exactly to extract a return predictor ( $KP-BM$ ) from the log book-to-market ratios  $BM$  of Fama-French portfolios, using the data since January 1930. Finally, for ease of comparison, we reproduce the results from Table 6 using the market-level  $sy$ ,  $DP$ , and  $BM$ . For each generated OOS predictor, we calculate the out-of-sample  $R^2$  of predicting market returns and its  $p$ -value. The out-of-sample period is January 1999 – December 2012. We calculate the  $p$ -value of OOS  $R^2$  from the adjusted-MSPE statistic of Clark and West (2007), and correct it for the serial correlation using the Newey-West formula with a lag of 11 (the number of overlapping observations) when predicting next one-year returns.

predictor	horizon	6 portfolios		25 portfolios		market	
		$R^2$ (%)	$p$ -value	$R^2$ (%)	$p$ -value	$R^2$ (%)	$p$ -value
KP_sy	1-month	2.70	0.03	2.71	0.03	2.10	0.03
	1-year	11.66	0.06	19.49	0.03	9.83	0.02
KP_DP	1-month	1.41	0.12	1.47	0.12	1.20	0.09
	1-year	5.06	0.11	9.57	0.07	9.73	0.01
KP_BM	1-month	1.58	0.03	1.47	0.04	0.76	0.16
	1-year	13.15	0.05	14.11	0.03	11.13	0.01