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1 IRAs and Saving

Steven F. Venti and David A. Wise

Individual retirement accounts (IRAs) were established in 1974 as part of the Employee Retirement Income Security Act to encourage employees not covered by private pension plans to save for retirement. The Economic Recovery Tax Act of 1981 extended the availability of IRAs to all employees and raised the contribution limit. The legislation emphasized the need to enhance the economic well-being of future retirees and the need to increase national saving. Now any employee with earnings above \$2,000 can contribute \$2,000 to an IRA account each year. An employed person and a nonworking spouse can contribute a total of \$2,250, while a married couple who are both working can contribute \$2,000 each. Current tax proposals contemplate substantial increases in the limits. The tax on the principal and interest is deferred until money is withdrawn from the account. There is a penalty for withdrawal before age $59\frac{1}{2}$, which is apparently intended to discourage the use of IRAs for nonretirement saving.

To determine whether IRA accounts serve as a substitute for private pension plans, it is important to know who contributes to IRAs. Whether they are an important form of saving for retirement depends on how

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The authors are grateful for discussions with Axel Boersch-Supan, Angus Deaton, Mervyn King, Jim Poterba, and Jim Stock. The research was supported by grant number 84ASPE130A from the Department of Health and Human Services. The research reported here is part of the NBER research program on the Economics of Aging and on Taxation, and projects on Government Budgets and on Capital Formation. Any opinions expressed are those of the authors and not those of the National Bureau of Economic Research. much is contributed. In addition, the short-run tax cost of IRAs depends on their prevalence. These questions have been addressed by Venti and Wise (1985a) for the United States and by Wise (1984, 1985) for Canada. The central focus of this paper is the relationship between IRA contributions and other forms of saving. What is the net effect of IRA accounts on individual saving? In addressing this question, estimates of desired IRA contributions are also obtained, and these estimates can be compared with results based on other data sources.

Ideal data to answer this question would provide information on changes in all forms of assets over time. One could then compare annual IRA contributions with increases or decreases in other forms of saving. The set of questions that can be addressed directly with available data is limited, however. IRAs were only open to most employees beginning in 1982, and currently available data pertain only to that year. In addition, only limited information is available on changes in other asset holdings in 1982. Given the data limitations, the goal of the analysis presented in this paper is to estimate the effect that changes in the IRA contribution limit would have on other forms of saving, as well as on IRA contributions themselves. As explained below, other forms of saving probably are best thought of as liquid assets.

Two central questions arise in considering the effect of newly available IRAs on net saving: the first is the extent to which IRA contributions are made by withdrawing funds from other existing balances, and thus explicitly substituting one form of saving for another. Presumably such substitution would be made by taking funds from existing liquid asset balances, like other savings accounts. It is unlikely that, in the short run, IRA contributions would be made by reducing nonliquid asset balances like housing. A related question, although possibly more subtle and difficult to answer empirically, is whether new saving would have been placed in other accounts were it not for the availability of IRAs, independent of existing balances.

Another question is the extent to which IRA contributions may ultimately serve as a substitute for nonliquid assets. In the long run, individuals may contribute to IRAs instead of investing in housing, for example. This question is more difficult to address empirically, and no attempt is made to answer it here. Whether IRA contributions were substituted for other liquid assets in 1982 is the question that can be most directly addressed using the available data. But we believe that the estimates may also provide a reasonable indication of the trade-off between IRA contributions and liquid assets in the long run as well. The spirit of the paper is to distinguish direct evidence about which the results are likely to be relatively robust from questions about which the evidence is only indirect. An attempt is made to draw inferences based on the weight of the evidence. In short, given the available data and their limitations, what can be said about the effect of IRAs on net individual saving? Background data on IRA contributions and other wealth holdings are presented in section 1.1. The model used for estimation is developed in section 1.2. Its key feature is constrained optimization, with the limit on IRA contributions the primary constraint. The principle goal is to obtain estimates of the effect of changes in IRA limits on other saving, as well as on IRA contributions themselves. The model addresses the allocation of current income. This approach has been chosen over a model of presumed lifetime saving behavior, although the allocation of current income could be thought of as the reduced form of a life-cycle model. In addition, estimates of the allocation of current income based on age and other personal attributes allow inferences about life-cycle saving behavior.

The results are presented in section 1.3. The emphasis is on the sensitivity of the results to model specification and to the interpretation of a key variable, "savings and reserve funds." The most important results are presented in the form of simulations of the effect of proposed limit changes on IRA contributions and other saving. Some of the results developed here can be compared with evidence based on other data sources. Comparable evidence on IRA contributions for 1982 has been developed by Venti and Wise (1985), based on Current Population Survey data. The results of the present paper are based on the 1983 Survey of Consumer Finances (SCF), which presents information on IRAs in 1982. Section 1.4 presents a summary of the findings and concluding discussion.

1.1. Descriptive Statistics

About 16% of wage earner families have IRA accounts, as shown in table $1.1.^1$ Few families with incomes under \$10,000 have them and only about 7% of families with incomes between \$10,000 and \$20,000 do. Somewhat more than half of those with incomes greater than \$50,000

Income Interval (\$1000's)				ge Interval			
	< 25	25-34	35-44	45-54	55-64	65 +	All
0-10	.01	.00	.03	.01	.04	.01	.01
10-20	.04	.04	.04	.09	.20	.04	.07
20-30	.05	.11	.10	.21	.36	.06	.14
30-40	.15	.25	.14	.34	.43	.19	.25
40-50	.00	.21	.41	.42	.38	.31	.34
50-100	.00	.33	.51	.53	.75	.36	.51
100+		.49	.66	.79	.65	.58	.65
All	.03	.12	.19	.26	.30	.06	.16

Table 1.1 Proportion of Families with IRA Accounts, by Income and Age

Note: The data are weighted to be representative of all families. The total sample size for this table is 3,205.

contribute to IRAs.² But because there are relatively few families with incomes greater than \$50,000, almost 70% of contributor families have incomes below that level. As shown in Venti and Wise (1985), about 90% of individual wage earners who contribute have incomes less than \$50,000. The distribution of contributor families by income interval is as follows:

Income Interval (in \$1,000's)	Percentage of Contributors
0-10	2
10-20	15
20-30	17
30-40	20
40-50	15
50100	24
100 +	8

Older persons are considerably more likely than younger ones to contribute, although the proportion drops at age 65, when a large proportion of employees retire. For example, among families in the \$20,000 to \$30,000 income interval, 36% of those 55 to 64 contributed but only 11% of those aged 25 to 34.

The subsequent analysis will rely in part on responses to a question that asked: "Considering all of your savings and reserve funds, *overall*, did you put more money in or take more money out in 1982?"³ The precise interpretation that should be assigned the responses is unclear. In particular, it is not clear whether savings and reserve funds include or exclude IRA contributions. The analysis is conducted and the results are evaluated using both interpretations, although we believe it is most plausible to assume that IRAs are excluded. We presume that responses do not reflect nonliquid assets like housing. The proportion of families indicating an increase in "savings and reserve funds" is shown in table 1.2. Only 32% of respondents indicated an increase in 1982, while the remainder indicated a decrease or no change.⁴ The proportion indicating an increase rises markedly with income, but shows little relationship to age.

A key consideration in our analysis is the relationship between IRA contributions and the change in "savings and reserve funds." Suppose IRA contributions were typically taken from "savings and reserve funds" balances. If savings and reserve funds included IRAs, there would be no change in overall savings and reserve funds. If the latter were interpreted to exclude IRAs, contributions to IRAs should be associated with a decline in savings and reserve funds. Apparently neither is true. Persons who contribute to IRAs are much more likely to indicate an

Income			А	Age Interval			
Interval (\$1000`s)	< 25	25-34	35-44	45-54	55-64	65 +	All
0-10	.10	.15	.13	.05	.10	.20	.14
10-20	.33	.23	.19	.12	.32	.35	.26
20-30	.35	.37	.26	.21	.47	.56	.35
30-40	.31	.46	.40	.47	.41	.58	.44
4050	.75	.47	.42	.56	.41	.75	.50
50-100	.00	.48	.56	.54	.57	.71	.56
100 +		.58	.53	.47	.54	.65	.54
Ali	.26	.32	.32	.30	.35	.33	.32

Table 1.2 Proportion of Families with Increase in "Savings and Reserve Funds," by Income and Age

Note: The data are weighted to be representative of all families. The total sample size for this table is 3,208.

Table 1.3	Proportion of IRA Contributors with Increase in "Savings and				
	Reserve Funds," Divided by Proportion of Noncontributors with				
	Increase in "Savings and Reserve Funds," by Income and Age				

Income Interval (\$1000`s)			А	ge Interval			
	< 25	25-34	35-44	45-54	55-64	65+	All
0-10	_	_	_		_	_	_
10-20	_	1.83		_	1.60	_	1.54
20-30	_	1.61	2.41	2.16	1.41	_	1.77
3040	_	1.45	1.92	1.48	2.38		1.68
40-50	_	1.60	1.56	1.24	3.10	—	1.47
50-100	—	.96	1.65	1.41	1.62		1.40
100+		_	_	_	.87	_	2.19
All	_	1.78	2.37	2.22	2.00	1.86	2.10

Note: Not reported for cells in which there were fewer than 8 IRA contributors.

increase than those who don't. The ratio of the proportion of IRA contributors with an increase in "savings and reserve funds" to the proportion of noncontributors with an increase is shown in table 1.3, by income and age. Overall, contributors are more than twice as likely as noncontributors to indicate an increase, although this number reflects in part different distributions of contributors and noncontributors by income and age. The average of the cell ratios is 1.77.

Thus these numbers suggest that there are savers and nonsavers and that savers save both through IRAs and through other forms; the positive relationship reflects an individual-specific effect. The subsequent analysis provides support for an individual-specific savings effect, while also suggesting a substantial positive effect of IRAs on net individual saving. T-614 1 4

To put IRA contributions in perspective and to help to interpret the analysis below, it is useful to have in mind the magnitude of individual wealth holdings. The median wealth of persons in the sample is \$22,900, excluding pensions and Social Security wealth.⁵ Even among persons 55 to 64, the median is only \$55,000 (see table 1.4). Most of this wealth is nonliquid, the preponderance of which is housing. Consistent with other evidence (e.g., Hurd and Shoven [1985], Bernheim [1984], Diamond and Hausman [1984]), a large proportion of individuals have very little nonhousing wealth; they save very little. Median liquid assets, excluding stocks and bonds, are shown in table 1.5, by income and age. The median for all families is \$1,200. For families earning \$30,000 to \$40,000 with a head 45 to 54 years it is only \$4,600. While most people have some liquid assets, only about 20% have financial assets in the form of stocks or bonds.⁶ Thus it is clear that most people have

Table 1.4	N	1edian of W	eann, dy in	come and A	xge, in Tho	usands of D	ouars			
Income Interval (\$1000's)		Age Interval								
	< 25	25-34	35-44	45-54	55-64	65 +	All			
0-10	.3	.0	.1	.1	1.5	10.0	.5			
1020	.8	2.0	10.3	30.0	40.9	65.8	10.0			
20-30	2.5	13.8	31.6	44.6	90.2	125.5	28.3			
30-40	15.4	34.3	47.3	71.4	77.8	269.7	50.5			
40-50	10.9	40.3	74.6	90.5	114.4	219.0	80.6			
50-100	33.2	85.5	101.1	122.7	196.6	220.5	123.6			
100 +	—	124.8	182.9	317.1	334.5	1308.7	279.0			
All	0.6	5.9	35.6	47.1	55.0	40.1	22.9			

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Note: The data are weighted to be representative of all families. The total sample size for this table is 2,249.

	11	nousands of	Donars				
Income Interval (\$1000's)			A	Age Interval			
	< 25	25-34	35-44	45-54	55-64	65+	Ali
0-10	.2	.0	.0	.0	.0	.5	.1
10-20	.4	.3	.5	.9	3.5	16.2	.7
2030	.6	1.2	1.6	1.9	4.9	46.8	1.7
3040	1.0	2.9	2.4	4.6	3.6	107.0	3.5
40-50	2.0	2.8	4.7	5.6	12.8	36.5	5.5
50 100	16.4	5.7	13.8	8.7	22.1	37.8	12.8
100+	—	12.8	12.5	42.7	74.2	124.0	30.4
All	.4	.8	1.7	1.9	3.0	4.0	1.2

 Table 1.5
 Median of Liquid Assets, by Income and Age, in Thousands of Dollars

Note: Stocks and bonds are excluded. The data are weighted to be representative of all families. The total sample size for this table is 2,729.

not been accumulating financial assets at a rate close to the \$2,000 per year that an IRA allows.

The median wealth of IRA contributors divided by the median wealth of noncontributors, by income and age, is shown in table 1.6. Contributors have substantially higher wealth on average. The average of the cell ratios is 1.50.⁷ The analysis below, however, indicates that after controlling for other variables, total wealth is in fact negatively related to IRA contributions. The results, including detail by liquid versus nonliquid wealth, suggest that the numbers in table 1.6 also reflect individual-specific saving effects; some people are savers, others are not.

In summary: the descriptive data confirm that low-income persons are unlikely to contribute to IRAs. But they provide no direct evidence that IRA contributions are offset by reductions in other forms of saving; persons who contribute to IRAs are more likely than those who do not to indicate an overall increase in savings and reserve funds. The descriptive data, however, do not reveal whether savers save more because of the IRA option. The subsequent analysis is intended to shed light on this issue.

1.2 Allocation of Income: Individual Saving and IRA Constraints

Given the limitations of the data, the goal is to develop a statistical model that will allow inferences based on the information that is available. The approach is to consider the allocation of current income in the spirit of expenditure studies, but with concentration on what is not spent for current consumption. The key feature of the approach is to incorporate the limit on tax-deferred saving in the estimation procedure and then to infer from the parameter estimates how saving behavior

	non-IRA Contributors, by Income and Age							
Income Interval (\$1000's)	Age Interval							
	< 25	25-34	35-44	45 54	55-64	65+	All	
0-10	_	_	_	_				
10-20	—	6.05	_	_	1.95		7.03	
20-30		1.81	1.61	1.18	1.23		2.15	
30-40	_	1.55	1.74	1.14	1.11	—	1.67	
40-50	_	1.58	1.77	1.62	.73	_	1.86	
50-100		1.66	1.17	1.03	1.03		1.25	
100+			_	_	.25		2.71	
Ан	—	7.30	3.19	1.87	2.08	3.46	5.26	

Table 1.6	Median Wealth of IRA Contributors Divided by Median Wealth of
	non-IRA Contributors, by Income and Age

Note: Not reported for cells in which there were fewer than 8 IRA contributors.

would change if the limit were changed. To assure that estimated constrained and unconstrained behavior are internally consistent, the functional forms of the estimated equations are related through an underlying decision function. The model is intended to be "structural" with respect to changes in the IRA limit although, as explained below, not necessarily with respect to the individual variables that are used to estimate choice parameters of individuals. We begin with a simple example and then present the specifications used for estimation. For expository purposes, we also discuss first a specification that implies only a limited form of substitution between IRA and other saving. We then present a model that allows more flexible substitution and that incorporates the first as a special case.

1.2.1 A Simple Example

Suppose that current income Y can be allocated to tax-deferred IRA saving S_1 , to other forms of saving S_2 , or to current uses, $Y - S_1 - S_2$. Assume also that were there no limit on S_1 , or if persons were not constrained by the limit, observed levels of S_1 and S_2 would be fit by the functions

(1)
$$S_1 = b_1 Y, \text{ and}$$
$$S_2 = b_2 Y.$$

For estimation, we need also to consider saving functions that are consistent with these, but for persons who are constrained by the limit on S_1 . These may be obtained by considering an underlying decision function that is consistent with observed saving decisions.

The saving allocations in (1) are in accordance with the decision function

(2)
$$V = (Y - S_1 - S_2)^{1-b_1-b_2} S_1^{b_1} S_2^{b_2},$$

where b_1 and b_2 are parameters. Maximization of (2) with respect to S_1 and S_2 yields (1). The presumption is that the b's depend on measured personal attributes like age, income, wealth, education, marital status; unmeasured attributes that affect saving behavior in general; and unmeasured attributes like expected future liquidity needs or attitude toward risk that may affect the preferred allocation of income to S_1 , versus S_2 . This specification treats IRAs and other forms of saving as different "goods," thus emphasizing nonprice differences between the two forms of saving. In particular, because of the early withdrawal penalty that makes IRAs less liquid than other saving, they may tend to be more narrowly targeted to retirement consumption; much of saving in other forms may be for different and more short term purposes. The "price" difference between the two forms of saving is

brought out below. Following the decision function (2), if S_1 cannot exceed the limit L, the saving functions are

$$S_{1} = \begin{cases} b_{1}Y & \text{if } b_{1}Y < L, \\ L & \text{if } b_{1}Y \ge L, \end{cases}$$
$$S_{2} = \begin{cases} b_{2}Y & \text{if } b_{1}Y < L, \\ \frac{b_{2}}{1 - b_{1}}(Y - L) & \text{if } b_{1}Y \ge L. \end{cases}$$

The relationship between income and S_2 saving depends on whether the limit on the tax-deferred S_1 saving has been reached. In the subsequent discussion, we shall begin with a decision function, but it should be understood that it is chosen to be consistent with observed saving decisions. It is a construct that assures that constrained and unconstrained savings functions are consistent with each other.

It will be important to estimate the change in S_2 with a change in the limit L. In this case $dS_2/dL = -b_2/(1 - b_1)$, depending only on the b's. Thus to obtain good estimates of the effect of limit changes, it is necessary only to have good estimates of these parameters; not necessarily of the effect on the b's of the variables that will be used to estimate them. Figure 1.1 describes graphically the relationship between income and S_1 and S_2 , with particular reference to the estimated specification described in section 1.2.2 below.

1.2.2 The Estimated Model: A Special Case

In practice, S_2 could be negative. "Desired" S_1 could also be negative, although not its observed value. Previous work by Venti and Wise (1985a) and by Wise (1985) indicates that IRA contributions alone can be described well by a Tobit specification with limits at zero and L.⁸ In addition, the cost of one dollar of S_1 in terms of current consumption is (1 - t), where t is the marginal tax rate, whereas the cost of S_2 is 1.

A decision function and implicit budget constraint that incorporates these characteristics is

(4)
$$V = [Y - T - S_1(1 - t) - S_2]^{1-b_2-b_2} [S_1 - a_1]^{b_1} [S_2 - a_2]^{b_2}.$$

The presumption is that if both S_1 and S_2 were zero, current consumption would be Y - T, where T is total taxes. This amount serves as the base case. If IRA contributions S_1 are made, taxes are reduced by tS_1 .⁹ In practice, "current consumption" includes some forms of saving like housing since the variable used to describe S_2 does not reflect all forms of non-IRA saving.¹⁰

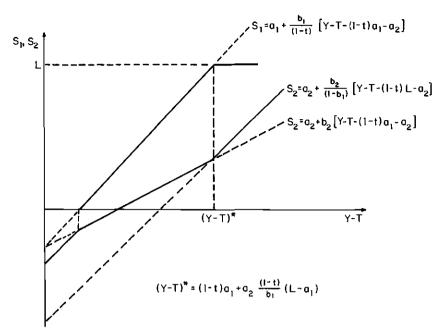


Figure 1.1 Savings versus after-tax income

Consistent with (4), the "desired" level of tax-deferred saving S_1 is given by

(5a)
$$S_1 = a_1 + \frac{b_1}{(1-t)} [(Y-T) - (1-t)a_1 - a_2],$$

and the observed level s_1 by

(5b)
$$s_1 = \begin{cases} 0 \text{ if } S_1 \leq 0, \\ S_1 \text{ if } 0 < S_1 < L \\ L \text{ if } L \leq S_1. \end{cases}$$

Non-tax-deferred saving is given by

(6)

$$S_2 = \begin{cases} a_2 + \frac{b_2}{1 - b_1} \left[(Y - T) - a_2 \right] & \text{if } S_1 < 0 , \\ a_2 + b_2 \left[(Y - T) - a_1 (1 - t) - a_2 \right] & \text{if } 0 < S_1 < L , \\ a_2 + \frac{b_2}{1 - b_1} \left[(Y - T) - L(1 - t) - a_2 \right] & \text{if } S_1 \ge L . \end{cases}$$

Stylized versions of the S_1 and S_2 functions are graphed in figure 1.1, where (Y - T)* is the after-tax income level at which the limit L on S_1 is reached.

For expositional purposes, an advantage of the specification described above is that a closed-form solution to the constrained saving function can be obtained from the decision function. This is not always the case. Indeed, as shown below, it is not true with the more general specification described in section 1.2.3 below.¹¹ General discussions of demand with "rationing" are presented in Deaton and Muellbauer (1981) and in Deaton (1981), with the discussion often in terms of indirect utility or expenditure functions. Deaton shows that closed-form solutions to constrained demand functions can be obtained in some cases even when the utility function is not separable, the property that assures a closed-form solution in the specification above.

The parameters b_1 and b_2 are specified as functions of individual attributes by

(7)
$$b_1 = \Phi[XB_1],$$
$$b_2 = \Phi[XB_2],$$

where X is a vector of individual characteristics and the B's are vectors of parameters to be estimated. The unit normal distribution function Φ constrains b_1 and b_2 to be between 0 and 1.¹²

To allow for random preferences for saving among individuals, presumably reflecting unmeasured individual attributes, the parameters a_1 and a_2 are allowed to be stochastic, with a bivariate normal distribution

(8)
$$\begin{bmatrix} a_1 \\ a_2 \end{bmatrix} \sim BVN\left(\begin{bmatrix} \bar{a}_1 \\ \bar{a}_2 \end{bmatrix}; \begin{bmatrix} \sigma_1^2 & \rho\sigma_1\sigma_2 \\ & \sigma_2^2 \end{bmatrix}\right).$$

Large values of a_1 and a_2 indicate high desired S_1 and S_2 respectively; large a_1 means lower desired S_2 and large a_2 lower desired S_1 .¹³

In addition, an alternative stochastic specification assumes that a_1 and a_2 are nonstochastic, but simple additive disturbance terms are added to the unconstrained S_1 and S_2 equations. Details of the stochastic structure under both specifications are presented in Venti and Wise (1985b). An important parameter is the correlation between the disturbance terms in S_1 and S_2 . This correlation contributes to inference about the extent to which observed saving behavior results from unmeasured individual-specific effects or the extent to which saving in one form is offset by saving in another.

The possible outcomes and associated probability statements are listed below, under the two interpretations of "savings and reserve funds," denoted by S. If S includes IRAs, $S = S_1 + S_2$; if it does not, $S = S_2$.

Outcome Probability: If $S = S_1 + S_2$ If $S = S_2$ $s_1 = 0, S > 0$ $Pr[S_1 \leq 0 \text{ and } S_2 > 0]$ $Pr[S_1 \le 0 \text{ and } S_2 > 0]$ $0 < s_1 < L, S > 0$ $Pr[S_1 = s_1 \text{ and } S_2 > -s_1]$ $Pr[S_1 = s_1 \text{ and } S_2 > 0]$ $s_1 = L, S > 0$ $Pr[S_1 \ge L \text{ and } S_2 > -L]$ $Pr[S_1 \ge L \text{ and } S_2 > 0]$ $s_1 = 0, S < 0$ $Pr[S_1 \leq 0 \text{ and } S_2 < 0]$ $Pr[S_1 \le 0 \text{ and } S_2 < 0]$ $0 < s_1 < L, S < 0$ $Pr[S_1 = s_1 \text{ and } S_2 < -s_1]$ $Pr[S_1 = s_1 \text{ and } S_2 < 0]$ $s_1 = L, S < 0$ $Pr[S_1 \geq L \text{ and } S_2 < -L]$ $Pr[S_1 \ge L \text{ and } S_2 < 0]$

The latter interpretation is we believe the most likely to reflect the respondent's intent. Most of the discussion and reported simulations are based on this assumption. Nonetheless, we shall present some estimates based on the $S = S_1 + S_2$ interpretation. This interpretation should provide the most stable estimates.¹⁴ We show that estimates based on this interpretation are rather insensitive to important assumptions. Estimates are obtained by maximum likelihood.

Implicit in the functional form described above is an "independence" assumption that restricts the implied substitution between S_1 and S_2 on the one hand and current consumption on the other. Consider the allocation of a marginal dollar of current income before and after the limit on S_1 has been reached. The marginal shares allocated to S_1 , S_2 , and consumption are:

	Unconstrained ¹⁵	Constrained		
S_1	$b_1/(1 - t)$	0		
S_2	b_2	$b_2/(1 - b_1)$		
C	$1 - b_1 - b_2$	$(1 - b_1 - b_2)/(1 - b_1)$		

Thus the ratio of the marginal share that goes to S_2 versus the share that goes to consumption, $b_2/(1 - b_1 - b_2)$, is independent of whether the limit on S_1 has been reached. One might expect, however, that this ratio would increase after the limit is reached if there is greater substitution between S_1 and S_2 than between either of these and consumption.

The importance of this property is what it implies about the effect of an increase in the tax-deferred limit L on non-tax-deferred saving S_2 . Only persons at the limit will be affected by increasing it. For these people, $dS_1/dL = 1$. The amount that is taken from non-tax-deferred saving to fund the dollar increase in S_1 is $dS_2/dL = -(1 - t)b_2/(1 - b_1)$, for those who are at the limit.¹⁶ The amount from consumption is $-(1 - t)(1 - b_1 - b_2)/(1 - b_1)$. Thus the model implies a proportionate reduction in S_2 and C in accordance with the unconstrained shares. Therefore results based on a functional form that allows more flexible substitution between S_1 and S_2 are also obtained.

1.2.3 Relaxing the Independence Assumption

To relax the restrictive substitution implications of the specification above, suppose that preferred allocations of current income are in accordance with the function

(9)
$$V = [Y - T - P_1 S_1 - P_2 S_2]^{1-\beta} \{ [\alpha (S_1 - a_1)^k + (1 - \alpha) (S_2 - a_2)^k]^{\frac{1}{k}} \}^{\beta},$$

where the left-hand term in brackets incorporates the budget constraint. The cost of S_1 in terms of current consumption is P_1 and the cost of S_2 is P_2 . This function has a tree structure with one branch consumption and the other saving. The two branches are combined in a Cobb-Douglas manner with parameter β . The two forms of saving are combined in a C.E.S. subfunction to form the saving branch. The parameter α indicates the relative "preference" for S_1 versus S_2 . If they were treated as equivalent, α would equal .5.¹⁷ The elasticity of substitution between S_1 and S_2 is 1/(1 - k).¹⁸

The limiting case of (1) as k goes to zero is given by

(10)
$$V = [Y - T - S_1(1 - t) - S_2]^{1-\beta}[S_1 - a_1]^{\alpha\beta}[S_2 - a_2]^{(1-\alpha)\beta},$$

with $P_1 = 1 - t$ and $P_2 = 1$. The unrestricted "desired" levels of S_1 and S_2 are given by

(11)
$$S_1 = a_1 + \frac{\alpha}{(1-t)}\beta[Y - T - (1-t)a_1 - a_2],$$
$$S_2 = a_2 + (1-\alpha)\beta[Y - T - (1-t)a_1 - a_2].$$

The function (10) is the same as the preference function (4) above and yields the same constrained savings functions as those in equations (5) and (6), but with $b_1 = \alpha\beta$ and $b_2 = (1 - \alpha)\beta$.

Because the parameters α and β have informative interpretations, we shall estimate them as functions of X, as an alternative to estimation of b_1 and b_2 . Although if b_1 , b_2 , α , and β were the same for all persons in the sample—not functions of attributes X—the equalities would hold, they will not necessarily hold when each is estimated as a function of X. For example, the mean over X of $\hat{b}_1 = \Phi[X\hat{B}_1]$ will not equal the mean over X of $\hat{\alpha} \cdot \hat{\beta}$. Analagous to the parameterization of b_1 and b_2 , we estimate α and β as

$$\alpha = \Phi[XA],$$
$$\beta = \Phi[XB],$$

where A and B are vectors of parameters to be estimated.

With this parameterization, it is convenient to think of β as the marginal after-tax dollar devoted to saving $(S_1 \text{ and } S_2)$ and α as the proportion of a saved dollar devoted to S_1 . Define $\gamma_1 = \alpha/(1 - t)$. It is the amount of tax-deferred S_1 obtained for the proportion α , and $\gamma_2 = 1 - \gamma_1(1 - t) = 1 - \alpha$ is the proportion devoted to non-tax-deferred S_2 .¹⁹

If $k \neq 0$, it is informative first to describe the saving functions in terms of both P_1 and P_2 . In this case, the unconstrained desired levels of S_1 and S_2 are given by

(12)
$$S_1 = a_1 + \gamma_1 \beta (Y - T - P_1 a_1 - P_2 a_2) ,$$
$$S_2 = a_2 + \gamma_2 \beta (Y - T - P_1 a_1 - P_2 a_2) .$$

From the constraint $\gamma_1 P_1 + \gamma_2 P_2 = 1$, $\gamma_2 = (1 - \gamma_1 P_1)/P_2$. The distribution factory γ_1 is given by

(13)
$$\gamma_1 = \frac{(P_1/\alpha)^{\frac{1}{k-1}}}{P_1(P_1/\alpha)^{\frac{1}{k-1}} + P_2[P_2/(1-\alpha)]^{\frac{1}{k-1}}}.$$

With $P_2 = 1$ and $\gamma_2 = 1 - \gamma_1 P_1$, γ_1 can be written as

(14)
$$\gamma_{1} = \frac{P_{1}^{\frac{1}{k-1}}}{P_{1} \cdot P_{1}^{\frac{1}{k-1}} + [\alpha/(1-\alpha)]^{\frac{1}{k-1}}}.$$

If k = 0, this expression reduces to $\alpha/P_1 = \alpha/(1 - t)$ as in equation (11).

If the S_1 constraint is binding so that $S_1 = L$, S_2 is defined only implicitly, by the relationship

(15)
$$\frac{P_2(1-\beta)[\alpha(L-a_1)^k+(1-\alpha)(S_2-a_2)^k]}{(1-\alpha)(S_2-a_2)^{k-1}} = (Y-T-P_1L-P_2S_2)$$

obtained by maximizing (9) with respect to S_2 , with $S_1 = L$. This function must be evaluated at each iteration of the maximum-likelihood estimation routine. We have not attempted to do this with random a_1 and a_2 . Only the additive disturbance specification has been used in this case. Estimates based on the restricted specification described in section 1.2.2, however, lead us to believe that the results are not very sensitive to which of these stochastic specifications is used.²⁰

1.3 Results

1.3.1 Data

The estimates are based on the 1983 Survey of Consumer Finances. The Survey provides detailed information on asset balances of all kinds, as well as on income and other personal attributes. From data on IRA balances it is possible to infer 1982 contributions, as explained in the appendix to this chapter. Unfortunately the data do not include changes in other asset balances in 1982, as emphasized above. The absence of this data has led us to concentrate on information contained in the change in "savings and reserve funds" question.

Estimation is based on 1,068 observations. Families were deleted from the original sample if they were ineligible for an IRA (selfemployed or not working). Nonresponse reduced the sample further. The data most often missing were self-reported marginal tax rates and the series of responses required to calculate housing equity. The variable means in the estimation sample (table 1.17) are very close to the means for all of those surveyed, however.²¹ Estimates based on a larger sample using predicted marginal tax rates are not appreciably different from those reported below based on self-reported rates.

1.3.2 Parameter Estimates

As emphasized above, the main concern is to obtain "reliable" estimates of b_1 and b_2 (or of α and β); they are the principle determinants of the effect of a change in L on IRA and non-IRA saving. While the effect of the variables X on the b's is of interest, it is not necessary to obtain unbiased estimates of these effects to estimate the effect of changing L. The model is intended to be structural with respect to L, not necessarily with respect to the effects of the variables X that determine the b's.²² Given the limit L, the parameters a_1 and a_2 , and the parameters b_1 and b_2 , S_1 and S_2 savings are given by the functions like those graphed in figure 1.1. Their amounts may be calculated given after-tax income, Y - T. If the limit is increased by ΔL , the constrained S_2 function is shifted downward by $-[(1 - t)b_2/(1 - b_1)] \cdot \Delta L$, using equation (6), and its intersection (the kink point in figure 1) with the unconstrained function is shifted outward. Given the new limit, new S_1 and S_2 values may be calculated. The effect of changing the limit depends only on b_1 and b_2 . Thus in reporting the results we emphasize the sensitivity of the estimated values of b_1 and b_2 to model specification. To simulate the average effect of a limit change, random values of a_1 and a_2 are selected from a bivariate normal distribution using the estimated means and covariance terms. (The alternative specification

assumes additive disturbances on the S_1 and S_2 equations, also with a bivariate normal distribution.)²³

We begin with estimates based on the limited substitution model with b_1 and b_2 parameterized (equations 5 and 6). Based on this specification we shall first consider a base case with $S = S_2$. We then discuss variants of this specification, some under the assumption that $S = S_1 + S_2$. The estimates with $S = S_1 + S_2$ should in principle be the most stable. We show in particular that the estimated values of $\sigma_1 = \sigma_2$ are very close and that the hypothesis that $\sigma_1 = \sigma_2$ cannot be rejected. This is a potentially important restriction that has been imposed under the assumption that $S = S_2$.

These latter estimates may be compared with those obtained with k = 0 but with α and β , instead of b_1 and b_2 , parameterized. To provide a summary measure that allows comparison across the specifications, we present estimated values of S_1 and S_2 saving out of the marginal dollar of after-tax income, defined by

$$\delta_1 = \frac{b_1}{(1-t)} = \frac{\alpha}{(1-t)} \beta$$
, and
$$\delta_2 = b_2 = (1-\alpha)\beta$$
,

where the equalities hold only if b_1 and b_2 , α and β are not parameterized.

Finally, estimates with k set at .65 are presented. In practice, widely varying values of k cannot be distinguished by the data.²⁴ Within-sample predictions are essentially the same. Nonetheless the predicted effects of limit changes do depend on the assumed substitution behavior under which the data were generated. Thus we set k at a rather high level and obtain estimates for the other parameters. Indications of model fit, simulation results, and the sensitivity of the simulations to model specification follow.

Limited Substitution, b_1 and b_2 Parameterized

a. The base specification. Parameter estimates obtained under the assumption that $S = S_2$ are shown in table 1.7. The correlation between the random preference parameters a_1 and a_2 is .47 (with a standard of error of .06). The implied correlation between the S_1 and S_2 disturbance terms is .16, evaluated at the mean of the data. Although the correlation is small, it is consistent with an individual-specific savings effect (presumably due to unmeasured individual attributes) that affects both IRA and other saving in the same direction. It does not provide support for the possibility that persons who save more in one form tend to save less in the other. This substitution hypothesis would be consistent with a negative correlation.

Variable	Estimate (Asymptotic Standard Error)				
Origin Parameters:					
Mean of a_1	15.90	(2.09)			
Mean of a_2	4.58 (.97)				
S.D. of a_1	8.89	(1.10)			
S.D. of a_2	8.89	()			
Correlation of a_1 , a_2	.47	(.06)			
S.D. of S_1 (at mean)	6.66				
S.D. of S_2 (at mean)	7.92				
Correlation of S_1 , S_2	.16				
Determinants of b_1 and b_2 :	<i>b</i> ₁	<i>b</i> ₂			
Income (\$1000's)	00501 (.00070)	01042 (.00242)			
Age (years)	.0112 (.0019)	.0002 (.0044)			
Total wealth (\$1000's)		*			
Nonliquid	00024 (.00010)	00024 (.00048)			
Liquid	.00073 (.00048)	.01131 (.00322)			
Private pension (0,1)	– .0140 (. 040 1)	.9006 (.3703)			
Education (years)	.0248 (.0080)	.0366 (.0228)			
Unmarried woman	.0831 (.0574)	.1703 (.1413)			
Unmarried man	.0486 (.0503)	.2667 (.1019)			
Constant	-1.5752 (.2043)	-2.3675 (.6762)			
Predicted b_1 and b_2 :	b 1	<i>b</i> ₂			
Mean	.174	.102			
S.D.	.037	.072			
Min.	.012	.000			
Max.	.310	.820			
Predicted δ_1 and δ_2	δ_1	δ2			
Mean	.247	.102			
S.D.	.162	.072			
Min.	.012	.000			
Max.	4.448	.820			
LF	-1	1380			

Table 1.7	Parameter Estimation	tes with b_1 and b_2	2 Parameterized	$1 \text{ and } S = S_2$
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The estimated coefficients on the wealth variables also seem consistent with an individual-specific savings effect. Liquid assets, which are likely to be the most readily transferred to IRA accounts, are positively related to IRAs, but they are also positively related to other saving. Indeed the relationship to the S_2 saving is much greater than the relationship to IRAs. A \$1,000 increase in liquid assets is associated with a \$45 increase in S_2 , but only a \$5 increase in S_1 . Parameterization in terms of α and β shows a positive relationship of liquid assets to total saving in the two forms but a negative relationship to the proportion of the total devoted to IRAs, as shown in table 1.8 below. Nonliquid assets are negatively related to both S_1 and S_2 saving. Parameterization of α and β shows that nonliquid wealth is negatively related to total saving in these forms, but is positively related to the proportion devoted to IRAs. (As shown in appendix table 1.20, total wealth is negatively related to total saving in the S_1 and S_2 forms, and is unrelated to the allocation to S_1 versus S_2 .) Thus this evidence also seems to support individual-specific saving preferences; some persons are savers and others not, some save in liquid and others in less liquid forms. But the evidence does not provide much support for the possibility that IRA funds were typically withdrawn from other liquid asset balances.²⁵

It is important to keep in mind that in this specification, cumulated assets serve as a measure of individual-specific savings effects. They are not intended to serve as exogenous determinants of the b's; in this sense they would be endogenous. But their relationship to the b's also provides us with information about the hypothesis that IRA contributions are simply taken from other saving balances.

The mean estimated b_1 and b_2 parameters, .174 and .102 respectively, also suggest a strong preference for IRA versus other saving. At the margin, 17 cents of an additional dollar of after-tax income would go to IRAs—yielding about 25 cents in IRA saving—and about 10 cents would go to S_2 saving.

It is tempting to explain the difference between b_1 and b_2 by the difference in the return to tax-deferred versus non-tax-deferred saving. The revealed preference for IRAs is distinct from the lower price of tax-deferred saving in terms of current consumption, which through the current-year budget constraint of our model serves to increase the amount of IRA saving, given b_1 and b_2 . For example, suppose that r is the interest rate, t' is the marginal tax rate during the time that funds are in an IRA account, t is the rate when funds are withdrawn, and the contribution is made at age j' and withdrawn at age j. A dollar invested in an IRA yields $1 \cdot (1 - t)e^{r(j-j')} \cdot [1 - p(j)]$, where p(j) is a penalty for early withdrawal. The penalty is 0 if $i > 59\frac{1}{2}$ and .1 if $j < \frac{1}{2}$ 591/2. A dollar of non-tax-deferred saving yields $(1 - t')e^{r(1-t')(j-j')}$. Thus the ratio of the tax- to non-tax-deferred yields is $[(1 - t)/(1 - t')]e^{rt(j-j')}$ (1 - p(j)). If t = t' and $j > 59\frac{1}{2}$, it is simply $e^{rt(j-j')}$. Thus because of the tax-free compounding of interest in IRA accounts, as well as the possible difference between pre- and postretirement tax rates, persons in higher marginal tax brackets should have a greater incentive to save through IRAs.26

The penalty for early withdrawal makes the IRA less liquid and thus may detract from the desirability of IRAs, however.²⁷ But the liquidity consideration should be less important for people with higher marginal tax rates. Taking account of the penalty for early withdrawal, the tabulation below shows the number of years that funds must be left in an IRA account for the return to exceed the non-tax-deferred return.

		M	larginal Tax Ra	te	
Interest Rate	10%	20%	30%	40%	50%
2%	60.0	34.0	26.1	23.2	22.6
6%	20.8	11.7	9.0	8.0	7.8
10%	12.9	7.3	5.6	4.9	4.8
14%	9.5	5.4	4.1	3.6	3.5
18%	7.7	4.3	3.3	2.9	2.8

Thus it is clear that both the interest rate and the marginal tax rate should have a substantial effect on the desirability of IRAs to the extent that short-term liquidity is an important consideration.

We are, however, unable to demonstrate convincingly an increasing preference for IRAs with increasing marginal tax rates. The coefficient on the marginal tax rate is significant in both b_1 and b_2 when it is entered as a determinant of the b's. Indeed its estimated effect is somewhat larger in b_2 (see appendix table 1.22). Results with α and β parameterized show that the marginal tax rate is positively related to total saving, β , but is negatively related to the proportion allocated to IRAs, α . These results seem to suggest that the marginal tax rate is picking up an individual-specific saving effect, but seems not related to a particular preference for IRAs. Wise (1984) was unable to identify an effect of the marginal tax rate on tax-deferred saving in Canada, using precisely measured marginal tax rates, as opposed to the self-reported rates used here.²⁸ While the marginal tax rate enters our budget constraint as the cost of S_1 , the functional form virtually assures a positive relationship between the tax rate and IRA saving. We do not estimate a price parameter directly. Rather the price enters as a transformation to the data. Indeed the likelihood function is somewhat higher if P_1 is set to one for everyone, although the effect on the simulations reported below is not substantial.

Thus, while difficult to demonstrate, we believe that the widespread promotion of IRA accounts may be the most important reason for increased saving through their use.

In addition, the estimates do not suggest more IRA saving among persons without than with private pension plans, one of the primary goals of IRA legislation. The coefficient on the pension variable (-.0140)is not significantly different from zero. Furthermore, persons with private pensions save more in the S_2 form. Results based on the parameterization of α and β suggest that while persons without private plans save less, they devote a larger proportion of what they do save to IRAs.

The apparent variation in saving behavior among occupations or other segments of the population has been mentioned by others.²⁹ The strong relationship of education to IRA saving is consistent with such variation. In its relation to b_1 , a year of education is equivalent to more

than two years in age and more than \$30,000 in liquid wealth. The amount of the marginal dollar devoted to IRAs increases with age but decreases with income.

b. Variants of the base specification. A potentially important restriction in the base specification is that the error variances of a_1 and a_2 are equal. While this restriction is not necessary in principle, under the assumption that $S = S_2$ only the functional form and the limit L allow identification of the variance of a_2 . Under the assumption that $S = S_1$ + S_2 , direct evidence on the residual variance of S_2 is provided. Estimates based on the assumption that "savings and reserve funds" S include IRAs and allowing separate estimates of σ_1 and σ_2 are presented in appendix table 1.18. Both variances are estimated rather precisely and are close in magnitude ($\hat{\sigma}_1 = 8.84$, $\hat{\sigma}_2 = 5.45$). Comparison with estimates in appendix table 1.19 that restrict σ_1 to equal σ_2 shows that the two are not significantly different by a likelihood ratio test. The other findings discussed above are not qualitatively affected if it is assumed that $S = S_1 + S_2$, except that the residual correlation is now not significantly different from zero.³⁰

Estimates like those in appendix table 1.18, but using total wealth only, instead of liquid versus nonliquid wealth, show that total wealth is in fact negatively related to total S_1 and S_2 saving and is unrelated to the proportion allocated to S_1 , as mentioned above (see appendix table 1.20). Estimates comparable to appendix table 1.18, but with P_1 = 1 for all persons (ignoring the marginal tax effect) are presented in appendix table 1.21. The likelihood value indeed increases, but, as shown below, conclusions about the effect of IRA limit changes are not appreciably altered. Estimates with additive disturbances, instead of random a_1 and a_2 , are shown in appendix table 1.23. The estimates are very close to those in table 1.7 discussed above.

More Flexible Substitution, α and β Parameterized

a. With k = 0. Estimates with k = 0 are shown in table 1.8. They are comparable to those in table 1.7, except that α and β , instead of b_1 and b_2 , are parameterized, and additive disturbances, instead of random a_1 and a_2 , are used. (Appendix table 1.23 shows results with b_1 and b_2 parameterized and using additive disturbances.) Only estimates assuming $S = S_2$ are presented with the more flexible model.³¹ The basic conclusions are the same as those based on table 1.7. The mean δ_1 is .244 versus .247 in table 1.7; but the mean δ_2 , .049, is somewhat smaller than its table 1.7 counterpart, .102.

Variable	Estimate (Asymptot	ic Standard Error)
Disturbance terms:		
σ_1	6.55	(0.50)
σ_2	6.55	(—)
β 12	.185 ((.060)
Origin Parameters:		
a _l	15.21	(1.98)
<i>a</i> ₂	2.30	(0.34)
Determinants of β and α :	β	<u> </u>
Income (\$1000's)	0060 (.0011)	0048 (.0028)
Age (years)	.0137 (.0024)	.0004 (.0701)
Wealth: Nonliquid (\$1000's)	00055 (.00010)	.0014 (.0007)
Liquid (\$1000's)	.01438 (.00185)	0164 (.0020)
Private pension (0,1)	.1606 (.0148)	-1.4510 (.3500)
Education (years)	.0361 (.0088)	~ .0465 (.0075)
Unmarried woman (0,1)	.0649 (.0925)	.0246 (.1348)
Unmarried man (0,1)	.1976 (.0736)	3717 (.1250)
Constant	- 1.8929 (.2199)	3.0904 (.3876)
Predicted β and α :	β	<u> </u>
Mean	.214	.841
\$.D.	.097	.141
Min.	.008	.000
Max.	.995	.999
Predicted δ_1 , δ_2 :	δ	δ2
Mean	.244	.049
\$.D.	.195	.075
Min.	.000	.000
Max.	5.332	.995
Log-likelihood	- 13	79

Table 1.8	Parameter 1	Estimates	with a	and β	Parameterized , $k = 0$
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This parameterization, however, indicates total $S_1 + S_2$ saving out of marginal income by β , and the share of the total to S_1 by α . Some of the conclusions have been discussed above. In addition, the estimates indicate that while total saving increases with age, the proportion allocated to IRAs does not. The more educated save more but allocate a smaller proportion to IRAs, according to these results. Thus it is apparently their greater propensity to save rather than a greater preference for tax-deferred saving that leads to more IRA saving among the educated. As mentioned above, while persons without private pension plans save less, these results indicate that they devote a *larger* proportion of saving to IRAs. Thus it is apparently their lower propensity to save, rather than the same IRA preference as that of private pension holders, that leads to comparable desired IRA contributions among those with and without private pensions.

and p raramete	112eu, x = 05
Estimate (Asympto	tic Standard Error)
6.61	(.542)
6.61	(—)
.176	(.060)
13.61	(1.88)
1.69	(0.31)
β	α
0059 (.0012)	0026 (.0015)
.0159 (.0028)	.0000 (.0026)
00052 (.00011)	.00075 (.00039)
.0148 (.0019)	0088 (.0011)
.0821 (.0495)	-1.7088 (.1787)
.0449 (.0118)	0372 (.0061)
.1184 (.0948)	.9392 (.1123)
.1830 (.0716)	1918 (.0564)
- 2.2095 (.3148)	2.6269 (.0011)
β	α
.174	.727
.096	.187
.005	.000
.996	.994
δ	<u></u>
.213	.028
.189	.072
.000	.000
3.763	.996
- 13	394
	Estimate (Asymptot 6.61 6.61 .176 13.61 1.69 $\frac{\beta}{0059}$ (.0012) .0159 (.0028) 00052 (.00011) .0148 (.0019) .0821 (.0495) .0449 (.0118) .1184 (.0948) .1830 (.0716) -2.2095 (.3148) $\frac{\beta}{174}$.096 .005 .996 $\frac{-\delta_1}{213}$.189 .000

Table 1.9 Parameter Estimates with α and β Parameterized, k = 65

b. With k = .65. Estimates with k set at .65 are shown in table 1.9. The individual parameter estimates are very close to those with k = 0, with the exception of the constant terms in α and β . Again, differences are summarized in the δ_1 and δ_2 measures. The mean δ_1 is .213 when k = .65, and .244 with k = 0. The mean δ_2 estimates are .028 and .049 respectively.

The effect of a change in the IRA limit depends in large part on the difference between the share of marginal income allocated to S_2 by people who are not constrained by the limit and the share allocated to S_2 by those who are constrained by the limit. These shares are denoted by δ_2 and δ_2^* respectively. Their means for k = 0 and k = .65 are as follows:

	δ ₂	δ_2^+
k = 0	.091	.117
k = .65	.046	.096

Thus the predicted relative shift to S_2 when the constraint is reached is greater when the data are assumed to have been generated by individual saving behavior with greater substitution between S_1 and S_2 . This is reflected in greater reduction in S_2 for the k = .65 model when the IRA limit is raised than for the k = 0 model, as indicated in the simulations below.

1.3.3 The Model Fit

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Although there is some variation in the model fit by specification, the differences are quite small. Thus we present comparison of predicted versus actual values for three illustrative cases. Based on the k = 0 model, with α and β parameterized, table 1.10 shows simulated versus actual values of the proportion of respondents with $S_1 > 0$, $S_1 > L$, and S > 0, by income interval. Possibly most important are

Table 1.10	Simulat k = 0*	ed Predicto	ed vs. Actua	al Values,	by Incom	e Interval,	
Income		% s ₁	> 0	% s ₁	= L	% S	/ > 0
Interval ^b	Number	P	A	P	A	P	A
0-10	169	.07	.03	.04	.02	.38	.31
10-20	305	.11	.07	.06	.02	.42	.38
20-30	260	.19	.25	.10	.13	.45	.47
30-40	170	.30	.32	.18	.21	.52	.56
40-50	77	.46	.52	.30	.35	.56	.55
50-100	77	.65	.58	.48	.46	.66	.69
100+	10	.39	.60	.36	.50	.78	.70
Total	1068	.22	.22	.13	.14	.47	.46
	%	<i>S</i> > 0			% S	S > 0	
	Gi	$ven s_1 = 1$	Ľ		Giv	$en s_1 = 0$	
	N	P°	Ad	N		Pe	A^d
0-10	7	.48	.33	16	2	.37	.32
10-20	17	.56	.43	28	8	.41	.37
2030	25	.66	.70	23	5	.42	.43
30-40	30	.66	.75	14	0	.49	.49
40-50	23	.66	.63	5	4	.52	.46
50-100	37	.77	.74	4	0	.56	.59
100+	4	.94	.60		6	.69	.75
Total	143	.68	.69	83	3	.42	.40

a. Based on 10 draws per sample observation.

- b. Y-T, in thousands of dollars.
- c. Predicted S > 0, given predicted $s_1 = L$.
- d. Observed in the sample.
- e. Predicted S > 0, given predicted $S_1 < 0$.

the proportions with S > 0 conditional on $s_1 = L$ (at the IRA limit) and with S > 0 conditional on $S_1 < 0$ (no IRA). Overall the fit is very close. In particular, the model seems not to underestimate the S_2 saving of persons who are at the IRA limit, as might be expected if not enough substitution of S_2 for S_1 were allowed by the model when the S_1 limit is reached. But this simulation shows some overprediction of S_2 saving for persons below the IRA limit. The simulated predictions are based on only 10 draws per person, however, so they reflect some random variation.³² While unconditional overall proportions will match the actual values closely, nothing in the specifications assures a close fit by income interval. The model overpredicts saving of low-income persons. This is a characteristic of all of the specifications.

This overprediction is eliminated if the disturbance terms are allowed to be heteroskedastic, with the variance increasing with income, by specifying $\epsilon_1 = n_1Y + e_1$ and $\epsilon_2 = n_2Y + e_2$.³³ The fit based on this model with k = 0 is shown in table 1.11, where it can be seen that the predicted and actual proportions are very close for all income groups. Finally, illustrative predictions with k = .65 are shown in table 1.12. The predicted versus actual values are very similar to those in the k = 0 case, although if anything the predicted proportion of those at the limit with S > 0 is somewhat lower than in the k = 0 case.³⁴ Predictions with b_1 and b_2 parameterized are shown in appendix table 1.24, based on the estimates in table 1.7. This specification tends to predict a lower portion of those at the limit with S > 0 than the model with α and β parameterized.

1.3.4 Simulations of the Effect of IRA Limit Changes

To estimate the effect of IRAs on saving, we have predicted the effect of limit changes on IRA contributions and on other saving. To add content to this exercise, we have simulated the effects of several recently proposed limit changes. The first we call the Treasury Plan.³⁵ It would increase the limit for an employed person from \$2,000 to \$2,500, and would increase the limit for a nonworking spouse from \$250 to \$2,500. Thus, for example, the contribution limit for a husband and nonworking wife would increase from \$2,250 to \$5,000. A Modified Treasury Plan increases the limit for an employed person from \$2,000 to \$2,500, but only increases the limit for a nonworking spouse from \$250 to \$500. Finally, the President's Plan would leave the limit for an employed person at \$2,000, but would raise the limit for a nonworking spouse from \$250 to \$2,000.³⁶ For comparison, simulated savings under the current limit are also shown.

The predicted changes should be interpreted as indications of changes in saving had the IRA limit been higher in 1982. It is important to keep

Income			$b s_1 > 0$	% s	= L	% S	5 > 0
Interval ^b	Number	P	A	Р	A	P	A
0-10	169	.03	.03	.01	.02	.32	.31
10-20	305	.08	.07	.03	.02	.41	.38
20-30	260	.21	.25	.10	.13	.50	.47
30-40	170	.33	.32	.20	.21	.53	.56
40-50	77	.48	.52	.33	.35	.62	.55
50-100	77	.56	.58	.48	.46	.60	.69
100+	10	.58	.60	.54	.50	.67	.70
Total	1068	.21	.22	.13	.14	.47	.46
	%	<i>S</i> > 0		%	<i>S</i> > 0		
	Gi	$\operatorname{ven} s_1 = L$		G	$iven s_1 = 0$)	
	N	P ^c	Ad	N	Pe	Ad	
0-10	3	.30	.33	164	.32	.32	
1020	7	.69	.43	285	.40	.37	
20-30	33	.69	.70	196	.46	.43	
3040	36	.66	.75	115	.48	.49	
40-50	27	.70	.63	37	.56	.46	
50-100	35	.71	.74	32	.49	.59	
100 +	5	.72	.60	4	.60	.75	
Total	146	.69	.69	833	.42	.40	

Table 1.11Simulated Predicted vs. Actual Values, by Income Interval,
k = 0, and Heteroskedastic Disturbance Terms*

a. Based on 10 draws per sample observation.

b. Y-T, in thousands of dollars.

c. Predicted S > 0, given predicted $s_1 = L$.

d. Observed in the sample.

e. Predicted S > 0, given predicted $S_1 < 0$.

in mind that S_2 saving undoubtedly excludes changes in nonliquid wealth such as housing. The possible substitution betwen IRAs and housing wealth in the long run, for example, would not be reflected in these estimates. They are intended, however, to indicate the extent to which IRA contributions in 1982 were simply a substitute for other forms of saving, other than nonliquid assets. The top portion of the table pertains to individuals who are predicted to be at the IRA limit, since it is only this group that would be affected by an increase in the limit. The bottom portion shows simulated contributions by family type. The simulations are based on the estimation sample. Those in table 1.13 are based on the estimates in table 1.7 and those in table 1.14 on the k = .65 estimates shown in table 1.9. The simulated values are based on 10 random draws for each observation in the estimation sample.

The predicted changes in S_1 and S_2 under the Treasury Plan for families at the IRA limit, for example, are as follows:

	ΔS_1	ΔS_2
Base model	+1138	-94
k = .65	+ 1091	-210

These values suggest that only 10-20% of the IRA increase is offset by a reduction in other financial assets. Thus, at least in the short run, tax-deferred IRA accounts have by these estimates led to a relatively large increase in total individual saving (as defined in this paper).

Possibly the best indicator of saving is change in consumption. The average change in "consumption" (as defined implicitly in this paper) under each plan is shown in table 1.15 together with changes in S_2 and

Table 1.12	Simulat k = .65		ed vs. Actua	al Values,	by Incom	e Interval,	
		% s ₁	> 0	% s _i	= L	% S	r > 0
Income Interval ^b	Number	P	A	P	A	P	A
0-10	169	.08	.03	.04	.02	.40	.31
10-20	305	.11	.07	.06	.02	.44	.38
20-30	260	.20	.25	.12	.13	.45	.47
30-40	170	.28	.32	.15	.21	.48	.56
40-50	77	.44	.52	.31	.35	.52	.55
50-100	77	.63	.58	.48	.46	.61	.69
100+	10	.38	.60	.33	.50	.77	.70
Total	1068	.22	.22	.14	.14	.46	.46
	%	<i>S</i> > 0			%	5 > 0	
	Gi	iven $s_1 = k$	Ľ		Giv	$en \ s_1 = 0$	
	N	Pc	Ad	N		Pe	Ad
0-10	8	.52	.33	16	2	.40	.32
10-20	19	.68	.43	28	6	.42	.37
20-30	30	.63	.70	23	0	.43	.43
30-40	26	.61	.75	14	4	.45	.49
40-50	24	.64	.63	5	4	.47	.46
50-100	37	.72	.74	4	0	.51	.60
100+	3	.94	.60		7	.69	.75
Total	146	.66	.69	83	5	.42	.40

- - - -

a. Based on 10 draws per sample observation.

b. Y-T. in thousands of dollars.

c. Predicted S > 0, given predicted $s_1 = L$.

d. Observed in the sample.

e. Predicted S > 0. given predicted $S_1 < 0$.

	Current P (2000/250)	Current Plan (2000/250)	Treasury Plan (2500/2500)	y Plan 500)	Mod. Treas. Plan (2500/500)	as. Plan	President's Plan (2000/2000)	t's Plan)0)
Family Type	ς, (Β	s2 (Base)	s ₁ s. (Change)	s ₂ nge)	s ₁ (Change)	s2 [ge)	s ₁ (Change)	s2 nge)
			Obs	ervations F	Observations Predicted at the Limit	e Limit		
All families Ave. contribution	3025	3148	1138	- 94	743	- 65	386	- 29
% change	I	I	+ 38		+ 25	-2	+13	-
				o IIV	All Observations			
All families								
Ave. contribution	519	-811	142	- 12	9 3	90 	49	с –
% change	I	١	+27		+ 18	7	6+	•
Unmarried head								
Ave. contribution	270	- 749	50	9-	50	-9	•	•
% change	İ	I	+ 19	7	+ 19	-1	•	0
Married one earner								
Ave. contribution	350	- 1643	279	- 21	68	L –	191	- 14
% change		I	+80	ī	+25	0	+ 55	T
Married two earners								
Ave. contribution	L6L	-355	127	II I	127	Π-	0	0
% change	I	1	+ 16	÷.	+ 16	ا	0	0

Table 1.14	Simulated Type, Table	Increases i e 1.9 Parai	n IRA Contraction IRA Contraction Contracti Contraction Contraction Contraction Contractic	ontributio imates, $lpha$	Simulated Increases in IRA Contributions and in Other Saving, by Plan and Family Type, Table 1.9 Parameter Estimates, α and β Parameterized, and $k = .65$.	her Saving, neterized, a	by Plan and $k = .65$.	d Family
	Current Pl (2000/250)	Current Plan (2000/250)	Treasury Pl (2500/2500)	Treasury Plan (2500/2500)	Mod. Tre (2500/500)	Mod. Treas. Plan (2500/500)	President's (2000/2000)	President's Plan (2000/2000)
Family Type	۹) ع	s ₂ (Base)	s ₁ (Chi	s ₂ (Change)	sı (Change)	s ₂ nge)	s ₁ (Ch	s ₂ (Change)
		-	Obs	ervations	Observations Predicted at the Limit	the Limit		
All families Ave. contribution % change	3069	3831	1091 + 36	-210 -5	754 + 25	- 143 4	351 + 11	67 2
				All (All Observations			
All families			:				:	¢
Ave. contribution	522	III	143	- 28	8	- 19	4 6	6-
% change Unmarried head	I	ł	+ 27	-25	+ 19	- 17	6+	∞ I
Ave. contribution	265	- 471	51	- 10	51	- 10	0	0
% change	I	I	+ 19	-2	+ 19	-2	0	0
Married one earner								
Ave. contribution	346	14	255	- 49	85	- 15	177	- 34
% change	I	I	+ 74		+ 25		+ 51	
Married two earners								
Ave. contribution	811	583	141	- 27	141	- 27	•	0
% change	I	I	+ 17	N I	+ 17	- S	0	0
						-		

	Base Model		k = .65 Model	
	Amount	Percent	Amount	Percent
IRA, S ₁ Saving	+1138	100.0	+ 1091	100.0
S ₂ Saving	- 94	-8.3	-210	- 19.2
Consumption	-643	- 56.5	- 493	-45.2
Taxes	-401	-35.2	- 388	-35.6

in taxes. For example, the simulated changes under the Treasury Plan for families at the limit are:

Thus possibly 50% of the IRA increase is funded by a reduction in consumption, according to these measures, and possibly 35% by reduced taxes, with a relatively small proportion coming from reduction in other saving.

	Treasu (2500/2	-	Mod. T Plan (2:	reas. 500/500)	Presiden (2000/20	
	Amount	Percent	Amount	Percent	Amount	Percen
			Base 1	Model		
Families at limit						
ΔS_1 saving	1138	(100.0)	743	(100.0)	396	(100.0)
ΔS_2 saving	- 94	(8.3)	-65	(8.7)	-29	(7.3)
Δ consumption	-643	(56.5)	-421	(56.7)	-228	(57.6)
Δ taxes	- 401	(35.2)	- 257	(34.6)	139	(35.1)
All families						
ΔS_1 saving	142	(100.0)	93	(100.0)	49	(100.0)
ΔS_2 saving	- 12	(8.5)	- 8	(8.6)	3	(6.1)
ΔS consumption	- 81	(57.0)	- 53	(57.0)	- 29	(59.2)
Δ taxes	- 49	(34.5)	- 32	(34.4)	-17	(34.7)
			k = .65	Model		
Families at limit	_					
ΔS_1 saving	1091	(100.0)	754	(100,0)	351	(100.0)
ΔS_2 saving	210	(19.2)	- 143	(19.0)	- 67	(19.1)
Δ consumption	- 493	(45.2)	- 344	(45.6)	- 162	(46.2)
Δ taxes	- 388	(35.6)	-267	(35.4)	- 122	(34.8)
All families						
ΔS_1 saving	143	(100.0)	99	(100.0)	46	(100.0)
ΔS_2 saving	- 28	(19.6)	- 19	(19.2)	-9	(19.6)
Δ consumption	~ 65	(45.5)	- 45	(45.5)	-21	(45.7)
Δ taxes	- 50	(35.0)	35	(35.4)	- 16	(34.8)

 Table 1.15
 Simulated Changes in Savings, Consumption, and Taxes, by Plan and by Model Specification

The estimated IRA increases can be compared with estimates by Venti and Wise (1985) based on 1983 Current Population Survey (CPS) data. The CPS data reported actual 1982 IRA contributions by interval, while 1982 contributions had to be inferred from balances reported in the SCF. In addition, self-reported marginal tax rates were used here, while estimated rates were used in conjunction with the CPS data. Nonetheless the simulated effects of limit increases are virtually the same. For example, for all families the simulated increase under the Treasury Plan is 27% versus 30% based on the CPS data. The increase for unmarried heads is 19% versus 19% based on the CPS; it is 80% versus 79% for married one-earner families; and 16% versus 16% for married two-earner families.

1.3.5 Sensitivity of Results to Model Specification

The sensitivity of the results to selected specification changes is shown in table 1.16. Possibly the best summary indicator of the effect of these changes is the simulated change in S_2 under the Treasury Plan. In each case, the decline in S_2 is small relative to the increase in IRAs, although the magnitude of the decline in S_2 varies by a factor of 4. None of the specification changes has much effect on the simulated IRA change. If it is assumed that $S = S_1 + S_2$, the estimated reduction in S_2 tends to be larger, except where P_1 is set to 1. In the latter case, the constrained estimate δ_2^* of δ_2 is larger because $\hat{b}_2/(1 - \hat{b}_1)$ is larger.

				Treasury Plan Effect for Persons at the Limit	
Specification	LF	δι	δ2	ΔS_1	ΔS_2
$S = S_2$					
b_1, b_2 parameterized	- 1380	.247	.102	1138	· — 94
b_1 , b_2 parameterized;					
stocks & bonds included					
with liquid assets	- 1399	.268	.103	1135	-95
b_1, b_2 parameterized;					
additive errors	- 1377	.240	.078	1144	-83
$k = 0; \alpha, \beta$ parameterized;					
additive errors	- 1379	.244	.049	1111	- 69
$k = .65; \alpha, \beta$ parameterized;					
additive errors	- 1394	.213	.028	1091	-210
$S = S_1 + S_2$; b_1 , b_2 parameterized	1				
$\sigma_1 \ddagger \sigma_2$	- 1377	.287	.059	1137	- 52
$\sigma_1 = \sigma_2$	- 1378	.254	.085	1141	- 76
Total wealth only	- 1381	.294	.061	1143	- 45
$P_1 = 1$	- 1363	.403	.096	1130	- 172

Table 1.16 Sensitivity of Simulations to Alternative Specifications

1.4 Conclusions

Increasing the IRA limits would lead to substantial increases in taxdeferred saving according to our evidence, based on the 1983 Survey of Consumer Finances. For example, the recent Treasury Plan would increase IRA contributions by about 30%. Virtually the same estimate was obtained in previous analysis based on Current Population Survey data, suggesting that this conclusion may be relatively robust. The primary focus of this paper, however, has been the effect of limit increases on other saving. How much of the IRA increase would be offset by reduction in non-tax-deferred saving? The weight of our evidence suggests that very little of the increase would be offset by reduction in other financial assets, possibly 10-20%, maybe less. Our estimates suggest that 45-55% of the IRA increase would be funded by reduction in consumption, and about 35% by reduced taxes.

The analysis rests on a preference structure recognizing the constraint that the IRA limit places on the allocation of current income. The model fits the data well and in particular distinguishes accurately the savings decisions of persons at the IRA limit versus the decisions of those who are not.

The greatest potential uncertainty about the results and the greatest statistical complication for analysis stems from the limited information on non-IRA saving and from the consequent difficulty of obtaining direct estimates of the degree of substitution between tax-deferred and non-tax-deferred saving. We have addressed these issues by considering the sensitivity of our conclusions to specification changes, including assumptions about the interpretation of key variables and the extent of substitution underlying observed saving outcomes. Although the magnitude of the estimated reduction in other saving, with increases in the IRA limit, is sensitive to specification changes, the reduction as a percentage of the IRA increase is invariably small.

In addition to these primary conclusions, our evidence suggests substantial variation in saving behavior among segments of the population. We also find that IRAs do not serve as a substitute for private pension plans, although persons without private plans devote a larger proportion of their lower total saving to IRAs. Thus the legislative goal of disproportionately increasing retirement saving among persons without pension plans is apparently not being realized. But the more general goal of increasing individual saving is.

Appendix Imputing 1982 IRA Contributions

The Survey of Consumer Finances (SCF) asked respondents if they had any IRA accounts and the total dollar value in all of them. The SCF did not ask respondents for their 1982 contribution. Given that the Economic Recovery Tax Act liberalized eligibility beginning in 1982 (nearly three-quarters of all 1982 accounts were opened in 1982), the following criteria are used to impute 1982 contributions:

- (a) If the total value of IRAs is less than the 1982 family limit then the total value is assumed to be the 1982 contribution.
- (b) If the total value of IRAs exceeds the 1982 family limit then the family limit is assumed to be the 1982 contribution.

Imputed IRA contributions based on this procedure compare favorably to evidence from the CPS, which presents 1982 contributions by interval.

	All		Contributors Only	
Variable	Mean	S.D.	Mean	S.D.
Total after-tax				
income $(Y - T)^{*}$ (\$)	26,239	22,442	41,093	30,354
Age	37.7	11.4	44.0	11.2
Wealth ^b	59,781	115,927	120,628	169,900
Liquid wealth (\$)	7.796	19.109	17.974	30.156
Nonliquid wealth (\$)	51,984	109,231	102,654	160,011
Private pension (0,1) ^c	0.67	0.47	0.80	0.40
Education (years)	13.4	2.5	14.5	2.3
Unmarried woman (0,1)	0.17	0.38	0.10	0.30
Unmarried man (0,1)	0.14	0.35	0.11	0.31
Marginal tax rate	0.25	0.15	0.31	0.14
IRA (\$)	533	1164	2423	1257
IRA > 0 (0,1)	0.22	0.41	_	
<i>"S"</i> (0,1)	0.46	0.50	0.65	0.48
Number of observations	10	068	2	35

 Table 1.17
 Summary Statistics for Estimation Subsample

a. Total after-tax income is obtained by using the reported marginal tax rate and inferred filing status to calculate (using 1982 tax tables) the taxes paid by each family, and subtracting this amount from total income.

b. The wealth variables are defined in note 4 to this chapter.

c. For two worker families the variable is unity if either member participates in a pension plan, and zero otherwise.

Variable	Estimate (Asymptotic Standard Error)	
Origin parameters		
Mean of a_1	17.79	(2.52)
Mean of a_2	3.02	(1.10)
S.D. of a_1	8.84	(1.10)
S.D. of a_2	5.45	(1.91)
Correlation of a_1, a_2	.17	(.17)
S.D. of S_1 (at mean)	6.98	
S.D. of S_2 (at mean)	5.19	
Correlation of S_1 , S_2	09	
Determinants of b_1 and b_2	<i>b</i> 1	_ b ₂
Income (\$1000's)	00557 (.00071)	01156 (.00382)
Age (years)	.0108 (.0019)	0054 (.0049)
Total wealth (\$1000's)	_	
Nonliquid	00022 (.00010)	00022 (.00075)
Liquid	.00103 (.00047)	.01242 (.00389)
Private pension (0,1)	0339 (.0403)	.9854 (.5127)
Education (years)	.0227 (.0077)	.0233 (.0237)
Unmarried woman	.0754 (.0594)	.1911 (.1532)
Unmarried man	.0538 (.0497)	.3231 (.1100)
Predicted b_1 and b_2	\boldsymbol{b}_1	b 2
Mean	.203	.059
S.D.	.040	.052
Min.	.011	.000
Max.	.340	.739
Predicted δ_1 and δ_2	δ1	δ2
Mean	.287	.059
S.D.	.191	.052
Min.	.011	.000
Max.	5.303	.739
LF	-1	377

Parameter Estimates with b_1 and b_2 Parameterized, Assuming that $S = S_1 + S_2$, $\sigma_1 \neq \sigma_2$

Table 1.19

Parameter Estimates with b_1 and b_2 Parameterized, Assuming that $S = S_1 + S_2$, $\sigma_1 = \sigma_2$

Variable	Estimate (Asymptotic Standard Error	
Origin parameters		
Mean of a_1	16.15 (2.15)	
Mean of a_2	4.37 (.87)	
S.D. of a_1	8.48 (1.07)	
S.D. of a_2	8.48 ()	
Correlation of a_1 , a_2	.33 (.08)	
S.D. of S_1 (at mean)	6.60	
S.D. of S_2 (at mean)	7.88	
Correlation of S_1, S_2	.01	

Table 1.18

Variable	Estimate (Asymptotic Standard Error)	
Determinants of b_1 and b_2	<i>b</i> ₁	
Income (\$1000's)	00506 (.00068)	01182 (.00354)
Age (years)	.0111 (.0019)	0030 (.0050)
Total wealth (\$1000's)	_	—
Nonliquid	00024 (.00010)	00026 (.00071)
Liquid	.00093 (.00046)	.0129 (.0039)
Private pension (0,1)	0304 (.0397)	1.1708 (.5963)
Education (years)	.0244 (.0077)	.0350 (.0253)
Unmarried woman	.0709 (.0578)	.2060 (.1593)
Unmarried man	.0505 (.0498)	.3137 (.1149)
Constant	-1.5334 (.2011)	-2.5778 (.8737)
Predicted b_1 and b_2	<u></u>	<u>b2</u>
Mean	.179	.085
S.D.	.037	.072
Min.	.012	.000
Max.	.311	.844
Predicted δ_1 and δ_2	δ1	δ2
Mean	.254	.085
S .D.	.169	.072
Min.	.012	.000
Max.	4.660	.844
<i>LF</i>		1378

 Table 1.19
 (continued)

	Estimates with b_1 and b_2 Param c_2 , $\sigma_1 \neq \sigma_2$, using Total Wealth		
Variable	Estimate (Asymptotic Standard Error)		
Origin parameters			
Mean of a_1	18.28	(2.58)	
Mean of a_2	3.07	(1.16)	
S.D. of a_1	9.04	(1.13)	
S.D. of a_2	5.34	(1.78)	
Correlation of a_1, a_2	.19 (.16)		
S.D. of S_1 (at mean)	7.05		
S.D. of S_2 (at mean)	5.01		
Correlation of S_1 , S_2	08	;	
Determinants of b_1 and b_2	\boldsymbol{b}_1	b ₂	
Income (\$1000's)	00536 (.00058)	00704 (.00289)	
Age (years)	.0116 (.0017)	0036 (.0047)	
Total wealth (\$1000's)	00021 (.00010)	.000096 (.00032)	
Nontiguid	_	—	
Liquid	—	—	
Private pension (0,1)	0452 (.0370)	.5845 (.3329)	
Education (years)	.0232 (.0078)	.0249 (.0223)	
Unmarried woman	.0759 (.0566)	.2055 (.1419)	
Unmarried man	.0558 (.0495)	.3664 (.1131)	
Constant	- 1.4058 (.2024)	-2.1174 (.6683)	

Variable	Estimate (Asymptotic Standard Error)	
Predicted b_1 and b_2		<i>b</i> ₂
Mean	.208	.061
S.D.	.042	.035
Min.	.011	.000
Max.	.351	.187
Predicted δ_1 and δ_2	δι	δ2
Mean	.294	.061
S.D.	. 195	.035
Min.	.013	.000
Max.	5.393	.187
LF	- 1381	

Table 1.20 (continued)

Table 1.21Parameter Estimates with b_1 and b_2 Parameterized, Assuming that $S = S_1 + S_2$, $\sigma_1 \neq \sigma_2$ and $P_1 = 1$

Variable	Estimate (Asymptotic Standard Error)		
Origin parameters			
Mean of a_1	31.29	(6.96)	
Mean of a_2	6.24	(3.26)	
S.D. of a_1	13.23	(3.08)	
S.D. of a_2	9.65	(4.55)	
Correlation of a_1, a_2	.54	(.22)	
S.D. of S_1 (at mean)	6.66		
S.D. of S_2 (at mean)	8.26		
Correlation of S_1 , S_2	05		
Determinants of b_1 and b_2	<i>b</i> 1	b_2	
Income (\$1000's)	00685 (.00077)	00853 (.00247)	
Age (years)	.0078 (.0017)	0042 (.0037)	
Total wealth (\$1000's)			
Nonliquid	000093 (.000087)	00016 (.00048)	
Liquid	.00205 (.00046)	.00797 (.00293)	
Private pension (0,1)	0064 (.0313)	.5626 (.2495)	
Education (years)	.0213 (.0066)	.0158 (.0179)	
Unmarried woman	.0670 (.0458)	.1331 (.1153)	
Unmarried man	.0469 (.0392)	.2444 (.0911)	
Constant	6726 (.2384)	-1.6834 (.5608)	
Predicted b_1 and b_2	b 1	<i>b</i> ₂	
Mean	.403	.096	
S.D.	.052	.048	
Min.	.023	.000	
Max.	.599	.540	
Predicted δ_1 and δ_2	δι	_δ2_	
Mean	.403	.096	
S.D.	.052	.048	
Min.	.023	.000	
Max.	.599	.540	
LF	- 1	363	

Variable	Estimate (Asympto	tic Standard Error)
Origin parameters		
Mean of a_1	32.73	(7.59)
Mean of a_2	7.45	(3.45)
S.D. of a_1	13.20	(3.13)
S.D. of a_2	10.06	(4.16)
Correlation of a_1 , a_2	.57	(.20)
S.D. of S_1 (at mean)	6.42	
S.D. of S_2 (at mean)	8.23	
Correlation of S_1 , S_2	10	
Determinants of b_1 and b_2	<i>b</i> 1	b_2
Income (\$1000's)	00763 (.00077)	00915 (.00230)
Age (years)	.0076 (.0016)	0051 (.0032)
Total wealth (\$1000's)		
Nonliquid	000112 (.000080)	000163 (.00041)
Liquid	.00241 (.00049)	.00777 (.00274)
Private pension (0,1)	– .0469 (.0315)	.3478 (.1426)
Education (years)	.0198 (.0064)	.0051 (.0151)
Unmarried woman	.0555 (.0429)	.1006 (.1012)
Unmarried man	.0385 (.0362)	.2246 (.0844)
Marginal tax rate	.3000 (.1023)	.4884 (.2556)
Constant	6464 (.2403)	- 1.3149 (.4281)
Predicted b_1 and b_2	b_1	<i>b</i> ₂
Mean	.412	.118
S.D.	.058	.049
Min.	.012	.000
Max.	.635	.557
Predicted δ_1 and δ_2	_δ1	δ2
Mean	.412	.118
\$.D.	.058	.049
Min.	.012	.000
Max.	.635	.557
LF	-1	358

Table 1.22	Parameter Estimates with b_1 and b_2 Parameterized, Assuming that
	$S = S_1 + S_2$, $\sigma_1 \neq \sigma_2$, $P_1 = 1$, and Marginal Tax Rate in b_1 and b_2

Table 1.23Parameter Estimates with b_1 and b_2 Parameterized, $S = S_2$,
Additive Disturbance

Variable	Estimate (Asymptotic Standard Error)		
Origin parameters			
Mean of a_1	15.43 (2.05)		
Mean of a_2	3,17 (.58)		
S.D. of a_1	_		
S.D. of a_2			
Correlation of a_1, a_2	-		
S.D. of S_1 (at mean)	6.75 (.62)		
S.D. of S_2 (at mean)	6.75 (—)		
Correlation of S_1 , S_2	.15 (.06)		

Variable	Estimate (Asymptotic Standard Error)			
Determinants of b_1 and b_2	<i>b</i> 1	' b ₂		
Income (\$1000's)	00510 (.00079)	01225 (.0028)		
Age (years)	.0113 (.0019)	0011 (.0053)		
Total wealth (\$1000's)	_	_		
Nonliquid	00022 (.00011)	00023 (.00059)		
Liquid	.00144 (.00051)	.0155 (.0040)		
Private pension (0,1)	0156 (.0410)	1.0942 (.4482)		
Education (years)	.0292 (.0082)	.0444 (.0269)		
Unmarried woman	.0380 (.0655)	.1013 (.1837)		
Unmarried man	.0466 (.0522)	.3632 (.1311)		
Constant	-1.653 (.216)	-2.768 (.770)		
Predicted b_1 and b_2	<i>b</i> 1	b ₂		
Mean	.169	.078		
S.D.	.036	.074		
Min.	.011	.000		
Max.	.318	.933		
Predicted δ_1 and δ_2	δι	δ2		
Mean	.240	.078		
Standard deviation	.162	.074		
Min.	.011	.000		
Max.	4.427	.933		
LF	-]	377		

Table 1.23 (continued)

Table 1.24	Simulated Predicted vs. Actual Values, by Income Interval, b ₁ and
	b ₂ Parameterized

T		$\% \ s_1 > 0$		$\% s_1 = L$		% S > 0	
Income Interval ⁶	Number	P	A	P	A	P	A
0-10	169	.07	.03	.04	.02	.34	.31
10-20	305	.11	.07	.06	.02	.41	.38
20-30	260	. 19	.25	.10	.13	.47	.47
30-40	170	.31	.32	.18	.21	.53	.56
4050	77	.45	.52	.28	.35	.56	.55
50-100	77	.63	.58	.44	.46	.61	.69
100+	10	.70	.60	.56	.50	.60	.70
Total	1068	.22	.22	.13	. 14	.46	.46
	%	S > 0			- % s	1 = 0	
	Given $s_1 = L$			Given $s_1 = 0$			
	N	P°	Ad	N		Pe	Aď
0-10	7	.39	.33	16	2	.34	.32
10-20	17	.59	.43	28	8	.40	.37
20-30	26	.56	.70	23	5	.46	.43
30-40	36	.67	.75	13	9	.49	.49
4050	21	.66	.63	5	6	.52	.46

Income		$\% s_1 > 0$		$\% s_1 = L$		% S > 0	
Interval ^b	Number	P	A	P	A	P	A
50-100	34	.69	.74	43		.54	.59
100+	6	.75	.60	4		.41	.75
Total	141	.63	.69	830		.41	.40

Table 1.24 (continued)

a. Based on 10 draws per sample observation, and on the parameter estimates in text table 1.7.

b. Y-T, in thousands of dollars.

c. Predicted S > 0, given predicted $s_1 = L$.

d. Observed in the sample.

e. Predicted S > 0, given predicted $S_1 < 0$.

Notes

1. Self-employed persons have been excluded from the analysis.

2. Numbers based on CPS data (Venti and Wise [1985]) indicate a higher proportion of wage earners with IRAs. While the CPS data are weighted to represent the employed population, the SCF data reported here are weighted to represent families with a wage earner.

3. Three responses were possible: (1) Put more money in. (2) Stayed the same. (3) Took more money out.

4. This evidence is consistent with the widespread perception that individual savings rates in the United States have been unusually low in recent years and that consumer debt has been increasing. See, for example, *New York Times*, 29 October 1985; *Boston Globe*, 15 September and 22 November 1985.

5. The following breakdown of wealth is used throughout this paper:

Liquid assets: checking accounts, certificates of deposit, savings accounts, money market accounts, savings bonds

Other financial assets: stocks, bonds, trusts

IRAs and Keoghs: balances

Other assets: value of home, other property and receivables

Debt: mortgage and consumer debt

Total wealth is the sum of the first four categories minus debt. Wealth does *not* include the cash value of life insurance, the value of motor vehicles, and pension and Social Security wealth.

6. The median for all financial assets is 1.3 when stocks and bonds are included, versus 1.2 when they are excluded. For more detail, see Venti and Wise (1986).

7. Weighted by the number of IRA contributors.

8. For most purposes it is not necessary to specify two behavioral equations: one describing contributor status and the other the amount.

9. In practice the marginal tax rate is not constant, but incorporating this nonlinearity into the budget constraint would greatly increase the complexity of the analysis and, we believe, would not appreciably affect the results, given the small potential IRA contributions relative to income.

10. While we use the decision function simply to provide consistent functional forms for the constrained and unconstrained S_2 functions, there is some precedent for including asset (saving) balances in a true utility function. See for

example Sidrauski (1967), Fischer (1979), Calvo (1979), Obstfeld (1984, 1985), and Poterba and Rotemberg (1986). With a_1 and a_2 random, as described below, annual S_1 and S_2 flows could be thought of as proxies for balances.

11. A similar situation characterizes the specification used by Hausman and Ruud (1984), for example, to describe family labor supply. Their specification yields unconstrained closed-form solutions to the labor supply functions of the husband and the wife, consistent with an indirect utility function. But constrained functions analogous to ours are only defined implicitly.

12. Thus, for example, $b_1 = \int_{\infty}^{\infty} v dv$, where v is a standard normal variable. In practice, very few predicted b_1 or b_2 values are below zero, if the constraint is not imposed.

13. $\partial S_1 / \delta a_1 = 1 - b_1$, $\partial S_2 / \partial a_2 = 1 - b_2$,

 $\partial S_1 / \delta a_2 = -b_1 / (1-t), \ \partial S_2 / \delta a_1 = -b_2 (1-t).$

14. To determine the magnitude of S_2 , not just its sign, it is necessary to identify its residual variance. In many situations similar to this, identification of both σ_2 and σ_1 would not be possible given only qualitative information on S_2 , its sign. In this case, however, identification is in principle provided by three features of the model: (1) the functional form itself; (2) the limit L on S_1 ; and (3) by direct information on the value of S_2 in addition to its sign, if "savings and reserve funds" is interpreted to include IRAs. For more detail, see Venti and Wise (1986).

15. A dollar of current after-tax income allocated to S_1 yields $S_1/(1 - t)$ in tax-deferred saving.

16. This effect can be seen from figure 1.1. The effect of changing the limit is to shift downward the function S_2 described by the steeper-sloped segment of the S_2 function and the dashed extension of it.

17. In this case, with $P_1 = P_2$, desired S_1 would equal desired S_2 , as can be seen from equation (14) below.

18. This specification is thus a slight variant of the "S-branch" utility tree of Brown and Heien (1972). See also Blackorby, Boyce, and Russell [1978].

19. The α , β parameterization essentially allows interactions between the X variables and thus the difference in the two parameterizations is more than just interpretation. Setting $\alpha = b_1/(b_1 + b_2)$, $\beta = b_1 + b_2$, and parameterizing b_1 and b_2 would yield results the same as the section 1.2.2 specification.

20. Similar evidence for the k = 0 case is presented in Venti and Wise (1986), but with α and β , instead of b_1 and b_2 , parameterized.

21. For example, mean wealth is \$59,781 in the estimation sample and is 559,090 in the total sample, mean age is 37.7 versus 39.4, mean education is 13.4 versus 12.2, and the mean self-reported marginal tax rate is 0.25 versus 0.27.

22. Using the regression analogy, it is equivalent to obtaining an unbiased estimate of E(Y|X), where $Y = Xb + \epsilon$, rather than unbiased estimates of each component of b.

23. A potentially important assumption is the presumed distribution of the random terms. The results below show that the model fits the observed data well by income interval, and this provides some support for the distributional assumptions. A better test would be to use the model to predict the effect of a limit change. While this is not possible for the United States, such predictions have been made for Canadian tax-deferred saving contributions using a specification similar to the one used here for IRA contributions. The model estimated using data from one year predicted very accurately the contributions in a later year with a 60% lower contribution limit, and vice versa. See Wise (1984, 1985). The results are also summarized in Venti and Wise (1985).

24. Similar findings are reported by Mundlak (1975) and by Griliches and Ringstad (1971) with respect to production data. In our case, the likelihood function is very flat around k = 0.

25. It is not possible to reach strong conclusions based on this evidence because the asset balances are reported after an IRA contribution and because it is not clear what the relationship should be if liquid assets, say, are larger than the IRA limit. But if liquid assets were relatively large at the end of the period, one might suppose that they were large when the IRA decision was made. One might also suppose that the larger the liquid asset balances, the easier it would be to forgo liquidity and to put money in an IRA.

26. It is also informative to consider the cost, in terms of current consumption, of providing retirement income. Suppose, thinking in a manner roughly consistent with statements of some pension planners, an individual wants to accumulate a given retirement fund by age $j > 59\frac{1}{2}$. If the amount accumulated through S_1 saving is to be equivalent to that accumulated through S_2 saving, $S_1(1 - t)e^{r(j-j')} = S_2(1 - t')e^{r(1-t')(j-j')}$. The amount of required S_2 relative to S_1 would be $S_2/S_1 = [(1 - t)/(1 - t')]e^{rt\cdot(j-j')}$. The cost in terms of current consumption is given by $(S_2/S_1) = [C_2/C_1(1 - t')]$, where C represents current consumption cost. Thus

$$\begin{split} C_2/C_1 &= [1 - t)/(1 - t')^2]e^{rt'(j-j)}. \text{ If } t = t', \\ C_2/C_1 &= [1/(1 - t')]e^{rt'(j-j)}. \end{split}$$

This is of course another way of emphasizing the IRA advantage. But it also suggests that the income effect created by the lower IRA cost could in theory lead to greater consumption, although the parameter estimates themselves, together with the simulations presented below, are inconsistent with this conceptual possibility.

27. We say "may" because the nonliquid aspect of the IRA may well be a positive attribute for some individuals, in spite of standard presumptions about "rational" behavior.

28. Wise (1984) contains analysis of Canadian tax-deferred Registered Retirement Saving Plans. In general, we have found that the estimated effect of the marginal tax rate is very sensitive to functional form. See also Wise (1985) and Venti and Wise (1985). King and Leape (1984) also mention the difficulty of isolating the effect of the marginal tax rate, and they conclude, "contrary to much of the recent literature, that taxes do not play a decisive role in explaining the difference in portfolio composition across households."

29. See, for example, the survey by King (1985).

30. It can be shown that if $S = S_2$ but it is assumed that $S = S_1 + S_2$, the estimated variance of S_2 will be biased downward. In addition, the estimated residual correlation between S_1 and S_2 will be biased downward.

31. Results with $S = S_1 + S_2$ are presented in Venti and Wise (1986).

32. In eight different simulations with 10 draws per person in each, the average of the predicted proportion of those with S > 0, given $S_1 = L$, was .676.

33. Similar results were obtained by Wise (1984, 1985) using Canadian data, and by Venti and Wise (1985) using Current Population Survey data.

34. The average over 8 simulations with 10 draws per person in each was .656, versus .676 in the k = 0 case. The average over 3 simulations with 50 draws per person in each was .652.

35. See U.S. Department of Treasury (1984).

36. See U.S. President (1985).

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Comment Angus Deaton

I must begin by congratulating the authors on a very brave attempt to do what is probably impossible, to estimate the effects on total saving of increasing the ceiling on IRA contributions, and to do so using only a single cross section of data. Moreover, the data are far from ideal in other respects, particularly in that there is no information on the amounts saved other than in IRAs, but only on whether individuals put money in or took money out of their total savings and reserve funds. All the more remarkable then that Venti and Wise manage to estimate the fraction of IRA contributions that come from a reduction in consumption, i.e., from "new" saving, and the fraction that come from a decline in other assets. The results suggest that a large fraction of IRAs are at the expense of current consumption, so that any increase in the maximum contribution allowed would exert very powerful effects on the total amount of saving. For example, Venti and Wise calculate (table 1.13, and sec. 1.3.4) that the adoption of the Treasury Plan with an extension of the current limits of \$2,000 for a working and \$250 for a nonworking spouse to \$2,500 for both would generate \$1,138 per household of additional IRA contributions, of which only \$94 would come from a reduction in other saving. The princely sum of \$643 would come from a reduction in consumption, with the federal government making up the rest through a reduction in taxes of \$401. Are these numbers plausible? Ouite possibly, particularly if we believe that IRAs appeal to individuals who would not otherwise save, and who are persuaded to adopt IRA plans by the very intensive advertising and commercial pressures that seem to accompany the schemes. However, this is not the story that is given in the paper, which adopts a much more standard

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approach whereby IRAs provide limited access to a very high yield form of saving. If this is the way things work, and it is the natural first approach for an economist to adopt, then I think that the results are extremely implausible, given the other things that we know about saving behavior. Venti and Wise adopt a straightforward model in which utility is linked to consumption on the one hand and to savings on the other, the latter modeled as a CES composite of IRA saving and saving in other assets. Since such a model allows two-stage separable budgeting; changes in the IRA limitations act only through the savings branch of the utility function. I find it helpful to think of the effects on consumption in terms of price effects; an increase in the amount permitted to be saved in an IRA, which carries a very attractive rate of return, effectively raises the rate of return on saving as a whole. The increase in the effective rate will depend positively on the tax bracket of the household, and will be very small for households that pay little or no tax. Since my reading of the literature is that consumption is not very sensitive to the real interest rate, I find it difficult to believe that the modest increase in rates provided by raising the IRA ceiling could possibly generate the very large falls in consumption found in the paper. Indeed, the authors find themselves "unable to demonstrate convincingly an increasing preference for IRAs with increasing marginal tax rates." Hence, if IRA saving is generated by the same forces that generate other saving. I would expect that an increase in the ceiling on IRA contributions would leave consumption more or less unchanged or would increase it, since individuals can now attain the same standard of living after retirement at less cost in terms of present consumption forgone. I would expect IRA saving to increase quite considerably, but I would expect most of the increase to be financed by a decline in other assets. The quite different conclusions of the paper may well be correct as estimates of what would actually happen, but they are not consistent with the general framework that is used in the paper.

How then did the results come about, and in what way do they implicitly contradict the standard results on saving, consumption, and income? One possibility is the old problem of what happens when saving is regressed on income in a single cross section, and what it tells us, or better does *not* tell us, about the effects over time of income growth on savings rates. In spite of its utility formulation, and largely because of the limitations of a single cross-sectional survey, the model of this paper is essentially an old-fashioned Keynesian model in which saving is a linear function of income. Because a great deal of saving, including IRA saving, is done by people with relatively high incomes, a regression of saving on income yields a high marginal propensity to save, and so it is here. Although what is being estimated is far from being a simple linear regression, we still get, in table 1.7, an estimated marginal propensity to save on IRAs and other saving together of 0.65, i.e. $(1 - \delta_1 - \delta_2)$ in the table. Almost no modern work on the consumption function would support an estimate this low, and there are many standard reasons why we would expect the cross-sectional correlation to be misleading (permanent and transitory income effects, individual fixed effects, and so on). Recent econometric work may have cast some shadows on parts of permanent income and life-cycle theory, but I doubt that a return to the textbook Keynesian consumption function is a real step forward.

The high estimated marginal propensity to save is part of the story. Also important is the elasticity of substitution between IRAs and other forms of saving. Unfortunately, the data are not capable of providing a precise estimate of this important quantity, and the conclusions are sensitive to the value that is assumed. If more substitution is allowed than in the baseline case, more of the increase in IRAs comes out of other assets (see the righthand panel of the table on page 00), and presumably the data are consistent with even larger effects.

There are two more econometric issues that should perhaps be put in the record. First, I am unhappy about the precise status of the explanatory variables in the analysis. The authors (rightly) make much of the existence of unobservable fixed effects that determine each household's attitudes to saving-the "Protestant ethic" effects-and the estimated positive influence of wealth on saving is ascribed to the correlation between wealth and these omitted effects. However, wealth will only be an imperfect proxy, and it is hard to believe that the other variables, and in particular income, are independent of the fixed effects. If so, the explanatory variables are not exogenous and there will be a complicated pattern of biases. The authors are aware of this and tell us that "it is not necessary to obtain unbiased estimates . . . to estimate the effect of changing L. The model is intended to be structural with respect to L, not necessarily with respect to the effects of the variables X that determine the b's." I find it difficult to interpret the second sentence, and, while the first is clearly true, I should have welcomed some proof that the effects of changing the limit are consistently estimated in view of these acknowledged econometric problems. Second, I should like to register a mild protest at the way most of the variables have been entered into the analysis. Parameterization is generally restricted to the marginal propensities to consume, and this has the effect that a whole group of variables (wealth, age, education, etc.) appear only through their interactions with income. I see no reason to restrict the analysis to what would normally be considered second-order effects, ignoring the first-order effects of the levels of the variables.

I should like to conclude by summarizing what I think are the substantive achievements of the paper. First, on a methodological level, this is a very clever piece of applied econometrics. Great subtlety is required to extract the relevant magnitudes from a rather unpromising data set, and the authors have provided exactly that in a clean and elegant piece of econometric analysis. Second, and more substantively, they have produced a stylized "fact" that raising the IRA contribution ceiling would generate a substantial volume of new saving, not just a rearrangement of existing assets. I suspect that this fact is right, especially if it is true that many households save *only* through IRA accounts. Why this should be so is still very much an open question, and I find it hard to reconcile the explanation in the paper with the other things that we know about household saving. But there are many such phenomena that do not seem to be easily explained by conventional theory. And even at a very simple level, table 1.2 tells us that only 54% of families with annual income above \$100,000 have IRA accounts, a fact that in itself is not easily explained.