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STICKY INFORMATION VERSUS STICKY PRICES: A PROPOSAL TO REPLACE THE NEW KEYNESIAN PHILLIPS CURVE

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Sticky Information Versus Sticky Prices: A Proposal to Replace the New Keynesian Phillips Curve N. Gregory Mankiw and Ricardo Reis NBER Working Paper No. 8290 May 2001 JEL No. E0, E3

ABSTRACT

This paper examines a model of dynamic price adjustment based on the assumption that information disseminates slowly throughout the population. Compared to the commonly used sticky-price model, this sticky-information model displays three, related properties that are more consistent with accepted views about the effects of monetary policy. First, disinflations are always contractionary (although announced disinflations are less contractionary than surprise ones). Second, monetary policy shocks have their maximum impact on inflation with a substantial delay. Third, the change in inflation is positively correlated with the level of economic activity.

N. Gregory Mankiw Department of Economics Littauer 223 Harvard University Cambridge, MA 02138 and NBER ngmankiw@harvard.edu Ricardo Reis Department of Economics Harvard University Cambridge, MA 02138 reis@fas.harvard.edu The dynamic effects of aggregate demand on output and inflation remain a theoretical puzzle for macroeconomists. In recent years, much of the literature on this topic has used a model of time-contingent price adjustment. This model, often called "the new Keynesian Phillips curve," builds on the work of John Taylor (1980), Julio Rotemberg (1982), and Guillermo Calvo (1983). As the recent survey by Richard Clarida, Jordi Gali, and Mark Gertler (1999) illustrates, this model is widely used in theoretical analysis of monetary policy. Bennett McCallum (1997) has called it "the closest thing there is to a standard specification."

Yet there is growing awareness that this model is hard to square with the facts. Laurence Ball (1994a) shows that the model yields surprising result that announced, the credible disinflations cause booms rather than recessions. Jeffrey Fuhrer and George Moore (1995) argue that it cannot explain why inflation is so persistent. Gregory Mankiw (2001) notes that it has trouble explaining why shocks to monetary policy have a delayed and gradual effect on inflation. All of these problems arise from the same source: Although the price level is sticky in this model, the inflation rate can change quickly. By contrast, empirical analyses of the inflation process (e.g., Robert Gordon, 1996) typically give a large role to "inflation inertia."

This paper proposes a new model to explain the dynamic

effects of aggregate demand on output and the price level. The essence of the model is that information about macroeconomic conditions diffuses slowly through the population. This slow diffusion could arise because of either costs of acquiring information or costs to reoptimization. In either case, although prices are always changing, pricing decisions are not always based on current information. We call this a <u>sticky-information model</u> to contrast it to the standard <u>sticky-price model</u> on which the new Keynesian Phillips curve is based.

To formalize these ideas, we assume that each period a fraction of the population updates themselves on the current state of the economy and computes optimal prices based on that information. The rest of the population continues to set prices based on old plans and outdated information. Thus, this model combines elements of Calvo's (1983) model of random adjustment with elements of Robert Lucas's (1973) model of imperfect information.

The implications of our sticky-information model, however, are closer to those of Stanley Fischer's (1977) contracting model. As in the Fischer model, the current price level depends on expectations of the current price level formed quite far in the past. In the Fischer model, those expectations matter because they are built into contracts. In our model, they matter because some price setters are still setting prices based on old decisions

and old information.¹

After introducing the sticky-information model in Section I, we examine the dynamic response to monetary policy in Section II. In contrast to the standard sticky-price model, which allows for the possibility of disinflationary booms, the sticky-information model predicts that disinflations always cause recessions. In some ways, the dynamic response in the sticky-information model resembles Phillips curves with backward-looking expectations. Yet there is an important difference: In the sticky-information model, expectations are rational, and credibility matters. In particular, the farther in advance a disinflationary policy is anticipated, the smaller is the resulting recession.

In Section III we make the model more realistic by adding a simple yet empirically plausible stochastic process for the money supply. After calibrating the model, we examine how output and inflation respond to a typical monetary policy shock. We find that the sticky-price model yields implausible impulse response

¹ We should also note several other intellectual antecedents. Gabaix and Laibson (2000) suggest that consumption behavior is better understood with the assumption that households update their consumption only sporadically; it was in optimal fact a presentation of the Gabaix-Laibson paper that started us working on this project. Another related paper is Ball (2000), who tries to explain price dynamics with the assumption that price setters use optimal univariate forecasts but ignore other potentially relevant information. In addition, Rotemberg and Woodford (1997) assume a one-period decision lag for some price setters. Finally, after developing our model, we became aware of Koenig (1997); Koenig's model of aggregate price dynamics is motivated very differently from ours and is applied to a different range of questions, but it has a formal structure that is similar to the model explored here.

functions: According to this model, the maximum impact of a monetary shock on inflation occurs immediately. By contrast, in the sticky-information model, the maximum impact of monetary shocks on inflation occurs after 7 quarters. This result more closely matches the estimates from econometric studies and the conventional wisdom of central bankers.

Section IV then examines whether the models can explain the central finding from the empirical literature on the Phillips curve--namely, that vigorous economic activity causes inflation to rise. The standard sticky-price model is inconsistent with this finding and, in fact, yields a correlation of the wrong sign. By contrast, the sticky-information model can explain the widely noted correlation between economic activity and changes in inflation.

Section V concludes. We consider how our sticky-information model relates to the broader new Keynesian literature on price adjustment. We also mention one piece of microeconomic evidence that favors this new model over the alternatives.

I. A Tale of Two Models

We begin by deriving the two models: the standard stickyprice model, which yields the new Keynesian Phillips curve, and the proposed sticky-information model.

A Sticky-Price Model: The New Keynesian Phillips Curve

Here we review the standard derivation of the new Keynesian Phillips curve, as based on the Calvo model. In this model, firms follow time-contingent price adjustment rules. The time for price adjustment does not follow a deterministic schedule, however, but arrives randomly. Every period, a fraction λ of firms adjust prices. Each firm has the same probability of being one of the adjusting firms, regardless of how long it has been since its last price adjustment.

We start with three basic relationships. The first concerns the firm's desired price, which is the price that would maximize profit at that moment in time. With all variables expressed in logs, the desired price is:

$$p*_t = p_t + \alpha y_t$$
.

This equation says that a firm's desired price p* depends on the overall price level p and output y. (Potential output is normalized to zero here, so y should be interpreted as the output gap.) A firm's desired relative price, p*-p, rises in booms and falls in recessions.

Although we won't derive this equation from a firm's profit maximization problem, one could easily do so, following Blanchard and Kiyotaki (1987). Imagine a world populated by identical monopolistically competitive firms. When the economy goes into a boom, each firm experiences increased demand for its product. Because marginal cost rises with higher levels of output, greater demand means that each firm would like to raise its relative

price.

In this model, however, firms rarely charge their desired prices, because price adjustment is infrequent. When a firm has the opportunity to change its price, it sets its price equal to the average desired price until the next price adjustment. The adjustment price x is determined by the second equation:

$$\mathbf{x}_{t} = \lambda \sum_{j=0}^{\infty} (1-\lambda)^{j} \mathbf{E}_{t} \mathbf{p}^{*}_{t+j}$$

According to this equation, the adjustment price equals a weighted average of the current and all future desired prices. Desired prices farther in the future are given less weight because the firm may experience another price adjustment between now and that future date. This possibility makes that future desired price less relevant for the current pricing decision. The rate of arrival for price adjustments, λ , determines how fast the weights decline.

The third key equation in the model determines the overall price level p:

$$p_{t} = \lambda \sum_{j=0}^{\infty} (1-\lambda)^{j} x_{t-j}$$

According to this equation, the price level is an average of all prices in the economy and, therefore, a weighted average of all the prices firms have set in the past. The rate of arrival for price adjustments, λ , also determines how fast these weights

decline. The faster price adjustment occurs, the less relevant past pricing decisions are for the current price level.

Solving this model is a matter of straightforward algebra. We obtain the following:

 $\pi_{t} = \left[\alpha\lambda^{2}/(1-\lambda)\right] y_{t} + E_{t}\pi_{t+1}$

where $\pi_t = p_t - p_{t-1}$ is the inflation rate. Thus, we obtain the new Keynesian Phillips curve. Inflation today is a function of output and inflation expected to prevail in the next period. This model has become the workhorse for much recent research on monetary policy.

A Sticky-Information Model

This section proposes an alternative model of price dynamics. In this model, every firm sets its price every period, but firms gather information and recompute optimal prices slowly over time. In each period, a fraction λ of firms obtains new information about the state of the economy and computes a new path of optimal prices. Other firms continue to set prices based on old plans and outdated information. We make an assumption about information arrival that is analogous to the adjustment assumption in the Calvo model: Each firm has the same probability of being one of the firms updating their pricing plans, regardless of how long it has been since its last update.

As before, a firm's optimal price is

$$p*_t = p_t + \alpha y_t$$
.

A firm that last updated its plans j periods ago sets the price

$$x_t^j = E_{t-j}p_t^*$$

The aggregate price level is the average of the prices of all firms in the economy:

$$p_{t} = \lambda \sum_{j=0}^{\infty} (1-\lambda)^{j} x_{t}^{j}.$$

Putting these three equations together yields the following equation for the price level:

$$p_{t} = \lambda \sum_{j=0}^{\infty} (1-\lambda)^{j} E_{t-j}(p_{t} + \alpha y_{t}).$$

The short-run Phillips curve is very much apparent in this equation: Output is positively associated with surprise movements in the price level.

With some tedious algebraic manipulation, which we leave to the appendix, this equation for the price level yields the following equation for the inflation rate:

$$\pi_{t} = \left[\alpha \lambda / (1-\lambda) \right] y_{t} + \lambda \sum_{j=0}^{\infty} (1-\lambda)^{j} \quad E_{t-1-j} (\pi_{t} + \alpha g_{t}).$$

where $g_t=y_t-y_{t-1}$ is the growth rate of output. Inflation depends on output, expectations of inflation, and expectations of output growth. We call this the <u>sticky-information Phillips curve</u>.

Take note of the timing of the expectations. In the standard sticky-price model, current expectations about future economic

conditions play an important role in determining the inflation rate. In this sticky-information model, as in Fischer (1977), expectations are again important, but the relevant expectations are past expectations of current economic conditions. This difference yields large differences in the dynamic pattern of prices and output in response to monetary policy, as we see in the next section.

One theoretical advantage of the sticky-information model is that it survives the McCallum critique. McCallum (1998) has criticized the standard sticky-price model on the grounds that it violates a strict form of the natural rate hypothesis, according to which "there is no inflation policy--no money creation scheme-that will keep output high permanently." Following Lucas (1972), McCallum argues that "it seems a priori implausible that a nation can enrich itself in real terms permanently by any type of monetary policy, by any path of paper money creation." The sticky-price model fails this test because a policy of permanently falling inflation will keep output permanently high. By contrast, the sticky-information model satisfies this strict version of the natural rate hypothesis. Absent surprises, it must be the case that $p_t=E_{t-j}p_t$, which in turn implies $y_t=0$. Thus, the McCallum critique favors the sticky-information Phillips curve over the more commonly used alternative.

II. Inflation and Output Dynamics in the Sticky-Information Model

Having presented the sticky-information Phillips curve, we now examine its dynamic properties. To do this, we need to complete the model with an equation for aggregate demand. We use the simplest specification possible:

$$m = p + y$$

where m is nominal GDP. This equation can be viewed as a quantity-theory approach to aggregate demand, where m is interpreted as the money supply and log velocity is assumed constant at zero. Alternatively, m can be viewed more broadly as incorporating the many other variables that shift aggregate demand. We take m to be exogenous. Our goal is to examine how output and inflation respond to changes in the path of m.²

As we proceed, it will be useful to compare the dynamics of our proposed sticky-information Phillips curve with more familiar models. We use two such benchmarks. The first is the <u>sticky-</u> <u>price</u> model presented earlier, which yields the standard new Keynesian Phillips curve:

$$\pi_t = \beta y_t + E_t \pi_{t+1}$$

where $\beta = [\alpha \lambda^2/(1-\lambda)]$ and the expectations are assumed to be formed rationally. The second is a <u>backward-looking</u> model:

$$\pi_t = \beta y_t + \pi_{t-1}.$$

² There are other, perhaps more realistic, ways to add aggregate demand to this model. One possibility would be to add an IS equation together with an interest-rate policy rule for the central bank. Such an approach is more complicated and involves more free parameters. We believe the simpler approach taken here best illustrates the key differences between the stickyinformation model and more conventional alternatives.

This backward-looking model resembles the equations estimated in the empirical literature on the Phillips curve (as discussed in, e.g., Gordon, 1996). It can be viewed as the sticky-price model together with the assumption of adaptive expectations: $E_t \pi_{t+1} = \pi_{t-1}$

When we present simulated results from these models, we try to pick plausible parameter values. Some of these parameters depend on the time interval. For concreteness, we take the period in the model to equal one quarter. We set α =.1 and λ =.25 (and, thus, β =.0083). This value of λ means that firms on average make adjustments once a year. The small value of α means that a firm's desired relative price is not very sensitive to macroeconomic conditions. Note that the firm's desired nominal price can now be written as

$$p*_t = (1-\alpha)p_t + \alpha m_t.$$

If α is small, then each firm gives more weight to what other firms are charging than to the level of aggregate demand.³

We now consider three hypothetical, policy experiments. In

³ In the backward-looking model, the parameter β determines the cost of disinflation. According to this model, if output falls 1 percent below potential for one quarter, then the inflation rate falls by β if measured at a quarterly rate, or 4β if annualized. If output falls by 1 percent below potential for one year, then the annualized inflation rate falls by 16β . Thus, the sacrifice ratio--the output loss associated with reducing inflation by one percentage point--is $1/(16\beta)$. Our parameters put the sacrifice at 7.5. For comparison, Okun's (1978) classic study estimated the sacrifice ratio to be between 6 and 18 percent; Gordon (1997, footnote 8) puts it at 6.4. Thus, our backward-looking model is in the ballpark of similar models used the previous literature.

each experiment, we posit a path for aggregate demand m. We then derive the path for output and inflation generated by the stickyinformation model and compare it to the paths generated by the two benchmark models. The details of the solution are presented in the appendix. Here we discuss the dynamic paths followed by output and inflation.

Experiment 1: A Drop in the Level of Aggregate Demand

The first experiment we consider is a sudden and permanent drop in the level of aggregate demand. The demand variable m_t is constant and then, at time zero, unexpectedly falls by 10 percent and remains at this new level.

The top graph in Figure 1 shows the path of output predicted by each of the three models. In all three models, the fall in demand causes a recession, which gradually dissipates over time. The impact of the fall in demand on output is close to zero at 16 quarters. The backward-looking model generates a oscillatory pattern, while the other two models yield monotonic paths. Otherwise, the models seem to yield similar results.

Differences among the models become more apparent, however, when we examine the response of inflation in the bottom of Figure 1. In the sticky-price model, the greatest impact of the fall in demand on inflation occurs immediately. The other two models show a more gradual response. In the sticky-information model, the maximum impact of the fall in demand on inflation occurs at 7

quarters. Inflation could well be described as inertial.

Experiment 2: A Sudden Disinflation

The second experiment we consider is a sudden and permanent shift in the rate of demand growth. The demand variable m_t is assumed to grow at 10 percent per year (2.5 percent per period) until time zero. In period zero, the central bank sets m_t the same as it was in the previous period and, at the same time, announces that m_t will thereafter remain constant. Figure 2 shows the path of output and inflation predicted by the three models.

According to the sticky-price model, inflation falls immediately to the lower level. Price setters, realizing that disinflation is underway, immediately respond by making smaller price adjustments. Prices are sticky in the sticky-price model, but inflation exhibits no inertia. The response of output, of course, is the other side of the coin. Because inflation responds instantly to the fall in money growth, output does not change. As in Phelps (1978), disinflation is costless.

By contrast, the sticky-information model predicts a gradual reduction in inflation. Even after the disinflationary policy is in place, most price setters are still marking up prices based on old decisions and outdated information. As a result of this inertial behavior, inflation is little changed one or two quarters after the disinflation has begun. With a constant money supply and rising prices, the economy experiences a recession, which

reaches a trough 6 quarters after the policy change. Output then gradually recovers and is almost back to normal after 20 quarters. These results seem roughly in line with what happens when nations experience disinflation.⁴

Experiment 3: An Anticipated Disinflation

Now suppose that the disinflation in our previous experiment is announced and credible two years (8 periods) in advance. Let's consider how this anticipated disinflation affects the path of output and inflation.

Figure 3 shows output and inflation according to the three models. The predictions for the backward-looking model are exactly the same as in Experiment 2: The assumption of adaptive expectations prevents the announcement from having any effect. But the results are different in the other two models, which posit rational expectations.

In the sticky-price model, the announced disinflation causes a boom. As Ball (1994a) emphasizes, inflation in this model moves in anticipation of demand. When price setters anticipate a slowdown in money growth, inflation falls immediately. This fall in inflation, together with continued increases in the money

⁴ Ball (1994b) examines disinflation for a number of countries. For the nine countries for which quarterly data are available, he identifies 28 periods of disinflation. In 27 of these cases, the decline in inflation is associated with a fall in output below its trend level. This finding is related to the acceleration phenomenon we document and discuss below.

supply, leads to rising real money balances and higher output.

By contrast, the sticky-information model does not produce booms in response to anticipated disinflations. In this model, there is no change in output or inflation until the disinflationary policy of slower money growth begins. Then, the disinflation causes a recession.

It would be wrong to conclude, however, that the announcement has no effect in the sticky-information model. Because of the announcement, many price setters have already adjusted their plans in response to the disinflationary policy when it begins. As a result, an announced slowdown in money growth leads to a quicker inflation response and a smaller output loss than does a sudden slowdown in money growth. For these parameters, a disinflation announced and fully credible 8 quarters in advance has a cumulative cost that is about one-fifth the size of the surprise disinflation.

In a way, the sticky-information model combines elements of the other two models. Like the backward-looking model (but unlike the sticky-price model), disinflations consistently cause recessions rather than booms. Like the sticky-price model (but unlike the backward-looking model), expectations, announcements, and credibility matter for the path of inflation and output. These features of the sticky-information model seem consistent with how central bankers view their influence on the economy.

III. The Response to Realistic Monetary Shocks

So far, we have compared how output and inflation respond to hypothetical paths for aggregate demand. We now take a step toward greater realism. In particular, we assume a plausible stochastic process for the money supply and then examine the implied processes of output and inflation. As Christiano, Eichenbaum, and Evans (1999) discuss, economists have a good sense of the dynamic effects of monetary policy shocks. One way to gauge a model's empirical validity is to see if it can generate plausible responses to such shocks.

The Stochastic Process for the Money Supply

We model the growth in the demand variable m as following a first-order autoregressive process: $\Delta m_t = \rho \Delta m_{t-1} + \varepsilon_t$. In this environment, the price level is nonstationary, but the inflation rate is stationary.

To calibrate ρ , we looked at quarterly U.S. data from 1960 to 1999. The variable m can interpreted as a measure of money supply, such as M1 or M2, or more broadly as a measure of aggregate demand, such as nominal GDP. The first autocorrelations for these time series are 0.57 for M1 growth, 0.63 for M2 growth, and 0.32 for nominal GDP growth. Based on these numbers, we set ρ =0.5. The standard deviation of the residual is 0.009 for M1, 0.006 for M2, and 0.008 for nominal GDP, so we assume a standard deviation of 0.007 (although this choice affects only the scale

and not the shape of the dynamic paths).

The positive value of ρ means that a monetary shock builds over time. That is, a positive shock ε causes m to jump up and then to continue to rise. With $\rho=0.5$, the level of m eventually asymptotes to a plateau that is twice as high as the initial shock. This pattern for monetary shocks is broadly consistent with that found in empirical studies.⁵

Impulse Responses

Figure 4 show the response of output and inflation to a onestandard-deviation contractionary monetary policy shock. In all three models, output exhibits a hump-shaped response. The impact on output at first increases because demand is building over time. It eventually decays because prices adjust. The backward-looking model yields oscillatory dynamics, while the other two models

yield a monotonic recovery from the recession.

The impulse responses for inflation to the monetary shock show the differences between the sticky-price and stickyinformation models. In the sticky-price model, inflation responds quickly to a monetary policy shock. In fact, the largest impact on inflation comes immediately. By contrast, the stickyinformation model displays some of the inflation inertia that is built into the backward-looking model. For these parameters, a

⁵ For example, Christiano, Eichenbaum, and Evans (1998) conclude that an AR(1) process offers a good description of monetary policy shocks when using M2 as the measure of money.

monetary policy shock in the sticky-information model has its maximum impact on inflation after 7 quarters.

The impulse response function for the sticky-information model is far more consistent with conventional views about the effects of monetary policy. Economists such as Milton Friedman (1948) have emphasized the long lags inherent in macroeconomic policy. In particular, a long lag between monetary policy actions and inflation is accepted by most central bankers and confirmed by most econometric studies.⁶ Figure 4 shows that the stickyinformation model can explain a long lag between monetary policy shocks and inflation, while the standard sticky-price model cannot.

Inflation Persistence

In an important but cryptic paper, Fuhrer and Moore (1995) argue that the standard sticky-price model "is incapable of imparting the persistence to inflation that we find in the data." (p. 127) In the model, they claim, "the autocorrelation function of inflation...will die out very rapidly." (p. 152) This contradicts the empirical autocorrelations of inflation, which decay slowly.

Motivated by these arguments, we calculated the implied autocorrelations of inflation in our three models. We maintain

 $^{^{\}rm 6}$ See, for example, Bernanke and Gertler (1995) or Christiano, Eichenbaum, and Evans (1999).

the empirically realistic process for money growth used above: $\Delta m_t = 0.5\Delta m_{t-1} + \varepsilon_t$. Table 1 presents the first eight autocorrelations of inflation implied by the models, as well as the actual autocorrelations of inflation using the GDP deflator, the consumer price index, and the core CPI. (The core CPI is the index excluding food and energy.) Notice that inflation is highly autocorrelated in all three models. That is, given the empirically realistic process for the money supply, all the models deliver plausible persistence in inflation.

In the end, we are led to agree with Taylor (1999, p. 1040), who responds to Fuhrer and Moore by observing that "inflation persistence could be due to serial correlation of money." This is why all three models deliver high autocorrelations in Table 1. Yet we also agree with Fuhrer and Moore's deeper point: The standard sticky-price model does not deliver empirically reasonable dynamics for inflation and output. The key empirical fact that is hard to match, however, is not the high autocorrelations of inflation, but the delayed response of inflation to monetary policy shocks.

III. The Acceleration Phenomenon

When economists want to document the Phillips curve relationship in U.S. data from the last few decades of the twentieth century, a common approach is to look at a scatterplot of the change in inflation and some level of economic activity,

such as unemployment or detrended output. This scatterplot shows that when economic activity is vigorous, as represented by low unemployment or high output, inflation tend to rise. We call this correlation the <u>acceleration phenomenon</u>.⁷

Panel A of Table 2 demonstrates the acceleration phenomenon using U.S. quarterly data from 1960 to 1999. For these calculations, output y_t is the deviation of log real GDP from trend, where trend is calculated using the Hodrick-Prescott filter. We use three measures of inflation: the GDP deflator, the CPI, and the core CPI. We use two timing conventions: We correlate y_t with $\pi_{t+2}-\pi_{t-2}$, the one-year change in inflation centered around the observation date, and with $\pi_{t+4}-\pi_{t-4}$, the twoyear change in inflation. All six correlations are positive and statistically significant. In U.S. data, high output is associated with rising inflation.

We now consider whether the models can generate the positive correlation between output and the change in inflation. We assume the same stochastic process for the money supply as in the previous section ($\Delta m_t = 0.5\Delta m_{t-1} + \varepsilon_t$) and the same parameters (α =.1 and λ =.25). Then, as explained in the appendix, we compute the population correlation between output and the change in inflation.

⁷ For some examples of economists using such a scatterplot to demonstrate the acceleration phenomenon, see Abel and Bernanke (1998, p. 457), Blanchard (2000, p. 155), Dornbusch, Fischer, Startz (2001, p. 109), Hall and Taylor (1993, p. 217), and Stock and Watson (1999, p. 48).

Panel B of Table 2 shows the correlation predicted by the models. Not surprisingly, the backward-looking model predicts a high correlation. Because $\pi_t - \pi_{t-1} = \beta y_t$ in this model, the correlation is perfect for the one-period change in inflation and only slightly lower for longer changes. In essence, the model builds in the acceleration phenomenon through the assumption of adaptive expectations. This is hardly a major intellectual victory: The appeal of the backward-looking model comes not from its theoretical underpinnings but from its ability to fit this phenomenon.

We next look at the two models with better foundations. Table 2 shows that the sticky-price model yields no association between output and the change in inflation. For the one-year change, the correlation between these variables is -0.13, which is small and the wrong sign. By contrast, the sticky-information model yields a strong, positive association. According to this model, the correlation between output and the change in inflation is 0.43.⁸

To understand these results, recall the impulse response functions. In the sticky-price model, when the economy experiences a contractionary monetary shock, output falls for a

 $^{^{8}}$ Our finding that the calibrated sticky-price model predicts a negative correlation between y and $\Delta\pi$ (in contrast to the positive correlation in the data) is related to Gali and Gertler's finding (1999) that econometric estimation of this model yields a coefficient on output of the wrong sign. Gali and Gertler's proposed fix to the sticky-price model, however, differs substantially from the sticky-information model proposed here.

while. Inflation falls immediately, and then starts rising. Thus, low output coincides with falling inflation at first, but then coincides with rising inflation for a long period. This generates the small, negative correlation.

By contrast, in the sticky-information model, inflation adjusts slowly to a monetary shock. When a contractionary shock lowers output, it also leads to a prolonged period of falling inflation. This generates the positive correlation between output and the change in inflation.

Table 3 presents a sensitivity analysis of this correlation to alternative parameter values. Panel (a) of the table shows the correlation produced by the sticky-price model for different parameter values. Panel (b) shows the correlation produced by the sticky-information model. The sticky-price model consistently generates a small correlation of the wrong sign, while the stickyinformation model typically yields a positive correlation between output and the change in inflation.⁹

V. Conclusion

This paper has explored a dynamic model of price adjustment. In particular, we have proposed a model to replace the widely

⁹ These simulated correlations are computed under the assumption that all fluctuations are due to demand shocks. If we were to append supply shocks to this model, the predicted correlations would be driven down, because such shocks push inflation and output in opposite directions. Thus, supply shocks would make it even harder for the sticky-price model to match the positive correlation in the data.

used "new Keynesian Phillips curve." In this model, prices are always changing, but decisionmakers are slow to update their pricing strategies in response to new information.

Although the choice between the sticky-information model and the standard sticky-price model is ultimately an empirical issue, three of our findings suggest that the sticky-information model is more consistent with conventional views of how monetary policy works. First, in the sticky-information model, disinflations are always contractionary (although announced disinflations are less costly than surprise ones). Second, in the sticky-information model, monetary shocks have their maximum effect on inflation with a substantial delay. Third, the sticky-information model can explain the acceleration phenomenon that vigorous economic activity is positively correlated with rising inflation.

The dynamic patterns implied by the sticky-information model resemble those from the Fischer (1977) contracting model, although long-term contracts have no role. In both models, past expectations of the current price level play a central role in inflation dynamics. In a sense, the slow dissemination of information in our model yields a nominal rigidity similar to the one Fischer assumed in his contracts.

Critics of the Fischer contracting model (e.g., Robert Barro, 1977) have noted that it is hard to rationalize signing such contracts <u>ex ante</u> or enforcing them <u>ex post</u> in light of the obvious inefficiencies they cause. Such critiques do not apply to

the model proposed here. The assumption of slow information diffusion, perhaps due to costs of acquiring or acting on new information, leaves no apparent, unrealized gains from trade. Thus, sticky information offers a more compelling rationale for this type of nominal rigidity.

Moving the theory of price adjustment away from sticky prices toward sticky information may seem like a radical suggestion, but we temper it with an important observation: Many lessons from the "new Keynesian" literature on price adjustment apply as well to our sticky-information model as they do to the standard stickyprice model.

An early lesson about price adjustment by firms with some degree of monopoly power is that the private losses from sticky prices are only second order, even if the social losses are first order. (Mankiw, 1985; Akerlof and Yellen, 1985). Thus, if firms face small costs of price adjustment or are only near rational, they may choose to maintain sticky prices, if even the macroeconomic effect of doing so is significant. When we move from sticky prices to sticky information, this lesson applies in somewhat modified form. If there are small costs of acquiring information or recomputing optimal plans, firms may choose not to update their pricing strategies. The private loss from maintaining old decisions, like the cost of maintaining old prices, is second order.

Another lesson from the literature on price adjustment is

that real rigidities amplify monetary non-neutralities. (Ball and Romer, 1990) Real rigidity is defined as a lack of sensitivity of desired relative prices to macroeconomic conditions. Here, this translates into a small value of the parameter α . Real rigidities also play a role in our sticky-information model. Price setters who are updating their decisions are aware that other price setters are not, and this knowledge limits the size their adjustments, especially when α is small. As a result, real rigidity tends to exacerbate the effects of monetary policy.

An advantage of sticky-information over sticky-price models is that they more naturally justify the widely assumed timecontingent adjustment process. If firms have sticky prices because of menu costs but are always collecting information and optimizing in response to that information, then it is natural to assume state-contingent adjustment. Dynamic models of statecontingent adjustment, however, are often yield empirically implausible results; Caplin and Spulber's (1987) conclusion of monetary neutrality is a famous example. By contrast, if firms face costs of collecting information and choosing optimal plans, then it is natural to assume that their adjustment process is time-contingent. Price setters cannot react between scheduled adjustments, because they are not collecting the information and performing the calculations necessary for that purpose.

Finally, we offer one piece of microeconomic evidence. Mark Zbaracki et al. (2000) have studied in detail the costs associated

with changing prices at a single large manufacturing firm. In this extensive case study, the authors find that only a small percentage of these costs are the physical costs of printing and distributing price lists. Far more important are the "managerial and customer costs," which include the costs of informationgathering, decision-making, negotiation, and communication. Whether our sticky-information model captures the macroeconomic effects of such costs is an open question. But this microeconomic evidence, as well as the empirical problems associated with the existing sticky-price models, suggest that macroeconomists need to think more broadly about the frictions that impede price adjustment. This paper has taken a small step in that direction.

Table 1

Autocorrelations for Inflation: Predicted and Actual

	Sticky-	Sticky-	Backward-	Actual:	Actual	Actual
	Information	Price	Looking	GDP	CPI	Core
	Model	Model	Model	Deflator		CPI
1	0.99	0.92	0.99	0.89	0.76	0.76
2	0.95	0.85	0.98	0.83	0.72	0.71
3	0.89	0.78	0.96	0.81	0.73	0.69
4	0.82	0.71	0.94	0.78	0.62	0.59
5	0.74	0.65	0.90	0.71	0.57	0.55
6	0.66	0.59	0.86	0.65	0.51	0.54
7	0.57	0.54	0.81	0.61	0.44	0.46
8	0.48	0.50	0.75	0.58	0.33	0.38

Note: The first three columns of this table show the autocorrelations of inflation predicted by three models. These calculations assume that money growth follows the process $\Delta m_t = 0.5\Delta m_{t-1} + \varepsilon_t$. The model parameters are set to $\alpha = .1$ and $\lambda = .25$. The last three columns show the actual autocorrelations of quarterly inflation rates.

Table 2

The Acceleration Phenomenon

	$corr(y_t, \pi_{t+2}-\pi_{t-2})$	$corr(y_t, \pi_{t+4}-\pi_{t-4})$			
<u>A. Actual</u>					
GDP deflator	.48	.60			
CPI	.38	.46			
core CPI	.46	.51			
B. Predicted					
Backward-Looking Model	.99	.99			
Sticky-Price Model	13	11			
Sticky-Information Model	.43	.40			

Note: Panel A of this table shows the correlation between output and the change in inflation in U.S. quarterly data from 1960 to 1999. The variable y is measured as log real GDP detrended with the Hodrick-Prescott filter. Panel B shows the correlation between output and the change in inflation predicted by three models. These correlations assumes money growth follows the process: $\Delta m_t = 0.5\Delta m_{t-1} + \varepsilon_t$. The model parameters are set to $\alpha = .1$ and $\lambda = .25$.

Table 3

The Acceleration Phenomenon: Sensitivity Analysis

A. The Sticky-Price Model

	α=.05	α=.1	α=.5	α=1.0
λ=.1	-0.08	-0.09	-0.12	-0.13
λ=.25	-0.12	-0.13	-0.15	-0.15
λ=.5	-0.15	-0.15	-0.13	-0.11

B. The Sticky-Information Model

	α=.05	α=.1	α=.5	α=1.0
λ=.1	0.49	0.39	0.05	-0.04
λ=.25	0.51	0.43	0.12	0.02
λ=.5	0.52	0.44	0.21	0.13

Note: This table shows the correlation between output y_t and the change in inflation $\pi_{t+2} - \pi_{t-2}$. These correlations assume money growth follows the process: $\Delta m_t = 0.5 \Delta m_{t-1} + \epsilon_t$.

Appendix: Details of solutions

This appendix explains the solutions of the three models presented in the text.

I. The derivation of the sticky-price Phillips curve

From the equations for the adjustment price x_t and the price level p_t , breaking the sum and using the law of iterated expectations, we obtain:

(A1)
$$x_t = \lambda p^*_t + (1-\lambda) E_t x_{t+1}$$
,

(A2)
$$p_t = \lambda x_t + (1-\lambda) p_{t-1}$$
.

But then solving for x_t in (A2) and replacing in (A1) for x_t and x_{t+1} , together with the definition of $p^*_t = p_t + \alpha y_t$, yields the desired expression for inflation presented in the text.

II. The derivation of the sticky-information Phillips curve

Begin with the equation for the price level derived in the text:

(A3)
$$p_{t} = \lambda \sum_{j=0}^{\infty} (1-\lambda)^{j} E_{t-j}(p_{t} + \alpha y_{t}).$$

By taking out the first term and redefining the summation index, this equation can be written as:

(A4)
$$p_t = \lambda (p_t + \alpha y_t) + \lambda \sum_{j=0}^{\infty} (1-\lambda)^{j+1} E_{t-1-j}(p_t + \alpha y_t).$$

Analogous to equation (A3), the previous period's price level can be written as:

(A5)
$$p_{t-1} = \lambda \sum_{j=0}^{\infty} (1-\lambda)^{j} E_{t-1-j}(p_{t-1} + \alpha y_{t-1}).$$

Subtracting (A5) from (A4) and rearranging yields the following equation for the inflation rate:

(A6)
$$\pi_{t} = \lambda (p_{t} + \alpha y_{t}) + \lambda \sum_{j=0}^{\infty} (1-\lambda)^{j} E_{t-1-j} (\pi_{t} + \alpha g_{t})$$

$$-\lambda^{2} \sum_{j=0}^{\infty} (1-\lambda)^{j} E_{t-1-j}(p_{t} + \alpha y_{t})$$

Now equation (A4) can be rearranged to show that:

(A7)
$$p_{t} - [\alpha\lambda/(1-\lambda)]y_{t} = \lambda \sum_{j=0}^{\infty} (1-\lambda)^{j} E_{t-1-j}(p_{t} + \alpha y_{t}).$$

We now use equation (A7) to substitute for the last term in equation (A6). After rearranging, we obtain

(A8)
$$\pi_{t} = \left[\alpha\lambda/(1-\lambda)\right]y_{t} + \lambda \sum_{j=0}^{\infty} (1-\lambda)^{j} E_{t-1-j}(\pi_{t} + \alpha g_{t}).$$

This is the sticky-information Phillips curve presented in the text.

III. The response of output and inflation in the three policy experiments

The three policy experiments we undertake can be described as follows:

(E1) An unexpected fall in the level of aggregate demand by 10% at date 0. Thus, $m_t=-\log(0.9)$ for t<0 and $m_t=0$ for t ≥ 0 .

(E2) An unexpected drop in the rate of money growth $_m_t$ at date 0, from 2.5% per period to 0%. Thus, $m_t=0.025(1+t)$ for t \leq -1, $m_t=0$ for t \geq 0.

(E3) Same as (E2) but announced at date t=-8.

We focus on finding solutions for p_t as a function of m_t . The solution for y_t then follows from the aggregate demand equation.

For the backward-looking model, the solution follows immediately once the aggregate demand equation is used to substitute out for y:

(A9) $p_t(1+\beta) = 2p_{t-1} - p_{t-2} + \beta m_t$.

This is a second-order difference equation. The associated roots are $[1\pm(-\beta)^{1/2}]/(1+\beta)$, which are complex (since $\beta>0$), generating the oscillatory behavior.

For the sticky-price model, rewrite the Phillips curve, using the aggregate demand equation, as:

(A10) $E_t p_{t+1} - (2 + \beta) p_t + p_{t-1} = -\beta m_t$.

This is an expectational difference equation, which can be solved by the methods explained in Sargent (1986). First, take expectations at t and express all expectations at t variables with *. Then using the lag operator L, such that $LE_tp_t=E_tp_{t-1}$ and its inverse, the forward operator, $F=L^{-1}$ such that $FE_tp_t=E_tp_{t+1}$, reexpress (A5) as:

(A11) $(F^2 - (2 + \beta)F + 1)Lp_t^* = -\beta m_t^*$. The quadratic $(x^2 - (2 + \beta)x + 1)$, has two positive roots: θ and $1/\theta$, such that $(1-\theta)^2/\theta = \beta$. Pick θ to correspond to the smaller

of the roots. Then (A11) becomes:

(A12) $(1 - \Theta L) p_t^* = (1 - \Theta)^2 (1 - F\Theta)^{-1} m_t^*.$

But using the fact that $\theta < 1$, the inverse on the right-hand side is well defined and can be expanded. Finally, since p_t and p_{t-1} are part of date t information set, we obtain the final solution:

(A13)
$$p_t = \Theta p_{t-1} + (1-\Theta)^2 \sum_{i=0}^{\infty} \Theta^i E_t m_{t+i}.$$

For the policy experiment E1, up to date 0, $p_t=m_t=-\log(0.9)$. From 0 onwards, $E_tm_{t+i}=m_{t+i}=0$, so the price level is given by the recursion $p_t=\theta p_{t-1}$ with initial condition $p_{-1}=-\log(0.9)$. For E2, $p_t=m_t$ until t=-1, and after again $p_t=\theta p_{t-1}$, but now the initial condition is $p_{-1}=0$. Thus $p_t=0$, t ≥ 0 and so $y_t=0$ at all t. For E3, in the period $-8\leq t\leq -1$, then the terms of the sum in the right hand side of (A13) are $E_tm_{t+i}=0.025(1+t)$ for $-8\leq t+i\leq -1$ and $E_tm_{t+i}=0$ for $t+i\geq 0$. After that, for $t\geq 0$, $p_t=\theta p_{t-1}$.

Finally, consider the sticky-information model, as captured by the equation:

(A14)
$$p_{t} = \lambda \sum_{j=0}^{\infty} (1-\lambda)^{j} E_{t-j}[(1-\alpha)p_{t} + \alpha m_{t})].$$

The price level at time $t \ge 0$ can then be broken into two components, where the first includes price setters aware of the new path for aggregate demand, and the second those agents who decided on their prices before the change:

(A15)
$$p_t = \lambda \sum_{j=0}^{t} (1-\lambda)^j E_{t-j}[(1-\alpha)p_t + \alpha m_t)] + \lambda \sum_{j=t+1}^{\infty} (1-\lambda)^j E_{t-j}[(1-\alpha)p_t + \alpha m_t)].$$

Because the agents represented by the second term are still setting prices based on their old information sets, their expectations are given by $E_{t-j}p_t=E_{t-j}m_t=-\log(0.9)$. As a result, the second term reduces to $-\log(0.9)(1-\lambda)^{t+1}$. The agents represented by the first term are responded to the new path of aggregate demand, so $E_{t-j}m_t = 0$, and since we are solving for the perfect-foresight equilibrium, $E_{t-j}p_t = p_t$. Collecting terms and rearranging, we obtain the solution:

(A16) $p_t = [-\log(0.9)(1-\lambda)^{t+1}]/[1-(1-\alpha)(1-(1-\lambda)^{t+1})].$

This equation gives the solution for the price level in stickyinformation model under policy experiment E1.

We can find the outcome under policy experiment E2 with similar steps. Under E2, however, $E_{t-j}p_t = E_{t-j}m_t = 0.025(1+t)$ for t-j<0. Thus, the solution is:

(A17) $p_t = [0.025(1+t)(1-\lambda)^{t+1}]/[1-(1-\alpha)(1-(1-\lambda)^{t+1})].$

This equation gives the price level in the sticky-information model under policy experiment E2.

Finally, for E3, for t<0, the path is the same as expected by all agents, so $p_t=m_t=0.025(t+1)$ and $y_t=0$. After date 0, p_t is given by (note the limit of the sums): t+8

(A18)
$$p_t = \lambda \Sigma (1-\lambda)^{j} E_{t-j} [(1-\alpha)p_t + \alpha m_t)] + \lambda \Sigma (1-\lambda)^{j} E_{t-j} [(1-\alpha)p_t + \alpha m_t)].$$

 $j=0$
 $j=t+9$

All else is the same as in E2. The solution follows as: $(A19)p_t = [0.025(1+t)(1-\lambda)^{t+9}]/[1-(1-\alpha)(1-(1 - \lambda)^{t+9})].$ This equation gives the path of the price level for the sticky-

information model under policy experiment E3.

IV. Output and inflation when money growth is AR(1)

Suppose $\Delta m_t = \rho \Delta m_{t-1} + \varepsilon_t$, where ε_t is white noise and $|\rho| < 1$. It will prove convenient to write this in MA(∞) form:

$$(A20) \Delta m_{t} = \sum_{j=0}^{\infty} \rho^{j} \varepsilon_{t-j} \qquad \text{or} \qquad m_{t} = \sum_{k=0}^{\infty} \sum_{j=0}^{\infty} \rho^{j} \varepsilon_{t-j-k}$$

Consider first the backward-looking model. First-differencing both sides of (A9), multiplying through by (1-pL) and rearranging yields the following AR(3) for the inflation rate:

(A21)
$$\pi_{t} = [1+\beta]^{-1} \{ [2+\rho(1+\beta)] \pi_{t-1} - (2\rho+1) \pi_{t-2} + \rho \pi_{t-3} + \beta \varepsilon_{t} \}.$$

From this equation, we can calculate impulse responses and all moments of inflation.

Consider now the sticky-price model. We find the general solution of these rational expectation models by the method of undetermined coefficients as outlined in Taylor (1985). Since the money growth rate is stationary, it is a reasonable conjecture that the inflation rate is also stationary and so can be expressed in the $MA(_{\infty})$ general form:

$$(A22) \qquad \pi_t = \sum_{j=0}^{\infty} \varphi_j \epsilon_{t-j} \qquad \text{or} \qquad p_t = \sum_{k=0}^{\infty} \sum_{j=0}^{\infty} \varphi_j \epsilon_{t-j-k} \\ k=0 \quad j=0$$

where the φ_j are coefficients to be determined. Then realize that $E_t\{\varepsilon_{t+i-j-k}\}=\varepsilon_{t+i-j-k}$ for $i-j\leq k$ and is zero otherwise. Using the solution of the model in (A12):

But then, since this must hold for all possible realizations of ϵ_{t-j} , matching coefficients on both sides of this equation yields for the coefficient on ϵ_t :

(A24)
$$\phi_0 = (1-\theta)^2 \sum_{\substack{\sum 0 \\ i=0}}^{\infty} \theta^i \sum_{\substack{\sum 0 \\ j=0}}^{1} \rho^j = (1-\theta)/(1-\theta\rho).$$

And for a general v, the coefficient on
$$\varepsilon_{t-v}$$
:
(A25) $\begin{array}{cccc} v & v-1 & & & i+v \\ \Sigma & \varphi_j &= \theta & \Sigma & \varphi_j + & (1-\theta)^2 & \Sigma & \theta^i & \Sigma & \rho^j \\ j=0 & j=0 & & i=0 & j=0 \end{array}$

Equations (A22), (A24) and (A26) fully describe the stochastic process of inflation. The impulse response of inflation for a unit shock to aggregate demand is given by $\{\phi_v\}$. The autocorrelation coefficients of order j are then given by (see Hamilton, 1994, p. 52):

$$\begin{array}{ccc} \text{(A27)} & & & \overset{\infty}{\Sigma} \phi_v \phi_{v-j} & / & \overset{\infty}{\Sigma} \phi_v^2, \\ & & v=j & v=0 \end{array}$$

Consider now the sticky-information model. Similarly to

(A22), conjecture the solution: $\pi_t = \Sigma \gamma_i \epsilon_{t-i}$ or $p_t = \Sigma \Sigma \gamma_i \epsilon_{t-i-k}$, where the sums go from 0 to infinity. Taking the relevant expectations and substituting in (A8), the equation for the Phillips curve, we obtain:

So, again matching coefficients:

(A29)
$$\gamma_0 = \alpha \lambda / [1 - \lambda (1 - \alpha)],$$

(A30) $\gamma_v = [1 - \lambda (1 - \alpha) \Sigma (1 - \lambda)^i]^{-1} \cdot \alpha \lambda \cdot [(1 - \Sigma \gamma_i) + \Sigma \rho^i + \rho^k \Sigma (1 - \lambda)^i].$
 $i = 0$ $i = 1 = 0$

This provides the full characterization of the stochastic process for inflation. For this, impulse responses, autocorrelations, and cross-correlations can be easily calculated.

V. Impulse responses of output and population correlations between output and the change in inflation.

For the backward-looking model, $corr(\pi_{t+2}-\pi_{t-2},y_t)=corr[\pi_{t+2}-\pi_{t-2},y_t)=corr[\pi_{t+2}-\pi_{t-2},(\pi_t-\pi_{t-1})/\beta]$, which we can evaluate using (A21). $Corr(\pi_{t+4}-\pi_{t-4},y_t)$ follows likewise.

For the sticky-price model, note that output growth is given from the quantity theory: $\Delta y_t = \Delta m_t - \pi_t = \Sigma (\rho^j - \phi_j) \epsilon_{t-j}$. From this, we can obtain the MA(∞) for output: $y_t = \Sigma \omega_j \epsilon_{t-j}$ with the recursion $\omega_j = \omega_{j-1} + \rho^j - \phi_j$, initiated by $\omega_0 = 1 - \phi_0$. The impulse response to a unit shock is given by the sequence $\{\omega_v\}$. To solve for the change in inflation $\pi_{t+4}-\pi_t$, start with $\pi_t = \Sigma \ \varphi_j \ \varepsilon_{t-j}$; the coefficients in the MA(∞) representation for the change in inflation $\pi_{t+4}-\pi_t = \Sigma \ \xi_j \varepsilon_{t-j}$ are then given by $\xi_j = \varphi_j - \varphi_{j-4}$ with ξ_0 $= \varphi_0, \ \xi_1 = \varphi_1, \ \xi_2 = \varphi_2, \ \text{and} \ \xi_3 = \varphi_3.$ Given these results, the population cross-correlation between the change in inflation and output, corr($\pi_{t+2}-\pi_{t-2}, y_t$), is:

(A31)
$$\begin{array}{c} \overset{\infty}{\Sigma} \phi_{v} \xi_{v} / (\overset{\infty}{\Sigma} \phi_{v}^{2}) (\Sigma \xi_{v+2}^{2}) , \\ \mathbf{v}=\mathbf{0} & \mathbf{v}=\mathbf{0} \end{array}$$

The cross-correlation corr($\pi_{t+4}-\pi_{t-4}, y_t$) is derived in the same fashion.

The derivation of the population cross-correlations in the sticky-information model is precisely the same, except we start with $\pi_t = \Sigma \gamma_i \epsilon_{t-i}$ as the process for inflation.

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Figure 1. Dynamic paths after a 10% fall in the level of aggregate demand at time 0

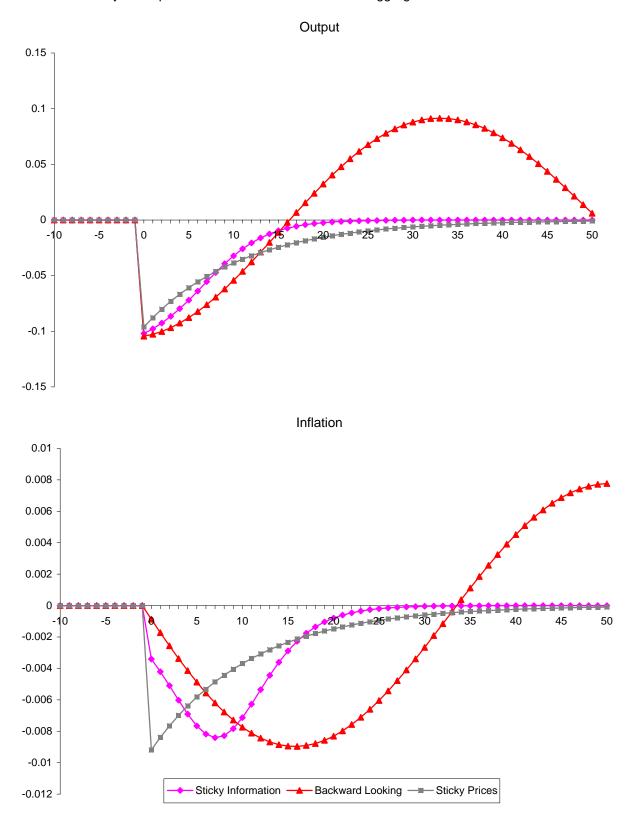
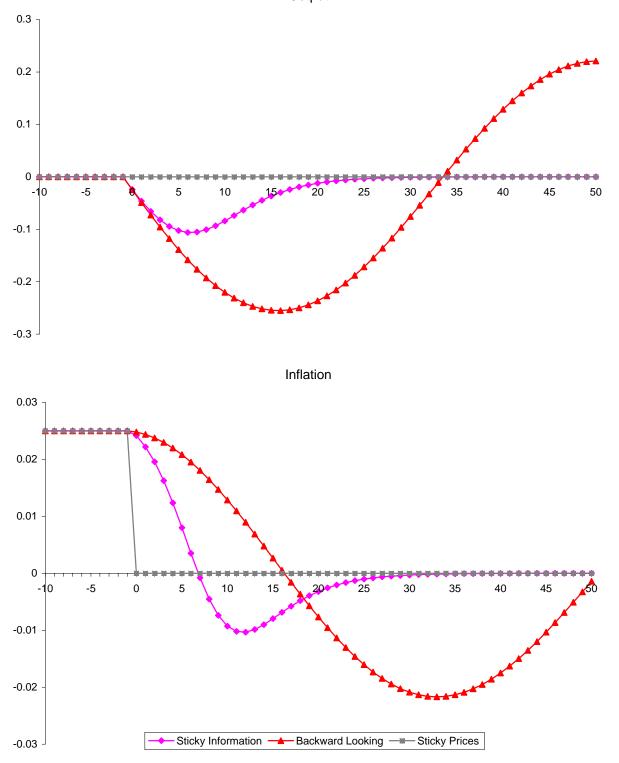
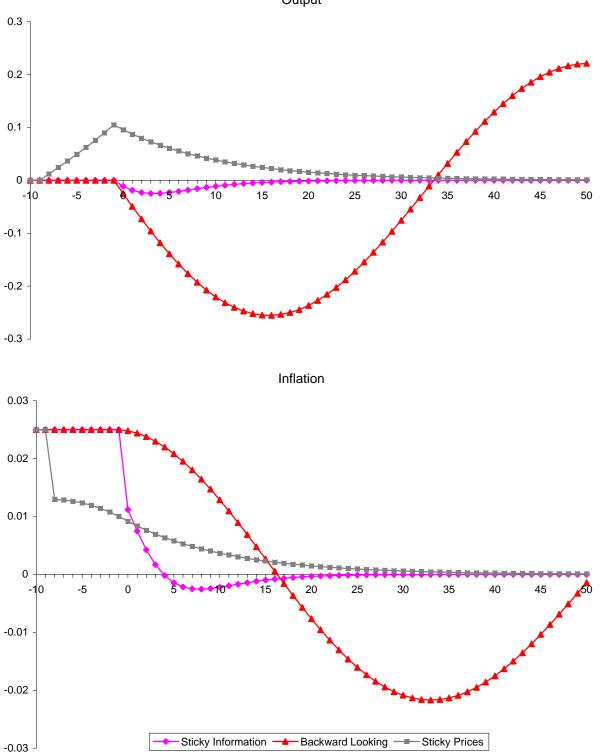


Figure 2. Dynamic paths given an unanticipated fall in the growth rate of aggregate demand at date 0



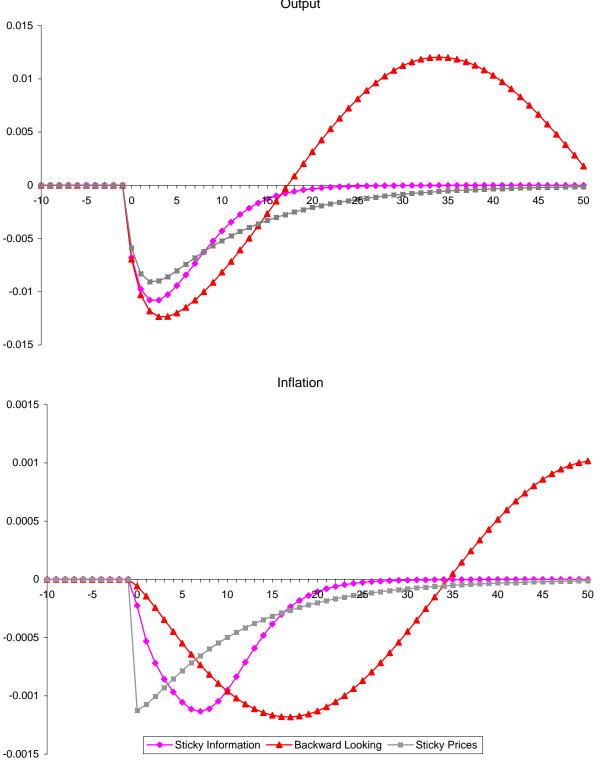
Output

Figure 3. Dynamic paths given an announcement at date -8 of a fall in the growth rate of aggregate demand at date 0



Output

Figure 4. Dynamic paths after a negative one standard deviation (-0.007) shock to the AR(1) aggregate demand



Output