10.1 Introduction

Over the past thirty years, the perceived necessity of a college degree and a growing college earnings premium have led to record enrollments and greater degree attainment in higher education. However, a dramatic escalation in tuition looms over the heads of prospective students and their parents and serves as a stark reminder to graduates saddled with large student loans. From 1987 to 2010, sticker price tuition and fees ballooned from $6,630 to $14,510 in 2010 dollars. After subtracting institutional aid, net tuition and fees still grew by 92 percent, from $5,720 to $11,000. To provide perspective, had net tuition risen at the rate of much maligned health care costs, tuition would have only risen 32 percent to $7,550 in 2010.¹

In this chapter, we seek to account for the college tuition increase by quantitatively evaluating existing explanations using a structural model of higher education and the macroeconomy. We divide our hypotheses about driving forces into supply-side changes (Baumol’s cost disease and exogenous

¹ Calculations used the health care personal consumption expenditures price index deflated by the CPI.
changes to nontuition revenue), demand-side changes (notably, expansions in grant aid and loans), and macroeconomic forces (namely, skill-biased technical change resulting in a higher college earnings premium). Our quantitative model shows that the combined effect of these changes more than accounts for the tuition increase and provides key insights about the role of individual factors as well as their complementary effects.

Existing hypotheses of why college tuition is increasing largely fall into two camps: those that emphasize the unique virtues and pathologies of higher education and those that place rising higher education costs into a broader narrative of increasing prices in many service industries. Advocates of the latter approach look to cost disease and skill-biased technical progress as drivers of higher costs in service industries that employ highly skilled labor. Cost disease, which dates back to seminal papers by Baumol and Bowen (1966) and Baumol (1967), posits that economy-wide productivity growth pushes up wages and creates cost pressures on service industries that do not share in the productivity growth. To cope, these industries increase their relative price, passing their higher costs onto consumers.

By contrast, theories emphasizing the uniqueness of higher education take several forms. Falling within our notion of supply-side shocks, state and local funding for higher education fell from $8,200 per full-time equivalent (FTE) student in 1987 to $7,300 in 2010, all while underlying costs and expenditures were rising. Several studies, including a notable study commissioned by Congress in the 1998 reauthorization of the Higher Education Act, attribute a sizable fraction of the increase in public university tuition to these state funding cuts. We take a somewhat broader view in this chapter by looking at how exogenous changes to all sources of nontuition revenue impact the path of tuition.

On the demand side, several expansions in financial aid have occurred over the past several decades. During our period of analysis, annual and aggregate subsidized Stafford loan limits were increased in 1987 and five years later in 1992. The Higher Education Amendments of 1992 also established a program of supplementary unsubsidized Stafford loans and increased the annual PLUS loan limit to the cost of attendance minus aid, thereby eliminating aggregate PLUS loan limits. Interest rates on student loans also fell considerably during the first decade of the twenty-first century. In a famous 1987 New York Times op-ed titled “Our Greedy Colleges,” then-secretary of education William Bennett asserted that “increases in financial aid in recent years have enabled colleges and universities blithely to raise their tuitions” (Bennett 1987). We evaluate this claim through the lens of our model, and we also cast light on the tuition impact of the 53 percent rise in nontuition costs (such as those arising from the greater provision of student amenities), which has the effect of increasing subsidized loan eligibility.

Last, we quantify the impact of macroeconomic forces—specifically, rising labor market returns to college—on tuition changes. Autor, Katz, and
Kearney (2008) find that, from the mid-1980s to 2005, the overall earnings premium for having a college degree increased from 58 percent to over 93 percent. Ceteris paribus, such an increase in the return to college has assuredly driven up demand for a college degree. We use our model to quantify how much this increase in demand translates to higher tuition and how much it contributes to higher enrollments.

Our quantitative findings can be summarized as follows:

1. The combined effect of the aforementioned shocks generates a 102 percent increase in equilibrium tuition. This result compares to a 92 percent increase in the data.
2. The rise in the college earnings premium alone causes tuition to increase by 21 percent. With all other shocks present except the college premium hike, tuition increases by 81 percent.
3. The demand-side shocks by themselves cause tuition to jump by 91 percent. With all other changes except the demand-side shocks, tuition only increases by 14 percent.
4. The supply-side shocks by themselves cause tuition to decline by 8 percent. With all other changes except the supply-side shocks, tuition increases by 116 percent.

The model we construct to arrive at these conclusions embeds a rich higher education framework based off of Epple, Romano, and Sieg (2006) and Epple et al. (2013) into a life-cycle environment with heterogeneous agents, incomplete markets, and student loan default. Imperfectly competitive colleges in the model set differential tuition and admissions policies to maximize quality, which, as a proxy for reputation, depends on investment per student and the average academic ability of the heterogeneous student body. In this chapter, we restrict attention to the case of a representative nonprofit institution that has limited market power because of unobservable student preference shocks. Even with these shocks, the representative college assumption still abstracts from important heterogeneity and strategic interactions in the higher education market. For this reason, the findings in this chapter should be used to guide further research rather than viewed authoritatively. To further simplify matters, we treat all nontuition revenue as exogenous (e.g., endowment income and state funding), which implies that the college faces a balanced budget constraint each period that equates total revenue with total spending on investment and non-quality-enhancing custodial costs. On the household side, we include several important features: heterogeneity in ability and parental income dimensions, college financing decisions, college dropout risk, and student loan repayment decisions.

The objective of selective academic institutions is to be the best they can in every aspect of their activities. They aggressively seek out all possible resources and put them to use funding things they think will make them better. To look better than their competitors, the institutions wind up in an arms race of spending.

To make matters concrete, quality in our setting depends on investment per student and the average ability of the student body. As a result, students act both as customers and as inputs to the production of quality via peer effects, as described by Winston (1999). This unique feature of higher education gives colleges an additional motive to engage in price discrimination beyond the usual monetary rent extraction—namely, to attract high-ability students by offering generous institutional aid.

To discipline the model, we use a combination of calibration and estimation. Rather than ex ante assume cost disease or a particular production structure (e.g., number of faculty, administrators, etc., needed to run a college), we directly estimate a reduced-form custodial cost function and track its changes over the period 1987–2010. Similarly, we compute average non-tuition revenue per FTE student using Delta Cost Project data and feed it into the model. On the household side, we use earnings premium estimates by Autor, Katz, and Kearney (2008) and construct time series for federal student loan program (FSLP) variables.

As mentioned previously, we find that the combined effects of the supply-side changes, demand-side changes, and increases in the college earnings premium can fully account for the mean net tuition increase. Looking at individual factors, we find that expansions in borrowing limits drive 54 percent of the tuition jump and represent the single most important factor. To grasp the magnitude of the change in borrowing capacity, first note that real aggregate borrowing limits increased by 56 percent between 1987 and 2010, from $26,200 to $40,800 in 2010 dollars. Second, the reauthorization of the Higher Education Act in 1992 introduced a major change along the extensive margin by establishing an unsubsidized loan program alongside the subsidized loans. We also find that increased grant aid contributes 18 percent to the rise in tuition, which mirrors the 21 percent impact of the higher college earnings premium. These results give credence to the Bennett (1987) hypothesis.

Last, our results, while preliminary and subject to the caveat mentioned above regarding the representative college assumption, paint a more nuanced picture of cost disease as a driver of higher tuition. Although our estimated cost function shifts upward from 1987 to 2010, this isolated effect reduces

2. For this calculation, we take one minus the tuition increase without the borrowing limit expansion relative to the increase with the expansion, that is, \(1 - \frac{($9,066 - $6,146)}{($12,428 - $6,146)}\). Adding the percentage contribution from each exogenous driving force need not yield 100 percent because of interaction effects.

3. We use the limits in place from 1981 to 1986 as our figure for 1987.
average tuition (a contribution of −16 percent). Importantly, our estimates suggest that the upward shift in the cost function between 1987 and 2010 comes largely in the form of higher fixed costs rather than higher marginal costs, which has important implications for how colleges respond. Intuitively, colleges face a trade-off between raising tuition and retaining high-ability students when they experience a balance sheet deterioration. If they increase tuition, fewer high-ability students may enroll, which drives down quality. Alternatively, a decision to not raise tuition forces colleges to cut back on quality-enhancing investment expenditures. We find that colleges take this latter route to the tune of almost $2,800 in cuts per student as a response to higher custodial costs. This result comports with the behavior we observe among many public universities across the country of replacing tenured faculty with less expensive non-tenure-track positions. Additionally, changes in nontuition revenue have almost no impact on tuition (a contribution of 2 percent).

We do not claim that Baumol’s cost disease or changes in state support have no importance for tuition increases. Rather, we suspect that these factors affect some colleges more than others. For instance, if private research universities experience cost disease, they may increase their tuition. However, higher tuition may induce substitution of students into lower-cost universities. Given the absence of competition and college heterogeneity in our model, our estimation implicitly incorporates substitution of households across college types and any corresponding composition effects.

10.1.1 Relationship to the Literature

This chapter relates to two broad strands of the literature. First, the chapter relates to a large empirical literature that estimates the effects of macroeconomic factors and policy interventions on tuition and enrollment. Second, this chapter relates to a growing body of literature employing structural models of higher education. With a few exceptions, these models focus on student demand and abstract from many distinguishing features of the supply side.

**Empirical Literature**

In discussing related work, we map our categorization of supply-side shocks, demand-side shocks, and macroeconomic forces into the existing empirical literature. For supply-side shocks, we analyze the impact of upward shifts in custodial (non-quality-enhancing) costs as well as changes in nontuition revenues. The literature on Baumol’s cost disease most closely relates to the former, while the literature analyzing the effect of the decline in state appropriations for higher education addresses the latter.

**Supply Shocks: Cost Disease.** The origins of cost disease emerge from seminal works by Baumol and Bowen (1966) and Baumol (1967). They lay out a clear mechanism: productivity increases in the economy at large drive
up wages everywhere, which service sectors that lack productivity growth pass along by increasing their relative prices. Recently, Archibald and Feldman (2008) use cross-sectional industry data to forcefully advance the idea that cost and price increases in higher education closely mirror trends for other service industries that utilize highly educated labor. In short, they “reject the hypothesis that higher education costs follow an idiosyncratic path.”

We find that the form of the cost increase matters. In particular, our estimates uncover a large increase in the fixed cost of operating a college from $12 billion to $30 billion in 2010 dollars. To pay for the higher fixed cost, the college in our model lowers per-student investment and increases enrollment, which lowers average tuition by a composition effect.

**Supply Shocks: Cuts in State Appropriations.** Heller (1999) suggests a negative relationship between state appropriations for higher education and tuition, asserting that “the higher the support provided by the state, the lower generally is the tuition paid by all students.” Recent empirical work by Chakrabarty, Mabutas, and Zafar (2012), Koshal and Koshal (2000), and Titus, Simone, and Gupta (2010) support this hypothesis, but notably, Titus, Simone, and Gupta (2010) show that this relationship only holds up in the short run. Last, in a large study commissioned by Congress in the 1998 reauthorization of the Higher Education Act of 1965, Cunningham et al. (2001) conclude that “Decreasing revenue from government appropriations was the most important factor associated with tuition increases at public four-year institutions.”

While our model fails to confirm this idea in the aggregate—that is, lumping public and private colleges together—cuts in appropriations could potentially play a role in driving up public school tuition. Extending our model to incorporate heterogeneous colleges with detailed, disaggregated funding data will shed further light on this issue.

**Demand Shocks: The Bennett Hypothesis.** For demand-side shocks, we focus on the effects of increased financial aid. We address the extent to which changes in loan limits and interest rates under the FSLP as well as expansions in state and federal grants to students drive up tuition—famously known as the Bennett hypothesis. A long line of empirical research has studied this hypothesis with mixed results.

Broadly speaking, we can divide the literature into those papers that find at least some support for this hypothesis and those that are highly skeptical. In the first group, McPherson and Shapiro (1991) use institutional data from 1978 to 1985 and find a positive relationship between aid and tuition at public universities, but not at private universities. Singell and Stone (2007), using panel data from 1983 to 1996, find evidence for the Bennett hypothesis among top-ranked private institutions but not among public and lower-ranked private universities. They also found evidence in favor of the Bennett hypothesis for public out-of-state tuition. Rizzo and Ehrenberg (2004,
come to the mirror opposite conclusion: “We find substantial evidence that increases in the generosity of the federal Pell Grant program, access to subsidized loans, and state need-based grant aid awards lead to increases in in-state tuition levels. However, we find no evidence that nonresident tuition is increased as a result of these programs.” Turner (2012) shows that tax-based aid crowds out institutional aid almost one-for-one. Turner (2014) also finds that institutions capture some of the benefits of financial aid, but at a more modest 12 percent pass-through rate. Long (2004a, 2004b) uncovers evidence that institutions respond to greater aid by increasing charges, in some cases by up to 30 percent of the aid. Cellini and Goldin (2014) compare for-profit institutions that participate in federal student aid programs to those that do not participate. Institutions in the former group charge tuition that is about 78 percent higher than those in the latter group. Most recently, Lucca, Nadauld, and Shen (2015) find a 65 percent pass-through effect for changes in federal subsidized loans and positive but smaller pass-through effects for changes in Pell grants and unsubsidized loans.

In contrast to the previous literature, several papers reject or find little evidence for the Bennett hypothesis. For example, in their commissioned report for the 1998 reauthorization of the Higher Education Act, Cunningham et al. (2001, x) conclude that “the models found no associations between most of the aid variables and changes in tuition in either the public or private not-for-profit sectors.” These sentiments are echoed by Long (2006). Last, Frederick, Schmidt, and Davis (2012) study the response of community colleges to changes in federal aid and find little evidence of capture.

Our model likely exaggerates the impact of the Bennett hypothesis. As we discuss in section 10.4, the representative college engages in an implausibly high degree of rent extraction despite the presence of preference shocks. We suspect that more competition in our model of the higher education market would temper the magnitude of the tuition increase attributable to the Bennett hypothesis.

Macroeconomic Forces: Rising College Earnings Premiums. According to data from Autor, Katz, and Kearney (2008), the college earnings premium increased from 58 percent in the mid-1980s to 93 percent in 2005. While we remain agnostic about the cause of the increasing premium, several papers, including Autor, Katz, and Kearney (2008), Katz and Murphy (1992), Goldin and Katz (2007), and Card and Lemieux (2001), ascribe it to skill-biased technological change combined with a fall in the relative supply of college graduates.

In recent work, Andrews, Li, and Lovenheim (2012) study the distribution of college earnings premiums and find substantial heterogeneity attributable to variation in college quality. Hoekstra (2009) looks at earnings of white males ten to fifteen years after high school graduation and finds a premium of 20 percent for students who attended the most selective state university relative to those who barely missed the admissions cutoff and went else-
where. Incorporating this heterogeneity in college earnings premiums may help explain why tuition increases at selective schools (such as public and private research universities) have outpaced those at less selective schools.

**Quantitative Models of Higher Education**

Our chapter also fits into a growing body of papers that employ structural models of higher education such as Abbott et al. (2013), Athreya and Eberly (2013), Ionescu and Simpson (2016), Ionescu (2011), Garriga and Keightley (2010), Lochner and Monge-Naranjo (2011), Belley and Lochner (2007), and Keane and Wolpin (2001). In the interest of space, we discuss only the most closely related papers.

Recent work by Jones and Yang (2016) closely mirrors the objectives of this chapter. They explore the role of skill-biased technical change in explaining the rise in college costs from 1961 to 2009. Their paper differs from our chapter in several ways. First, whereas they explore the effect of cost disease on higher college costs, we quantify the role of supply-side as well as demand-side shocks. Second, Jones and Yang (2016) analyze college costs—which increased by 35 percent in real terms between 1987 and 2010—whereas we address the increase in net tuition, which went up by 92 percent. Also, whereas they use a competitive framework, we employ a model with peer effects, imperfect competition with price discrimination, and student loan borrowing with default. Fillmore (2014) also analyzes a model of price discriminating colleges, but he treats peer effects in a reduced-form way. Fu (2014) considers a rich game-theoretic framework of college admissions and enrollment but does not allow for price discrimination.

10.2 The Model

The model embeds a college sector into a discrete-time open economy. A fixed measure of heterogeneous households enter the economy upon graduating high school, make college enrollment decisions, and then progress through their working life and into retirement. A monopolistic college with the ability to price discriminate transforms students into college graduates (with dropout risk), and the government levies taxes to finance student loans.

10.2.1 Households

We describe sequentially the environment faced by youths, college students, and finally, workers and retirees. We immediately follow this discussion with a description of colleges in the model. Section 10.2.4 gives the decision problems for all agents in the economy.

**Youths**

Youths enter the economy at \( j = 1 \) (corresponding to high school graduation at age eighteen), at which point they draw a two-dimensional vector
of characteristics $s_Y = (x, y_p)$ consisting of academic ability $x$ and parental income $y_p$ from a distribution $G$. Youths make a once-and-for-all choice to either enroll in college or enter the workforce. In addition to the explicit pecuniary and nonpecuniary benefits of college that we will describe momentarily, youths receive a preference shock $(1/\alpha) \varepsilon$ of attending college, where $\alpha > 0$ and $\varepsilon$ comes from a type 1 extreme distribution. Colleges cannot condition tuition on the preference shock.

**College Students**

Newly enrolled students enter college with their vector of characteristics $s_Y$ and a zero initial student loan balance, $l = 0$. Colleges charge type-specific net tuition $T(s_Y)$—equal to sticker price $T$ minus institutional aid—which they hold fixed for the duration of enrollment.

Students also face nontuition expenses $\phi$ that act as perfect substitutes for consumption $c$. Direct government grants $\zeta(T + \phi, EFC(s_Y))$ offset some of the cost of attendance, where $EFC(s_Y)$ represents the expected family contribution—a formula used by the government to determine eligibility for need-based grants and loans. After taking into account both forms of aid, the net cost of attendance comes out to $NCOA(s_Y) = T(s_Y) + \phi - \zeta(T(s_Y) + \phi, EFC(s_Y))$.

While enrolled, college students receive additively separable flow utility $v(q)$, which increases in college quality $q$. In order to graduate, students must complete $J_Y$ years of college. Students in class $j$ return to college each year with probability $\pi_{j+1} = 1 - \left(1 - \frac{1}{J_Y}\right)^{j+1}$; otherwise, they either drop out or graduate.  

Students can borrow through the FSLP. Of primary interest, the FSLP features subsidized loans that do not accrue interest while the student is in college, where eligibility depends on financial need ($NCOA$ less $EFC$). Since 1993, students can borrow additional funds up to the net cost of attendance using unsubsidized loans. Students face annual and aggregate limits for subsidized and combined borrowing.

Denote the annual and aggregate combined limits by $b_j$ and $T$, respectively. Because students can borrow only up to the net cost of attendance, their annual combined subsidized borrowing $b_s$ and unsubsidized borrowing $b_u$ must satisfy

$$b_s + b_u \leq \min\{b_j, NCOA(s_Y)\}.$$ 

---

4. To improve tractability while computing the transition path, we assume students receive $v(q)$ each year based on the college’s quality $q$ at the time of initial enrollment. In the computation, we make the isomorphic assumption that students receive the net present value of $v(q)$ at the time of enrollment.

5. We do not allow endogenous dropout for reasons of tractability.

6. The aggregate limit caps maximum loan balances the period after borrowing, inclusive of interest.
Similarly, define $b_j(s)$ as the statutory annual subsidized limit and $T_j(s)$ as the statutory aggregate subsidized limit. The actual amount $\bar{b}_j(s)$ that students can borrow in subsidized loans depends on their net cost of attendance and the expected family contribution, both of which vary with student type. Last, define $\bar{T}_j(s)$ as the maximum amount of subsidized loans that students can accumulate by year $j$ in college. Mathematically,

$$
\bar{b}_j(s) = \min\{\bar{b}_j, \max\{0, NCOA(s) - EFC(s)\}\},
$$

$$
\bar{T}_j(s) = \min\{\bar{T}_j, \Sigma_{i=1}^j \bar{b}_i(s)\}.
$$

Given the superior financial terms of subsidized loans, we assume that students always exhaust their subsidized borrowing capacity before taking out any unsubsidized loans. Furthermore, to increase tractability, we assume that borrowers can carry over unused subsidized borrowing capacity into subsequent years. These two assumptions reduce the state space and significantly simplify the student’s debt portfolio choice problem.

Apart from loans, students have two other means of paying for college. First, they have earnings $e_Y$, which we treat as an endowment. Second, they receive a parental transfer $\xi EFC(s)$, where $0 \leq \xi \leq 1$ is a parameter.

Workers/Retirees

Working and retired households receive earnings $e$ that depend on a vector of characteristics $s$ that includes their level of education, age/retirement status, and a stochastic component. Each period, households face a proportional earnings tax $\tau$. These households value consumption according to a period utility function $u(c)$ and discount the future at rate $\beta$. Workers with student loans face a loan interest rate of $i$ and amortization payments of $p(l, t) = l[(1 + i)^t - 1]/[(1 + i)^t - 1]$; where $l$ represents the loan balance and $t$ the remaining duration. All households can use a discount bond to save at the risk-free rate $r^*$ and borrow up to the natural borrowing limit $\sigma$ at rate $r^* + \iota$, where $\iota$ is the interest premium on borrowing. The price of the bond is denoted $(1 + r(a'))^{-1}$.

10.2.2 Colleges

There is one representative college. Following Epple, Romano, and Sieg (2006), the college seeks to maximize its quality (or prestige), $q$, which depends on the average academic ability $\theta$ of the student body and on investment expenditures per student, $I$. The college’s other expenses include non-quality-enhancing custodial costs $F + C(N)$, where $F$ represents a fixed cost and $C$ is an increasing, twice-differentiable, convex function of enrollment $\{N\}$. 

7. We abstract from labor supply choice and the trade-off between increased earnings and studying.
The college finances its expenditures with two sources of revenue. First, the college has exogenous nontuition revenue per student $E$, which includes endowment income, government appropriations, and revenues from auxiliary enterprises. Second, the college has endogenous tuition revenue, a function of enrollment decisions and type-specific net tuition $T(s_j)$. The college is a nonprofit and, given our assumption of an exogenous endowment stream, runs a balanced budget period-by-period.8

In order to avoid dealing with issues such as the college’s discount factor—not to mention other difficulties associated with the transition path computation—we make the college problem static through four assumptions. First, we assume that college quality $q(\theta, I)$ depends on the academic ability of freshmen and investment expenditures per freshman student.9 Second, we assume that colleges face a quadratic cost function for each class given by

$$F + C(\{N_j\}_{j=1}^J) = F + \sum_{j=1}^J c(n_j)$$

where $N_j$ is the population measure in class $j$ ($j = 1$ for freshmen, $j = 2$ for sophomores, etc.) and $n_j = N_j/(1/J)$ is the measure relative to the age-eighteen population (for scaling purposes in the estimation). Third, we assume the college has no access to credit markets. Last, we isolate the effect of current tuition and spending decisions on future budget conditions. Specifically, we assume that each year the college exchanges the rights to all future budget flows generated by contemporaneous tuition and expenditure decisions in exchange for an immediate net present value payment from the government. This last assumption implicitly rules out any “quality smoothing” on the part of the college and captures the fact that administrators typically have short tenures that may make borrowing against expected future flows challenging.10

10.2.3 Legal Environment and Government Policy

Consistent with US law, workers in the model cannot liquidate their student loan debt through bankruptcy. However, they can skip payments and become delinquent. Upon initial default, workers enter delinquency status and face a proportional loan penalty of $\eta$ that accrues to their existing balance. In subsequent periods, delinquent workers face a proportional wage garnishment of $\gamma$ until they rehabilitate their loan by making a payment. Upon rehabilitation, the loan duration resets to the statutory value $t_{\text{max}}$ and the amortization schedule adjusts accordingly.

The government operates the student loan program and finances itself

---

8. Technically, the nonprofit status of the college only implies that it cannot distribute dividends. However, we abstract from strategic decisions regarding endowment accumulation.
9. We assume the college commits to a level of $I$ for the duration of each incoming cohort’s enrollment.
10. The average tenure of a dean is five years (Wolverton et al. 2001).
with a combination of taxation on labor earnings, funds from loan repayments and wage garnishments, and the revenue flows generated by colleges discussed above. We assume that the government sets the tax rate \( \tau \) to balance its budget period-by-period.

10.2.4 Decision Problems

Now we work backward through the life cycle to describe the household decision problem. Afterward, we describe the college’s optimization problem.

**Workers/Retirees**

Households start each period with asset position \( a \), student loan balance \( l \) and duration \( t \), characteristics \( s \), and delinquency status \( f \in \{0,1\} \), where \( f = 0 \) indicates good standing. Households in good standing on their student loans choose consumption, savings, and whether to make their scheduled loan payment. These households have the value function

\[
V(a, l, t, s, f = 0) = \max\{V^R(a, l, t, s), V^D(a, l(1 + \eta)), s\}
\]

where \( V^R \) is the utility of repayment and \( V^D \) is the utility of delinquency. Note that \( \eta \) increases the stock of outstanding debt in the case of a default.

Households in bad standing face the decision of whether to rehabilitate their loan or remain delinquent. Their value function is

\[
V(a, l, s, f = 1) = \max\{V^R(a, l, t_{\text{max}}, s), V^D(a, l, s)\}.
\]

Household utility conditional on repayment or rehabilitation is given by

\[
V^R(a, l, t, s) = \max_{c \in \mathbb{R}, a' \geq 0} u(c) + \beta E_{t'} V(a', l', t', s', f' = 0)
\]

subject to

\[
c + a'/\left(1 + r(a')\right) + p(l, t) \leq e(s)(1 - \tau) + a
\]

\[
l' = (l - p(l, t))(1 + i), \quad t' = \max\{t - 1, 0\}.
\]

The value of defaulting (if \( f = 0 \)) or not rehabilitating a loan (if \( f = 1 \)) is

\[
V^D(a, l, s) = \max_{c \in \mathbb{R}, a' \geq 0} u(c) + \beta E_{t'} V(a', l', s', f' = 1)
\]

subject to

\[
c + a'/\left(1 + r(a')\right) \leq e(s)(1 - \tau)(1 - \gamma) + a
\]

\[
l' = \max\{0, (l - e(s)(1 - \tau)\gamma)(1 + i)\}.
\]

In the last period of life, households have no continuation utility and no ability to borrow or save. We allow households to die with student loan debt.

11. In the case of a default, note that \( \eta \) has already been applied to the loan balance in equation (4).
College Students

College students with characteristics \( s_Y = (x, y_p) \) and debt \( l \) choose consumption and additional loans, \( l' \geq l \) (to speed up computation, we assume that students do not pay back their loans while in college). We also introduce an annual unsubsidized borrowing limit \( b^u_j \) that equals either the combined limit or zero (the latter case captures the pre-1993 environment).

Taking college quality \( q \) and the net tuition function \( T(\cdot) \) as given, students solve

\[
Y_j(l, s_Y; T, q) = \max_{c \geq 0, s \geq l} u(c + \Phi) + v(q) + \beta \left[ \pi_{j+1} Y_{j+1}(l', s_Y; T) + (1 - \pi_{j+1}) \right] \\
\times \mathbb{E}_{a', l', t, s'} V(a' = 0, l', t_{\text{max}}, s', 0)
\]

subject to

\[
c + \text{NCOA}(s_Y) \leq e_Y + \xi \text{EFC}(s_Y) + b_s + b_u
\]

\[
(l'_s, l'_u) = \begin{cases} (l'_s, 0) & \text{if } l' \leq \bar{l}_j(s_Y) \\ (\bar{l}_j(s_Y), l' - \bar{l}_j(s_Y)) & \text{otherwise} \end{cases}
\]

\[
(l_s, l_u) = \begin{cases} (l_s, 0) & \text{if } l \leq \bar{l}_{j-1}(s_Y) \\ (\bar{l}_{j-1}(s_Y), l - \bar{l}_{j-1}(s_Y)) & \text{otherwise} \end{cases}
\]

\[
b_s = l'_s - l_s
\]

\[
b_u = \frac{l'_u}{1 + i} = l_u
\]

\[
l' + \frac{l'_u}{1 + i} \leq \bar{T}
\]

\[
b_u \leq \min \{\bar{b}_j^u, \text{NCOA}(s_Y)\}
\]

\[
b_s + b_u \leq \min \{\bar{b}_j, \text{NCOA}(s_Y)\}.
\]

Note from these equations that our setup allows us to easily decompose student debt into its subsidized and unsubsidized components. We deflate \( l'_u \) by \( 1 + i \) in the aggregate borrowing constraint because the loan limit is inclusive of interest accrued by unsubsidized loans.

Youth

Youth making their college enrollment decisions have value function

\[
\max \left[ \mathbb{E}_{a|l, s_Y} V_l(a = 0, l = 0, t = 0, s), Y(l = 0, s_Y; T, q) + \frac{1}{\alpha} \right]
\]
where $\epsilon$ denotes the college preference shock and $s$ is the initial worker characteristics draw.

**Colleges**

The college problem can be written as

\[
\begin{align*}
\max_{I(\omega),q(\cdot)} & \quad q(\theta, I) \\
\text{subject to} & \quad E + T = F + C(N_1) + J \\
& \quad N_1 = \int P(\text{enroll}|s_Y; T(\cdot), q) d\mu_0(s_Y) \\
& \quad \theta N_1 = \int x(s_Y) P(\text{enroll}|s_Y; T(\cdot), q) d\mu_0(s_Y) \\
& \quad T = \sum_{j=1}^{J} \pi^{-1} \int T(s_Y) P(\text{enroll}|s_Y; T(\cdot), q) d\mu_0(s_Y) / (1 + r^*)^{-1} \\
& \quad E = E \sum_{j=1}^{J} \frac{\pi^{-1} N_1}{(1 + r^*)^{-1}} \\
& \quad C(N_1) = \sum_{j=1}^{J} \frac{\pi^{-1} [N_j/(1/J)]}{(1 + r^*)^{-1}} \\
& \quad J = I \sum_{j=1}^{J} \frac{\pi^{-1} N_1}{(1 + r^*)^{-1}}
\end{align*}
\]

where $\mu_0(s_Y) = G(s_Y) / J$ is the distribution of characteristics across the age-eighteen population.

The first constraint reflects the college balanced budget requirement, while the remaining constraints establish the definitions of enrollment, average freshman ability, tuition revenues, nontuition revenues, custodial costs, and investment expenditures, respectively.

**10.2.5 Steady-State Equilibrium**

A steady-state equilibrium consists of household value and policy functions, a tax rate, college policies and quality, and a distribution of households such that

1. The household value and policy functions satisfy (4–9).
2. The college policies and quality satisfy (10).
3. The government budget balances.
4. The distribution is invariant.
10.3 Data and Estimation

We calibrate the model to replicate key features of the US economy and higher education sector in 1987. These initial conditions set the stage for the results section, which feeds in the observed changes between 1987 and 2010 described in the introduction to assess their impact on equilibrium tuition. We proceed through our description of the calibration and estimation in the same order as we described the model.

10.3.1 Households

Youths

We determine the distribution $G$ of youth characteristics $s_Y = (x, y_p)$ using data from the National Longitudinal Survey of Youth 1997 (NLSY97). The ability measure comes from percentiles on the Armed Services Vocational Aptitude Battery (ASVAB) test. For parental income, we use the household income measure from 1997 in those cases where the data correspond to the parents rather than the youth (98.0 percent of cases).

Conditional on our ability measure, parental income resembles a truncated normal distribution. This can be seen in figure 1 of web appendix A (http://www.nber.org/data-appendix/c13711/appendix.pdf). To handle truncation from above due to top-coding and truncation from below, we estimate a Tobit model where parental income depends on ability. Specifically, we estimate

$$y_i^* = \beta_0 + \beta_1 x_i + \epsilon_i$$

$$y_i = \min\{\max\{0, y_i^*\}, \tau\}$$

where $y_i$ is the observed parental income, $y_i^*$ is the “true” parental income, and $\epsilon_i \sim N(0, \sigma^2)$. The parameter $\tau$ corresponds to the 2 percent top-coded level implemented in the NLSY97 (we find $\tau = $226,546 in 2010 dollars). In 2010 dollars, we find $\beta_0 = $40,006, $\beta_1 = $614.6, and $\sigma = $48,012, with standard errors of $1,529, $25.95, and $543.4, respectively. By the construction of $x$ in NLSY97, $x \sim U[0,100]$. Hence, our estimation implies that, all else equal, parents of children at the top of the ability distribution earn $152,900 more on average than parents of children at the bottom of the ability distribution. We assume the joint distribution is time invariant.

Table 10.1 reports the correlation between ability, observed parental income, and enrollment. All the correlations are significant at more than a 99.9 percent confidence level. We use the correlation between ability and

12. The NLSY97 top-codes at the 2 percent level by replacing the true value with the conditional mean of the top 2 percent. In this estimation, we bound the observed value at the 2 percent threshold value.
enrollment as a calibration target and the correlation between enrollment and parental income as an untargeted prediction of the model.

**College Students**

For our specification of the expected family contribution function $EFC(s_Y)$, we use an approximation from Epple et al. (2013) to the true statutory formula. Specifically, we assume a mapping between raw and adjusted gross parental income of $\bar{y}(y_p) = y(1 + .07 \cdot I[y \geq \$50000])$ and an EFC formula given by $EFC(y_p) = \max\{\bar{y}(y_p)/5.5 - \$5,000, \bar{y}(y_p)/3.2 - \$16,000,0\}$ in 2009 dollars.

We assume that the government grants $\xi(T + \phi, EFC(s_Y))$ are given by

$$
\xi(T(s_Y) + \phi, EFC(s_Y)) = \begin{cases} 
\xi^F \xi^T & \text{if } \xi^F \xi^T \leq T(s_Y) + \phi - EFC(s_Y), \\
0 & \text{otherwise}
\end{cases}
$$

which reflects their progressive nature. First, we estimate the average value of government grants $\bar{\xi}$ from the college-level Integrated Postsecondary Education Data (IPEDS) published by the National Center for Education Statistics (NCES). Then, we calibrate $\xi^F \geq 1$ to match average grants per student, $\bar{\xi}$, in the initial steady state. Over the transition path we keep $\xi^F$ constant but vary $\xi^T$.

The utility function $u(c) = c^{1-\sigma}/(1-\sigma)$ for students as well as workers and retirees features constant relative risk aversion. We use the standard parametrization of $\sigma = 2$ and $\beta = 0.96$. We assume utility from college quality is linear, $v(q) = q$ (and so all curvature comes from the production function $q(\theta, I)$).

To determine student earnings $e_Y$ while in college, we again turn to the NLSY97. For our sample, students enrolled in a four-year college earn on average $\$7,128$ (in 2010 dollars). We convert this to model units and set $e_Y$ equal to it. The mapping from dollars into model units is discussed in the web appendix, section B.1.

Recall that the annual retention rate satisfies $\pi_{j+1} = \pi I[j + 1 \leq J_Y]$, which implies constant progression probabilities for students in years $1$, $\cdots$, $J_Y - 1$. Students in their last year, which we set to $J_Y = 5$, successfully graduate and

---

13. Students work an average of 824 hours a year in the NLSY97. Using different data, Ionescu (2011) reports similar results of 46 percent of full-time students working with mean worker earnings of $\$20,431 in 2007 dollars.

---

### Table 10.1  Correlations between ability, parental income, and enrollment

<table>
<thead>
<tr>
<th>Ability</th>
<th>Parental income</th>
<th>Enrollment</th>
</tr>
</thead>
<tbody>
<tr>
<td>Ability</td>
<td>1.0000</td>
<td></td>
</tr>
<tr>
<td>Parental income</td>
<td>0.3164</td>
<td>1.0000</td>
</tr>
<tr>
<td>Enrollment</td>
<td>0.5216</td>
<td>0.2952</td>
</tr>
</tbody>
</table>
earn a diploma with this same probability. We set $\pi = 0.556^{h_i/J_y}$ to match the aggregate completion rate of 55.6 percent reported by Ionescu and Simpson (2016).

Last, we allow the nontuition cost of attending college, $\phi$, which plays a significant part in determining eligibility for subsidized loans, to vary over the transition path. We measure $\phi$ using room-and-board estimates from the NCES (NCES 2015c).

**Workers/Retirees**

The earnings process for working households follows

\[
\log e_{ijt} = \lambda_i h_i / J_y + \mu_j + z_{ij} + \nu
\]

\[
z_{i,j+1} = \rho z_{ij} + \eta_{i,j+1}
\]

\[
\eta_{i,j+1} \sim N(0, \sigma_z^2)
\]

where $h_i$ is the number of completed years of college, $i$ is an individual identifier, $j$ is age, and $t$ is time. Households who begin working at age $j$ draw $z_{ij}$ from an unconditional distribution with mean zero and variance $\sigma_z^2(1 + \ldots + \rho^{3(j-1)})$. For the persistent shock, we use Storesletten, Telmer, and Yaron’s (2004) estimates in setting $(\rho, \sigma) = (0.952, 0.168)$. The deterministic earnings profile $\mu_j$ is a cubic function of age with coefficients also taken from Storesletten, Telmer, and Yaron (2004).15

In the model, $\lambda_i$ represents the earnings premium for college graduates relative to high school graduates. We compute $\lambda_i$ using the estimates from Autor, Katz, and Kearney (2008), which range from roughly 0.43 in the 1960s and 1970s to 0.65 in the early twenty-first century. To deal with the fact that Autor, Katz, and Kearney (2008) estimate values only up until 2005, we fit a quadratic polynomial over 1988–2005 and extrapolate for 2006–2010.16 We use the fitted values (both in-sample and out-of-sample) for $\lambda_i$, and they are presented in web appendix A (web appendix B gives a comparison of the raw and fitted values).

Retired households ($j > J_R = 48$) have constant earnings given by $\log e_{ijt} = \log(0.5) + \lambda_i h_i / J_y + \mu_{J_R} + \nu$, which yields an average replacement rate of roughly 50 percent.

10.3.2 Legal Environment and Government Policy

We set the duration of loan repayment to its value in the federal student loan program, $t_{max} = 10$. Two parameters—the loan balance penalty $\eta$ and

---

14. Storesletten, Telmer, and Yaron (2004) let $\sigma$ vary with the business cycle and estimate $\sigma = .211$ for recessions and $\sigma = .125$ for expansions. We average these.

15. In principle, one could include a cohort-specific term that allows for average log earnings in the economy to grow over time. However, we found that such a term is negligible in the data as we show in web appendix B.1.

garnishment rate $\gamma$—control the cost of student loan delinquency. Various changes in student loan default laws between 1987 and 2010 render obtaining values for these parameters less than straightforward.\textsuperscript{17} Our approach sets $\eta = 0.05$ (which is half the value in Ionescu [2011], and only a fifth of the current statutory maximum) and then pins down $\gamma$ in the joint calibration to match the 17.6 percent student loan default rate in 1987.

10.3.3 Colleges

We need to parametrize and provide estimates for the per-student endowment $E$, the quality production function $q(\theta, I)$, and custodial costs $F + C(\{N_j\}_{j=1}^J)$. 

\textit{Institution-Level Data}

Our primary source for college revenue and expenditures is institution-level data from the Delta Cost Project (DCP), which is drawn from the National Center for Education Statistics Integrated Postsecondary Education Data System (IPEDS). One important distinction between our DCP-based average tuition measures and those reported by the nces330p10y15 (in table 330.10) is that, for public colleges, the NCES only uses in-state tuition.\textsuperscript{18} Consequently, the gross tuition and fees in our data are larger than those reported by the NCES. However, despite this discrepancy in levels, figure 10.1 shows that the trend growth in gross tuition and fees between the two measures is nearly identical.

For sample selection, we restrict attention to four-year, nonprofit, non-specialty institutions (according to their Carnegie classification) that have nonmissing enrollment and tuition data in every year of the DCP data from 1987 to 2010.\textsuperscript{19} Additionally, we drop institutions with fewer than 100 FTE students or net tuition per FTE outside of the 1st–99th percentile range.

The college budget constraint in the model features custodial costs, endowment income, quality-enhancing investment, and tuition. The corresponding data measures are as follows:

- **Endowment**: total nontuition revenue, which is the sum of (non-Pell) grants at the federal, state, and local levels plus all auxiliary revenue.
- **Investment**: total education and general expenditures including sponsored research but excluding auxiliary enterprises.
- **Tuition**: net tuition and fees revenue.
- **Custodial costs**: a residual computed as the endowment plus tuition less investment.

Web appendix A provides more details on our use of the DCP data.

\textsuperscript{17} See Ionescu (2011) for changes in student loan default laws.
\textsuperscript{18} This difference in methodologies accounts for the mismatch in reported tuition numbers brought up by our discussant, Sandy Baum.
\textsuperscript{19} The DCP data is released at a multiyear lag, and all indications are that changes in college tuition continue to outpace inflation.
Calibrated Parameters

We set the per-student endowment $E$ equal to nontuition revenues per FTE student in the 1987 IPEDS data, and then we vary $E$ along the transition path. Figure 10.2 plots the time series for $E$ and other key aggregates. For college quality, we follow Epple et al. (2013) and choose a Cobb-Douglas functional form, $q(\theta, I) = \chi_q \theta^x I^y$, where $\chi_q = 1 - \chi_\theta$.20

The local first-order conditions of the college problem provide some

---

20. In principle, $q(\theta, I)$ need not satisfy constant returns to scale. With one college, it is difficult to pin down—using only steady state information—what the returns should be. With multiple colleges, dispersion in $\theta$ and $I$ translates into dispersion in $q$ that is controlled by returns to scale.
insight into calibrating $\chi_\theta$ and $\chi_q$. The key tuition-pricing condition comes out to

$$T(s_Y) + \frac{\partial \mathbb{P}(\text{enroll}|s_Y; T(\cdot), q)}{\partial \mathbb{P}(\text{enroll}|s_Y; T(\cdot), q) / \partial I} = C'(N) + I + \frac{q_\theta}{q_I} (\theta - x(s_Y))$$

where $\mathbb{P}(\text{enroll}|s_Y; T(s_Y), q)$ comes from the decision rule of youths for whether to attend college, taking into account the idiosyncratic preference shock $\varepsilon$. Epple et al. (2013) label the collected right-hand-side terms the “effective marginal cost” (EMC) of a type-$s_Y$ student, which captures the fact that students act both as customers and as inputs to the production of quality (an argument put forth by Winston [1999] and others). The above equation states that colleges admit any student to whom they can charge at least EMC($s_Y$).

With our Cobb-Douglas specification, $q_\theta/q_I = (\chi_\theta/\chi_I)(I/\theta) = (\chi_\theta/(1 - \chi_\theta))(I/\theta)$. The degree to which EMC($s_Y$), and therefore tuition $T(s_Y)$, varies by student type depends on $\chi_\theta$. This price discrimination generates cross-sectional enrollment patterns that we use to target $\chi_\theta$ and $\chi_q$. Specifically, we target overall enrollment and the correlation between parental income and enrollment.

Fig. 10.2 College cost, expenditure, and enrollment trends
Cost Function Estimation

Like in Epple, Romano, and Sieg (2006), we estimate the college’s custodial cost function directly. In particular, we assume that the custodial costs by class, \( c(n) \), have the functional form \( C' n + C^2 n^2 \). When we explicitly allow for time-varying coefficients, custodial costs satisfy

\[
F_t + C_t(\{N_{jt}\}) = F_t + C^1_j \sum_{j=1}^{J_t} n_{jt} + C^2_j \sum_{j=1}^{J_t} n_{jt}^2
\]

where \( n_{jt} = N_{jt} / (\{L/J\}) \) is class \( j \) enrollment in year \( t \) relative to the age-eighteen population.

To identify \( F_t, C^1_t, \) and \( C^2_t \), we estimate cost functions for individual colleges using IPEDS data and then aggregate them. Let college \( i \)’s cost function at time \( t \) be given by

\[
c_{it} = \alpha_i + t_0 + t_1 F_{it} + t_2 F_{it}^2 \sum_{j=1}^{J_t} n_{jt} \quad \text{and} \quad n_{jt}^2 = F_{it}^2 \sum_{j=1}^{J_t} \pi_{jt}^2 = \frac{F_{it}^2 \sum_{j=1}^{J_t} \pi_{jt}^2}{(\sum_{j=1}^{J_t} \pi_{jt}^2)^2}.
\]

As a result,

\[
c_{it} = \alpha_i + c^0_i + c^1_i F_{it} + c^2_i F_{it}^2 \sum_{j=1}^{J_t} \pi_{jt}^2 \frac{\sum_{j=1}^{J_t} \pi_{jt}^2}{(\sum_{j=1}^{J_t} \pi_{jt}^2)^2} + \epsilon_{it}.
\]

As in Epple, Romano, and Sieg (2006), we measure custodial costs as a residual in the college budget constraint, which gives us

\[
c_{it} = \epsilon_{it} + i_{it} - t_{it}.
\]

The first term, \( \epsilon_{it} \), represents total nontuition revenue in IPEDS (which consists mostly of endowment revenue and government appropriations), while \( i_{it} \) and \( t_{it} \) equal net tuition revenues and total education and general (E&G) expenditures, respectively. Intuitively, our cost measure reflects the fact that, holding investment \( i_{it} \) constant, higher costs must accompany any observed increase in revenues in order to maintain a balanced budget. Using these definitions, we run the fixed effects panel regression above to obtain \( \{ (\epsilon_{it}, c^0_i, c^2_i) \}_{t=1987}^{2010} \).

To translate the individual cost function estimates into the aggregate cost function, we sum costs over colleges. In particular, to calculate the total cost
of educating \{N_{jt}\}_{j=1}^J \) students, we assume students sort across colleges \( i = 1, \ldots, K \) in proportion to the observed share in the data.\(^{21}\) Define \( s_{ijt} \equiv N_{ijt}/N_{jt} = n_{ijt}/n_{jt} \) as the share of students in class \( j \) at time \( t \) who attend college \( i \). From our assumption of geometric retention probabilities, this share does not vary with \( j \), that is, \( s_{ijt} = s_{it} \). Thus, \( N_{ijt} = s_{it}N_{jt} \) and \( n_{ijt} = s_{it}n_{jt} \) for all \( j \), which gives us\(^{22}\)

\[
F_t + C_t(\{N_{jt}\}_{j=1}^J) = Kc_0^t + c_1^t\sum_{j=1}^J n_{jt} + \left(c_2^t\sum_{i=1}^K s_{it}^2\right)\sum_{j=1}^J n_{jt}^2.
\]

This mapping between individual colleges and the representative college yields \( F_t = Kc_0^t \), \( C_1 = c_1^t \), and \( C_2 = c_2^t\sum s_{it}^2 \).

The web appendix presents the estimates. We found it necessary to impose \( c_1^t = 0 \) to ensure an increasing aggregate cost function over the relevant range.

\(^{21}\) We allow \( K \) to vary over time in the estimation (it is the number of colleges in the sample) but treat it as fixed here to simplify the exposition.

\(^{22}\) We assume that \( \sum \alpha_i = 0 \) and \( \sum \epsilon_i = 0 \), where the first assumption is required for identification in the fixed effects regression.
Accounting for the Rise in College Tuition of $N$. Figure 10.3 plots the aggregate cost function over time and circles the realized values from each year.

10.3.4 Joint Calibration

We determine the remaining parameters ($ν$, $ξ$, $γ$, $χ_{it}$, $χ_{qt}$, $ξ^F$, $α$) jointly such that the initial steady state matches the following moments in 1987: average earnings, average net tuition, the two-year cohort default rate, the correlation between parental income and enrollment, the enrollment rate, the average grant size, and the percent of students with loans.$^{23}$

Table 10.2 summarizes the calibration. Note that, while the table associates each parameter in the joint calibration with an individual moment, the calibration identifies the parameters simultaneously, rather than separately. We discuss model fit next.

10.3.5 Model Fit

Table 10.3 presents key higher education statistics from the model and the data. The calibration of the initial steady state directly targets the first set of statistics from 1987, while the remaining statistics act as an informal test of the model. Note that, while the calibration matches mean earnings, net tuition, and the two-year default rate from 1987 quite well, the model generates too little enrollment and too many students with loans.

We pinpoint two sources for these shortcomings. First, the presence of only one college in the model generates too much market power, which results in a small calibrated value for the parental transfers parameter $ξ$ in order to still match average net tuition. Thus, students rely more on borrowing. Second, by omitting ability terms in the postcollege-earnings process, we implicitly attribute the entire college premium to the sheepskin effect of a diploma (as opposed to selection effects). This exaggerated sheepskin effect generates a larger surplus from attending college, which the college partially captures through higher tuition.

Despite the presence of too many student borrowers, the model actually generates smaller average loans than in the data—$4,600 versus $7,100. Last, the model nearly matches investment per student of $20,300 in 1987 and the ratio of assets to income of about three. The matching of the asset-to-income ratio reflects the fact that our model of households is, at its core, a standard incomplete markets life-cycle model.

10.4 Results

Now we present the main results. First, we compare the model’s initial and terminal steady states to the data from 1987 and 2010. Next, we evaluate the

$^{23}$ The correlation between parental income and enrollment is from NLSY97 (and so is not a 1987 moment).
Table 10.2 Model calibration

<table>
<thead>
<tr>
<th>Description</th>
<th>Parameter</th>
<th>Value</th>
<th>Data</th>
<th>Model</th>
<th>Target/reason</th>
</tr>
</thead>
<tbody>
<tr>
<td>Calibration: Independent parameters</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Discount factor</td>
<td>β</td>
<td>0.96</td>
<td></td>
<td></td>
<td>Standard</td>
</tr>
<tr>
<td>Risk aversion</td>
<td>σ</td>
<td>2</td>
<td></td>
<td></td>
<td>Standard</td>
</tr>
<tr>
<td>Savings interest rate</td>
<td>r</td>
<td>0.02</td>
<td></td>
<td></td>
<td>Standard</td>
</tr>
<tr>
<td>Borrowing premium</td>
<td>ι</td>
<td>0.107</td>
<td></td>
<td></td>
<td>12.7 percent rate on borrowing</td>
</tr>
<tr>
<td>Earnings in college</td>
<td>e</td>
<td>$7,128,610</td>
<td>NLSY97</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Loan balance penalty</td>
<td>η</td>
<td>0.05</td>
<td></td>
<td></td>
<td>Ionescu (2011)</td>
</tr>
<tr>
<td>Loan duration</td>
<td>t_max</td>
<td>10</td>
<td></td>
<td></td>
<td>Statutory</td>
</tr>
<tr>
<td>Retention probability</td>
<td>π</td>
<td>0.554</td>
<td></td>
<td></td>
<td>55.4 percent completion rate</td>
</tr>
<tr>
<td>Earnings shocks</td>
<td>(ρ, σ_z)</td>
<td>(0.952, 0.168)</td>
<td></td>
<td></td>
<td>Storesletten, Telmer, and Yaron (2004)</td>
</tr>
<tr>
<td>College premium</td>
<td>{λ}</td>
<td>Web appendix A</td>
<td></td>
<td></td>
<td>Storesletten, Telmer, and Yaron (2004)</td>
</tr>
<tr>
<td>Nontuition costs</td>
<td>{φ}</td>
<td>Web appendix A</td>
<td></td>
<td></td>
<td>IPEDS</td>
</tr>
<tr>
<td>Student loan rate</td>
<td>{ι}</td>
<td>Web appendix A</td>
<td></td>
<td></td>
<td>Statutory</td>
</tr>
<tr>
<td>Annual loan limits</td>
<td>{b^<em>, b^</em>, b^*}</td>
<td>Web appendix A</td>
<td></td>
<td></td>
<td>Statutory</td>
</tr>
<tr>
<td>Aggregate loan limits</td>
<td>{τ^<em>, τ^</em>, τ^*}</td>
<td>Web appendix A</td>
<td></td>
<td></td>
<td>Statutory</td>
</tr>
<tr>
<td>Custodial costs</td>
<td>{F, C^2}</td>
<td>Web appendix A</td>
<td></td>
<td></td>
<td>IPEDS regression</td>
</tr>
<tr>
<td>Endowment flow</td>
<td>{E}</td>
<td>Web appendix A</td>
<td></td>
<td></td>
<td>IPEDS</td>
</tr>
<tr>
<td>Grant aid</td>
<td>{ξ}</td>
<td>Web appendix A</td>
<td></td>
<td></td>
<td>IPEDS</td>
</tr>
<tr>
<td>Calibration: Jointly determined parameters</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Earnings normalization</td>
<td>ν</td>
<td>−1.25</td>
<td>31,385</td>
<td>31,686</td>
<td>Mean earnings</td>
</tr>
<tr>
<td>Parental transfers</td>
<td>ξ</td>
<td>0.208</td>
<td>5,723</td>
<td>6,146</td>
<td>Mean net tuition</td>
</tr>
<tr>
<td>Garnishment rate</td>
<td>γ</td>
<td>0.158</td>
<td>0.176</td>
<td>0.165</td>
<td>Two-year default rate</td>
</tr>
<tr>
<td>Ability input to quality</td>
<td>χ_q</td>
<td>0.252</td>
<td>0.295</td>
<td>0.244</td>
<td>Corr. (p. income, enroll)</td>
</tr>
<tr>
<td>College quality loading</td>
<td>χ_q</td>
<td>2.68</td>
<td>0.379</td>
<td>0.358</td>
<td>Enrollment rate</td>
</tr>
<tr>
<td>Grant progressivity</td>
<td>ζ</td>
<td>1.85</td>
<td>0.027</td>
<td>0.025</td>
<td>Average grant size</td>
</tr>
<tr>
<td>Preference shock size</td>
<td>α</td>
<td>290</td>
<td>0.357</td>
<td>0.488</td>
<td>Percent with loans</td>
</tr>
</tbody>
</table>

Note: {x} means x has a transition path given in table 2 in web appendix A; $x_{yyyy}$ means $x$, measured nominally in $yyyy$ dollars, converted to model units.
transformation path of the model in light of the time-series data. Last, we undertake a number of counterfactual experiments to quantify the explanatory power of each tuition inflation theory.

10.4.1 Steady-State Comparisons

Tuition

Of central importance, the model generates a 102 percent increase in average net tuition—from approximately $6,100 to $12,400—between the initial
and terminal steady states. This jump compares to a 92 percent increase in the data. To illustrate how tuition changes, figure 10.4 plots slices of the tuition function (web appendix C gives the entire function).

In both steady states, tuition does not move monotonically with income. Instead, tuition in the initial steady state first increases with parental income before it starts to decline at income levels between $50,000 and $100,000 as financial aid eligibility tightens and grants decline. After $100,000, tuition resumes its ascent as student ability to pay increases. The tuition curves shift up noticeably between the two steady states, though not in a parallel fashion. In particular, the region of declining tuition compresses to the range between $75,000 and $100,000, which is largely due to the expansion in aid between 1987 and 2010.

The college engages in less price discrimination by academic ability than by parental income.\(^24\) Inspection of the 100th percentile and 75th curves in

---

\(^{24}\) In fact, theoretically, tuition should be monotonically decreasing in ability. However, due to computational cost, we have parametrized the tuition function more flexibly in the income dimension to account for more variation there. See web appendix C for computation details.
Accounting for the Rise in College Tuition

1987 reveals that tuition never differs by more than $700 between moderate- and high-ability students. By 2000, the largest tuition difference between the 75th and 100th percentiles of the ability distribution rises to $2,000.

When weighing whether to offer tuition discounts to high-ability students, colleges face the trade-off between a higher-ability student body and the need for resources to fund quality-enhancing investment expenditures. In our calibration, the latter effect dominates. The data provides supporting evidence. For instance, table 10.3, which presents selected statistics from the data and the initial and terminal steady states, shows that investment in the model increases by 40 percent between the two steady states. This increase approximates well the untargeted 34 percent rise in the data. While we lack data on student ability in 1987, the model’s mean college graduate ability of 0.701 in 2010 closely matches the untargeted 0.716 from the data.

**Enrollment**

Figure 10.5 reveals how the enrollment patterns change between the steady states. Recall that the calibration targets the correlation between parental income and enrollment, and observe that average student ability aligns closely with the data in table 10.3. However, figure 10.5 unveils a striking polarization of enrollment by income in the initial steady state.

![Fig. 10.5 Enrollment comparison between 1987 and 2010](image-url)
Specifically, middle-income students find themselves priced out of college, enrolling at a rate of less than 50 percent.

As shown in equation (14), colleges set tuition by charging each student their type-specific effective marginal cost \( EMC(s_Y) \) plus a markup that reflects the student’s willingness to pay. Given that effective marginal cost only depends on the ability component \( x(s_Y) \) of each student’s type, all tuition variation within ability types derives from the impact of parental income and access to financial aid on student willingness to pay.\(^{25}\) Furthermore, in the absence of preference shocks (the limiting case as \( \alpha \to \infty \)), colleges first only admit students that have a willingness to pay that exceeds their effective marginal cost, and then they proceed to charge tuition that extracts the entire surplus.

High-income students have a high willingness to pay because of parental transfers, while low-income students, despite lacking parental resources, have a high willingness to pay because of access to financial aid. Middle-income students find both of these avenues closed, in large part because each $1 increase in parental income reduces access to subsidized borrowing by $1 but only delivers \( \xi = .21 \) dollars of additional resources to the student. Consequently, these students cannot afford to pay the full net tuition directly and also lack eligibility for subsidized loan borrowing, which represents the only form of student loans accessible in 1987. The college responds to the higher demand elasticity of these students by reducing their tuition, but the decrease does not prove sufficient to prevent low enrollment of middle-income students in the initial steady state.

By 2010, the introduction of unsubsidized loans and repeated expansions in grants and subsidized borrowing induces middle-income students to flood into higher education. These innovations partly explain the increase in enrollment from 36 percent to 56 percent across steady states, as reported in table 10.3. The data show a more subdued rise from 38 percent to 41 percent.

### Borrowing and Default

As we just explained, the enrollment surge between the initial and terminal steady states comes primarily from high-ability, middle-income youths who benefit from the introduction of unsubsidized loans and expansion of subsidized aid. In fact, in the terminal steady state, every single college student participates at least minimally in student borrowing (recall that \( \beta = 0.96 \) and the loan interest rate in 2010 is 3 percent, which makes student loans an attractive form of borrowing). Empirically, the percentage of students with loans increases more moderately from 35.7 percent to 52.9 percent. That

\(^{25}\) Replicated here:
said, although the model greatly overestimates participation in the student loan program, it generates an average loan size of only $6,900 compared to $8,400 in the 2010 data.

The model delivers almost no change in the 17 percent student loan default rate across steady states. The data, by contrast, show a significant fall from 17.6 percent to 9.1 percent. This discrepancy largely comes from the fact that legal changes between 1987 and 2010 increased the cost of student loan default, whereas we abstract from such changes in the model.

10.4.2 Transition Path Dynamics

Given that we have constructed a rich time series of borrowing limits, the college premium, college endowments, and measured custodial costs, we can gain further insights by analyzing the entire transition path of the model. Figure 10.6 plots the path of net tuition, enrollment, and investment expenditures in both the model and the data.

While investment per student in the model lines up well with the data, equilibrium net tuition follows a different trajectory than net tuition in the data. In particular, equilibrium net tuition in the model rises by a similar amount to the data, but whereas model net tuition rises rapidly between 1993 and 1997 before stagnating, empirical net tuition increases gradually

Fig. 10.6  Comparison of model and data over the transition
during the entire time period. As the next section will make clear, equilib-
rium net tuition in the model reacts strongly to the expansion in financial
aid (especially the introduction of unsubsidized loans) following the reau-
thorization of the Higher Education Act in 1992. Although the college pre-
mium increased from 0.46 to 0.58 log points between 1987 and 1993, many
middle-income households lacked the resources or borrowing capacity to
take advantage by enrolling in college.

We can only speculate as to why net tuition in the data does not accelerate
in 1993. To the extent that political concerns partially govern the setting of
tuition, colleges may prefer to spread out tuition increases over longer time
horizons rather than announce rapid escalations. Alternatively, students may
not have accurately forecasted the persistent rise in the college premium,
whereas our solution method assumes perfect foresight. Last, colleges may
engage in some form of tacit collusion that takes time to implement, which
our model does not capture because of the representative college assumption.

The overly rapid tuition increases in model may also explain the divergent
pattern in enrollments between 1993 and 1998. In particular, the data enroll-
ments increase steadily whereas model enrollments fall substantially. Had
the college in the model “smoothed” tuition over this period, enrollments
might not have fallen so sharply.

10.4.3 Assessing the Theories of Tuition Inflation

Our model successfully replicates the rapid increase in net tuition, and
hence it is useful to now ask our main question of why net tuition has almost
doubled since 1987. We quantify the role of the following factors in this
tuition rise: (a) changes in custodial costs and nontuition sources of revenue,
such as endowments and state support (supply shocks); (b) changes in stu-
dent loan borrowing limits, interest rates, grant aid, and nontuition costs,
such as room and board (demand shocks); and (c) macroeconomic forces,
namely, the rise in the college wage premium.

We undertake the tuition decomposition from two different angles. First, we
progressively solve the model by implementing only one of the broad catego-
ries of shocks at a time, which answers the question “How much would tuition
have gone up if only X had occurred?” Then we sequentially shut down the
supply shocks, demand shocks, and the college wage premium one at a time.
This approach allows us to answer the question “How much would tuition
have gone up if X had not occurred?” Last, we break down the effect of the
individual factors that constitute our categorizations. In all the experiments,
we solve for the tax rate that ensures a balanced budget for the government.

Demand Shocks: The Bennett Hypothesis

Table 10.4 summarizes the decomposition through some key statistics.
With all factors present, net tuition increases from $6,100 to $12,400. As
column (4) demonstrates, the demand shocks—which consist mostly of
changes in financial aid—account for the lion’s share of the higher tuition.
Specifically, with demand shocks alone, equilibrium tuition rises by 91 percent, almost fully matching the 102 percent from the benchmark. By contrast, with all factors present except the demand shocks (column [7]), net tuition only rises by 14 percent.

These results accord strongly with the Bennett hypothesis, which asserts that colleges respond to expansions of financial aid by increasing tuition. In fact, the net tuition response to the demand shocks in isolation restrains enrollment to only grow from 36 percent to 38 percent. Furthermore, the students who do enroll take out $6,900 in loans compared to $4,600 in the initial steady state. The college, in turn, uses these funds to finance an increase of investment expenditures from $21,900 to $27,700 and to enhance the quality of the student body. In particular, the average ability of graduates increases by 4 percentage points. Last, the model predicts that demand shocks in isolation generate a surge in the default rate from 17 percent to 32 percent. Essentially, demand shocks lead to higher costs of attendance and more debt, and in the absence of higher labor market returns, more loan default inevitably occurs.

Importantly, we view this effect as an upper bound for the Bennett hypothesis. Given our representative college assumption, only the unobservable preference shocks prevent the college from extracting the entire surplus from its student body. Table 10.4 illustrates this market power in the small variation in ex ante utility across the decompositions (for any experiment, the consumption equivalent variation is less than 2 percent relative to 1987).

<table>
<thead>
<tr>
<th>Statistic</th>
<th>1987</th>
<th>Experiment</th>
<th>2010</th>
</tr>
</thead>
<tbody>
<tr>
<td>College costs</td>
<td>*</td>
<td>*</td>
<td>*</td>
</tr>
<tr>
<td>College endowment</td>
<td>*</td>
<td>*</td>
<td>*</td>
</tr>
<tr>
<td>Borrowing limits</td>
<td>*</td>
<td>*</td>
<td>*</td>
</tr>
<tr>
<td>Interest rates</td>
<td>*</td>
<td>*</td>
<td>*</td>
</tr>
<tr>
<td>Nontuition cost</td>
<td>*</td>
<td>*</td>
<td>*</td>
</tr>
<tr>
<td>Grants</td>
<td>*</td>
<td>*</td>
<td>*</td>
</tr>
<tr>
<td>College premium</td>
<td>*</td>
<td>*</td>
<td>*</td>
</tr>
<tr>
<td>Mean net tuition ($)</td>
<td>6,146</td>
<td>7,412</td>
<td>11,733</td>
</tr>
<tr>
<td>Std. net tuition ($)</td>
<td>1,263</td>
<td>1,328</td>
<td>1,347</td>
</tr>
<tr>
<td>Enrollment rate</td>
<td>0.36</td>
<td>0.37</td>
<td>0.38</td>
</tr>
<tr>
<td>Two-year default rate</td>
<td>0.17</td>
<td>0.15</td>
<td>0.32</td>
</tr>
<tr>
<td>Mean loan (recipients) ($)</td>
<td>4,589</td>
<td>4,690</td>
<td>6,876</td>
</tr>
<tr>
<td>Pct. taking out loans</td>
<td>47.8</td>
<td>54.1</td>
<td>100.00</td>
</tr>
<tr>
<td>Mean earnings ($)</td>
<td>31,686</td>
<td>34,179</td>
<td>31,870</td>
</tr>
<tr>
<td>Corr. (p. income, enroll)</td>
<td>0.24</td>
<td>0.20</td>
<td>0.36</td>
</tr>
<tr>
<td>Corr. (ability, enroll)</td>
<td>0.59</td>
<td>0.63</td>
<td>0.73</td>
</tr>
<tr>
<td>Ability of graduates</td>
<td>0.73</td>
<td>0.74</td>
<td>0.77</td>
</tr>
<tr>
<td>Investment ($)</td>
<td>21,921</td>
<td>23,324</td>
<td>27,653</td>
</tr>
<tr>
<td>Average EFC ($)</td>
<td>18,288</td>
<td>17,140</td>
<td>18,892</td>
</tr>
<tr>
<td>Ex ante utility</td>
<td>−40.98</td>
<td>−40.92</td>
<td>−40.84</td>
</tr>
</tbody>
</table>

*The value changed over the transition.
Greater competition would restrict rent extraction and give rise to different pricing patterns.

*Macroeconomic Forces: The Rising College Wage Premium*

The rise in the college wage premium also contributes to higher tuition, albeit more modestly. If only the college wage premium had changed between 1987 and 2010, the model predicts that net tuition would have gone up by 21 percent. In its absence, but with all other shocks present, tuition would have gone up by 81 percent. Interestingly, the rise in the college wage premium generates barely any increase in enrollment. Instead, average student body ability rises by 1 percentage point, and the correlation between ability and enrollment increases from 0.59 to 0.63, while the correlation between parental income and enrollment falls from 0.24 to 0.2. Limitations in borrowing capacity for (mostly middle-income) students in 1987 act as a binding constraint that prevents enrollments from responding strongly to labor market changes.

*Supply Shocks: Cost Disease and Changing Nontuition Revenue*

Last, our results paint a nuanced picture of how cost disease and movements in nontuition revenue (e.g., state support) affect tuition. In the model, tuition actually falls in response to the supply shocks alone. Specifically, when we feed in the empirical time-series estimates for custodial costs and college endowments (which summarize all nontuition revenue) but leave all other parameters at their initial 1987 levels, equilibrium tuition decreases from $6,100 to $5,700. Enrollment, by contrast, surges from 36 percent to 53 percent.

Table 10.5 decomposes the impact of each supply shock. As shown in column (2) of the experiments, omitting the change in college endowments has no impact on average net tuition relative to the 2010 equilibrium, which incorporates the endowment change. Note, however, that by aggregating all sources of nontuition revenue and lumping together public and private institutions, this analysis does not directly address the issue of stagnant state support raised by our discussant, Sandy Baum. In fact, according to figure 10.2, total nontuition revenue actually increases by approximately $4,500 between 1987 and 2010. Even restricting attention to public institutions, figure 10.7 shows that the growth in auxiliary revenues dominates the initially stagnant and subsequently declining trend in state support. In future work, we plan to directly address the impact of declining state support in a disaggregated framework that explicitly distinguishes between public and private institutions.26

---

26. The negative relationship between tuition/fees and state funding per FTE mentioned by Sandy Baum—which can also be found in figure 12A of Ma et al. (2017)—has multiple possible interpretations. One way is to view state-funding reductions as a causal mechanism for tuition hikes. Alternatively, legislative delays that cause state appropriations to be adjusted with a lag may explain the correlation. In this scenario, if demand increases, students are willing to pay higher tuition while state funding per FTE falls mechanically because of higher enrollment. The countercyclicality of enrollment (established by Betts and McFarland [1995] and Dellas and Kouki [2003]) and procyclicality of public appropriations lend some credibility to this argument, but more research is needed to weigh the merits of each interpretation.
### Table 10.5 Experiments

<table>
<thead>
<tr>
<th>Statistic</th>
<th>Experiment 2010</th>
</tr>
</thead>
<tbody>
<tr>
<td>College costs</td>
<td>* * * * * *</td>
</tr>
<tr>
<td>College endowment</td>
<td>* * * * * *</td>
</tr>
<tr>
<td>Borrowing limits</td>
<td>* * * * * *</td>
</tr>
<tr>
<td>Interest rates</td>
<td>* * * * * *</td>
</tr>
<tr>
<td>Nontuition cost</td>
<td>* * * * * *</td>
</tr>
<tr>
<td>Grants</td>
<td>* * * * * *</td>
</tr>
<tr>
<td>College premium</td>
<td>* * * * * *</td>
</tr>
<tr>
<td>Mean net tuition ($)</td>
<td>13,424 12,432 9,066 12,397 12,289 11,319 11,131 12,428</td>
</tr>
<tr>
<td>Std. net tuition ($)</td>
<td>1,182 1,265 1,958 1,312 1,463 1,916 1,405 1,320</td>
</tr>
<tr>
<td>Enrollment rate</td>
<td>0.34 0.56 0.53 0.52 0.52 0.56 0.52 0.56</td>
</tr>
<tr>
<td>Two-year default rate</td>
<td>0.17 0.17 0.07 0.19 0.17 0.17 0.17 0.17</td>
</tr>
<tr>
<td>Mean loan (recipients) ($)</td>
<td>6,873 6,873 4,746 6,856 6,872 6,871 6,877 6,873</td>
</tr>
<tr>
<td>Pct. taking out loans</td>
<td>100.00 100.00 73.8 100.00 100.00 100.00 100.00 100.00</td>
</tr>
<tr>
<td>Mean earnings ($)</td>
<td>33,605 37,256 36,767 36,681 36,594 37,217 33,306 37,301</td>
</tr>
<tr>
<td>Corr. (p. income, enroll)</td>
<td>0.27 0.26 −0.07 0.28 0.28 0.48 0.32 0.30</td>
</tr>
<tr>
<td>Corr. (ability, enroll)</td>
<td>0.67 0.77 0.52 0.77 0.76 0.79 0.78 0.78</td>
</tr>
<tr>
<td>Ability of graduates</td>
<td>0.77 0.70 0.64 0.71 0.71 0.71 0.72 0.70</td>
</tr>
<tr>
<td>Investment ($)</td>
<td>33,467 26,230 27,060 30,344 30,186 29,550 29,007 30,701</td>
</tr>
<tr>
<td>Average EFC ($)</td>
<td>17,620 16,041 12,256 16,412 16,640 18,331 16,992 16,514</td>
</tr>
<tr>
<td>Ex ante utility</td>
<td>−40.76 −40.35 −40.30 −40.37 −40.38 −40.36 −40.51 −40.19</td>
</tr>
</tbody>
</table>

*The value changed over the transition.

**Fig. 10.7 Growth in nontuition revenue per FTE at public institutions**

*Note: Constant dollars, public institutions.*
Table 10.5 also addresses the isolated impact of custodial costs. Perhaps surprisingly, upward shifts in the custodial cost function between 1987 and 2010 actually reduce tuition inflation by approximately $1,000, as seen by comparing the first experiment with the 2010 column. Rather than raise tuition, the college responds to higher custodial costs by cutting quality through reduced investment and expanded enrollment of lower-ability students. Two factors account for this divergence from the familiar cost disease narrative: the quality-maximizing objective function of the college and the role of fixed costs.

For intuition, consider a simplified framework with homogeneous students who each have ability $x$ and some fixed parental income. Further, assume there are no preference shocks. In this context, the college sets tuition $T$ to extract the entire student surplus, independent of the custodial cost function. Thus, given $T$ (which is common across students due to their homogeneity), the college simply chooses the number of students to admit:

$$\max_{I,N} q(x,I) \text{st. } IN + C(N) = TN + EN \iff \max_N q(x,T + E - \frac{C(N)}{N}).$$

With $x$ constant, quality is effectively only a function of investment $I$, which the college maximizes by minimizing average costs $C(N)/N$. In the case of a quadratic cost function, $C(N) = c_0 + c_1 N + c_2 N^2$, average costs are minimized at $N = \sqrt{c_0/c_2}$, which is increasing in the fixed cost term and does not depend on the marginal cost term $c_1$. Consequently, in this simple model, higher fixed costs lead to increased enrollment, unchanged tuition, and reduced investment. By contrast, if the college were to maximize total investment $IN$, enrollment would satisfy $T + E = C'(N)$, which more closely resembles the familiar optimality condition of a profit-maximizing firm where changes in fixed costs have no effect on the optimal quantity (here, enrollment) choice.

Our regression estimates show that rising fixed costs between 1987 and 2010 are the dominant cost trend, and the simple model provides some intuition as to why the college responds by increasing enrollment. With student heterogeneity, the increased enrollment results in admission of lower-ability students and/or students with lower willingness to pay. The result is lower expenditures $I$ (as in the simple example) and lower average ability $\theta$.

Several factors caution us from boldly claiming that Baumol’s cost disease is unimportant for tuition increases. First, the current model abstracts from the possibility of a rising relative price of college investment (i.e., $pI$ instead of $I$). Second, we assume that colleges can freely reoptimize each period without regard for their previous investment and hiring choices. In reality, the need to pay the salaries of tenured faculty and cover maintenance on existing buildings may alter a college’s response to shifting costs. Last, even if Baumol’s cost disease were to cause higher tuition at an individual college, aggregate tuition may be unaffected if students substitute into lower-cost colleges. Our representative college framework does not allow us to explore...
the heterogeneous response of tuition across different college types. Even with these caveats, however, our finding that the form of cost increases (i.e., fixed vs. marginal) matters for tuition is an important and novel finding.

10.5 Conclusion

Existing demand-side and supply-side theories can explain the full increase in net tuition between 1987 and 2010. However, our model suggests that demand-side theories—namely, the role of financial aid expansions and the rise in the college premium—generate the strongest effects. However, given the limitation of our representative college assumption, the results likely exaggerate the quantitative sensitivity of tuition to changes in students’ willingness to pay. Interestingly, upward shifts in the cost structure consistent with Baumol’s cost disease have different effects on tuition depending on whether marginal costs or fixed costs move by more. We plan on addressing issues related to college heterogeneity in future work.

References


Comment    Sandy Baum

Gordon and Hedlund have developed a detailed model to shed light on the important question of why college prices rose so rapidly between 1987 and 2010. They appropriately focus on net tuition revenues of institutions, rather than on the sticker prices they charge. They consider both the demand and supply sides of the market.

The authors take many historical trends into account, including prices, student aid, the college earnings premium, and nontuition revenue sources. But as the authors acknowledge, the model makes many assumptions that

Sandy Baum is a senior fellow at the Urban Institute.

For acknowledgments, sources of research support, and disclosure of the author’s material financial relationships, if any, please see http://wwwdev.nber.org/chapters/c13712.ack.