

Commodity prices, commodity currencies, and global economic developments¹

Jan J. J. Groen^a and Paolo A. Pesenti ^{a,b,c}

^a International Research, Federal Reserve Bank of New York, New York, NY 10045

^b NBER, Cambridge, MA 02138 ^c CEPR, London EC1V 7RR, UK

This draft: June 2009

¹**Very preliminary and incomplete.** First draft to be presented at the 2009 NBER EASE Conference in Hong Kong. We thank Spencer Amdur for excellent research assistance. The views expressed here are those of the authors, and do not necessarily reflect the position of the Federal Reserve Bank of New York, the Federal Reserve System, or any other institution with which the authors are affiliated.

1 Introduction

In a June 2008 speech, significantly titled “Outstanding Issues in the Analysis of Inflation”, Federal Reserve Chairman Ben Bernanke [3] singled out the role of commodity prices among the main drivers of price dynamics, “underscoring the importance for policy of both forecasting commodity price changes and understanding the factors that drive those changes”. While inflationary pressures were very much in the minds of monetary policymakers across the globe at that time, the macroeconomic outlook changed rapidly and dramatically in the months following the speech. During the second half of 2008 the global economy experienced the near-collapse of trade volumes, and the associated rapid plunge in commodity prices was the harbinger of large-scale disinflation risks. At the time of this writing (spring 2009) a few timid signs — or, using a Bernanke expression popularized in the blogosphere, the ‘green shoots’ — of an approaching recovery have re-emerged worldwide. Once again, a tentative rally in commodity prices is resurrecting inflationary threats.

Are they justified? Are they premature? The answers to these questions depend on a long list of variables, and are subject to many caveats. First, pass-through of commodity price swings to final retail prices takes time; [22] reports estimates of an average propagation lag of about 9-12 months for the transmission of oil price shocks, and up to 30 months for the transmission of food price shocks. Second, intensity of use affects a country’s CPI vulnerability to commodity price swings. For instance, energy intensity is typically lower in advanced economies than in emerging and developing countries, and food expenditure represents over one-third of consumption in emerging economies, but only one tenth of consumption in advanced economies. Third, monetary policy credibility matters. Under regimes of high credibility, changes in the prices of oil, industrial metals and agricultural commodities can have a significant impact on headline inflation without unmooring medium-term inflation expectations. But expectations under weak policy credibility depend on current and past inflation, enhancing the impact of commodity price shifts on core inflation. Fourth, exchange rates can amplify or mitigate the transmission mechanism, as commodities are typically priced in dollars, while retail prices are denominated in local currencies (according to [22], a 1 percent effective dollar depreciation raises oil prices in dollars by more than 1 percent).¹

More than anything, the link between commodity price cycles and inflation is bound to be affected by the size and persistence of commodity price movements, and in this respect, recent swings in commodity prices have been nothing short of spectacular. Following large increases between 2003 and 2006, oil prices accelerated and more than doubled between

¹See also Keyfitz [23] and Verleger [30].

the end of 2006 and the time of the aforementioned Bernanke speech. Food prices rose by about 50 percent over the same time horizon, with particularly rapid trajectories for corn, wheat, rice and soybeans. To find traces of a comparable boom one has to go back to the early 1970s, as no major commodity cycle materialized during the 1980s or the 1990s. The subsequent price bust in late 2008 was just as dramatic as this most recent pick-up. Between July 2008 and February 2009, energy prices collapsed by XXX percent, and agricultural prices by XXX, incidentally providing a welcome automatic stabilizer by boosting consumers' purchasing power in recessionary times.²

Long-term trends in fundamentals, slower population growth and weaker global income and output growth suggest that the recent peaks are unlikely to be the new norm (see [31]). But what will come next is by no means an easy prediction — which is precisely the key message of the current contribution.

The 'easy way out' of relying on commodity futures as signals of future spot price movements is, in practice, highly inadequate. A long literature emphasizes that commodity price dynamics are influenced in theory and in practice by a large variety of factors, including but not limited to growth in large emerging economies, inventory and supply constraints, monetary and exchange rate policies, and possibly financial speculation. Section 2 of this paper provides a succinct summary of the different arguments. In light of these considerations, the search for a comprehensive approach to forecasting is bound to be quixotic. Nevertheless, a recent paper by Chen, Rogoff and Rossi [8] (hereinafter CRR) appears to provide a pragmatic Ariadne's thread to approach the maze.

According to CRR, exchange rate fluctuations of relatively small commodity-exporting countries such as Canada, Australia, New Zealand, Chile and South Africa with market-based floating exchange rates have "remarkably robust power in predicting future global commodity prices." While the basic notion that changes in commodity currencies are correlated with commodity prices is not new in the literature, CRR provides a systematic attempt to document and test the forecasting properties of a small set of commodity currencies as explanatory variables, with surprisingly promising results both in-sample (using Granger-causality tests robust to parameter instabilities) and out-of-sample.

The results from CRR [8] are the direct motivation for our contribution. The basic idea is to take a broad index of different spot commodity prices as the forecast variable (we consider ten alternative indices and sub-indices for three different commodity classes), and compare the forecasting properties of three approaches: a baseline autoregressive or random

²On the links between commodity prices and inflation see also Cecchetti and Moessner [7] and Hobijn [20].

walk process; a simple model in which forecasts are based only on the information embedded in observed past movements of commodity currencies, as in CRR; and a factor-augmented regression model that makes use of information from a relatively large dataset, as described below. The purpose is to provide an agnostic but reasonably systematic look at the global roots of commodity price dynamics. Rather than attempting to answer questions such as “why are commodity prices so high or so low ”and “how long are they going to stay where they are”, our contribution has the more modest purpose of providing an empirical assessment of the extent to which information embedded in indicators of global conditions may help in predicting movements of commodity prices by improving upon the naive statistical benchmarks or the CRR approach.

The main conclusions of the paper can be summarized as follows. We are able to provide some mild corroboration for the CRR results. For one specific commodity index, at the shortest forecasting horizons (up to one quarter ahead), the predictions of an exchange rate-based model are significantly better than those based on a random walk, although they do not outperform an autoregressive specification; at the one year ahead horizon, the performance is reverted, as the CRR model significantly outperforms the autoregressive benchmark but not the random walk. When other indices are considered, the results are nuanced but generally satisfactory. We also find that a model encompassing principal components extracted from a panel of global economic explanatory variables generally performs poorly. We obtain more promising results when we replace the principal components approach with a different methodology (a partial least squares factor-augmented model), suggesting that information from a larger set of macrovariables can have some predictive power. However, across commodity indices we cannot generate forecasts that are, on average, structurally more accurate and robust than those based on a random walk or autoregressive specifications.

The paper is organized as follows. Section 2 provides a synthetic survey of the different arguments used to rationalize and predict shifts in commodity prices. Section 3 describes the methodology used in constructing our exchange rate-based and factor-augmented regression models and assessing their forecasting properties against the naive statistical benchmarks. Section 4 reports and discusses our results. Section 5 concludes.

2 Toward an interpretive framework for commodity price cycles

In retrospect, and with the advantage of hindsight, one can always attempt to rationalize movements of commodity prices in terms of supply and demand fundamentals.³ The recent episode has been explained by many as being driven by demand fundamentals. For instance, take the case of oil prices. Hamilton [18] emphasizes that, while historical oil price shocks were primarily caused by physical disruptions of supply, the price run-up of 2007-08 was caused by strong demand confronting stagnating world production and little spare capacity.⁴ A mismatch between strong demand growth and increasing intensity of GDP in countries such as China on the one hand,⁵ and slow-growing supply capacity due to sluggish investment until the early 2000s on the other hand, similarly explains the path of industrial metals (see [31]). As far as food prices were concerned, weather shocks and supply bottlenecks certainly played a role. But the decline in global inventory in the mid 2000s was mainly the result of strong growth of consumption in emerging and developing economies. Also, attempts to avoid the consequences of rising fuel prices by exploring alternative sources of energy led governments to revise their biofuel mandates and subsidize production. The outcome was soaring demand from biofuel producers for corn and some vegetable oils. Because of corn-based ethanol production in the U.S., about 30 percent of the entire corn crop was diverted toward production of biofuels (see [22]).⁶

Understanding long-run trend movements in fundamentals, however, does little to enhance our ability to predict the extent, persistence, or volatility of changes in short-term supply and demand, nor their effects on commodity prices. Take once again the case of oil. The argument can be made that increasing extraction costs in marginal fields imply that future capacity will be built at higher costs. At the same time, short-term demand price elasticity is likely to remain rather low (below 0.1 according to most estimates), even though income elasticities are somewhat higher.⁷ As a result, small revisions in the expected path of

³Structural macroeconomic fundamentals were emphasized in early papers on the determination and forecasting of commodity prices such as Reinhart [25] and Borensztein and Reinhart [5].

⁴Kilian [24] downplays the contribution of current supply disruptions to price movements, attributing fluctuations in the price of oil to “precautionary demand associated with market conditions about the availability of future oil supplies”.

⁵Currently GDP metal intensity in China is four times higher than in developed countries. Going forward, China’s metal intensity is expected to peak and move closer to the world’s average (see [31]).

⁶Going forward, even assuming that food demand will slow with lower population growth and strong productivity growth will ensure adequate food supply, biofuels could expand demand rapidly, with associated upside risks for corn prices (see [31]).

⁷The price elasticity may be time varying. For instance, in the early part of the decade the initial response

future supply expansion can have large and highly volatile effects on expected future prices. Heuristically, one can understand the difficulties related to predicting oil price changes by visualizing the market for oil as the overimposition of a virtually vertical line (inelastic demand) with another vertical line (inelastic supply). While the quantity traded is not in doubt, the equilibrium price in such market is very much in the eye of the beholder. More generally, minor movements of either curves, related to small adjustments in inventories or minor changes in extraction decisions, can have sizable (and unpredictable) effects on prices. Similar considerations may apply, *ceteris paribus*, to other commodity classes.

The extent and volatility of recent swings have prompted some observers to dismiss attempts to rationalize and predict commodity price movements in terms of fundamentals, and focus instead on the role of other factors such as speculative behaviors in the futures markets. The basic idea is that speculative strategies that drive futures prices up must be reflected in higher spot prices today regardless of long-term fundamentals, otherwise agents would have an incentive to accumulate inventories which could be sold later at higher prices. More generally, commodity prices are forward-looking variables that reflect and process expectations about future price changes. The effects of speculative and forward-looking behaviors are likely to be stronger in an environment of rapid declines in short-term interest rates, lowering the opportunity cost of physical commodity holding as emphasized by Frankel [14], and prompting investors in money-market instruments to seek higher yields in alternative asset classes such as commodity futures. In this light, very rapid declines of short-term rates in early 2008 may have “fanned the flames of commodity speculation” as Hamilton [18] puts it.⁸

The jury is still out on whether speculation can effectively drive spot prices. A 2008 report of the Interagency Task Force on Commodity Markets [21] did not find speculation behind higher oil prices: if anything, speculators tended to react *after*, rather than in anticipation of, price changes. Skeptic rebuffs of the speculation theory point out that speculation in the futures market can raise spot prices to the extent that it is accompanied by increasing physical hoarding. But there is no systematic inventory hoarding evidence in recent episodes of high volatility in spot commodity prices. If anything, oil inventories were moving downward, not upward at the time of sharpest price movements, suggesting that inventory changes served to mitigate rather than aggravate the magnitude of oil price

of U.S. consumers to oil price increases was relatively muted due, among other factors, to the low share of gasoline in consumption spending. By 2007-8 energy had returned to an importance for a typical budget not seen since the 1970s, enhancing the sensitivity of consumers' behaviors to bad news about energy prices (see [18]).

⁸See also Akram [1].

shocks (see [21]). A related mechanism linking futures and spot prices requires current production to be foregone (including the deliberate choice to keep oil in the ground) in response to anticipated higher future prices. The fact is that, to rationalize a speculation-based interpretation of the oil shocks of 2007-08, one needs a combination of two elements: low price elasticity of demand and failure of physical production to increase. But these are precisely the two key ingredients of a fundamentals-only explanation as pointed out by Hamilton [18], so that, ultimately, the two approaches are observationally-equivalent.⁹

One could argue that, regardless of speculation, futures prices should help to predict the direction of future price movements, as they efficiently incorporate information available to market participants. But futures prices provide, at best, highly noisy signals about future spot prices.¹⁰ The difference between the futures price and the current spot price (or futures basis) is not in itself an indicator of the expected direction of change of spot commodity prices, as it reflects both the expected decline in the spot price and a risk premium. Gorton and Rouwenhorst [17] suggest that the basis “seems to carry important information about the risk premium of individual commodities”, somewhat downplaying the role of market expectations about the expected spot return. Also, it is unclear whether prices in relatively illiquid segments of the futures market such as longer-dated contracts can be considered unbiased and effective aggregators of information.

A different — and more promising — approach exploits the forward-looking nature of a different category of asset prices, namely exchange rates. As shown forcefully by Engel and West [13], bilateral exchange rates between any pair countries reflect expectations about future changes in the underlying relative economic fundamentals. Therefore, exchange rates of predominantly commodity-exporting economies *vis-à-vis*, say, the U.S. should reflect expectations about demand and supply conditions in world commodity markets. This is the rationale for the finding by CRR [8] that commodity exchange rates can be remarkably effective predictors of future commodity prices. CRR observe that primary commodity products represent a key component of output in the five commodity-exporting countries under consideration, affecting a large fraction (between 25 and more than 50 percent) of their export earnings. At the same time these countries are too small to have monopoly power on international relative prices through the manipulation of the supply of their exports, so that global commodity price changes end up representing sizable term of trade shocks for these countries. Market expectations of these changes are priced into current exchange rates, through standard forward-looking mechanisms. Ultimately, observable movements in

⁹See also Slade and Thille [27].

¹⁰For a survey of the evidence see Bowman and Husain [6].

a small number of exchange rates embed valuable information on the direction of change of future commodity prices, making commodity currencies significantly better predictors than standard approaches based on traditional statistical models (such as a random walk or a mean-reverting autoregressive process).

(...)

3 Methodological issues

3.1 Three specifications of the forecasting equation

In Section 4 we focus on the performance of direct forecasts from fundamentals-based regressions for a number of commodity price indices. Following standard practice in the forecasting literature, we use an autoregressive (AR) model as the forecasting benchmark for such regressions and the unconditional mean. The *AR benchmark model* in the context of direct forecasting can be written as

$$\Delta p_{t+h,t} = \alpha^h + \sum_{i=1}^k \rho_i \Delta p_{t-i+1,t-i} + \epsilon_{t+h,t}, \quad t = 1, \dots, T \quad (1)$$

with $p_t = \ln(P_t)$ and P_t is a commodity price index, $\Delta p_{t+h,t} = p_{t+h} - p_t$ for the forecasting horizon $h > 0$ and $\Delta p_{t-i+1,t-i} = p_{t-i+1} - p_{t-i}$ for $i = 1, \dots, k$. The number of lagged first differences k in (1) is determined by sequentially applying the standard [26] Schwarz's Bayesian information criterion (BIC) starting with a maximum lag order of $k = k_{max}$ down to $p = 1$. The unconditional mean benchmark is simply:

$$\Delta p_{t+h,t} = \alpha^h + \epsilon_{t+h,t}, \quad (2)$$

which implies a *random walk (RW) forecast* for the level of the forecast variable p_t .

The benchmark models in (1) and (2) use solely the information embedded in the commodity price time series itself. However, when forecasting commodity price changes, it might useful to incorporate information from additional, theoretically relevant, variables. For instance, [8] explore the usefulness of commodity exchange rates to predict commodity prices. Consistently, we follow [8] and modify (1) by adopting the following specification for the *exchange rate-based model*:

$$\Delta p_{t+h,t} = \alpha^h + \sum_{m=1}^M \gamma_m \Delta e_t^m + \sum_{i=1}^k \rho_i \Delta p_{t-i+1,t-i} + \epsilon_{t+h,t}. \quad (3)$$

In (3) $\Delta e_t^1, \dots, \Delta e_t^M$ are the first differences of the log U.S. dollar exchange rates of M commodity-exporting economies with market-based flexible exchange rates.

However, from a forecasting vantage point it might be useful to exploit information from a set of economically relevant variable larger than just commodity exchange rates. For this

purpose, *factor-augmented regressions* provide a convenient approach. One seminal application of the use of factor-augmented regressions is [29], where a limited number of principal components extracted from a large data set are added to a standard linear regression model, that is then used to forecast key macroeconomic variables. [28] and [2] formalized the underlying asymptotic theory, which allows the use of principal components to identify the common factors in very large data sets. Our factor-augmented regressions adhere to the following specification:

$$\Delta p_{t+h,t} = \alpha^h + \sum_{i=1}^r \beta_i^h f_{i,t}^{PC} + \sum_{j=1}^k \rho_j \Delta p_{t-j+1,t-j} + \epsilon_{t+h,t}. \quad (4)$$

Following [29] we take our $T \times N$ matrix of N indicator variables $X = (x'_1 \cdots x'_T)'$ and normalize this such that the variables are in zero-mean and unity variance space, which results in the $T \times N$ matrix \tilde{X} . We then compute the r eigenvectors of the $N \times N$ matrix $\tilde{X}'\tilde{X}$ that correspond to the first \hat{r} largest eigenvalues of that matrix. By post-multiplying \tilde{X} with these eigenvectors we obtain the estimated factors $f_{i,t}^{PC}$ used in (4).

The drawback of the aforementioned factor-augmented regression approach is that the use of principal components does not always guarantee that the information extracted from a large number of predictors is particularly useful in the context of the forecasting exercise. [4] make it clear that if the forecasting power comes from a certain factor, this factor can be dominated by other factors in a large data set, as the principal components solely provide the best fit for the large data set and not for the target variable of interest. We therefore consider an alternative to principal components in which only factors relevant for modeling the target variable, commodity price changes in our case, are extracted from the predictor variable set. One possible approach is partial least squares (PLS) regression. As [15] show, PLS regression outperforms the usual principal components-based approach both in simulations and empirically, and especially when the underlying factor structure is weak.¹¹

We implement PLS regression by constructing the factors as linear, orthogonal combinations of the (normalized) predictor variables assembled in the $T \times N$ matrix $\tilde{X} = (\tilde{x}'_1 \cdots \tilde{x}'_T)'$, such that the linear combinations maximize the covariance between the h -period ahead commodity price changes and each of the common components constructed from the predictor

¹¹One condition under which principal components provide consistent estimates of the unobserved factor structure in a large data set is when these factors strongly dominate the dynamics of the series in such a data set relative to the non-factor components of the data (see, e.g., [2]). However, in practice factors appear not to dominate the non-structural dynamics as strongly as assumed in the underlying asymptotic theory, which will affect the accuracy of the factors estimated through principal components. PLS regression, on the other hand, will also result in consistent factor estimates in the latter case - see [15].

variables. In practice, we specify the corresponding *factor-augmented regression model* as:

$$\Delta p_{t+h,t} = \alpha^h + \sum_{i=1}^r \beta_i^h f_{i,t}^{PLS} + \sum_{j=1}^k \rho_j \Delta p_{t-j+1,t-j} + \epsilon_{t+h,t}, \quad (5)$$

where the PLS factors are extracted according to a similar scheme as in [15], namely:

1. Demean $\Delta p_{t+h,t}$ resulting in $\Delta \tilde{p}_{t+h,t}$ and set $u_t = \Delta \tilde{p}_{t+h,t}$ and $v_{i,t} = \tilde{x}_{l,t}$, $l = 1, \dots, N$. If lagged price changes are included in (5) we regress both $\Delta \tilde{p}_{t+h,t}$ as well as the $\tilde{x}_{l,t}$'s on $\Delta p_{t-j+1,t-j}$ for $l = 1, \dots, N$ and $j = 1, \dots, k$.¹² Denote the resulting residuals as $\Delta \check{p}_{t+h,t}$ and $\check{x}_{l,t}$'s $l = 1, \dots, N$. Set $u_t = \Delta \check{p}_{t+h,t}$ and $v_{i,t} = \check{x}_{l,t}$, $l = 1, \dots, N$. Finally, set $i = 1$.
2. Determine the $N \times 1$ vector of loadings $w_i = (w_{1i} \dots w_{Ni})'$ by computing individual covariances: $w_{li} = Cov(u_t, v_{it})$, $l = 1, \dots, N$ and $t = 1, \dots, T - h$. Construct the i -th PLS factor by taking the linear combination given by $w_i' v_t$ and denote this factor by $f_{i,t}^{PLS}$.
3. Regress u_t and $v_{l,t}$, $l = 1, \dots, N$, $t = 1, \dots, T - h$ on $f_{i,t}^{PLS}$. Denote the residuals of these regressions by \tilde{u}_t and $\tilde{v}_{l,t}$ respectively.
4. If $i = r$ stop, else set $u_t = \tilde{u}_t$, $v_{l,t} = \tilde{v}_{l,t}$ $l = 1, \dots, N$ and $i = i + 1$ and go to step 2.

Selecting the optimal number of factors in the aforementioned factor-augmented regression approaches is a crucial issue, as is the optimal lag order. Moreover, this selection process is complicated by the fact the factors in (4) and (5) are generated regressors. In finite samples, the estimation error from a generated regressor will add to the overall estimation error variance in a regression. So in determining whether to include a regressor one should balance in the standard case the increase in goodness of fit with adding the noise of an extra free parameter, whereas in the case of a generated regressor this trade-off is between improvement of fit and adding noise of *both* an extra parameter as well as an extra, estimated, variable. The latter model selection problem rules out the usage of standard measures such as BIC. Instead, in the cases of (4) and (5) we adopt the factor- and lag-order selection criteria as proposed in [16]. The following information criteria are valid for both regressions (4) and (5) under the framework spelled out in Theorem 2 of [16]:

$$\begin{aligned} BICM &= \frac{T}{2} \ln\{\hat{\sigma}_\epsilon^2\} + (1+k) \ln(T) + r \ln(T) \left(1 + \frac{T}{N}\right), \\ HQICM &= \frac{T}{2} \ln\{\hat{\sigma}_\epsilon^2\} + 2(1+k) \ln \ln(T) + 2r \ln \ln(T) \left(1 + \frac{T}{N}\right), \end{aligned} \quad (6)$$

¹²As the weights (also known as loadings) of the predictor variables in each of the constructed PLS factors depends on the covariance of these with commodity price changes, the inclusion of lagged commodity price changes will affect these loading estimates.

where $\hat{\sigma}_\varepsilon$ is the standard OLS variance estimator. The third right hand side term in both *BICM* and *HQICM* is a penalty term for adding the estimated factors to regressions (4) and (5), which is motivated by the result that when in the underlying panel of predictor variables $T, N \rightarrow \infty$ the factors will be become observed. Therefore, the dimensions of this underlying panel determine the penalization for the number of factors in finite samples. Hence, searching for the optimal values of the modified ICs in (6) will provide the econometrician with a consistent, simultaneous, estimate of the optimal values of r and k in regression (4) and (5).

3.2 Assessing the forecasting properties

The dynamics of commodity prices clearly has not been stable over time. The forecasting models therefore will be updated based on a fixed rolling window of historical data encompassing ω periods. The steps are as follows:

1. For any given forecast horizon h the first forecast is generated on $t_0 = \omega$.
2. Extract r^{max} principal components and PLS factors from the N predictor variables over the sample $t = t_0 - \omega + 1, \dots, t_0 - h$.
3. Determine over the sample $t = t_0 - \omega + 1, \dots, t_0 - h$ the optimal lag order and optimal number of factors in both (4) and (5) for each of our criteria *BICM* and *HQICM* (see (6)) across the range $j = 0, \dots, k^{max}$ and $i = 1, \dots, r^{max}$. This results in $(\hat{k}_{BICM}^{PC}, \hat{r}_{BICM}^{PC})$, $(\hat{k}_{HQICM}^{PC}, \hat{r}_{HQICM}^{PC})$ and $(\hat{k}_{BICM}^{PLS}, \hat{r}_{BICM}^{PLS})$, $(\hat{k}_{HQICM}^{PLS}, \hat{r}_{HQICM}^{PLS})$. In a similar vein, determine also the optimal lag order for the AR benchmark (1) and the exchange rate-based model (3) based on *BIC*.
4. Given the outcome of step 3, estimate (1)-(5) over the sample $t = t_0 - \omega + 1, \dots, t_0 - h$ for each h .
5. Extract r^{max} principal components and PLS factors from the N predictor variables over the sample $t = t_0 - \omega + 1, \dots, t_0$.
6. Generate the forecast $\Delta \hat{p}_{t+h,t}$ using the estimated dimensions from step 3 and the parameter estimates from step 4 as well as, in case of (4) and (5), the factors from step 5.
7. Repeat for $t_0 + 1, \dots, T - h$ and for any forecast horizon h .

To assess the forecasting performance of the respective models we consider the mean of the squared forecast errors [MSE]:

$$\text{MSE} = \frac{1}{T - t_0 - h} \sum_{s=t_0}^{T-h} \varepsilon_{s,s+h}^2, \quad (7)$$

where $\varepsilon_{s,t+h}$ is the forecast error of the model-generated prediction of the commodity price change, based on the previously described recursive updating scheme, relative to the *observed* commodity price change over h periods. It is, however, questionable whether one should compare the ‘raw’ MSE (7) of the fundamentals-based predictions, i.e. those based on (3), (4) or (5) (denoted as MSE_F), with the MSE of our, more parsimonious, benchmark models (labeled as MSE_B). [9, 10] show both asymptotically as well as in Monte Carlo simulations that $\text{MSE}_{\text{RW}} - \text{MSE}_F$ or $\text{MSE}_{\text{AR}} - \text{MSE}_F$ is biased downwards as MSE_F is inflated by spurious noise that is the result of inappropriately fitting a larger model on the data. Asymptotically this spurious noise in MSE_F will disappear, but it can be quite pervasive in finite samples, especially in the case of (4) and (5) where the factors have to be estimated first before a forecast can be constructed. Thus, for sample sizes comparable to those used in practice, tests based on ‘raw’ MSE differentials relative to (1) or (2) are severely undersized (see [9, 10]), which makes it harder to find any evidence against the benchmark forecast.

Instead, we compare the MSE (7) based on either (1) or (2) with corrected MSE measures for (3), (4) and (5), i.e.,

$$\text{MSE}_F^{\text{adj}} = \text{MSE}_F - \left(\frac{1}{T - t_0 - h} \sum_{s=t_0}^{T-h} (\Delta \hat{p}_{s,s+h}^B - \Delta \hat{p}_{s,s+h}^F)^2 \right); \quad \text{B} = \text{AR or RW} \quad (8)$$

where $\Delta \hat{p}_{s,s+h}^B$ and $\Delta \hat{p}_{s,s+h}^F$ are the h -period ahead commodity price change forecasts from, respectively, the benchmark models and the ‘fundamentals’ models (3), (4) and (5). [9, 10] suggest this specification to correct the MSE of the larger, alternative prediction model accounting for the aforementioned spurious fitting noise. We then report the relative MSE differentials as:

$$\text{RMSE} = \frac{\text{MSE}_B - \text{MSE}_F^{\text{adj}}}{\text{MSE}_B}, \quad (9)$$

with $\text{B} = \text{AR or RW}$. So, a positive (negative) value of (9) equal to x ($-x$) suggests that the fundamentals-based h -quarter ahead forecast is on average $x\%$ more (less) accurate than the corresponding benchmark forecast.

Given (8) we can formulate a test statistic for $H_0: \text{MSE}_B - \text{MSE}_F = 0$

$$z_{\text{MSE}}^{\text{adj}} = \sqrt{T - t_0 - h} \left(\frac{\text{MSE}_B - \text{MSE}_F^{\text{adj}}}{\sqrt{\text{Var}(\hat{u}_{t+h}^{\text{adj}})}} \right); \quad \text{B} = \text{AR or RW} \quad (10)$$

Table 1: Forecast evaluation for the aggregate CRB commodity price index; 1973.03 - 2009.02

h	CRR		PC1		PC2		PLS1		PLS2	
	RW	AR	RW	AR	RW	AR	RW	AR	RW	AR
1	0.07*	-0.01	0.00	-0.01	0.01	-0.02	0.20*	0.14*	0.20*	0.14*
	(1.34)	(-0.56)	(0.03)	(-0.63)	(0.50)	(-1.02)	(1.86)	(0.99)	(1.72)	(0.98)
	<i>0.04</i>	<i>0.36</i>	<i>0.24</i>	<i>0.37</i>	<i>0.15</i>	<i>0.42</i>	<i>0.01</i>	<i>0.08</i>	<i>0.02</i>	<i>0.08</i>
3	0.01	0.01	-0.02	-0.00	-0.05	-0.03	0.14*	0.13*	0.15*	0.14*
	(0.34)	(0.59)	(-0.88)	(-0.16)	(-1.68)	(-1.37)	(1.26)	(0.82)	(1.29)	(0.84)
	<i>0.18</i>	<i>0.14</i>	<i>0.40</i>	<i>0.28</i>	<i>0.48</i>	<i>0.46</i>	<i>0.05</i>	<i>0.10</i>	<i>0.05</i>	<i>0.10</i>
6	0.01	0.05*	-0.07	-0.01	-0.07	-0.02	-0.10	-0.09	-0.10	-0.09
	(0.25)	(1.14)	(-0.70)	(-0.55)	(-0.78)	(-0.70)	(-0.56)	(-0.73)	(-0.60)	(-0.73)
	<i>0.20</i>	<i>0.06</i>	<i>0.38</i>	<i>0.35</i>	<i>0.39</i>	<i>0.38</i>	<i>0.36</i>	<i>0.38</i>	<i>0.36</i>	<i>0.38</i>
12	0.02	0.06*	-0.09	-0.02	-0.12	-0.05	0.00	0.02	0.00	0.02
	(0.25)	(0.93)	(-0.85)	(-0.24)	(-1.13)	(-0.46)	(0.00)	(0.16)	(0.02)	(0.18)
	<i>0.20</i>	<i>0.09</i>	<i>0.40</i>	<i>0.30</i>	<i>0.44</i>	<i>0.34</i>	<i>0.25</i>	<i>0.22</i>	<i>0.25</i>	<i>0.21</i>

Notes: The table reports the relative improvement in the MSE for either the CRR exchange rate-based model (3), versions of the principal components-based factor-augmented model (4) or versions of the PLS regression-based factor-augmented model (5) relative to either the AR model (1) or the random walk-based model (2). This relative MSE improvement is defined in (9). In parenthesis we report the test statistic (10) for the null hypothesis that corresponding MSE differential is zero, whereas the italics numbers are *one-sided* p-values for this statistic, based on a standard-normal distribution, under the null hypothesis relative to the alternative hypothesis that the MSE of the benchmark model is larger. An asterisk (*) indicates a significant improvement in a model's MSE relative to the benchmark model at a significance level of at least 10%. Under the heading 'CRR' we report the results for model (3) relative to the AR benchmark (column 'AR') and the random walk-based benchmark (column 'RW'), under the heading 'PC1' ['PC2'] we report these for the principal components-based model (4) with factor- and lag order selection based on the BICM [HQICM] criterion as in (6), and under the heading 'PLS1' we report the results for the PLS regression-based model (5) with factor- and lag order selection based on the BICM [HQICM] criterion as in (6).

with

$$\tilde{u}_{t+h}^{adj} = u_{t+h}^{adj} - (\text{MSE}_B - \text{MSE}_F^{adj})$$

and

$$u_{t+h}^{adj} = \varepsilon_{B,s,s+h}^2 - (\varepsilon_{F,s,s+h}^2 - (\Delta \hat{p}_{s,s+h}^B - \Delta \hat{p}_{s,s+h}^F)^2); \quad s = t_0, \dots, T - h.$$

We compute the variance of the \tilde{u}_{t+h}^{adj} 's based on a heteroskedasticity and autocorrelation consistent (HAC) variance estimator, as time-varying variance is a feature of commodity price changes and the overlap in observations at forecast horizons $h > 1$ will induce serial correlation in the disturbances of our forecasting models. More specifically, we employ the parametric HAC variance estimator proposed by [11]¹³, which has been shown to have good finite sample properties. [9, 10] show that in case of *rolling window*-based parameter updating, as is the case in our specification, (10) will be asymptotically distributed according

¹³In our case the [11] approach entails fitting an AR model to the \tilde{u}_{t+h}^{adj} 's, with the lag order determined based on minimizing BIC, and using this estimated AR model to compute the unconditional variance of the \tilde{u}_{t+h}^{adj} 's.

Table 2: Forecast evaluation for the CRB Industrial Metals sub-index; 1973.03 - 2009.02

h	CRR		PC1		PC2		PLS1		PLS2	
	RW	AR	RW	AR	RW	AR	RW	AR	RW	AR
1	0.12*	0.01	0.10*	0.02*	0.13*	0.00	0.20*	0.09*	0.20*	0.09*
	(2.30)	(0.43)	(2.71)	(1.37)	(1.78)	(0.22)	(3.88)	(1.10)	(2.44)	(1.07)
	0.01	0.17	0.00	0.04	0.02	0.20	0.00	0.07	0.00	0.07
3	0.06*	0.00	0.00	-0.00	0.00	-0.02	0.14*	0.10	0.14*	0.10
	(1.23)	(0.04)	(0.11)	(-0.11)	(0.03)	(-0.58)	(0.90)	(0.72)	(0.91)	(0.73)
	0.05	0.24	0.23	0.27	0.24	0.36	0.09	0.12	0.09	0.12
6	0.03	0.02	-0.01	0.02	0.00	0.02	-0.01	0.01	-0.01	0.01
	(0.70)	(0.70)	(-0.19)	(0.26)	(0.06)	(0.37)	(-0.04)	(0.10)	(-0.09)	(0.06)
	0.12	0.12	0.29	0.20	0.24	0.18	0.26	0.23	0.27	0.24
12	0.02	0.04	-0.09	0.00	-0.14	-0.05	0.13*	0.17*	0.13*	0.17*
	(0.22)	(0.73)	(-1.01)	(0.04)	(-1.37)	(-0.49)	(0.92)	(1.26)	(0.92)	(1.27)
	0.21	0.12	0.42	0.24	0.46	0.34	0.09	0.05	0.09	0.05

Notes: See the notes for Table 1.

to a standard normal distribution, i.e., $z_{\text{MSE}}^{\text{adj}} \sim N(0, 1)$ in (10). In the forecast evaluation, we will use (10) to conduct a *one-sided* test for the null hypothesis that fundamentals-based commodity price predictions do not significantly outperform those based on our naive, parsimonious benchmark specifications *vis-à-vis* the alternative hypothesis that (3), (4) or (5) outperform either (1) or (2).

4 Empirical results

4.1 Data description

There are 10 indices in total, taken from four distinct sources. Details about the composition and calculation of the different indices appear in the Data Appendix.

From the Commodity Research Bureau, we use the Reuters/Jefferies-CRB Index (CRB), which dates back the farthest of any cross-commodity index. Both the overall index and the industrial metals sub-index start in 1947, though we only use it going as far back as 1973, based on the availability of the economic fundamental variables. The next longest series, the S&P/Goldman Sachs Index (SPG), starts in 1970, although we again use it going back to 1973. The SPG sub-indices for industrial metals and energy start in 1977 and 1983, respectively. We also evaluate the series used in [8], the IMF Non-fuel Commodity Prices Index (IMF), which starts in 1980, along with the IMF industrial metals sub-index. Finally, the Dow Jones-AIG Commodity Index (DJAIG) is the shortest series we use, beginning in 1991, along with its sub-indices for energy and metals. All commodity price data come directly from the companies who publish them, except for the SPG sub-indices, which come

Table 3: Forecast evaluation for the aggregate DJ-AIG commodities price index; 1991.02 - 2009.02

h	CRR		PC1		PC2		PLS1		PLS2	
	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>
1	0.24* (2.96) <i>0.00</i>	0.09* (1.59) <i>0.02</i>	0.19 (0.58) <i>0.14</i>	0.03* (0.95) <i>0.08</i>	0.19* (1.23) <i>0.05</i>	0.02* (0.98) <i>0.08</i>	0.40 (0.60) <i>0.14</i>	0.18* (0.02) <i>0.08</i>	0.40 (0.60) <i>0.13</i>	0.18* (1.02) <i>0.08</i>
3	0.05* (1.16) <i>0.06</i>	0.05* (0.98) <i>0.08</i>	0.00 (0.05) <i>0.24</i>	0.03* (1.06) <i>0.07</i>	0.01 (0.23) <i>0.20</i>	0.04* (1.26) <i>0.05</i>	0.48* (0.94) <i>0.09</i>	0.48* (0.93) <i>0.09</i>	0.48* (0.94) <i>0.07</i>	0.48* (0.93) <i>0.09</i>
6	-0.00 (-0.00) <i>0.25</i>	0.01 (0.50) <i>0.15</i>	-0.08 (-0.22) <i>0.29</i>	0.03 (0.55) <i>0.15</i>	-0.02 (-0.14) <i>0.28</i>	0.09* (1.45) <i>0.04</i>	0.06* (1.31) <i>0.05</i>	0.17 (0.80) <i>0.11</i>	0.06* (1.31) <i>0.05</i>	0.17 (0.80) <i>0.11</i>
12	0.18* (0.83) <i>0.10</i>	0.09* (1.93) <i>0.01</i>	0.25* (0.84) <i>0.10</i>	0.34* (1.33) <i>0.05</i>	0.19 (0.79) <i>0.11</i>	0.28* (2.01) <i>0.01</i>	0.20 (0.62) <i>0.13</i>	0.33* (0.86) <i>0.10</i>	0.20 (0.62) <i>0.13</i>	0.33* (0.86) <i>0.10</i>

Notes: See the notes for Table 1.

from Bloomberg. As became clear from the discussion in Section 3.1 we will use the various models to forecast our 10 commodity price indices in log first differences; this transformation is chosen to guarantee that our variables of interest are covariance stationary. Details about the different indices are in the Data Appendix.

The exchange rate data for the CRR model come from Bloomberg. We use monthly averages of daily bilateral dollar exchange rates for the Canadian dollar, the Australian dollar, the New Zealand dollar, the South African rand, and the Chilean peso. Chilean exchange rate data are only used when evaluating our models for the DJ-AIG indices, since these data only extend back as far as 1991. For the factor-augmented models (4) and (5) we combine these exchange rate data in a panel with additional fundamental predictor variables. These additional series comprise a set of macro-economic time series across major developed and developing countries from the OECD, such as industrial production, business and consumer confidence data, retail sales volumes, unemployment rates, core consumer prices (excluding food and energy), money aggregates and interest rates. They also include data on inventories and production of industrial metals, oil, natural gas and coal, as well as the Baltic Dry Index (BDI). The BDI is an index which captures the price of ocean shipping, aggregating the price of many different routes and types of shipping vessels. It is maintained by the Baltic Exchange, a commodity exchange. Our BDI data come from Bloomberg as far back as 1985. This part of the BDI is averaged over the month from daily data. Before that, going back to 1973, we use monthly data on aggregated ocean shipping rates as used

Table 4: Forecast evaluation for the DJ-AIG Energy sub-index; 1991.02 - 2009.02

h	CRR		PC1		PC2		PLS1		PLS2	
	RW	AR	RW	AR	RW	AR	RW	AR	RW	AR
1	0.17*	-0.05	0.24	0.01	0.28	0.04*	0.29	0.03	0.30*	0.06
	(1.44)	(-1.23)	(0.13)	(0.32)	(0.19)	(0.99)	(0.51)	(0.30)	(1.56)	(0.32)
	<i>0.04</i>	<i>0.45</i>	<i>0.22</i>	<i>0.19</i>	<i>0.21</i>	<i>0.08</i>	<i>0.15</i>	<i>0.19</i>	<i>0.03</i>	<i>0.19</i>
3	-0.03	-0.05	-0.03	-0.04	-0.04	-0.04	0.35	0.37*	0.35*	0.37*
	(-0.52)	(-1.24)	(-0.62)	(-0.88)	(-0.65)	(-0.68)	(0.72)	(0.83)	(1.00)	(0.83)
	<i>0.35</i>	<i>0.45</i>	<i>0.37</i>	<i>0.41</i>	<i>0.37</i>	<i>0.38</i>	<i>0.12</i>	<i>0.10</i>	<i>0.08</i>	<i>0.10</i>
6	-0.08	-0.04	-0.09	-0.03	0.03	0.16*	0.10	0.22	0.10	0.22
	(-0.69)	(-2.89)	(-0.62)	(-1.43)	(0.40)	(1.82)	(0.28)	(0.48)	(0.27)	(0.48)
	<i>0.38</i>	<i>0.50</i>	<i>0.37</i>	<i>0.46</i>	<i>0.17</i>	<i>0.02</i>	<i>0.20</i>	<i>0.16</i>	<i>0.20</i>	<i>0.16</i>
12	0.07	0.00	-0.12	0.02	-0.04	0.05	-0.03	0.22	-0.03	0.22
	(0.32)	(0.11)	(-0.49)	(0.10)	(-0.13)	(0.20)	(-0.07)	(0.49)	(-0.07)	(0.49)
	<i>0.19</i>	<i>0.23</i>	<i>0.34</i>	<i>0.23</i>	<i>0.28</i>	<i>0.21</i>	<i>0.26</i>	<i>0.16</i>	<i>0.26</i>	<i>0.16</i>

Notes: See the notes for Table 1.

in [24] that we splice onto our BDI data for the pre-1985 period.¹⁴

The predictor variables are transformed such that they are $I(0)$, which in general means that the real variables are expressed in log first differences, and the rate variables, such as unemployment and interest rate, are simply expressed in first differences; see the Data Appendix for more details. With respect to prices and money monetary aggregates, we transform these series into first differences of annual growth rates in order to guarantee that the dynamic properties of the transformed series are comparable to those of the rest of the predictor variable panel.¹⁵ Except for the BDI, exchange rate data and interest rates, the remaining series in our predictor variable panels for models (4) and (5) are only available with a one-month lag. So, for example, in February 2009 agents only observe industrial production or a consumer price index up to January 2009. Hence, for these (typically macroeconomic) time series we lag the series by one month before including them in our panels to avoid a favorable bias for our factor-augmented models in the forecast evaluations.

The cross-sectional sizes of the panels used in the factor-augmented models vary across the different commodity price indices we evaluate, as different indices have different time spans that determine the availability of the variables used in the panel. For the CRB aggregate and industrial metals indices, the full sample for both the commodities prices and

¹⁴We thank Lutz Killian for providing us with this data, which is what he uses in [24]. It is constructed using an index of freight rate data before 1985. For our purposes, we use the nominal raw version of his series, instead of the real detrended version used in his paper.

¹⁵This particular transformation acknowledges that series like log price levels and log money aggregate levels behave as if they are $I(2)$, possibly because of mean growth shifts due to policy regime shifts, financial liberalizations and other phenomena.

Table 5: Forecast evaluation for the DJAIG Industrial Metals sub-index; 1991.02 - 2009.02

h	CRR		PC1		PC2		PLS1		PLS2	
	RW	AR	RW	AR	RW	AR	RW	AR	RW	AR
1	0.30* (1.43) <i>0.04</i>	0.04* (1.16) <i>0.06</i>	0.23 (0.32) <i>0.19</i>	-0.02 (-0.54) <i>0.35</i>	0.29* (1.07) <i>0.07</i>	0.01 (0.27) <i>0.20</i>	0.21* (1.15) <i>0.06</i>	-0.12 (-0.68) <i>0.38</i>	0.21* (1.15) <i>0.06</i>	-0.12 (-0.68) <i>0.38</i>
3	0.10* (1.09) <i>0.07</i>	-0.03 (-0.50) <i>0.35</i>	0.04 (0.64) <i>0.13</i>	0.00 (0.02) <i>0.25</i>	0.02 (0.34) <i>0.18</i>	-0.03 (-0.25) <i>0.30</i>	0.18 (0.77) <i>0.11</i>	0.08 (0.36) <i>0.18</i>	0.18 (0.77) <i>0.11</i>	0.08 (0.36) <i>0.18</i>
6	0.01 (0.10) <i>0.23</i>	-0.00 (-0.39) <i>0.33</i>	0.02 (0.04) <i>0.24</i>	0.07 (0.69) <i>0.12</i>	0.04 (0.13) <i>0.22</i>	0.09 (.077) <i>0.11</i>	0.03 (0.07) <i>0.24</i>	0.10 (0.71) <i>0.12</i>	0.03 (0.07) <i>0.24</i>	0.10 (0.71) <i>0.12</i>
12	-0.08 (-0.36) <i>0.32</i>	-0.04 (-0.73) <i>0.38</i>	0.22* (1.36) <i>0.04</i>	0.32* (1.53) <i>0.03</i>	0.21* (1.26) <i>0.05</i>	0.31* (1.44) <i>0.04</i>	0.20 (0.12) <i>0.23</i>	0.26* (1.92) <i>0.01</i>	0.20 (0.12) <i>0.23</i>	0.26* (1.92) <i>0.01</i>

Notes: See the notes for Table 1.

the predictor variables panel is 1973.03-2009.2 with a total of $N = 96$ series in the panel. For the aggregate SPG commodities price index, the full sample also equals 1973.03-2009.2 with $N = 96$. For the SPG industrial metals sub-index, the full sample equals 1977.02-2009.2 with cross-sectional size of $N = 112$ for the predictor variable panel, whereas for the SPG energy sub-index this is 1983.02-2009.02 and $N = 127$, respectively. For the two IMF commodities price series, the full sample spans the period 1980.02-2009.02, and we use $N = 122$ series in the panels used for our factor-augmented models. Finally, for the three DJAIG series, the data span the period 1991.02-2009.02, and there are $N = 143$ series in the corresponding panels of predictor variables.

4.2 Results

As discussed in Section 3.1, for all ten commodity price indices listed above we assess the forecasting performance of our three fundamentals-based forecast methods (the CRR exchange rate-based model (3) and our two factor-augmented models (4) and (5)) relative to two simple benchmark forecasts: those based on an autoregressive (AR) specification and those based on the unconditional mean or random walk (RW) model (respectively (1) and (2)). All forecasting models, including the benchmark models, are updated for each forecast based on a fixed rolling window of data (see Section 3.2), which we set equal to a 10-year period resulting in 120 monthly observations.¹⁶

The forecasts for our 10 commodity price indices are direct forecasts for 4 horizons (in

¹⁶Thus, $\omega = 120$ in the forecast scheme outlined in Section 3.2.

Table 6: Forecast evaluation for the aggregate SPG commodities price index; 1973.03 - 2009.02

h	CRR		PC1		PC2		PLS1		PLS2	
	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>
1	0.15*	-0.02	0.16*	-0.02	0.16*	-0.02	0.10	-0.06	0.10	-0.07
	(0.80)	(-1.02)	(0.89)	(-1.16)	(0.98)	(-1.07)	(0.69)	(-0.71)	(0.70)	(-0.76)
	<i>0.02</i>	<i>0.42</i>	<i>0.09</i>	<i>0.44</i>	<i>0.08</i>	<i>0.43</i>	<i>0.12</i>	<i>0.38</i>	<i>0.12</i>	<i>0.39</i>
3	-0.06	-0.01	-0.00	0.04*	-0.02	0.02*	-0.03	0.04	-0.03	0.04
	(-1.65)	(-0.54)	(-0.13)	(1.86)	(-0.60)	(1.08)	(-0.27)	(0.30)	(-0.24)	(0.30)
	<i>0.48</i>	<i>0.35</i>	<i>0.28</i>	<i>0.02</i>	<i>0.36</i>	<i>0.07</i>	<i>0.30</i>	<i>0.19</i>	<i>0.30</i>	<i>0.19</i>
6	-0.03	-0.01	-0.04	0.01*	-0.05	-0.00	-0.04	0.02	-0.03	0.02
	(-0.23)	(-0.30)	(-0.01)	(0.87)	(-0.09)	(-0.11)	(-0.49)	(0.23)	(-0.46)	(0.25)
	<i>0.30</i>	<i>0.31</i>	<i>0.25</i>	<i>0.10</i>	<i>0.27</i>	<i>0.27</i>	<i>0.34</i>	<i>0.20</i>	<i>0.34</i>	<i>0.20</i>
12	0.10	0.04*	0.02	0.01	0.07	0.06	-0.07	-0.07	-0.07	-0.07
	(0.69)	(1.13)	(0.14)	(0.22)	(0.26)	(0.62)	(-0.59)	(-0.45)	(-0.58)	(-0.43)
	<i>0.12</i>	<i>0.06</i>	<i>0.22</i>	<i>0.21</i>	<i>0.20</i>	<i>0.13</i>	<i>0.36</i>	<i>0.34</i>	<i>0.36</i>	<i>0.33</i>

Notes: See the notes for Table 1.

months): $h = 1$, $h = 3$, $h = 6$ and $h = 12$, which are horizons commonly analyzed in the literature. In each re-estimation of our forecasting models, we determine two versions of each of our two factor-augmented regressions (4) and (5) using our modified information criteria in (6). For each criterion in (6) we simultaneously select the optimal lag order from $j = 0, \dots, 12$ (where $p = 0$ means no lagged commodity price changes included in the model) as well as the optimal number of factors across $i = 1, \dots, 6$ such that a particular criterion is minimized. In case of the AR benchmark (1) as well as the CRR exchange rates-based model (3) we select that lag order from $p = 0, \dots, 12$ that minimizes the BIC criterion for these two models.

The forecasting results for the CRB commodity price indices are reported in Tables 1 and 2. When we first focus on the performance of the CRR specification (3) it becomes clear that in an out-of-sample context it is not structurally outperforming random walk and autoregressive forecasts: at the shortest horizons its predictions are only significantly better than those based on a random walk, whereas one-year ahead the CRR model can only significantly outperform the AR benchmark.

Factor-augmented models that utilize principal components extracted from the corresponding panel of global economic data perform quite poorly and never really significantly outperform the naive benchmark predictions. However, when PLS regression is used to generate factor-augmented commodity price forecasts, the results are more encouraging. For the overall CRB index, see Table 1, PLS regression-based specifications provide significantly better predictions than both benchmark models at the one-month and one-quarter horizons.

Table 7: Forecast evaluation for the SPG Energy sub-index; 1983.02 - 2009.02

h	CRR		PC1		PC2		PLS1		PLS2	
	RW	AR	RW	AR	RW	AR	RW	AR	RW	AR
1	0.14* (1.46) <i>0.03</i>	-0.04 (-1.56) <i>0.47</i>	0.15* (1.51) <i>0.03</i>	-0.01 (-0.62) <i>0.37</i>	0.17* (1.62) <i>0.03</i>	-0.00 (-0.29) <i>0.31</i>	0.35* (1.59) <i>0.03</i>	0.18* (1.15) <i>0.06</i>	0.34* (1.93) <i>0.01</i>	0.16* (1.00) <i>0.08</i>
3	-0.06 (-0.67) <i>0.37</i>	-0.02 (-0.90) <i>0.41</i>	-0.02 (-0.19) <i>0.29</i>	0.01 (0.52) <i>0.15</i>	-0.02 (-0.26) <i>0.30</i>	0.00 (0.09) <i>0.23</i>	0.13 (0.71) <i>0.12</i>	0.21* (0.92) <i>0.09</i>	0.14 (0.76) <i>0.11</i>	0.20* (0.93) <i>0.09</i>
6	-0.05 (-0.46) <i>0.34</i>	0.00 (0.10) <i>0.23</i>	-0.010 (-0.35) <i>0.32</i>	-0.03 (-0.84) <i>0.40</i>	-0.14 (-0.64) <i>0.37</i>	-0.07 (-1.64) <i>0.48</i>	-0.01 (-0.09) <i>0.27</i>	0.02 (0.18) <i>0.21</i>	-0.01 (-0.15) <i>0.28</i>	0.02 (0.15) <i>0.22</i>
12	0.10 (0.32) <i>0.19</i>	0.02 (0.71) <i>0.12</i>	-0.08 (-0.94) <i>0.41</i>	-0.09 (-1.92) <i>0.49</i>	-0.09 (-1.29) <i>0.45</i>	0.09 (-1.55) <i>0.47</i>	-0.05 (-0.19) <i>0.29</i>	-0.09 (-0.27) <i>0.30</i>	-0.05 (-0.16) <i>0.28</i>	-0.08 (-0.24) <i>0.30</i>

Notes: See the notes for Table 1.

In Table 2, we have a similar outcome for the industrial metals CRB sub-index but on top of that PLS-based factor models are also outperforming the both benchmarks one-year ahead. The additional macroeconomic information embedded in the PLS-based factor-augmented models clearly is useful for explaining these commodity price dynamics, particularly so for industrial metals.

In case of the DJ-AIG commodity price indices in Tables 3-5 we do see an added value for exchange rate-based models when predicting the overall index (Table 3) but a lot less so for the energy and metals sub-indices (Tables 4 and 5). Compared to the CRB indices factor-augmented models appear to be less useful: only in case of the overall DJ-AIG index PLS-based models are able to significantly outperform both benchmarks at the 3-month and 6-month horizons.

Tables 6-8 reports on the out-of-sample performance for our next group of commodity price indices: the S&P/Goldman-Sachs (SPG) indices. The CRR exchange rates-based model (3), again, seems not to be able to significantly outperform naive benchmark projections in any meaningful way. In this case, also adding information from a larger set of economic data as in (4) and (5) cannot really generate commodity price forecasts that are on average structurally more accurate than those based on a random walk or autoregressive specifications.

Finally, we discuss the results for the IMF indices, as reported in Tables 9 and 10. The CRR specification is doing well in outperforming both benchmark models at one-month and one-quarter horizons in case of the metals sub-index (Table 10), but not for the overall index. This is surprising as the overall IMF index was also the main commodity price index used in

Table 8: Forecast evaluation for the SPG Industrial Metals sub-index; 1977.02 - 2009.02

h	CRR		PC1		PC2		PLS1		PLS2	
	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>
1	0.13*	-0.02	0.17	0.02*	0.18	0.03*	0.16*	0.01	0.17*	0.02
	(1.61)	(-1.16)	(0.28)	(0.97)	(0.57)	(0.98)	(1.22)	(0.08)	(1.30)	(-0.15)
	<i>0.03</i>	<i>0.44</i>	<i>0.20</i>	<i>0.08</i>	<i>0.14</i>	<i>0.08</i>	<i>0.06</i>	<i>0.23</i>	<i>0.05</i>	<i>0.22</i>
3	-0.034	-0.07	0.07*	0.06*	0.06*	0.03*	0.11	0.06	0.11	0.06
	(-0.59)	(-1.97)	(1.65)	(1.95)	(1.09)	(0.98)	(0.74)	(0.47)	(0.73)	(0.46)
	<i>0.36</i>	<i>0.49</i>	<i>0.02</i>	<i>0.01</i>	<i>0.07</i>	<i>0.08</i>	<i>0.11</i>	<i>0.16</i>	<i>0.12</i>	<i>0.16</i>
6	-0.03	-0.04	0.01	0.02	-0.01	0.01	-0.08	-0.12	-0.08	-0.11
	(-0.25)	(-1.36)	(0.11)	(0.62)	(-0.06)	(0.04)	(-0.24)	(-0.22)	(-0.22)	(-0.43)
	<i>0.30</i>	<i>0.46</i>	<i>0.23</i>	<i>0.13</i>	<i>0.26</i>	<i>0.24</i>	<i>0.30</i>	<i>0.34</i>	<i>0.29</i>	<i>0.33</i>
12	-0.01	0.01	-0.03	0.02	-0.02	0.01	-0.05	-0.10	-0.05	-0.10
	(-0.16)	(0.16)	(-0.28)	(0.22)	(-0.25)	(0.04)	(-0.19)	(-0.67)	(-0.18)	(-0.65)
	<i>0.28</i>	<i>0.22</i>	<i>0.31</i>	<i>0.21</i>	<i>0.30</i>	<i>0.24</i>	<i>0.29</i>	<i>0.37</i>	<i>0.29</i>	<i>0.37</i>

Notes: See the notes for Table 1.

[8]. Turning to the factor-augmented approaches we find a rather counter-intuitive result: (PLS-based) factor model forecasts significantly outperform the benchmark projections 1-month and 3-months ahead for aggregate IMF index, and substantially more so than the CRR model, but this result disappears in case of the metals sub-index.

5 Conclusion

Can we obtain forecasts of commodity price movements that systematically improve upon naive statistical benchmarks? The basic message of the paper is one of inconclusiveness. While our results corroborate the notion that commodity currencies are somewhat privileged variables in terms of their predictive power, we are unable to obtain robust validation of this notion across commodity indices and across forecasting horizons. Information from larger sets of macrovariables can help, but their forecasting properties are nuanced and by no means overwhelming.

To make a point of some potential relevance for the current (spring 2009) policy debate in light of our results, stronger exchange rates in commodity-exporter countries, improved confidence and business conditions in China and other Asian NICS, as well as the bottoming out of the BDI, all point to a tendential rally in commodity prices going forward. The risks of a recrudescence in global headline inflation are skewed on the upside. But acknowledging these risks is not tantamount to fostering concerns about policymakers' ability to guarantee price stability, thus advocating a fast withdrawal of accommodation worldwide. Analyses like ours suggest that forecasts of commodity prices provide at their very best only highly

noisy information about their actual future trajectories and persistence. All the more so, estimates of the inflationary pressures associated with expected commodity price swings remain tentative at best. Excessive confidence in the forecast of a forthcoming commodity price surge, or even increased dispersion in global policymakers' views and beliefs about future inflation risks, can become the catalyzer of (or the pretext for) a premature tightening of the global policy mix even though the international outlook remains highly vulnerable to negative shocks, with potentially devastating consequences for the real economy worldwide.

Concluding as we started with a quote by Bernanke [3], there is a key open question for a research agenda focused on understanding and predicting swings in commodity prices: "What are the implications for the conduct of monetary policy of the high degree of uncertainty that attends forecasts of commodity prices? Although theoretical analyses often focus on the case in which policymakers care only about expected economic outcomes and not the uncertainty surrounding those outcomes, in practice policymakers are concerned about the risks to their projections as well as the projections themselves. How should those concerns affect the setting of policy in this context?" It is our (strong) prediction that future research will very much take these questions to heart.

References

- [1] Akram, Q. F., 2008. "Commodity Prices, Interest Rates and the Dollar." Norges Bank Research Department Working Paper No. 2008/12, August.
- [2] Bai, J., 2003. "Inferential Theory for Factor Models of Large Dimensions, *Econometrica* 71, pp. 135-172.
- [3] Bernanke, B. S., 2008. "Outstanding Issues in the Analysis of Inflation," speech at the Federal Reserve Bank of Boston's 53rd Annual Economic Conference, Chatham MA, June 9.
- [4] Boivin, J. and S. Ng, 2006. "Are More Data Always Better for Factor Analysis?", *Journal of Econometrics* 132, pp. 169-194.
- [5] Borenszeiten, E. and C. M. Reinhart, 1994. "The Macroeconomic Determinants of Commodity Prices," Washington D.C., International Monetary Fund Working Paper No. WP/94/9, January.
- [6] Bowman, C. and A. M. Husain, 2004. "Forecasting Commodity Prices: Futures Versus Judgment", Washington D.C., International Monetary Fund Working Paper No. WP/04/41, March.

- [7] Cecchetti, S. G. and R. Moessner, 2008. “Commodity Prices and Inflation Dynamics.” *Bank for International Settlements Quarterly Review*, December, pp. 55-66.
- [8] Chen, Y., K. Rogoff and B. Rossi, 2008. “Can Exchange Rates Forecast Commodity Prices?”, NBER Working Paper No. 13901, March 2008.
- [9] Clark, T. E. and K. D. West, 2006. “Using Out-of-Sample Mean Squared Prediction Errors to Test the Martingale Difference Hypothesis”, *Journal of Econometrics* 135, pp. 155-186.
- [10] Clark, T. E. and K. D. West, 2007. “Approximately Normal Tests for Equal Predictive Accuracy in Nested Models”, *Journal of Econometrics* 138, pp. 291-311.
- [11] Den Haan, W. J. and A. Levin, 1997. “A Practitioner’s Guide to Robust Covariance Matrix Estimation,” , *Handbook of Statistics* 24, pp. 291-341.
- [12] Diebold, F. X. and R. S. Mariano, 1995. “Comparing Predictive Accuracy”, *Journal of Business and Economic Statistics* 13, pp. 253-263.
- [13] Engel, C. and K. D. West, 2005. “Exchange Rates and Fundamentals”, *Journal of Political Economy* 113, pp. 485-517.
- [14] Frankel, J., 2008. “The Effects of Monetary Policy on Real Commodity Prices,” in J. Y. Campbell, ed., *Asset Prices and Monetary Policy*, Chicago IL, The University of Chicago Press, pp. 291-334.
- [15] Groen, J. J. J. and G. Kapetanios, 2008. “Revisiting Useful Approaches to Data-Rich Macroeconomic Forecasting”, Federal Reserve Bank of New York Staff Reports No. 327.
- [16] Groen, J. J. J. and G. Kapetanios, 2009. “Model Selection Criteria for Factor-Augmented Regressions,” Federal Reserve Bank of New York Staff Reports No. 363.
- [17] Gorton, G. and K. G. Rouwenhorst, 2005. “Facts and Fantasies About Commodity Futures.” Yale ICF Working Paper No. 04-20, February.
- [18] Hamilton, J., 2009. “Causes and Consequences of the Oil Shock of 2007-08,” in D. Romer and J. Wolfers, eds., *Brookings Papers on Economic Activity*, Spring, forthcoming.
- [19] Hannan, E. J. and B. G. Quinn, 1979. “The Determination of the Order of an Autoregression”, *Journal of the Royal Statistical Society*, Series B, 41, pp. 190-195.

- [20] Hobijn, B., 2008. "Commodity Price Movements and PCE Inflation." *Federal Reserve Bank of New York Current Issues in Economics and Finance*, Vol. 14 No.8, November.
- [21] Interagency Task Force on Commodity Markets, 2008. *Interim Report on Crude Oil*, Washington D.C., July.
- [22] International Monetary Fund, 2008. "Is Inflation Back? Commodity Prices and Inflation", in *World Economic Outlook: Financial Stress, Downturns, and Recoveries*, Washington D.C., International Monetary Fund, October, pp.83-128.
- [23] Keyfitz, R., 2004. "Currencies and Commodities: Modeling the Impact of Exchange Rates on Commodity Prices in the World Market," Washington D.C., The World Bank, Development Prospects Group.
- [24] Kilian, L., 2009. "Not All Oil Price Shocks Are Alike: Disentangling Demand and Supply Shocks in the Crude Oil Market", *American Economic Review* 99, pp. 1053-69.
- [25] Reinhart, C.M., 1988. "Real Exchange Rates and Commodity Prices in a Neoclassical Model", Washington D.C., International Monetary fund Working Paper No. WP/88/55, June.
- [26] Schwarz, G., 1978. "Estimating the Dimension of a Model", *Annals of Statistics* 6, pp. 461-464.
- [27] Slade, M.E., and H. Thille, 2004. "Commodity Spot Prices: An Explanatory Assessment of Market-Structure and Forward-Trading Effects," University of Warwick and University of Guelph Working Paper, September.
- [28] Stock, J. H. and M. W. Watson, 2002. "Forecasting Using Principal Components from a Large Number of Predictors", *Journal of the American Statistical Association* 97, pp. 1167-1179.
- [29] Stock, J. H. and M. W. Watson, 2002. "Macroeconomic Forecasting Using Diffusion Indexes", *Journal of Business and Economic Statistics* 20, pp. 147-162.
- [30] Verleger, P. K., 2008. "The Oil-Dollar Link." *The International Economy*, Spring, pp.46-50.
- [31] World Bank, 2009. *Global Economic Prospects. Commodities at the Crossroads*. Washington D.C., The International Bank for Reconstruction and Development / The World Bank.

Table 9: Forecast evaluation for the aggregate, non-fuel, IMF commodities price index; 1980.02 - 2009.02

<i>h</i>	<u>CRR</u>		<u>PC1</u>		<u>PC2</u>		<u>PLS1</u>		<u>PLS2</u>	
	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>
1	0.34*	0.03*	0.32*	-0.01	0.32*	-0.02	0.44*	0.18*	0.46*	0.20*
	(1.49)	(1.49)	(1.20)	(-0.69)	(1.13)	(-1.04)	(2.33)	(1.37)	(2.38)	(1.46)
	<i>0.03</i>	<i>0.03</i>	<i>0.06</i>	<i>0.38</i>	<i>0.06</i>	<i>0.43</i>	<i>0.00</i>	<i>0.04</i>	<i>0.00</i>	<i>0.04</i>
3	0.15*	-0.01	0.13*	-0.01	0.15*	-0.01	0.25*	0.10*	0.26*	0.11*
	(3.31)	(-0.29)	(1.86)	(-0.37)	(2.74)	(-0.19)	(2.15)	(1.00)	(2.25)	(1.09)
	<i>0.00</i>	<i>0.31</i>	<i>0.02</i>	<i>0.32</i>	<i>0.00</i>	<i>0.29</i>	<i>0.01</i>	<i>0.08</i>	<i>0.07</i>	<i>0.07</i>
6	0.01	0.01	-0.00	0.03*	0.08*	0.12*	-0.10	-0.10	-0.10	-0.10
	(0.36)	(0.37)	(-0.01)	(0.98)	(1.41)	(1.39)	(-0.37)	(-0.46)	(-0.37)	(-0.46)
	<i>0.18</i>	<i>0.18</i>	<i>0.25</i>	<i>0.08</i>	<i>0.04</i>	<i>0.04</i>	<i>0.32</i>	<i>0.34</i>	<i>0.32</i>	<i>0.34</i>
12	0.03	0.04*	-0.07	-0.02	-0.09	-0.04	0.15	0.14	0.15	0.14
	(0.40)	(0.93)	(-0.75)	(-0.06)	(-0.94)	(-0.22)	(0.18)	(0.41)	(0.18)	(0.41)
	<i>0.17</i>	<i>0.09</i>	<i>0.39</i>	<i>0.26</i>	<i>0.41</i>	<i>0.29</i>	<i>0.22</i>	<i>0.17</i>	<i>0.22</i>	<i>0.17</i>

Notes: See the notes for Table 1.

Table 10: Forecast evaluation for the IMF Industrial Metals sub-index; 1980.02 - 2009.02

<i>h</i>	<u>CRR</u>		<u>PC1</u>		<u>PC2</u>		<u>PLS1</u>		<u>PLS2</u>	
	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>	<i>RW</i>	<i>AR</i>
1	0.23*	0.07*	0.14*	0.02	0.22*	0.05*	0.10*	-0.04	0.12*	-0.03
	(1.57)	(2.00)	(1.35)	(0.46)	(1.75)	(1.24)	(0.85)	(-0.32)	(1.04)	(-0.21)
	<i>0.03</i>	<i>0.01</i>	<i>0.04</i>	<i>0.16</i>	<i>0.02</i>	<i>0.05</i>	<i>0.10</i>	<i>0.31</i>	<i>0.07</i>	<i>0.29</i>
3	0.14*	0.07*	0.05	0.02	0.06*	0.02	0.14*	0.06	0.14*	0.06
	(1.74)	(2.33)	(0.71)	(0.39)	(0.96)	(0.46)	(0.90)	(0.50)	(0.90)	(0.50)
	<i>0.02</i>	<i>0.00</i>	<i>0.12</i>	<i>0.17</i>	<i>0.08</i>	<i>0.16</i>	<i>0.09</i>	<i>0.16</i>	<i>0.09</i>	<i>0.16</i>
6	0.07*	0.04*	0.05	0.07*	0.05	0.06	0.10	0.08	0.10	0.08
	(0.96)	(0.81)	(0.18)	(0.84)	(0.28)	(0.78)	(0.24)	(0.31)	(0.24)	(0.31)
	<i>0.08</i>	<i>0.10</i>	<i>0.21</i>	<i>0.10</i>	<i>0.19</i>	<i>0.11</i>	<i>0.20</i>	<i>0.19</i>	<i>0.20</i>	<i>0.19</i>
12	0.03	0.01	-0.01	0.02	-0.02	0.02	0.23	0.19	0.23	0.19
	(0.02)	(0.52)	(-0.06)	(0.14)	(-0.16)	(0.09)	(0.30)	(0.63)	(0.30)	(0.63)
	<i>0.25</i>	<i>0.15</i>	<i>0.26</i>	<i>0.22</i>	<i>0.28</i>	<i>0.23</i>	<i>0.19</i>	<i>0.13</i>	<i>0.19</i>	<i>0.13</i>

Notes: See the notes for Table 1.

Data Appendix

Data Appendix Codes

<u>Code</u>	<u>Country</u>	<u>Code</u>	<u>Transformation X_t of raw series Y_t</u>
a	Canada	1	$X_t = \ln(Y_t) - \ln(Y_{t-1})$
b	France	2	$X_t = Y_t - Y_{t-1}$
c	Germany	3	$X_t = \ln(Y_t/Y_{t-12}) - \ln(Y_{t-1}/Y_{t-13})$
d	Italy	4	$X_t = \ln(\sum_{k=0}^{11} Y_{t-k}/12) - \ln(\sum_{k=1}^{12} Y_{t-k}/12)$
e	Japan	5	$X_t = Y_t$
f	United Kingdom		
g	United States		
h	Brazil		
i	India	<u>Code</u>	<u>Commodity price series</u>
j	Indonesia	v	CRB, CRB ind. metal, SPG
k	South Africa	w	DJAIG, DJAIG energy, DJAIG ind. metal
l	OECD	x	IMF, IMD ind. metal
m	G7	y	SPG energy
		z	SPG ind. metal

Data Description

Variable	Countries	Source	Transform	Indices
Australian Dollar Exchange Rate	-	Bloomberg	1	vwxyz
Canadian Dollar Exchange Rate	-	Bloomberg	1	vwxyz
New Zealand Dollar Exchange Rate	-	Bloomberg	1	vwxyz
South African Rand Exchange Rate	-	Bloomberg	1	vwxyz
Chilean Peso Exchange Rate	-	Bloomberg	1	w
Baltic Dry Index (BDI)	-	Bloomberg	1	vwxyz
Industrial Production	abcdefg	OECD	1	vwxyz
Industrial Production	j	OECD	1	w
Nominal Short Term Interest Rates (3 Month)	abceg	OECD	2	vwxyz
Nominal Short Term Interest Rates (3 Month)	df	OECD	2	wxyz
Real Short Term Interest Rates (3 Month)	abceg	OECD	2	vwxyz
Real Short Term Interest Rates (3 Month)	df	OECD	2	wxyz
Long Term Interest Rates (10 Year)	abcfgk	OECD	2	vwxyz
Long Term Interest Rates (10 Year)	e	OECD	2	w
Business Confidence Indicator	g	OECD	5	vwxyz
Business Confidence Indicator	e	OECD	5	wxyz
Business Confidence Indicator	bcdeflm	OECD	5	w
Consumer Confidence Indicator	bcdf	OECD	5	wxyz
Consumer Confidence Indicator	fl	OECD	5	wxy
Consumer Confidence Indicator	a	OECD	5	w
Unemployment	aefg	OECD	2	vwxyz
Unemployment	b	OECD	2	wxy
Unemployment	h	OECD	2	wy

Retail Trade Volume	acefg	OECD	1	vwxyz
Retail Trade Volume	b	OECD	1	wxyz
Retail Trade Volume	k	OECD	1	wxy
Retail Trade Volume	d	OECD	1	w
Hourly Earnings in Manufacturing	dfg	OECD	1	vwxyz
Hourly Earnings in Manufacturing	e	OECD	4	vwxyz
Hourly Earnings in Manufacturing	a	OECD	1	vxyz
Goods Exports	abcgefghk	OECD	1	vwxyz
Goods Exports	ij	OECD	1	w
Goods Imports	abcgefghk	OECD	1	vwxyz
Goods Imports	ij	OECD	1	w
Term Slope Structure (Long term - short term rates)	abcg	OECD	5	vwxyz
Term Slope Structure (Long term - short term rates)	f	OECD	5	wxy
Term Slope Structure (Long term - short term rates)	e	OECD	5	w
Core CPI	abcdefgl	OECD	3	vwxyz
Core CPI	m	OECD	3	vz
Broad Money (M3)	agk	OECD	3	vwxyz
Broad Money (M3)	i	OECD	3	wxyz
Broad Money (M3)	el	OECD	3	wy
Broad Money (M3)	f	OECD	3	w
Narrow money (M1)	aegl	OECD	3	vwxyz
Narrow money (M1)	ik	OECD	3	wxyz
Narrow money (M1)	f	OECD	3	w
LME Copper Warehouse Stocks	-	EIA	1	vwxyz
LME Lead Warehouse Stocks	-	EIA	1	vwxyz
LME Zinc Warehouse Stocks	-	EIA	1	vwxyz
LME Aluminum Warehouse Stocks	-	EIA	1	wxy
LME Nickel Warehouse Stocks	-	EIA	1	wxy
LME Tin Warehouse Stocks	-	EIA	1	w
Crude Oil Stocks, Non-SPR (Strategic Petrol Reserve)	-	EIA	1	vwxyz
Crude Oil Stocks, Total	-	EIA	1	vwxyz
Crude Oil Stocks, SPR	-	EIA	1	wxy
Jet Fuel Stocks	-	EIA	1	vwxyz
Motor Gasoline Stocks	-	EIA	1	vwxyz
Residual Fuel Oil Stocks	-	EIA	1	vwxyz
Other Petroleum Products Stocks	-	EIA	1	vwxyz
Total Petroleum Stocks	-	EIA	1	vwxyz
United States Crude Oil Production	-	EIA	1	vwxyz
Non-OPEC Crude Oil Production	-	EIA	1	vwxyz
World Crude Oil Production	-	EIA	1	vwxyz
OPEC Crude Oil Production	-	EIA	1	vwxyz
Total World Coal Stocks	-	EIA	1	vwxyz
Distillate Fuel Oil Stocks	-	EIA	1	wxyz
Propane/Propylene Stocks	-	EIA	1	wxyz
Liquefied Petroleum Gases Stocks	-	EIA	1	wxyz
Natural Gas in Underground Storage - Working Gas	-	EIA	1	wyz
Natural Gas in Underground Storage - Total	-	EIA	1	wyz
Currency: Banknotes and Coin	f	Bank of England	1	vwxyz
<u>Dependent Variables</u>				
Reuters/Jeffries Commodity Price Index	-	CRB	1	v
CRB Industrial Metals Price Index	-	CRB	1	v
S&P/Goldman Sachs Commodity Price Index	-	Goldman Sachs	1	v
Dow Jones/AIG Commodity Price Index	-	Dow Jones	1	w
DJAIG Energy Commodity Price Index	-	Dow Jones	1	w
DJAIG Industrial Metals Price Index	-	Dow Jones	1	w
IMF Global Commodity Price Index	-	IMF	1	x
IMF Industrial Metals Price Index	-	IMF	1	x
S&P/Goldman Sachs Energy Commodities Price Index	-	Goldman Sachs	1	y
S&P/Goldman Sachs Industrial Metals Price Index	-	Goldman Sachs	1	z