

Discussion of  
Effective Monetary Policy Strategies  
in New Keynesian Models: A Reconsideration

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## This Paper

- Compares Sticky Information (SI) vs Sticky Price (SP) Phillips curves
  - Estimates DSGE model for each type
  - Compares alternative policy rules

## This Paper (con't)

### Conclusions:

1. SI Phillips curve has edge in empirical performance
  - (a) Pre-2007: SI and SP Phillips curves fit data equally well
  - (b) SP exhibits anomolous behavior over GR/ ZLB period. Less so for SI
  
2. Policy conclusions similar across models
  - (a) Ranking of rules similar.
  - (b) Nominal GDP or price level targeting are "robust" rules

## Some History of Thought

- SI belongs in class of Imperfect Information (II) based Phillips curves
  - Modern literature (based on micro-foundations) begins in late 1960s
    - \* Phelps/Friedman 1967, Lucas 1969
  - Predates modern literature on SP Phillips curves
    - \* Taylor 1980, Calvo 1983

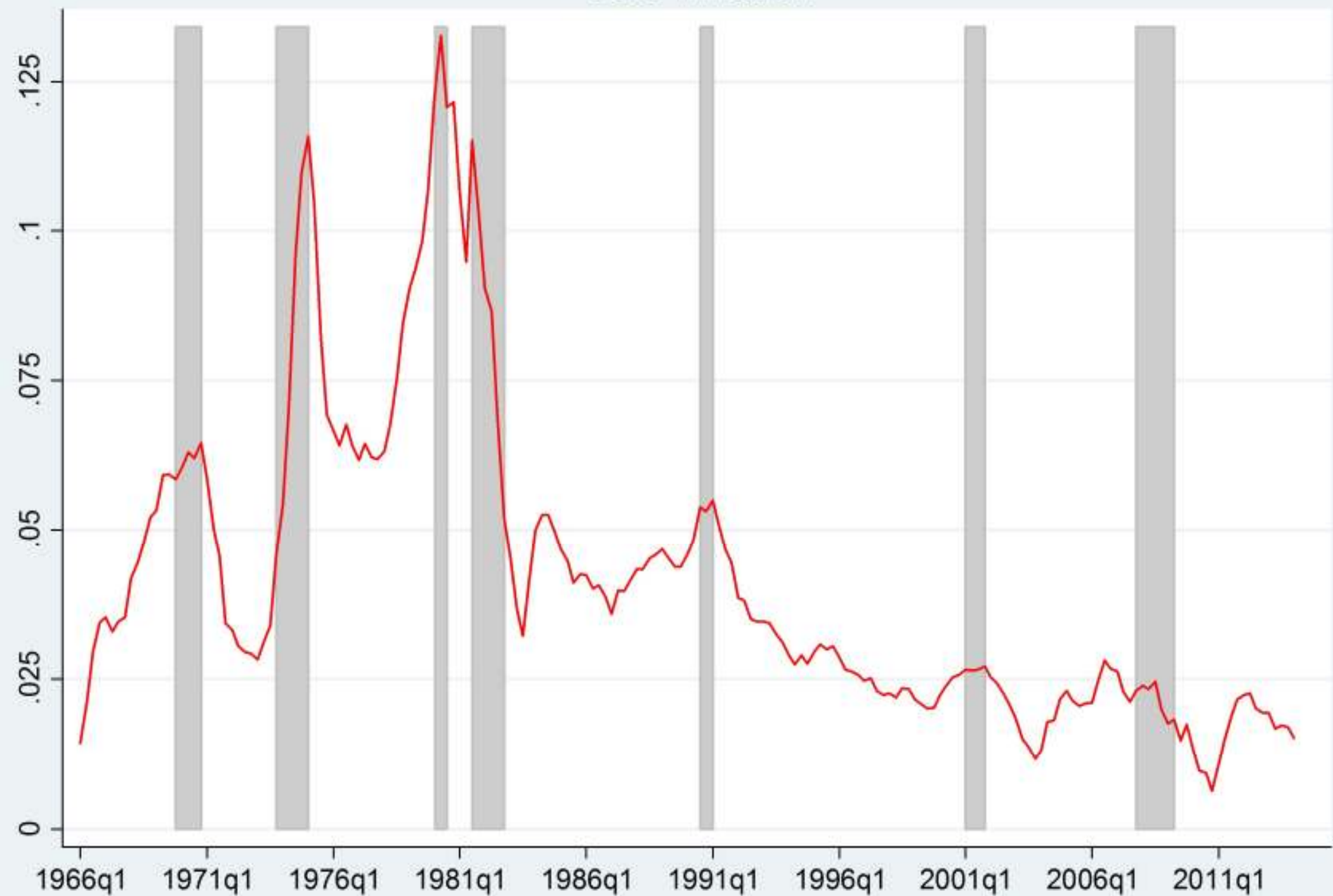
## Some History of Thought (con't)

- SP gained traction in DSGE modeling, but not II (or SI)
  - Informational restrictions strong in II:
    - \* Key aggregates such as price level readily observable
    - \* Some pushback: e.g rational inattention
  - Micro-data suggests sticky prices
    - \* Prices fixed  $\approx$  7 to 9 months (Klenow/Krystov, Steinsson/Nakamura)
    - \* Ss models can explain most of the micro facts
    - \* Time-dep. SP models are "cousins" of state-dep. Ss models

## Moving Forward

- Papers that fit pricing models to micro facts ignore fit to aggregate data
- Model may explain micro facts (e.g. frequency, size of price adj., etc) but be off in explaining aggregate dynamics
  - Aggregate inflation dynamics depend on variety of factors, including
    - \* How expectations are formed
    - \* Information sets
    - \* Wage setting, etc
- This paper: ignore micro-data and explore fit of SI vs SP of aggregate data

# Core Inflation



## Sticky Price Phillips Curve (Calvo)

Price index:

$$p_t = (1 - \theta)p_t^o + \theta p_{t-1}$$

Reset price:

$$p_t^o = (1 - \beta\theta)E_t \sum_{i=0}^{\infty} (\beta\theta)^i (\kappa \hat{y}_{t+i} + p_{t+i})$$

→ NK phillips curve:

$$\begin{aligned} \pi_t &= E_t \sum_{i=0}^{\infty} \beta^i \lambda \hat{y}_{t+i} \\ &= \lambda \hat{y}_t + \beta E_t \pi_{t+1} \end{aligned}$$

$$\lambda \equiv \alpha(\theta)\kappa; \alpha' < 0$$



## Sticky Information Phillips Curve (Mankiw/Reis)

Price index:

$$p_t = (1 - \delta) \sum_{i=0}^{\infty} \delta^i p_{t,i}^o$$

Reset price:

$$p_{t,i}^o = E_{t-i}(\kappa \hat{y}_t + p_t)$$

→ SI phillips curve

$$\pi_t = \eta \hat{y}_t + (1 - \delta) \sum_{i=0}^{\infty} \delta^i E_{t-1-i}(\kappa \Delta \hat{y}_t + \pi_t)$$

$$\eta = \frac{1-\delta}{\delta} \kappa$$

## SI vs SP Models

AD:

$$\hat{y}_{tt} = -\sigma(i_t - E_t\pi_{t+1} - r_t^*) + E_t\hat{y}_{t+1}$$

AS: SP:

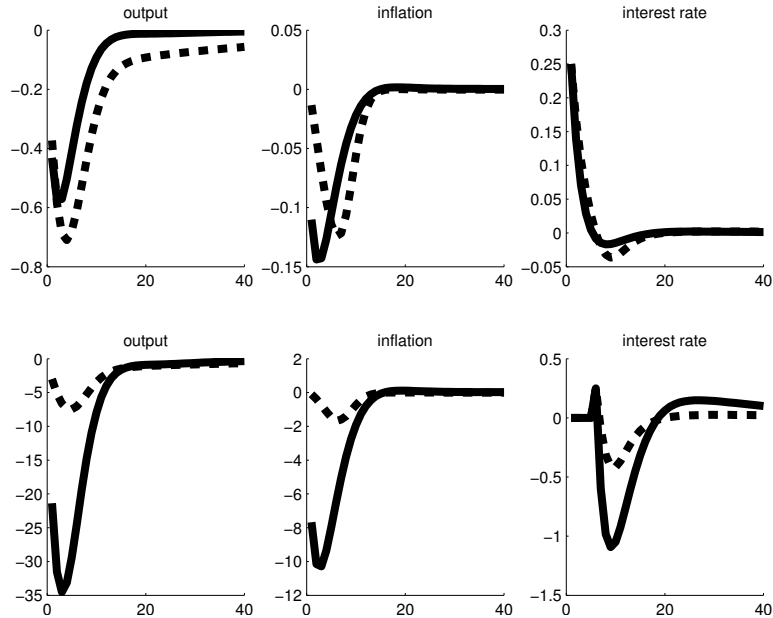
$$\pi_t = \lambda\hat{y}_t + \beta E_t\pi_{t+1}$$

AS: SI:

$$\pi_t = \eta\hat{y}_t + (1 - \delta) \sum_{i=0}^{\infty} \delta^i E_{t-1-i}(\kappa\Delta\hat{y}_t + \pi_t)$$

- $\hat{y}_t, \pi_t$  behavior and policy implications similar across models, but dynamics differ
  - "Immediate" response to news about future in SP model
  - "Pipeline" response in SI model

Figure 3: Responses to Monetary Policy Shocks



*Notes:* Figures show response of the sticky-price (solid line) and sticky-information (dashed line) models to an unanticipated (top row) and 6-quarter ahead anticipated (bottom show) monetary policy shock, computed at the respective posterior modes.

# Two Criticisms of the SP Model at the ZLB

## 1. The missing deflation

Standard SP model predicts much larger drop in inflation than occurred

## 2. The Forward Guidance puzzle

SP model predicts (counterfactually?) strong effects of forward guidance at ZLB

- Interrelated phenomenon

- Due to forward looking nature of inflation in SP model

## Deflation and Forward Guidance at the ZLB in SP Model

Let  $r_t^* < 0$  for  $T$  periods and  $> 0$  after

AD (given  $i_t = 0$  when  $r_t^* < 0$ )

$$\hat{y}_t = E_t \sum_{i=0}^{T-1} \sigma(\pi_{t+1+i} + r_{t+i}^*) + E_t \sum_{i=T}^{\infty} -\sigma(i_{t+i} - \pi_{t+1+i} - r_{t+i}^*)$$

AS

$$\pi_t = E_t \sum_{i=0}^{\infty} \beta^i \lambda \hat{y}_{t+i}$$

- Large deflation: after  $T$  periods  $i_t = r_t^*$  (time consistent solution).
- Large forward guidance mult: promise  $i_{t+i} < r_{t+i}^*$  for a period once  $r_{t+i}^* > 0$ .

## Possible solutions within SP framework

- "Flat" Phillips curve: (Del Negro/Giannoni/Schorfheide):

- Low value of  $\lambda$  reduces inflation sensitivity

$$\pi_t = E_t \sum_{i=0}^{\infty} \beta^i \lambda \hat{y}_{t+i}$$

- Consistent with recent est. but implies counterfactually high price rigidity.

- Anticipated drop in trend productivity growth (Christiano/Eichenbaum/Trabandt)

- Raises expected path of  $\hat{y}_t$  - can explain part of missing deflation.

- Need learning about trend break to avoid jump in inflation.

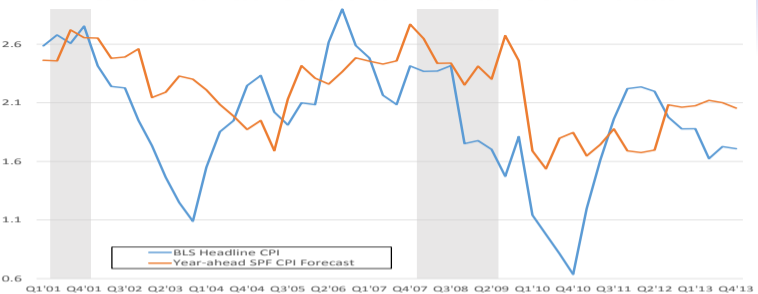
- Financial market frictions influencing pricing (CET and Gilchrist et. al))

- Promising, but need more direct evidence.

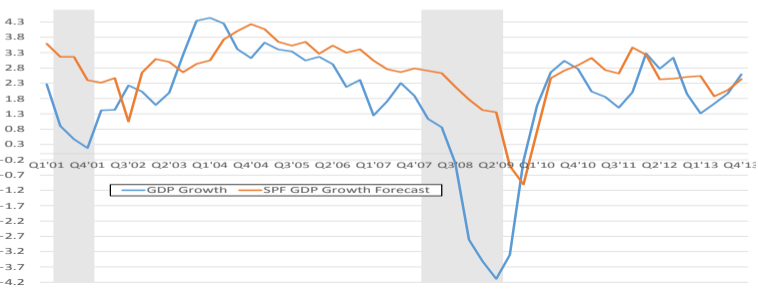
## Evidence for Imperfect Information (II)?

- Little direct evidence for SI, but evidence for II more generally
- Evidence from survey data of strong serial correlation in forecast errors
  - e.g, Coibion/Gorodnichenko 2012
- During Great Recession, SPF forecasts of inflation and output exhibit:
  - Persistent over-optimism
  - Relatively anchored behavior
    - \* Contributes stable inflation (within both SI and SP models)

Realized Annual Headline CPI and Year-Ahead Headline CPI SPF Forecast



Real GDP growth and 1 year ahead SPF Forecast





## Brief Comments on Policy Rules

### 1. Normal times (ZLB not binding)

(a) Absent supply shocks, set  $i_t$  s.t.  $i_t - E_t\pi_{t+1} - r_t^* = 0$ .

i.  $\rightarrow \hat{y}_t, \pi_t = 0$

(b) With supply shocks, allow for short run tradeoff between  $\hat{y}_t$  and  $\pi_t$

(c) Taylor rule based on output growth has these properties.

### 2. ZLB binding

(a) Promise future accommodation (i.e.  $i_t - E_t\pi_{t+1} - r_t^* < 0$  outside ZLB)

(b) Taylor rule cannot do this.

(c) Price level targeting can. Also works well outside ZLB.

### ● Contingent policy?

– Taylor rule in normal times, Price Level Targeting at the ZLB?

## Conclusions

- Interesting paper
- Makes case for paying more attention to imperfect information in DSGE modeling
  - Though need more work on modeling forward guidance in SI or II framework!
- My hunch: given micro price data and survey expectations data →  
"True model" contains both sticky prices and imperfection information
  - Examples exist: Lorenzoni (2009), Dupor (2010), L'aO/Angeletos (2009)
  - Perhaps we need to see more!