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Comment Lars E. O. Svensson

Introduction

Goodfriend and King's chapter provides an interesting explanation of the Great Inflation. It starts with the assumption that the Fed objectives were to stabilize the output gap and maintain "continuity of the interest rate" and then presents a model where inflation becomes a stochastic trend. In particular, inflation increases with negative innovations in potential-output growth. Fed monetary policy is seen as switching between business as usual and inflation fighting.

Model

There is a New Keynesian Phillips curve,

$$\pi_t - \overline{\pi}_t = \beta E_t (\pi_{t+1} - \overline{\pi}_{t+1}) + h(y_t - y_t^*),$$

where $\bar{\pi}_i$ denotes an inflation trend that is assumed to follow a random walk (martingale),

$$\overline{\pi}_t = E_t \overline{\pi}_{t+1}$$

There is an aggregate-demand relation that relates the output gap between output, y_t , and potential output, y_t^* , to the real interest-rate gap between the real interest rate, r_t , and the natural interest rate, r_t^* ,

$$y_t - y_t^* = E_t(y_{t+1} - y_{t+1}^*) - \frac{1}{\sigma}(r_t - r_t^*),$$

where σ is the reciprocal of the intertemporal elasticity of substitution. Potential-output growth follows an AR(1) process,

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$$\Delta y_t^* = \rho \Delta y_{t-1}^* + \nu_t,$$

where v_t is a shock with zero mean. This implies that the natural interest rate follows

$$r_t^* - r = \sigma \mathbf{E}_t \Delta y_{t+1}^* = \sigma \rho \Delta y_t^* = \rho(r_{t-1}^* - r) + \sigma \rho \nu_t.$$

The nominal interest rate, R_{i} , is given by the Fisher equation,

$$R_t = r_t + E_t \pi_{t+1}$$

It is assumed that the model is known by the Fed and the private sector and that the Fed's monetary policy is both known by the private sector and fully credible. The authors examine rational-expections equilibria with fully credible policies.

The Fed's monetary policy is characterized by output-gap stabilization and "continuity of the short rate" rather than low inflation. "Continuity" here actually means "predictability."

A first question is why monetary policy is not modeled as a loss function that is minimized, such as

$$L_t = (\pi_t - \pi_t^*)^2 + \lambda (y_t - y_t^*)^2 + \mu (R_t - E_{t-1}R_t)^2.$$

Could the Great Inflation then be explained by high weights on output-gap stabilization and interest-rate predictability, that is, high λ and μ , and a drifting inflation target π_i^* ?

A second question is why have the authors chosen interest-rate *predictability*, focusing on $R_t - E_t R_{t-1}$, rather than the more traditional interest-rate *smoothing*, focusing on $R_t - R_{t-1}$? The more standard loss function with interest-rate smoothing would be

$$L_t = (\pi_t - \pi_t^*)^2 + \lambda (y_t - y_t^*)^2 + \mu (R_t - R_{t-1})^2.$$

Does it matter whether the Fed focuses on predictability or smoothing of the short rate? Yes, it does, because smoothing will have to be state-dependent to be equivalent to predictability. In any case, a study of the Federal Open Market Committee's (FOMC's) transcript might reveal whether the Fed was emphasizing predictability or smoothing.

Equilibria with Zero Output Gaps

The authors focus on equilibria with zero output gaps, $y_t - y_t^* = 0$. Thus, by the Phillips curve, inflation is equal to trend inflation

$$\boldsymbol{\pi}_t = \boldsymbol{\pi}_t = \mathbf{E}_t \boldsymbol{\pi}_{t+1} = \mathbf{E}_t \boldsymbol{\pi}_{t+1}.$$

By the aggregate-demand relation, the real rate is equal to the natural rate,

$$r_t = r_t^*,$$

and, by the Fisher equation, the nominal rate is equal to the natural rate plus trend inflation,

$$R_t = r_t^* + \overline{\pi}_t$$

What, then, is equilibrium trend inflation? Consider innovations, $R_t - E_{t-1}R_t$, in the nominal rate and use $E_{t-1}\overline{\pi}_t = \overline{\pi}_{t-1}$ in the Fisher equation to get

$$R_t - E_{t-1}R_t = r_t^* - E_{t-1}r_t^* + \overline{\pi}_t - \overline{\pi}_{t-1}$$

Now, assume a given degree of predictability of the short rate ϕ , $0 \le \phi \le 1$, relative to the forecast error of the natural rate,

$$R_t - E_t R_{t-1} = (1 - \phi)(r_t^* - E_{t-1}r_t^*).$$

Setting these two expressions for the innovation in the nominal rate equal to one another leads to the equilibrium innovation in trend inflation,

$$\overline{\pi}_t - \mathbf{E}_{t-1}\overline{\pi}_t = -\phi(r_t^* - \mathbf{E}_{t-1}r_t^*) = -\phi\sigma\rho\nu_t.$$

Since trend inflation is a random walk, the equilibrium trend inflation is determined as

(1)
$$\overline{\pi}_{t} = \overline{\pi}_{t-1} - \phi \sigma \rho \nu_{t}.$$

Thus, trend inflation increases with negative potential-output growth innovations, more when there is high predictability of the short rate (when ϕ is large). This is the authors' main result and the basis for their interpretation of the Great Inflation.

The innovation in the natural interest rate and the potential-output growth innovation are related and proportional,

$$r_t^* - \mathbf{E}_{t-1} r_t^* = \sigma \rho (\Delta y_t^* - \mathbf{E}_{t-1} \Delta y_t^*) = \sigma \rho \nu_t.$$

Hence, we understand the main result directly from the Fisher equation, $R_t = r_t^* + \overline{\pi}_t$. If the nominal rate is more predictable, innovations in trend inflation have to cancel innovations in the neutral rate.

Implementation

How should we interpret trend inflation? One interpretation is that the Fed sets and announces an inflation target according to (1). Trend inflation then becomes a predetermined variable. We can then assume that the Fed follows an interest-rate rule given by

(2)
$$R_t = \overline{\pi}_t + r_t^* + \Omega(\pi_t - \overline{\pi}_t).$$

If we choose the coefficient Ω to be positive and sufficiently large, the above equilibrium will be unique. In equilibrium, the third term in (2) will be zero. But exactly how would the Fed implement this?

There is a simultaneity problem in implementing (2) in that π_i is a forwardlooking variable and R_i and π_i will be simultaneously determined. The instrument rule (2) is what, in previous research, I have called an "implicit instrument rule." One can imagine that R_i and π_i are determined by some iteration during the announcement day; that is, when the Fed announces an R_i , the private sector responds with a π_i , the Fed responds with a new R_i , and so on, until the economy has converged on the equilibrium R_i and π_i before the end of the day. Obviously, this is not how monetary policy is implemented.

Another way for the Fed to implement the equilibrium would be to predict the equilibrium π_i , and set R_i accordingly. The Fed might predict π_i to depend linearly on the two predetermined variables r_i^* and $\overline{\pi}_i$ and satisfy

$$\pi_t = g_1 r_t^* + g_2 \overline{\pi}_t = \overline{\pi}_t,$$

that is, that the coefficients g_1 and g_2 satisfy $g_1 = 0$ and $g_2 = 1$. Substituting this prediction of π_1 into the instrument rule implies

$$R_{t} = \bar{\pi}_{t} + r_{t}^{*} + \Omega(g_{1}r_{t}^{*} + g_{2}\bar{\pi}_{t} - \bar{\pi}_{t}) = \bar{\pi}_{t} + r_{t}^{*}.$$

This is a different instrument rule, which in previous research I have called an "explicit instrument rule," where the nominal rate only depends on predetermined variables. But this variant of the instrument rule has different determinacy properties. In this case, the predetermined variables are all exogenous, which means the nominal rate becomes exogenous. Then, in this model, there is indeterminacy and no unique equilibrium.

The authors assume that there is money, m_i , and a money demand,

$$\Delta m_t = \alpha \Delta y_t + \pi_t$$

and that the Fed follows the money-supply rule

$$\Delta m_t = \alpha \Delta y_t^* - \phi \sigma \rho v_t + \alpha \rho \Delta y_{t-1}^* + \pi_{t-1}.$$

This implies

$$\alpha \Delta (y_t - y_t^*) + \Delta \pi_t = -\phi \sigma \rho \nu_t,$$

so if the output gap is zero the inflation innovation is consistent with (1). But is this equilibrium unique? And is $\overline{\pi}_{t}$ still determined by the Fed and predetermined?

In the section "How 'Business as Usual' Creates Inflation Drift," is the central bank implementing monetary policy without explicitly setting $\bar{\pi}_i$? Is $\bar{\pi}_i$ determined/inferred by the private sector? Is it a forward-looking variable? Is the equilibrium then unique?

Generally, for determinacy, "out-of-equilibrium" behavior by the policymaker must be specified, as discussed in some detail in Svensson and Woodford (2005). Earlier, the instrument rule (2) is an out-of-equilibrium commitment, in the sense that it specifies how the Fed would set the nominal interest rate if the inflation rate would deviate from the equilibrium level $\overline{\pi}_{i}$. However, the fact that the instrument rule is implicit implies that it has some implementation problems. Svensson and Woodford (2005) discuss out-ofequilibrium commitments that do not have such problems.

Concluding Comments and Questions

If the Fed has specific objectives, why not specify a loss function and optimal policy for this loss function (under commitment or discretion)? The assumptions of a known model, credible policies, and rational expectations seem rather strong for the Great Inflation period. Nevertheless, that a major explanation for the Great Inflation could be a small weight on inflation stabilization and a drifting inflation target does not seem so far-fetched.

In the model presented, is trend inflation a predetermined inflation target determined by the Fed or a forward-looking variable determined by the private sector? It is not clear (at least not to me) that there is determinacy if trend inflation is not a predetermined variable. The eigenvalue configuration of the system needs to be clarified. A unit root is OK for a predetermined variable but not for a forward-looking variable. The assumption that trend inflation is a random walk seems to imply that the variable has a unit root, which means that it cannot be a forward-looking variable determined by the private sector.

Generally, explicit out-of-equilibrium behavior by the Fed may be needed to ensure equilibrium. This is the case as shown earlier when trend inflation is a predetermined variable. But if the Fed's behavior is described by an implicit instrument rule, a simultaneity problem makes the implementation problematic.

Reference

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Discusion

Olivier Blanchard started the questions: What if interest is moving rather than predictable? What if the Federal Reserve, instead of computing the output gap using the natural rate, adjusted it slowly to movements in the natural rate, thus being behind the curve? When the natural rate goes down, it takes a while to adjust.

Andrew Levin was concerned that the magnitude of the inflation drift generated from this model is of the order of 1 to 2 percent, and there has to be some other mechanism generating such a drift given that movements in the natural rate of interest are not sufficient from results using models at the Federal Reserve.